


Learning through *recreational* research



Google Translate - Word lens

A close-up shot from a movie showing a dragon's head in the upper left corner, breathing a stream of fire. The fire is directed at a person lying on the ground, who is covered in a large, intense fire. A metal chain is visible on the ground, extending from the left towards the person. The background is a rough, stone wall.

Vision helps us
understand what is going
on in this scene

Im adding text to this image to make it compliant to DMCA fair use policy

I think it's a close up of a man on fire.

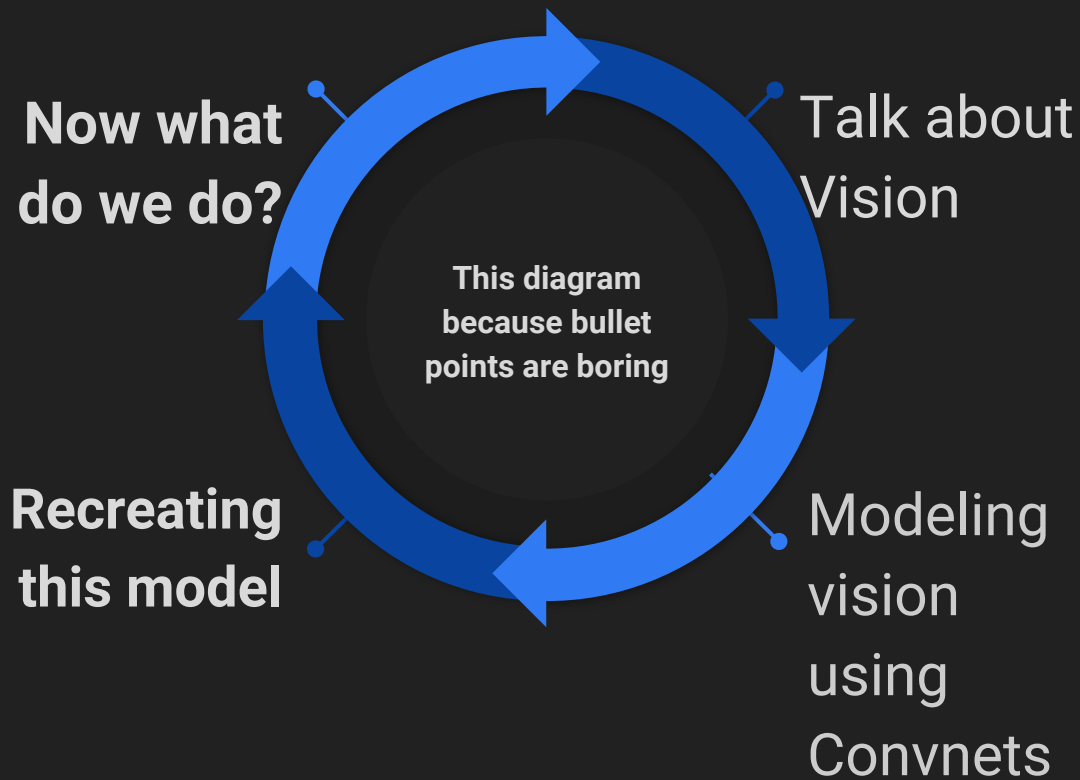


This is what CaptionBot tells us what it sees in the image

What are we doing here?

- Talking about Computer Vision (more specifically Convnets)
- Showing how Convnets work
- “**Seeing**” how Convnets learn by recreating the landmark NIPS 2012 paper
- Now what do we do?

The process of recreational research



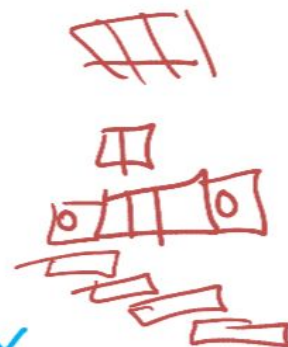
Convolution

$$z = \begin{bmatrix} z_1 & z_2 \end{bmatrix} \quad M_z = 2$$

$$w = \begin{bmatrix} w_1 & w_2 \end{bmatrix} \leftarrow M_F = 2$$

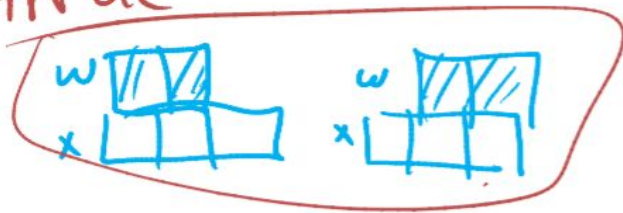
$$x = \begin{bmatrix} x_1 & x_2 & x_3 \end{bmatrix} \quad M_x = 3$$

