

Time Horizons and Emissions Trading

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Introduction

This paper

- Dynamic model of emissions trading
- Supply of allowances depends on conditions prevailing in the market for allowances
 - Price mechanisms: supply increasing in the allowance price
 - Quantity mechanisms: supply increasing in use of allowances
- Policy ends with a hard ban on emissions

The Climate Policy Trinity

1. Cap and trade

- Who can pollute? How is abatement achieved?
 - California ETS, EU ETS, RGGI, Korea ETS, Swiss ETS, ...

2. Market-based emissions cap

- How much pollution is allowed?
 - Price floor/ceiling/collar, quantity collar, MSR, liquidity constraints, ...

3. Future ban on emissions

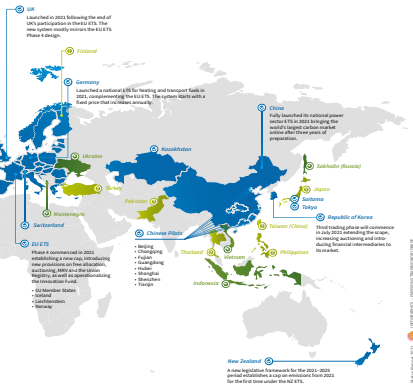
- When should pollution stop?
 - Zero emissions pledge, permit retirement

Pillar 1: Cap and trade

Emissions trading

- Prominent climate policy instrument
- 16% of greenhouse gas emissions worldwide
- Jurisdictions representing 54% of global GDP
- More under way

The state of play of cap-and-trade in 2021



Pillar 2: Market-based emissions cap

Supply mechanisms

- Sum total of abatement required depends on emissions cap
- In practice, cap often depends on the market for allowances
- Empirically relevant classes: price and quantity mechanisms (ICAP)
- Common, but do they matter? Yes (Borenstein et al., 2019)

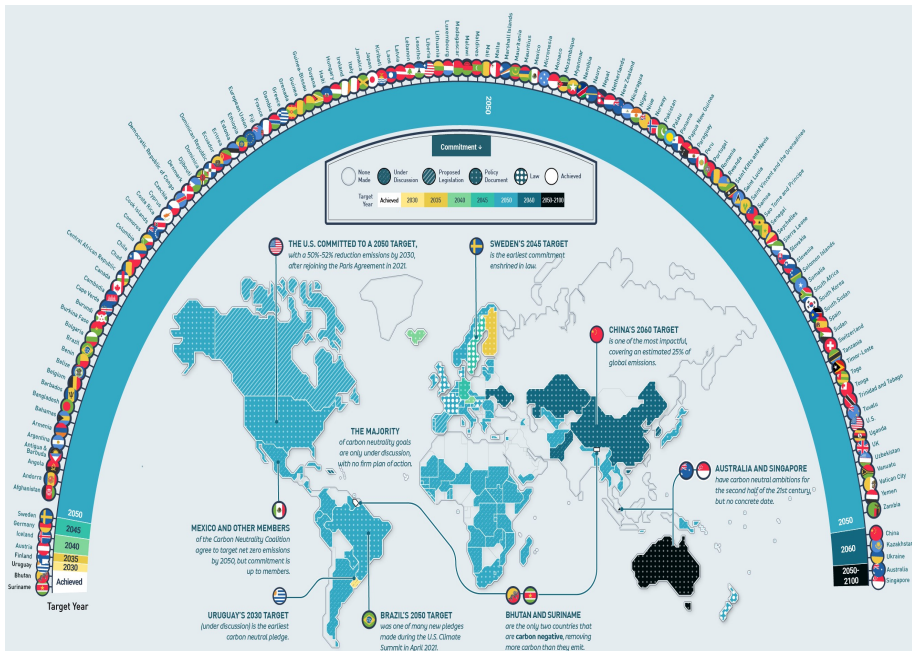
EU ETS

**European Union Emission
Trading System**

Pillar 3: Hard ban

Future ban on emissions

- Rapidly gaining popularity
- >100 countries pledged net-zero by \pm 2050 (Van Soest et al., 2021)
- Crucial to meet climate ambitions (Höhne et al., 2021)



Research question

What is the effect of bringing forward the ban on emissions?

