

Import the required libraries

```
In [1]: %matplotlib widget
import hyperspy.api as hs
import numpy as np
import matplotlib.pyplot as plt
import os.path as os
import tkinter as tk
from matplotlib.widgets import AxesDirectory
import os
hs.preferences.defaults['matplotlib.gui_backend'] = 'qt5'
hs.preferences.save()
plt.rcParams['figure.figsize'] = (8,8)
```

Normalization of the intensity profile

- Loading the atom lattice:

```
In [2]: root = tk.Tk()
root.attributes('-topmost', True)
root.withdraw()
file_path = os.path.dirname(__file__)
atom_lattice = hs.load_atom_lattice_from_hdf5(file_path+'\\data.hdf5', construct_zone_axes=False)
sublattice = atom_lattice.sublattice_list[0]
sublattice.Bravais_lattice.sublattice_list[1]
atom_lattice.pixel_size=atom_lattice.sublattice_list[0].pixel_size
```

- Text: selected intensity map, for example:
- in **A_high_pass_r1_img** for a intensity map of the FL deconvolution with high-pass image.
- in **A_high_pass_pca_img** for a intensity map of the PCA with band-pass image.

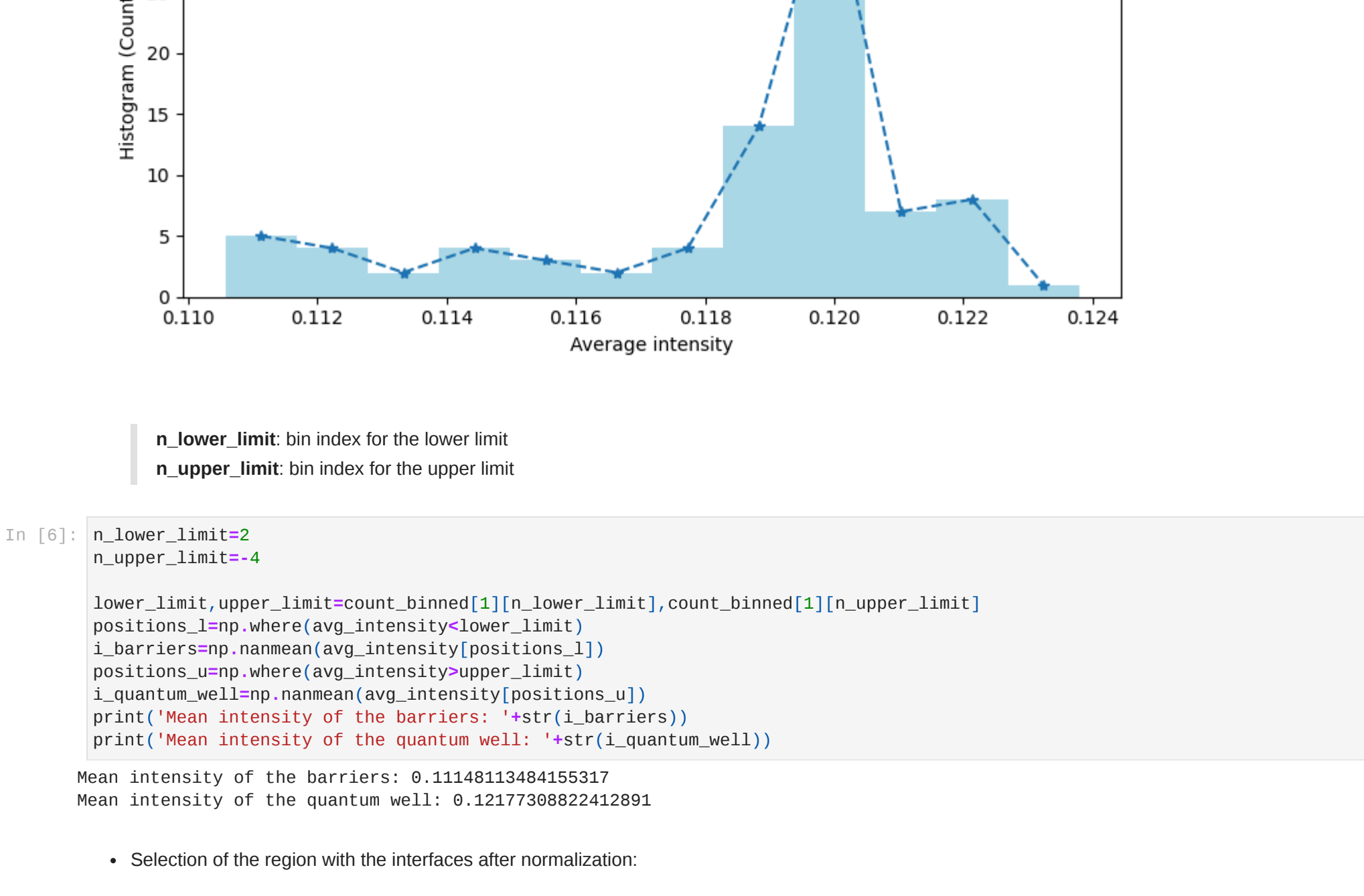
```
In [3]: text='in_A_high_pass_pca_img'
intensity_map = load(file_path+'\\text'+'.npy')
avg_intensity = np.mean(intensity_map[:, :, 0], axis=0)
mean_intensity = np.mean(intensity_map[:, :, 0], axis=0)
pos_peaks = find_peaks(intensity_map[:, :, 0], axis=0, height=1)
nominal_composition = muraki_values[0]
muraki_values = []
```