$$\begin{cases} z_1 = w_1 x_1 + w_2 x_2 \\ z_2 = w_1 x_2 + w_2 x_3 \end{cases}$$



zero padding

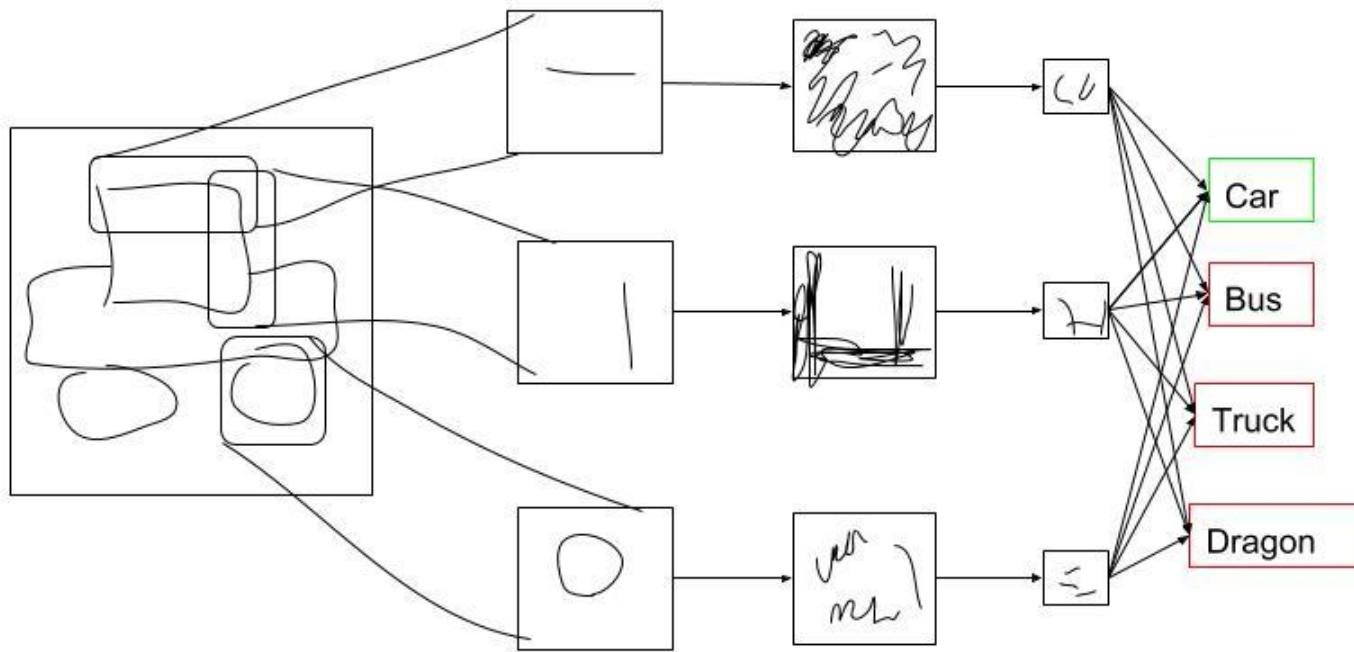
Stride



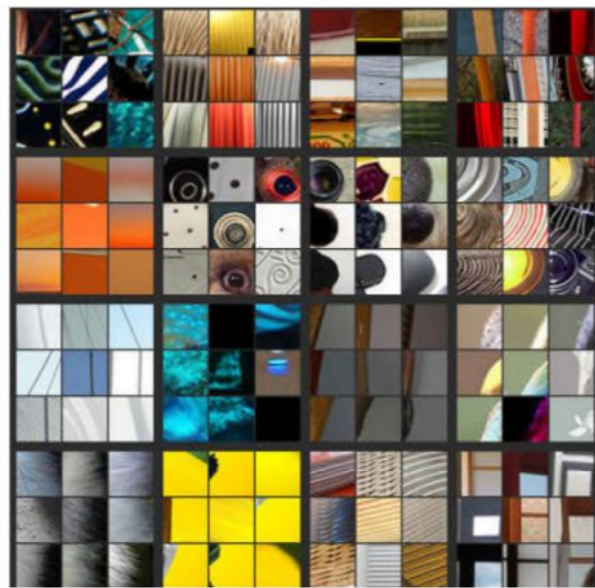