Model

Cap and trade

- N firms
- The policymaker supplies s_{it} allowances to firm i in period t
 - $s_t = \sum_i s_{it}$
 - Determination of s_t discussed shortly
- Firm i must surrender allowances to cover emissions $q_{it} \geq 0$
 - $q_t = \sum_i q_{it}$
- Allowances traded on a secondary market
 - Trade generates allowance price p_t
 - Firms are price-takers – no huge firms, N large
- If $q_t < s_t$, the surplus is banked
 - $b_t = s_t - q_t$ and $B_t = \sum_t b_t$
 - Banking, no borrowing: $B_t \geq 0$ for all t
 - Banked allowances usable to cover future emissions

Time horizon of emissions trading

- The cap and trade scheme ends with a hard ban on emissions
 - Timing of the ban determines time horizon of emissions trading
 - Final period on emissions T
 - Allow $T \rightarrow \infty$, the empirically relevant case
- Ban requires $q_t = 0$ for all i and $t \geq T$
 - Hard constraint: $q_t = 0$ for all $t \geq T$ even if $B_t > 0$

Firms' problem

- Firms choose their emissions q_{it} to minimize the discounted sum of abatement costs subject to the cap and the emissions ban at T
 - Solution to firms' problem: $q_t(p_t, T)$
 - Emissions decreasing in allowance price: $\partial q_t(p_t, T)/\partial p_t < 0$
- Cost-minimization gives $B_T = 0$
 - Allowances used up by period T
 - Emissions banned starting from T , so $B_T > 0$ is capital destruction
- Trade in allowances gives $p_t \approx MAC_t$
 - Sell (buy) allowance when price exceeds (falls short of) marginal abatement cost
 - Assumes market economy, comp. China's pilot ETS (Cao et al., 2021)
- Marginal abatement costs satisfy $MAC_t \approx \beta MAC_{t+1}$
 - Differential Hotelling rule: $\partial p_{t+1}/\partial p_t > 0$

Supply mechanisms

- Firms choose emissions to minimize abatement costs *subject to the emissions cap*
 - Determined through supply mechanism
- **Price mechanism:** supply increasing in allowance price
 - $\partial s_t(p_t)/\partial p_t > 0$
 - Intuition: high price means abatement expensive, efficient to loosen cap
 - Examples: price floor/ceiling, reserve price, etc.
- **Quantity mechanism:** supply decreasing in bank
 - $\partial s_t(B_t)/\partial B_t < 0$
 - Intuition: high surplus means abatement inexpensive, efficient to tighten cap
 - Examples: quantity-collar (MSR), liquidity provision, etc.
- Intention to balance out supply and demand
- Price-taker assumption: firms take cap as given

Similar but different

- Price mechanism
 - Uses information on prices to determine quantities
 - Turns cap and trade into a hybrid policy
- Quantity mechanism
 - Uses information on quantities to determine quantities
 - Doubles down on quantity aspect of cap and trade

Equilibrium

Equilibrium

- Equilibrium is reached when total emissions equal total supply
 - Subject to borrowing constraint and ban
 - Gross oversupply ($>$ BAU emissions) ruled out by assumption
- Let p^P denote the equilibrium price vector under a price mechanism:

$$\sum_{t=1}^T q_t(p_t^P, T) = \sum_{t=1}^T s_t(p_t^P) \implies B_T(p^P) = 0$$

- Let p^Q denote the equilibrium price vector under a quantity mechanism:

$$\sum_{t=1}^T q_t(p_t^Q, T) = \sum_{t=1}^T s_t(B_t(p^Q)) \implies B_T(p^Q) = 0$$

Supply between periods

Consider a given final period on emissions T

- For $t_1 \leq t_2$, define:

$$S^P(t_1, t_2 \mid p^P) = \sum_{t=t_1}^{t_2} s_t(p_t^P)$$

- For $t_1 \leq t_2$, define:

$$S^Q(t_1, t_2 \mid p^Q) = \sum_{t=t_1}^{t_2} s_t(B_t(p^Q))$$

An earlier ban – another equilibrium

- Now posit another final period on emissions \bar{T} , where $\bar{T} < T$
 → The final period \bar{T} is an earlier ban – more ambitious climate goal
- Let \bar{p}^P denote the equilibrium allowance price vector under a price mechanism when the final period is \bar{T}
- Let \bar{p}^Q denote the equilibrium allowance price vector under a quantity mechanism when the final period is \bar{T}