- Intensity profile of the selected intensity map:



Histogram to obtain:

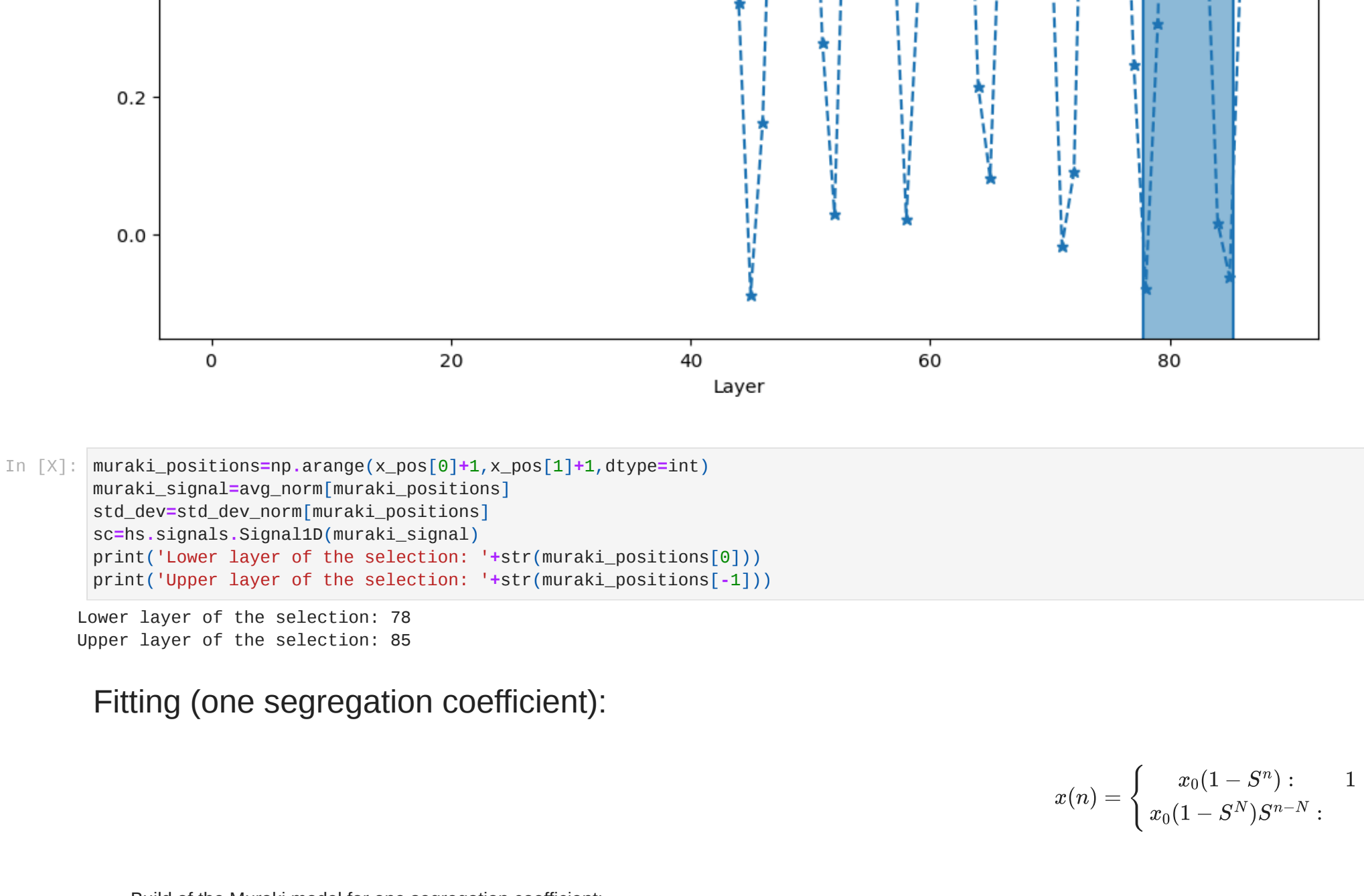
- Mean value of the barriers
- Mean value of the quantum well