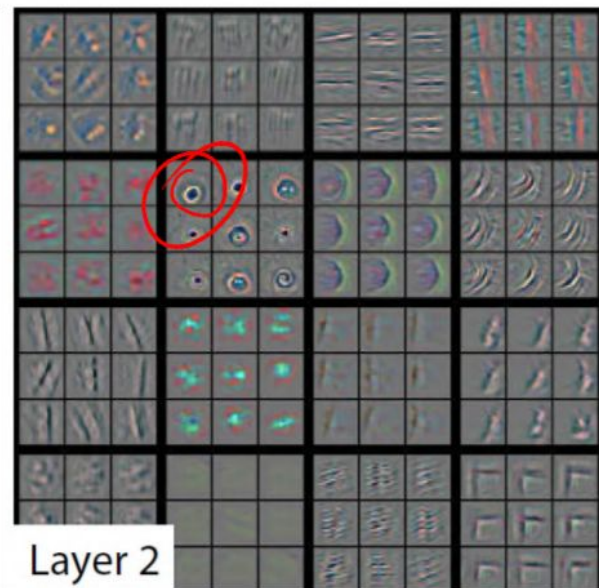
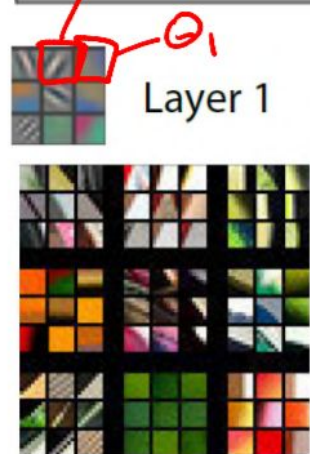
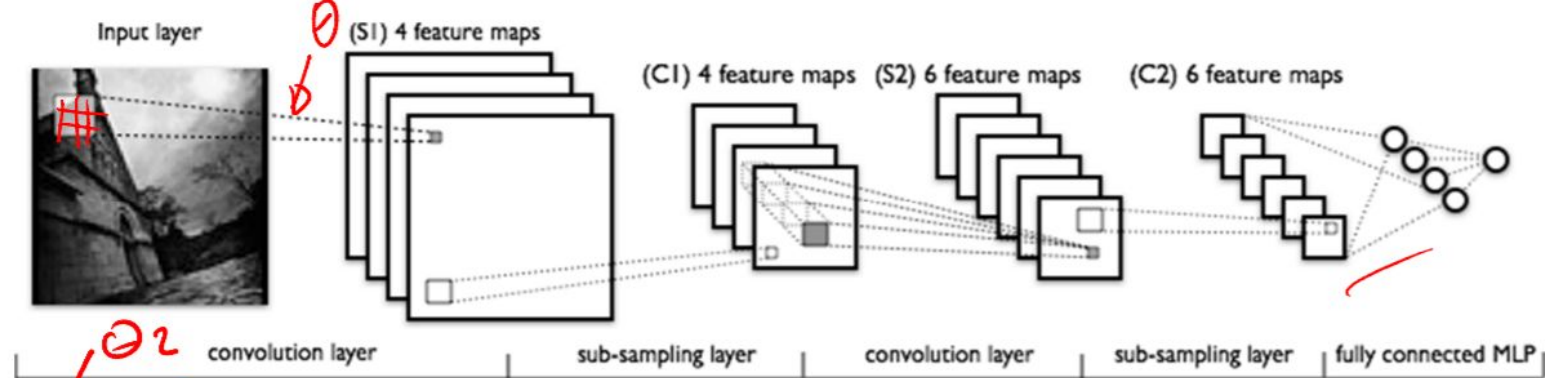
$$\text{Flip } \bar{w} = \begin{bmatrix} w_2 & w_1 \end{bmatrix}$$

