

Fleury's Algorithm and Prim's Algorithm Pseudocode

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1 Fleury's Algorithm

Algorithm 1 Fleury's Algorithm for Euler Circuit

Require: Graph *graph* with adjacency matrix *matrix*, start vertex *startVertex*

Ensure: Euler circuit as list of vertices

```
1: circuit  $\leftarrow$  empty list
2: mutableGraph  $\leftarrow$  graph.copy()
3: currentVertex  $\leftarrow$  startVertex
4: circuit.add(currentVertex)
5: while hasUnvisitedEdges(mutableGraph) do
6:   nextVertex  $\leftarrow$  chooseNextVertex(mutableGraph, currentVertex)
7:   if nextVertex == -1 then
8:     break
9:   end if
10:  mutableGraph.removeEdge(currentVertex, nextVertex)
11:  circuit.add(nextVertex)
12:  currentVertex  $\leftarrow$  nextVertex
13: end while
14: return circuit
```

2 Prim's Algorithm

Algorithm 2 Prim's Algorithm for Connectivity Check

Require: Graph g , start vertex $startVertex$, visited array $visited$

Ensure: Updates visited array to mark connected vertices

```
1:  $visited[startVertex] \leftarrow \text{true}$ 
2: while true do
3:    $minWeight \leftarrow \text{Integer.MAX\_VALUE}$ 
4:    $nextVertex \leftarrow -1$ 
5:   for  $i = 0$  to  $g.getSize() - 1$  do
6:     if  $visited[i]$  then
7:       for  $j = 0$  to  $g.getSize() - 1$  do
8:         if  $\neg visited[j]$  and  $g.hasEdge(i, j)$  then
9:            $weight \leftarrow g.getWeight(i, j)$ 
10:          if  $weight < minWeight$  then
11:             $minWeight \leftarrow weight$ 
12:             $nextVertex \leftarrow j$ 
13:          end if
14:        end if
15:      end for
16:    end if
17:  end for
18:  if  $nextVertex == -1$  then
19:    break
20:  end if
21:   $visited[nextVertex] \leftarrow \text{true}$ 
22: end while
```