- Selection of the region with the interfaces after normalization:



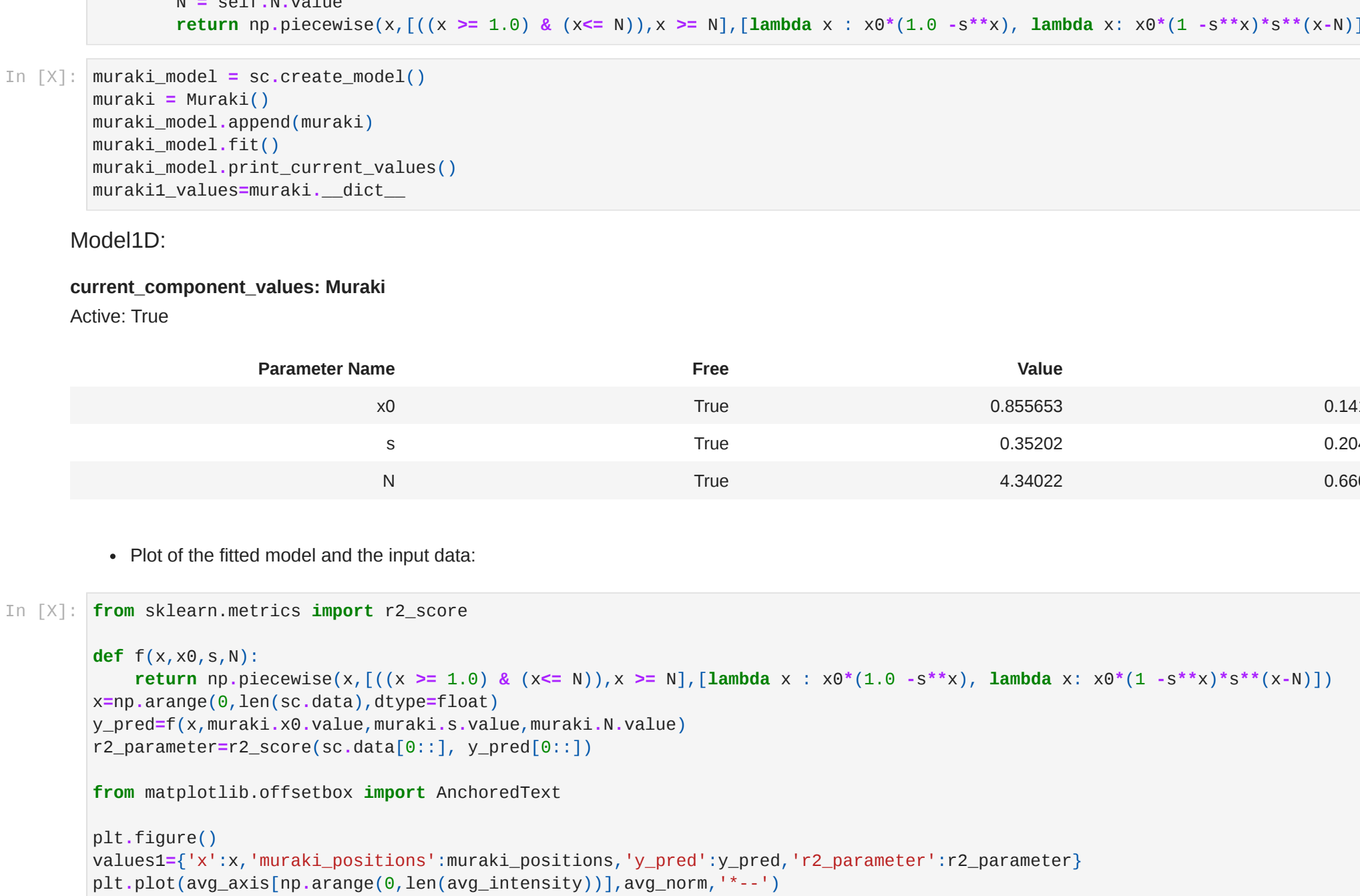
- Plot of the fitted model and the input data:



