1 Big O

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Big O Additional Problems:
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- 1.1 O(b)
- 1.2 O(b)
- 1.3 O(1)
- 1.4 $O(\frac{a}{b})$
- $1.5 \operatorname{O}(\log_2(n))$
- 1.6 O($\sqrt[2]{n}$)
- $1.7~\mathrm{O}(n)$ in the case that each node has 1 child in the same direction (degenerate tree).
 - 1.8 O(n), as you have no heuristics on where the node is located
 - 1.9 $O(n^2)$ as each copy is $1 + 2 + 3 + ... + n 1 \le n(n) \in O(n^2)$
- $1.10 \text{ O}(\log_1 0(n))$, which is equalizent to $\text{O}(\log_2(n))$ (up to a constant factor for change of base)
- 1.11 Checking if is in order takes O(s) in size of string s, otherwise makes successive calls to every possible string with c^s possibilities, so $O(s*c^s)$
- 1.12 Total is $O(b \log b)$ for mergesort $+ a \log b$ for binary searching b for each int in a. So, $O((a+b) \log b)$.

2 Arrays & Strings

Chapter 1: Arrays & Strings Interview Questions 1.1

1.2

1.4 Thought process: a palindrome has a multiple of 2 of all but at most one character (e.g., ...abcdcba..., so d could appear an odd number of times as long as the rest appear an even number of times). Iterate through string and count all chars, then set a boolean flag variable that results in False when multiple characters appear an odd number of times.

```
Algorithm 5: One Away
ı if string1 == string2 then
2 Return True
3 if abs(len(string1)-len(string2))>1 then
4 Return False
\mathbf{5} diffsFromMissing = 0
\mathbf{6} dict count = \mathbf{for} \ c \ in \ string1 \ \mathbf{do}
   count[c] += 1
{f s} for c in string2 do
     //Catch error if not in count by adding 1 to diffsFromMissing
      count[c] = 1
10 if diffsFromMissing > 1 then
11 Return False
12 if sum(counts) > 1 then
13 Return False
14 Return True
```