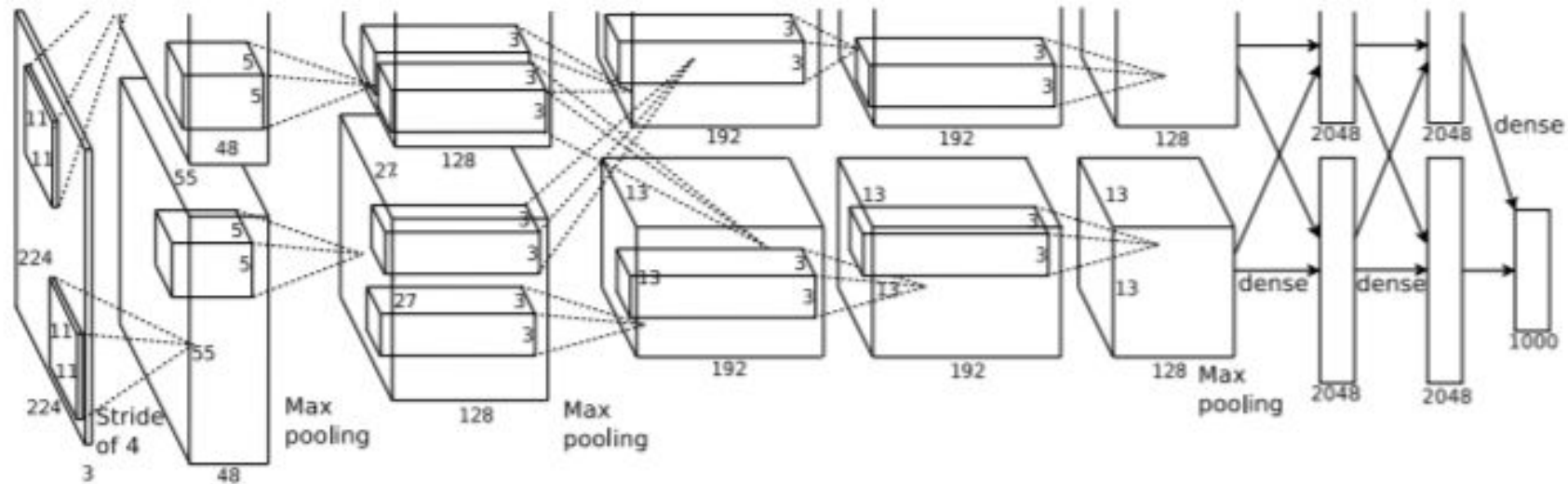
$$z_{i'} = \sum_{i=1}^{M_F=2} w_i x_{i'+i-1} \quad \text{Correlation (Similarity)}$$

$$z_{i'} = \sum_{i=1}^{M_F=2} x_{i'+i-1} \bar{w}_{M_F-i+1} \quad (\text{Convolution})$$



Convolution → Convolution → Pooling → Classification





Jump to Jupyter notebook for recreating this model
and jump to Section 3.5

Activation function

- Traditionally, saturating nonlinearities:

- hyperbolic tangent function: $f(x) = \tanh(x) = 2 * \frac{1}{1+e^{-2x}} - 1$

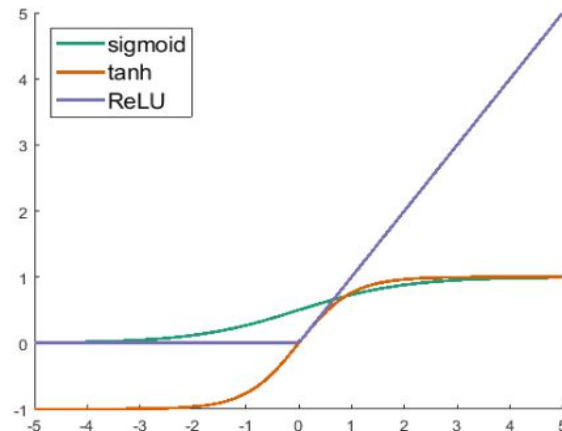
- sigmoid function: $f(x) = \frac{1}{1+e^{-x}}$

- slow to train

- Non-saturating nonlinearity:

- Rectified Linear Unit (ReLU): $f(x) = \max(0, x)$

- quick to train



Local Response Normalization

- ReLUs do not require input normalization to prevent them from saturating
- However, Local Response Normalization aids generalization