Fitting (one segregation coefficient):

$$x(n) = \begin{cases} x_0(1 - S^n) & 1 \leq n \leq N \\ x_0(1 - S^n)S^{n-N} & n > N \end{cases}$$

- Build of the Muraki model for one segregation coefficient:



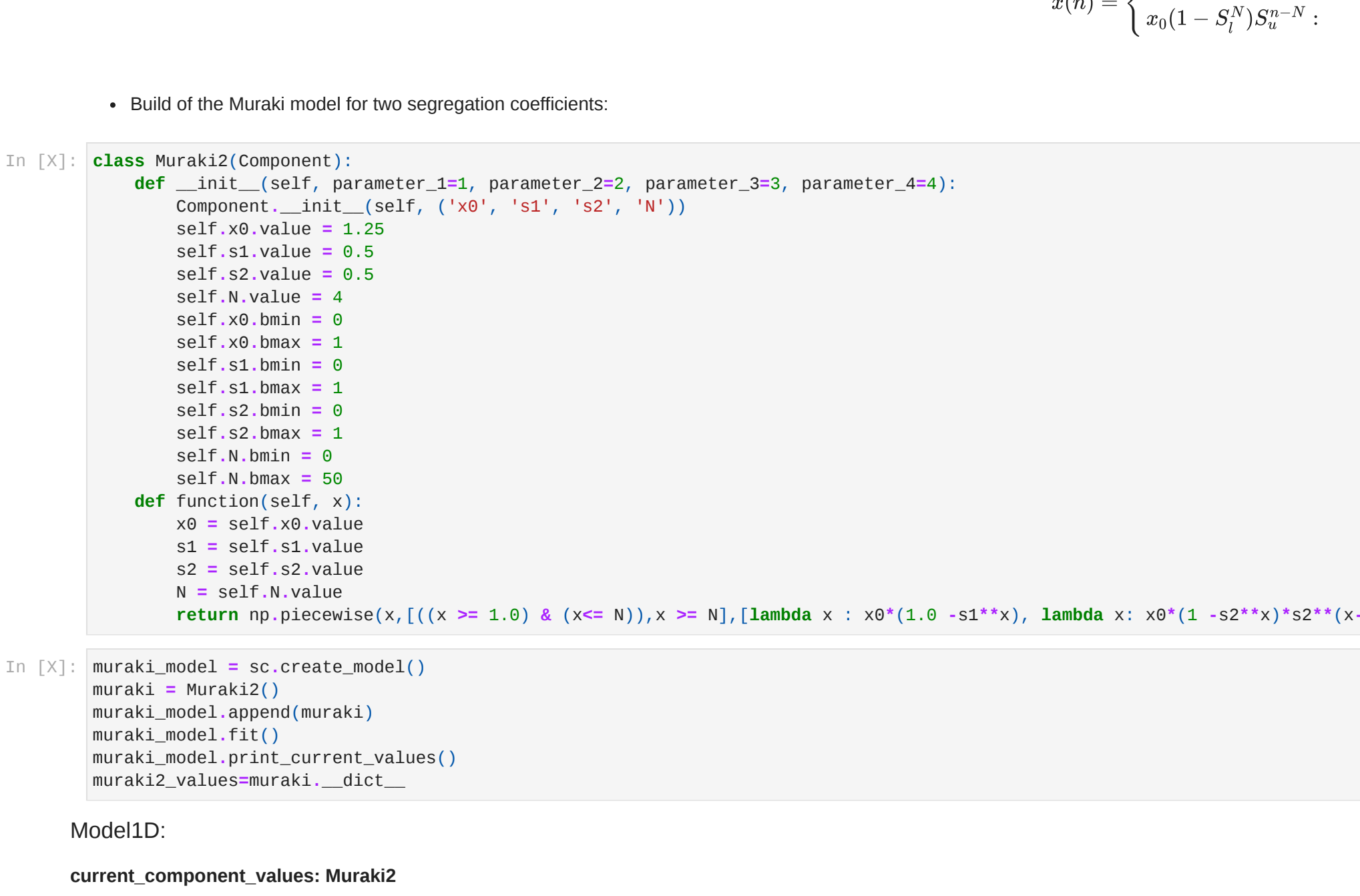
- Plot of the fitted model and the input data:



