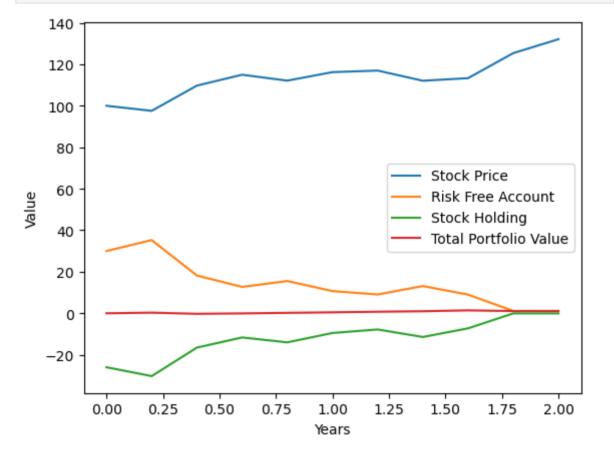
import math as m

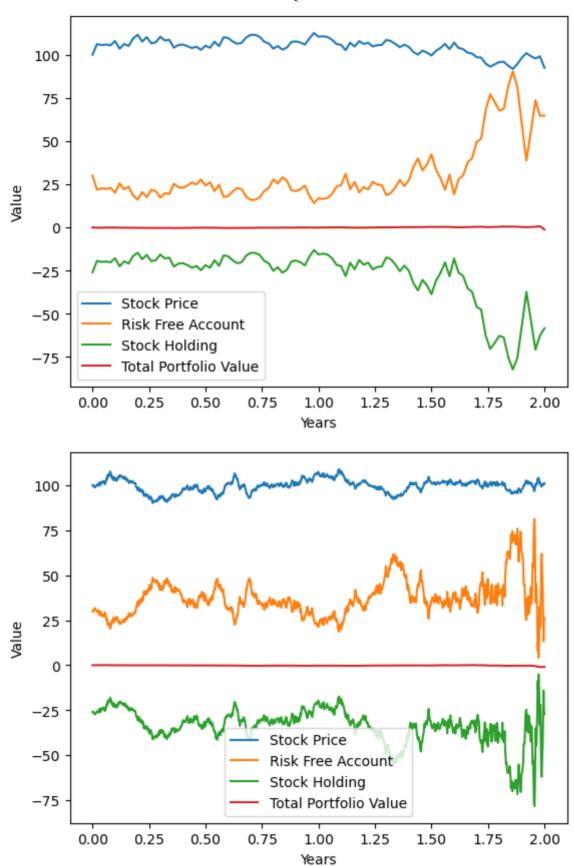
In [31]:

