1 Problem

The prime 41, can be written as the sum of six consecutive primes:

$$41 = 2 + 3 + 5 + 7 + 11 + 13 \tag{1}$$

This is the longest sum of consecutive primes that adds to a prime below one-hundred.

The longest sum of consecutive primes below one-thousand that adds to a prime, contains 21 terms, and is equal to 953.

Which prime, below one-million, can be written as the sum of the most consecutive primes?

2 Solution

```
import Data.List
import qualified Data.Map as Map
import Data.Maybe
import System. Environment
import Data.Numbers
import Data.Numbers.Primes
sPrimes = takeWhile (<4000) primes
bLongSeqPrimes\ pr =
  let seqs = [take\ l\ (drop\ k\ pr)\ |\ k \leftarrow [0..(length\ pr-1)], l \leftarrow [0..(length\ pr-1)]]
     lens = map (\lambda z \rightarrow (length \ z, sum \ z)) \$ filter (\lambda z \rightarrow (sum \ z < 1000000) \land (isPrime \$ sum \ z)) seqs
  in lens
buildr :: (a \to [b] \to [b]) \to [a] \to [b] \to [b]
buildr f [] sd = sd
buildr f(x:xs) sd = buildr f(xs) (f(x)sd)
main = do
  let soln = maximumBy (\lambda x \ y \rightarrow compare \ (fst \ x) \ (fst \ y)) \ (bLongSeqPrimes \ sPrimes)
  putStrLn $ "The prime (< 10<sup>6</sup>) which can be written as the sum of \n"
     ++ "the most consecutive primes is " ++ show (snd soln) ++"."
```

3 Result

```
runhaskell problem50.lhs
The prime (< 10^6) which can be written as the sum of the most consecutive primes is 997651.
```