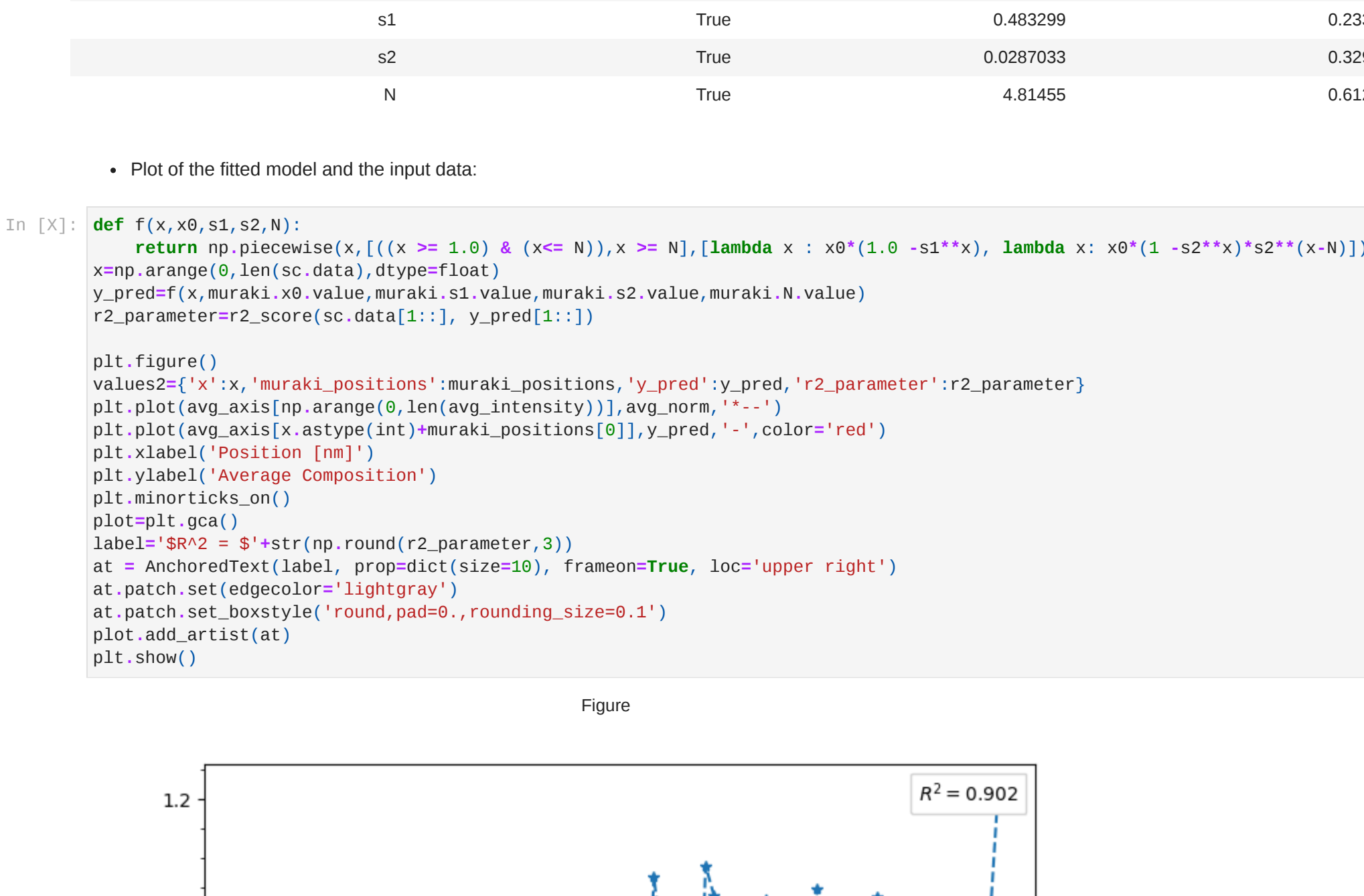
Fitting (two segregation coefficients):

$$x(n) = \begin{cases} x_0(1 - S_1^n) & 1 \leq n \leq N \\ x_0(1 - S_1^n)S_2^{n-N} & n > N \end{cases}$$