Activity of a neuron by applying
kernel i at position (x,y)

$$b_{x,y}^i = a_{x,y}^i / \left(k + \alpha \sum_{j=\max(0, i-\frac{n}{2})}^{\min(N-1, i+\frac{n}{2})} (a_{x,y}^j)^2 \right)^\beta$$

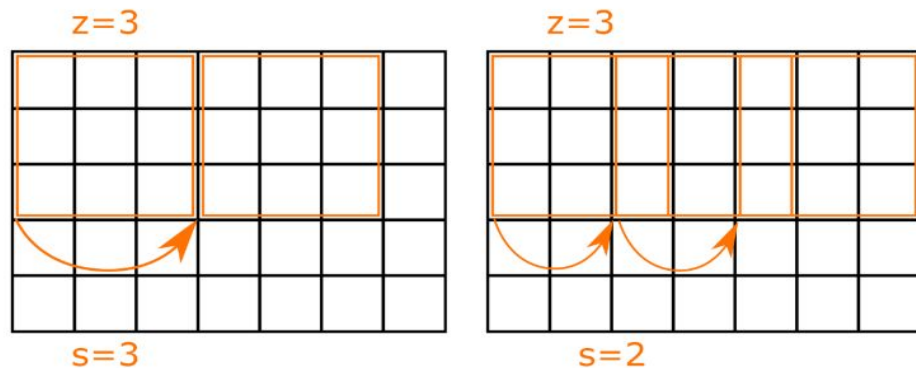
$$\begin{aligned} k &= 2 \\ n &= 5 \\ \alpha &= 10^{-4} \\ \beta &= 0.75 \end{aligned}$$

- Improvement:
 - top-1 error rate by **1.4%**
 - top-5 error rate by **1.2%**

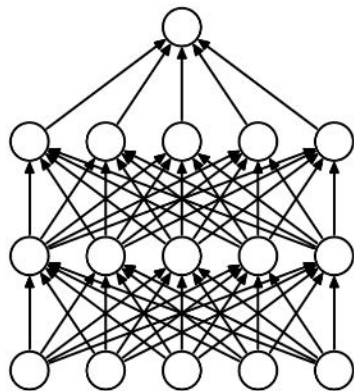
sum runs over n “adjacent” kernel
maps at the same spatial position

Overlapping Pooling

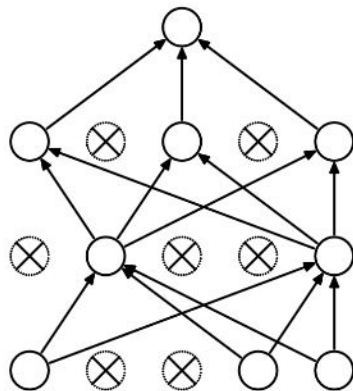
- Pooling layers summarize the outputs of neighboring neurons in the same kernel map.
- Overlapping pooling $\rightarrow s < z$
- Improvement using MaxPooling:
 - top-1 error rate by **0.4%**
 - top-5 error rates by **0.3%**



Reducing Overfitting - Dropout



(a) Standard Neural Net



(b) After applying dropout.

- Output of each hidden neuron is set to zero with probability 0.5
- Learning more robust features
- Doubles the number of iterations required to converge
- Applied in the first two fully connected layers

Stochastic Gradient Descent

- SGD with a batch size of 128
- Learning rate initialized at 0.01; divided by 10 if validation error rate stopped improving
- Update rule for weight w :

$$v_{i+1} := 0.9 * v_i - 0.0005 * \epsilon * w_i - \epsilon * \left\langle \frac{\partial L}{\partial w} \bigg|_{w_i} \right\rangle_{D_i}$$

Annotations for the first equation:

- momentum (points to $0.9 * v_i$)
- weight decay (points to $0.0005 * \epsilon * w_i$)
- learning rate (points to ϵ)
- Gradient of Loss (points to $\left\langle \frac{\partial L}{\partial w} \bigg|_{w_i} \right\rangle_{D_i}$)

$$w_{i+1} := w_i + v_{i+1}$$

- ~ 90 cycles → five to six days on two NVIDIA GTX 580 3GB GPUs

“The idea he (Alex Krizhevsky) had at the time was just to re-implement the original Lenet architecture”



:w !sudo tee %

@GianArb

Follow



You are a populist software engineer when
you try to fix a problem without trying to
understand it

8:56 PM - 18 Aug 2018

The process of recreational research