Equilibrium reduction in emissions

- Define:

$$R^P(\bar{T}, T) = \sum_{t=1}^T q_t(p^P, T) - \sum_{t=1}^{\bar{T}} q_t(\bar{p}^P, \bar{T})$$

→ $R^P(\bar{T}, T)$ is the reduction in equilibrium emissions realized by bringing forward the ban from T to \bar{T} under a price mechanism

- Define:

$$R^Q(\bar{T}, T) = \sum_{t=1}^T q_t(p^Q, T) - \sum_{t=1}^{\bar{T}} q_t(\bar{p}^Q, \bar{T})$$

→ $R^Q(\bar{T}, T)$ is the reduction in equilibrium emissions realized by bringing forward the ban from T to \bar{T} under a quantity mechanism

Research question specified

What can we say about $R^P(\bar{T}, T)$ and $R^Q(\bar{T}, T)$?

Hypotheses

- Incredibly naive: for $X \in \{P, Q\}$, $R^X(\bar{T}, T) = \sum_{t=\bar{T}}^T q_t(p^X, T)$
 - Ignores supply between periods \bar{T} and T and equilibrium effects
- Somewhat naive: for $X \in \{P, Q\}$, $R^X(\bar{T}, T) = S^X(\bar{T}, T \mid p^X)$
 - Ignores equilibrium effects
- This paper: consider all effects

Bounds

Price mechanism: lower bound

Main result 1

$$R^P(\bar{T}, T) \geq S^P(\bar{T}, T \mid p^P) \geq 0$$

- Reduction in equilibrium emissions in response to an earlier ban is positive and bounded from below under a price mechanism.
- Price mechanism reinforces earlier ban
- Bringing forward the ban reduces equilibrium emissions *at least* by the amount of emissions originally supplied after the earlier ban

Price mechanism: intuition

- The bound is clear
 - A ban at \bar{T} preempts emissions after that period
 - Between periods \bar{T} and T , $S^P(\bar{T}, T \mid p^P)$ allowances are supplied
 - Since borrowing is not allowed, those emissions “disappear”
- Now suppose that $B_{\bar{T}}(p^P) > 0$
 - Strictly positive number of allowances banked when final period is T
- Equilibrium when the final period is \bar{T} requires $B_{\bar{T}}(\bar{p}^P) = 0$
 - No capital destruction!
- $B_{\bar{T}}(p^P) > 0$ and $B_{\bar{T}}(\bar{p}^P) = 0$ imply that $\bar{p}_t^P < p_t^P$ for all $t < \bar{T}$
 - Price must go down to support using up allowances faster
- Mechanics of a price mechanism translate a lower price into less supply
 - Emissions prior to \bar{T} go down, too, reinforcing the earlier ban.

Quantity mechanism: upper bound

Main result 2

$$R^Q(\bar{T}, T) \leq S^Q(\bar{T}, T \mid p^Q)$$

- Reduction in equilibrium emissions in response to an earlier ban is bounded from above and possibly negative under a quantity mechanism.
- Quantity mechanism counteracts earlier ban
- Bringing forward the ban reduces equilibrium emissions *at most* by the amount of emissions originally supplied after the earlier ban

Quantity mechanism: intuition

- The bound again is clear
 - A ban at \bar{T} preempts emissions after that period
 - Between periods \bar{T} and T , $S^Q(\bar{T}, T \mid p^Q)$ allowances are supplied
- Now assume that $B_{\bar{T}}(p^Q) > 0$
- When the ban kicks in at \bar{T} , equilibrium requires $B_{\bar{T}}(\bar{p}^Q) = 0$
- Firms start using more allowances before period \bar{T}
 - Smoothed out over all periods $t < \bar{T}$
- Higher emissions implies less banking in periods $t < \bar{T}$
- Hence, supply of emissions is higher in all periods before \bar{T}
 - Under quantity mechanism, $\partial s_t(B_t)/\partial B_t > 0$
 - Since supply is used up in equilibrium, emissions higher
- Reduction in equilibrium emissions is at most $S^Q(\bar{T}, T \mid p^Q)$

Incompatibility

Negative reduction

- Result 2 hinted at the possibility of a negative reduction $R^Q(\bar{T}, T)$
 - Increased emissions due to earlier ban
- Possible?
 - Under what conditions?