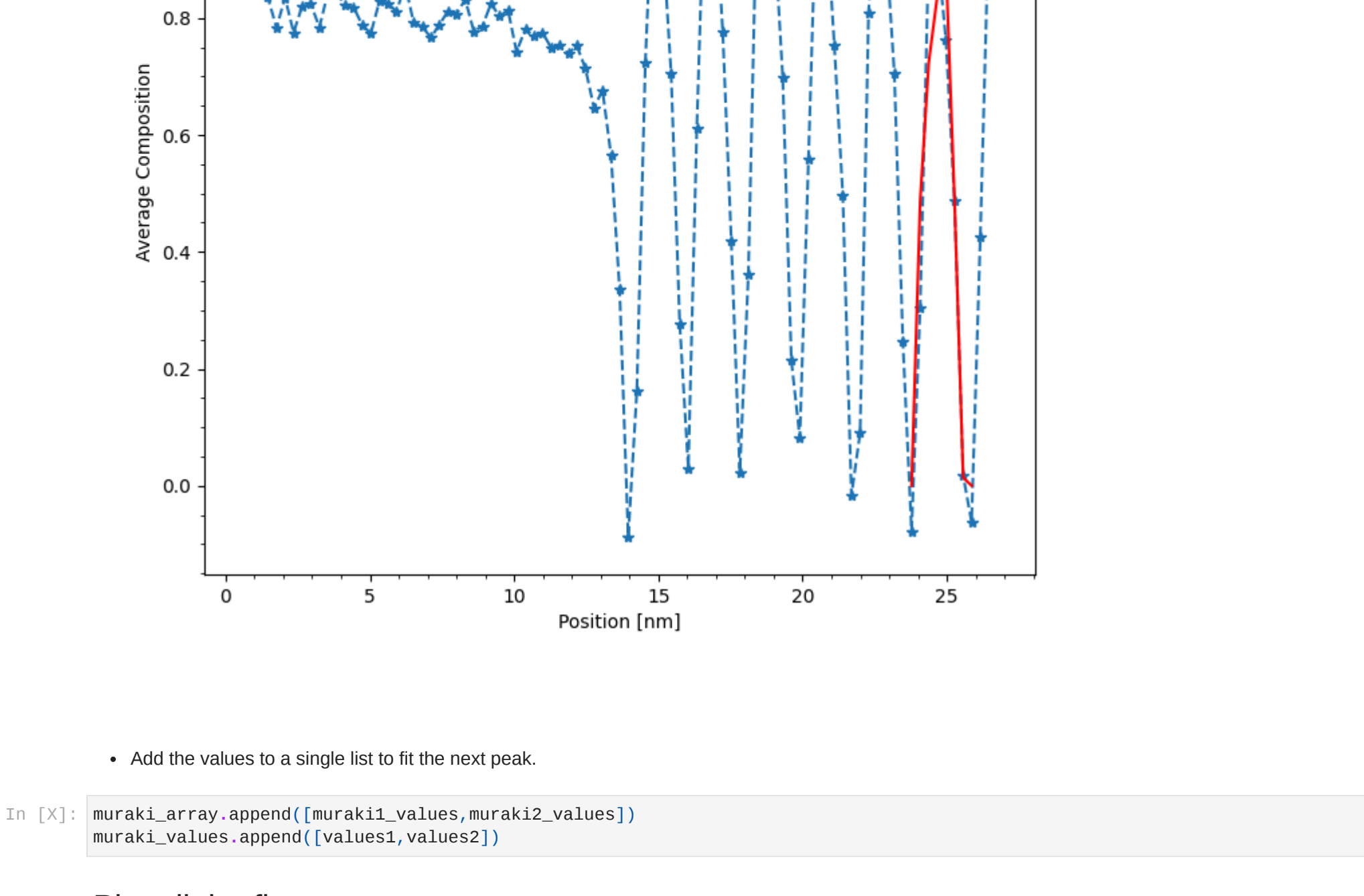
- Build of the Muraki model for two segregation coefficients:



