



What is a Graph?

The lesson explains multiple types and terminologies used in graphs (from basic to complex).

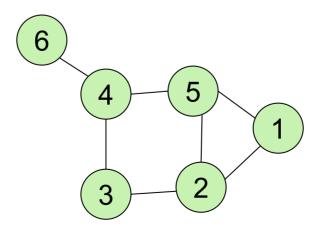
We'll cover the following

- Introduction
 - G How do you Define a Graph?
- Vertex:
- Edge:
- Types of Graphs
 - 1. Undirected Graph
 - 2. Directed Graph
- Graph Terminologies

Introduction

G How do you Define a Graph? #

A graph is a set of **vertices** (nodes) that are connected to each other via **edges** in the form of a network.

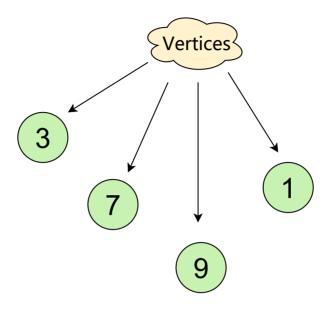


A Graph having 6 nodes and 7 edges





The structures for storing data in a graph, represented in the form of *Nodes* (1,3,7...), are also called *Vertices*



A Graph having 4 Vertices

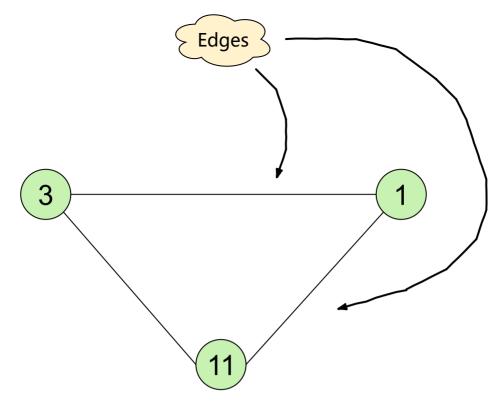
Edge:

A **pair(x,y)** is called an **edge**, which indicates that vertex \mathbf{x} is connected to vertex \mathbf{y} . An edge may contain weight/cost, showing how much cost is required to traverse from vertex \mathbf{x} to \mathbf{y} .

Edges are usually represented using Straight lines.







A Graph having 3 Edges

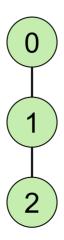
Types of Graphs

There are two common types of graphs:

- 1. Undirected
- 2. Directed

1. Undirected Graph

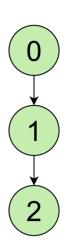
In an undirected graph, the edges are bi-directional by default; for example, with the **pair (0,1)**, it means there exists an edge between vertex **0** and **1** without any specific direction. You can go from vertex **0** to **1**, or vice versa.



2. Directed Graph



In a directed graph, the edges are unidirectional; for example, with *the pair* (0,1), it means there exists an edge from vertex 0 towards vertex 1, and the only way to traverse is to go from 0 to 1.



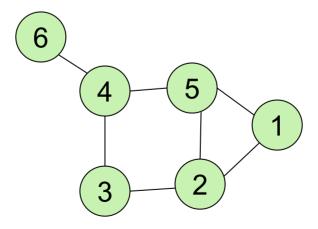
A Directed Graph having 3 vertices and 2 edges

Graph Terminologies #

1. Degree of Vertex: Total Number of edges connected to a vertex.

Consider the figure given below:

- => Degree of 5 = 3
- => Degree of 1 = 2
- => Degree of 6 = 1

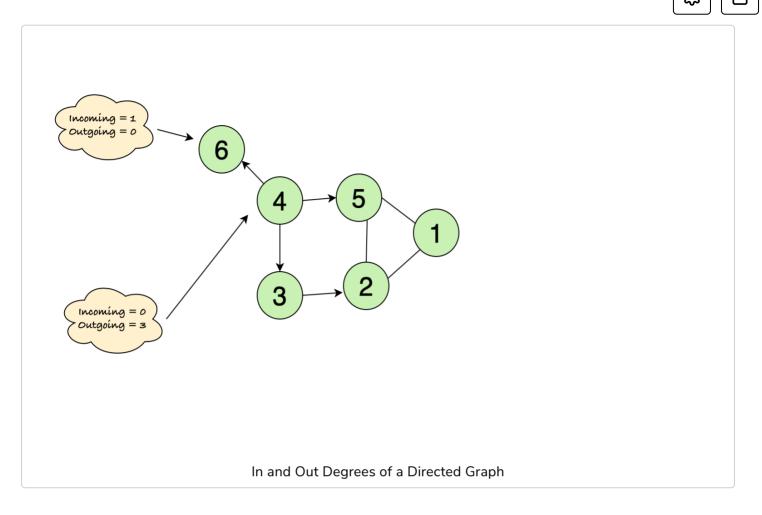


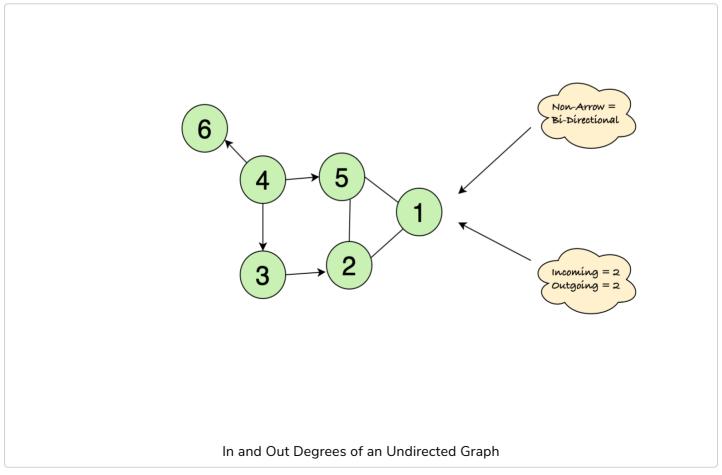
A Graph having 6 nodes and 7 edges

There are two types of degrees:

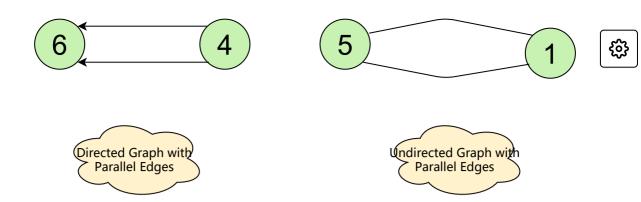
• In-Degree of Vertex: Total Number of incoming edges connected to a vertex.

• Out-Degree of Vertex: Total Number of outgoing edges connected to a vertex.



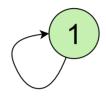


2. Parallel Edges: Two or more edges that are incident to the same two vertices.



Parallel Edged Graphs

3. Self Loop: Same endpoints of an edge, e.g., pair(x,x).



A graph showing self-loop

In the next lesson, we're going to learn ways to represent a graph data structure, which will help us in implementing it.