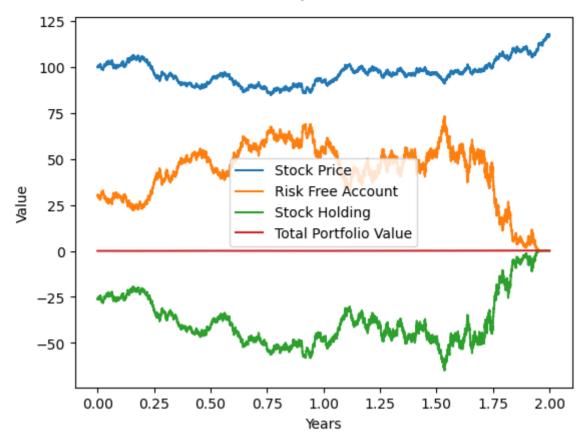
```
import numpy as np
         def blsprice(Price, Strike ,Rate, Time, Volatility):
             denomi = Volatility * m.sqrt(Time)
             # calculating volatility times the square root of time
             numera = m.log(Price / Strike) + (Rate + 0.5 * Volatility ** 2 ) * Time
             d1 = numera / denomi
             d2 = d1 - denomi
             cdf1 = norm.cdf(d1) # calculating N(d1)
             cdf2 = norm.cdf(d2) # calculating N(d2)
             factor = m.exp(- Rate * Time)
             call = Price * cdf1 - Strike * factor * cdf2 # calculating the call opti
             put = Strike * factor * (1 - cdf2) - Price * (1 - cdf1)
             # calculating the put option price
             return call, put
In [32]: from scipy.stats import norm
         def blsdelta(Price, Strike , Rate, Time, Volatility):
             denomi = Volatility * m.sqrt(Time)
             # calculating volatility times the square root of time
             numera = m.log(Price / Strike) + (Rate + 0.5 * Volatility ** 2) * Time
             d1 = numera / denomi
             c delt = norm.cdf(d1)
             delta call = c delt
             delta_put = c_delt - 1
             return delta call, delta put
In [34]: from matplotlib import pyplot as plt
         vol = 0.16
         r = 0.06
         T = 2.0
         K = 100
         S0 = 100
         mu = 0.08
         def delta hedge(reb):
             interval = T / reb
             alpha = np.zeros(reb + 1)
             B = np.zeros(reb + 1)
             S = np.zeros(reb + 1)
             S[0] = S0
             Put = np.zeros(reb + 1)
             P = np.zeros(reb + 1)
             P[0] = 0
             t = np.zeros(reb + 1)
             t[0] = 0
             alpha[0] = blsdelta(S[0], K, r, T, vol)[1]
             Put[0] = blsprice(S[0], K, r, T, vol)[1]
             B[0] = Put[0] - alpha[0] * S[0]
             for i in range(1, reb):
                  t[i] = i * interval
                  S[i] = S[i-1] * m \cdot exp((mu-vol**2/2) * interval + vol * m \cdot sqrt(interval))
                  Put[i] = blsprice(S[i], K, r, T-t[i], vol)[1]
                  alpha[i] = blsdelta(S[i], K, r, T-t[i], vol)[1]
                  B[i] = B[i-1] * np.exp(r * interval) - S[i] * (alpha[i] - alpha[i-1]
                  P[i] = B[i] + alpha[i] * S[i] - Put[i]
```

```
t[reb] = T
S[reb] = S[reb-1] * np.exp((mu - vol**2/2) * interval + vol * m.sqrt(int
Put[reb] = max(0, K-S[reb])
B[reb] = m.exp(r * interval) * B[reb-1]
alpha[reb] = alpha[reb-1]
P[reb] = B[reb] + alpha[reb] * S[reb] - Put[reb]
plt.plot(t, S)
plt.plot(t, B)
plt.plot(t, S*alpha)
plt.plot(t, P)
R = P[reb] * m.exp(-r*T) / Put[0]
plt.xlabel("Years")
plt.ylabel("Value")
plt.legend(["Stock Price", "Risk Free Account", "Stock Holding", "Total
plt.show()
return abs(R)
```

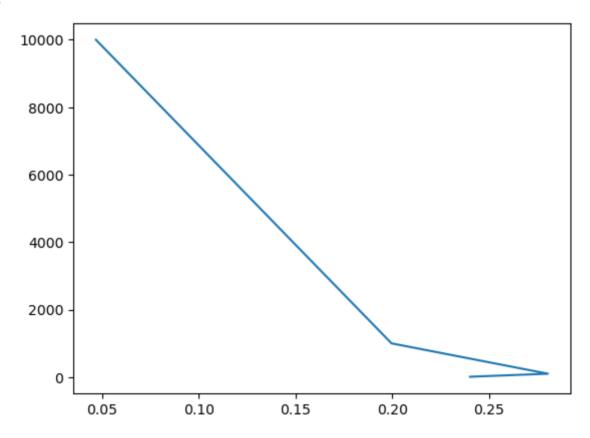
```
In [36]: sim1 = delta_hedge(10)
    sim2 = delta_hedge(100)
    sim3 = delta_hedge(1000)
    sim4 = delta_hedge(10000)
    plt.plot([sim1,sim2,sim3,sim4], np.array([10,100,1000,10000]))
```







Out[36]: [<matplotlib.lines.Line2D at 0x7fef9d344e20>]



In []: