

# Anomaly Detection of DHCP Starvation Attacks Using a Probabilistic Approach

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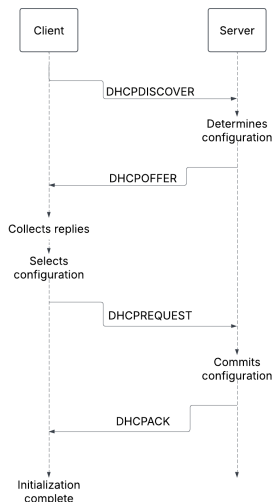
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- Reference: Tripathi, Nikhil, and Neminath Hubballi. "A probabilistic anomaly detection scheme to detect DHCP starvation attacks." 2016 IEEE International Conference on Advanced Networks and Telecommunications Systems (ANTS). IEEE, 2016.
- How does DHCP work and how can someone exploit it?

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# DHCP Overview

- DHCP is a protocol for providing IP addresses to devices on a network.



# DHCP Starvation Attack

There are 2 main types of DHCP Starvation Attacks:

- Classical DHCP Starvation Attack
- Induced DHCP Starvation Attack

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# Probabilistic method to detect DHCP Starvation Attack - Training Phase

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## Algorithm 1: Training

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**Data:**  $\Delta T$  - Window period in hours

$d$  - Training period in days

**Result:**  $PD$  - Probability Distribution

```
1  $W \leftarrow \frac{24}{\Delta T}$ 
2 Create an array  $COUNT[1, \dots, W]$ 
3 for  $day = 1$  to  $d$  do
4     for  $window = 1$  to  $W$  do
5          $EventCount \leftarrow 0$ 
6         for  $t = t_{start}$  to  $t_{start} + \Delta T$  do
7              $EventCount \leftarrow EventCount + 1$ 
8          $COUNT[window] \leftarrow COUNT[window] + EventCount$ 
```

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## Algorithm 2: ProbEstimate

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```
1  $Sum \leftarrow 0$ 
2 for  $i = 1$  to  $W$  do
3    $Sum \leftarrow Sum + COUNT[i]$ 
4 for  $i = 1$  to  $W$  do
5    $PD_i \leftarrow \frac{COUNT[i]}{Sum}$ 
6 return  $PD$ 
```

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## Algorithm 3: Testing

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**Data:**  $\Delta T$  - Window period in hours

*Sum* - Total number of occurrences of type *Event* during training phase

*PD* - Probability Distribution of type *Event*

*d* - Training Period in Days

**Result:** Starvation Attack Detection

```
1 while Not interrupted do
2   Event_Count  $\leftarrow$  0
3   for  $t = t_{start}^{test}$  to  $t_{start}^{test} + \Delta T$  do
4     Event  $\leftarrow$  New Event of Type Event Detected
5     Event_Count  $\leftarrow$  Event_Count + 1
6   Event_Count_train  $\leftarrow$  GetCount( $t_{start}^{test}, t_{end}^{test}, PD, Sum, d$ )
7   if Event_Count  $\geq$  Event_Count_train +  $\beta$  then
8     Starvation Attack detected
```

# Probabilistic method to detect DHCP Starvation Attack - Testing Phase

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**Algorithm 4:**  $\text{GetCount}(t_{start}^{test}, t_{end}^{test}, PD, Sum, d)$

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- 1  $PD_{test} \leftarrow$  Retrieved probability of type *Event* generated from training phase
  - 2  $AvgSum \leftarrow \frac{Sum}{d}$
  - 3  $Event\_Count\_train \leftarrow PD_{test} \times AvgSum$
  - 4 **return**  $Event\_Count\_train$
-

# Example: Training Phase

- Training period:  $d = 3$  days.
- Window period:  $\Delta T = 0.5$  hours (48 total time windows).
- **Window 1:** 10:00–10:30

Window	Time	Day 1	Day 2	Day 3
1	10:00–10:30	40	50	30

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# Example: Training Phase

**Step 1:** Compute Total Count per Window:

- **Window 1 (10:00-10:30):**  $40 + 50 + 30 = 120$

**Step 2:** Compute the Overall Total:

$$\text{Sum} = 480.$$

**Step 3:** Calculate the Probability Distribution:

$$PD_i = \frac{\text{COUNT}[i]}{\text{Sum}}.$$

Thus, the probability of an event happening in that time frame is:

$$PD_1 = \frac{120}{480} = 0.25,$$

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# Example: Testing Phase

**Step 1:** Compute the Expected Event Count:

$$Event\_Count\_train = PD_{test} \times AvgSum\left(\frac{480}{3}\right) = 0.25 \times 160 = 40.$$

**Step 2:** Testing Observation:

- Let the threshold  $\beta = 20$ .
- Suppose during the testing window (10:00–10:30) we observe  $Event\_Count = 500$  events.

**Step 3: Decision Criterion:** The attack detection condition is:

Attack detected if  $Event\_Count \geq Event\_Count\_train + \beta$ .

$$500 \geq 40 + 20.$$

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