Thought experiment

Posit a period $T^* < T$ such that:

1. Given the ban at T , equilibrium emissions are strictly positive in T^*
2. Given the ban at T , equilibrium supply of allowances has already (and permanently) dried up by period T^*

Such a T^* need not exist; if it exists, it need not be unique. However, if at least one T^* that satisfies 1. and 2. exists, set $\bar{T} = T^*$. Then \bar{T} satisfies

$$q_{\bar{T}}(p^Q, T) > 0 \quad (*)$$

$$s_t(B_t(p^Q)) = 0 \quad \forall t \geq \bar{T} \quad (**)$$

Think of pensioners receiving 401(k) benefits

Higher emissions

Main result 3

If \bar{T} satisfies (*) and (**), then $R^Q(\bar{T}, T) \leq 0$

- Advancing the ban from T to \bar{T} strictly increases emissions
- Quantity mechanisms and zero emissions pledges may be incompatible

Intuition

- If \bar{T} satisfies (*) and (**), early ban kicks in when emissions covered exclusively by banked allowances
- When the final period is T , no supply after \bar{T}
 - Advancing ban from T to \bar{T} does not kill supply after \bar{T}
- Originally, positive bank at \bar{T}
 - Equilibrium response, more emissions before \bar{T} to get $B_{\bar{T}} = 0$
- Higher emissions/less banking translated into more supply under quantity mechanism
- No change in supply after \bar{T} , but more supply before \bar{T}
- Net emissions go up! ☹️
- Think of 401(k) again
 - Firms are like retired people by period \bar{T}
 - Wage income dried up and, consuming what they set apart earlier in

Mechanism choice

Comparison

- It seems that price mechanisms outperform quantity mechanisms
- Careful: not so obvious
- Suppose $S^Q(T, \bar{T} \mid p^Q) > S^P(T, \bar{T} \mid p^P)$
 - Upper bound on quantity mechanism reductions above lower bound on price mechanism reductions
 - Possible that quantity mechanism reduces emissions more!
- But: somewhat contrived possibility

Symmetric baselines

- Let the final period be T
- Under the equilibrium price vectors p^P and p^Q , suppose that:

$$s_t(p_t^P) = s_t(B_t(p^Q)) \quad \forall t \leq T \quad (***)$$

→ Supply of allowances equal in all periods

- If $(***)$ is satisfied, I say that the supply vectors $(s_t(p_t^P))$ and $(s_t(B_t(p^Q)))$ are symmetric under T

Prices vs. Quantities

Main result 4

If $(s_t(p_t^P))$ and $(s_t(B_t(p^Q)))$ are symmetric under T , then
$$R^Q(\bar{T}, T) \leq R^P(\bar{T}, T)$$

- Advancing the ban from T to \bar{T} reduces emissions less under a quantity mechanism than under a price mechanism
- Symmetry under T sufficient, not necessary
 - For example, $\sum_{t=\bar{T}}^T s_t(p_t^P) = \sum_{t=\bar{T}}^T s_t(B_t(p^Q))$ also works
- Symmetry under T intuitive starting point: compare effects for same baselines
 - Unless comparing apples and oranges, price mechanisms win

Conclusions

Fixing quantity mechanisms

- The problems with quantity mechanisms could be overcome: simply accompany the earlier ban with a manual reduction of supply
- Practical complications
 - How many allowances should be taken out?
 - When should they be taken?
- Need for ad hoc solution hints at fundamental distinction
- Quantity mechanism requires additional to work well – price mechanism takes care of itself!

Thank you

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