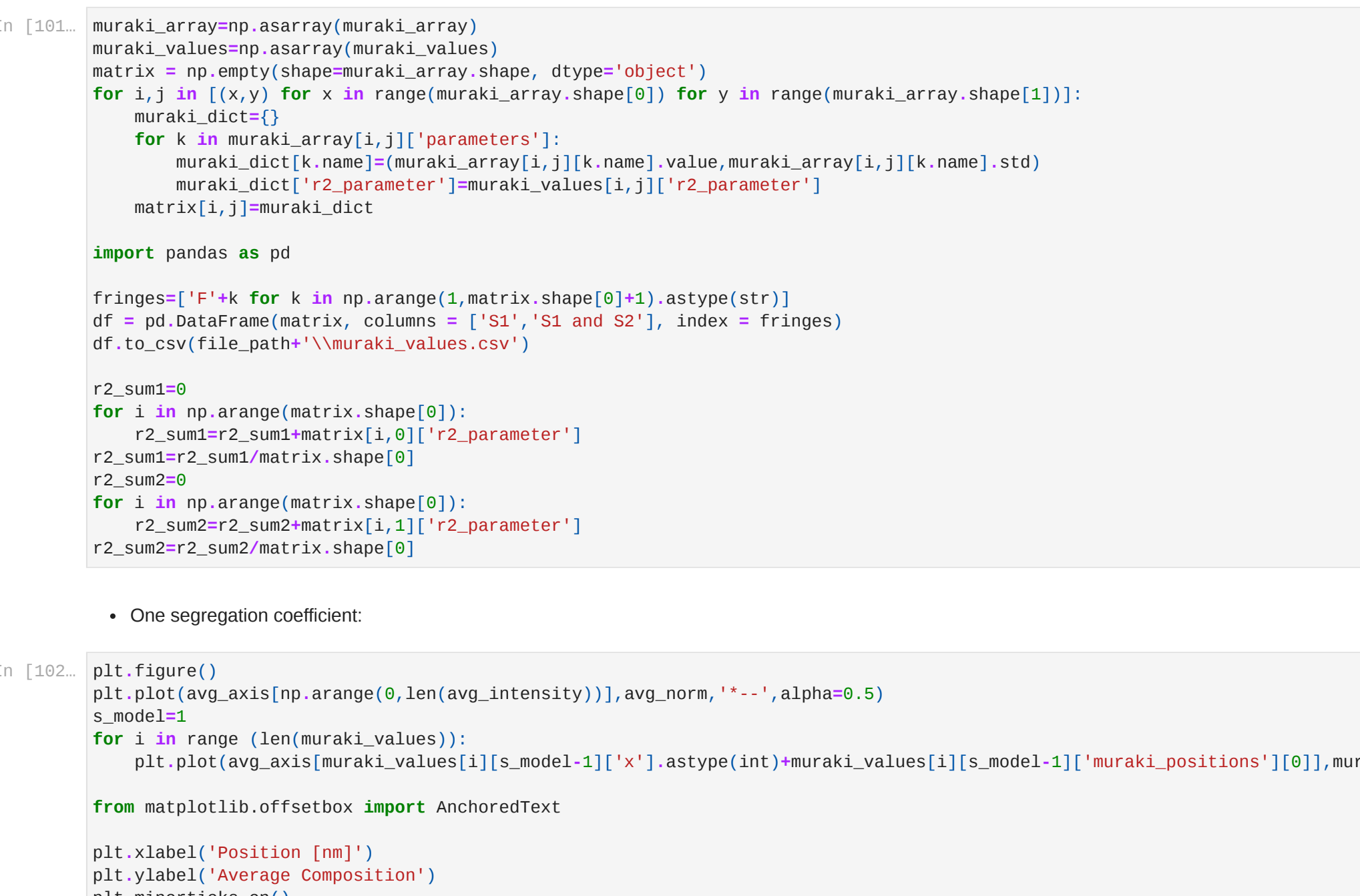
- Plot of the fitted model and the input data:



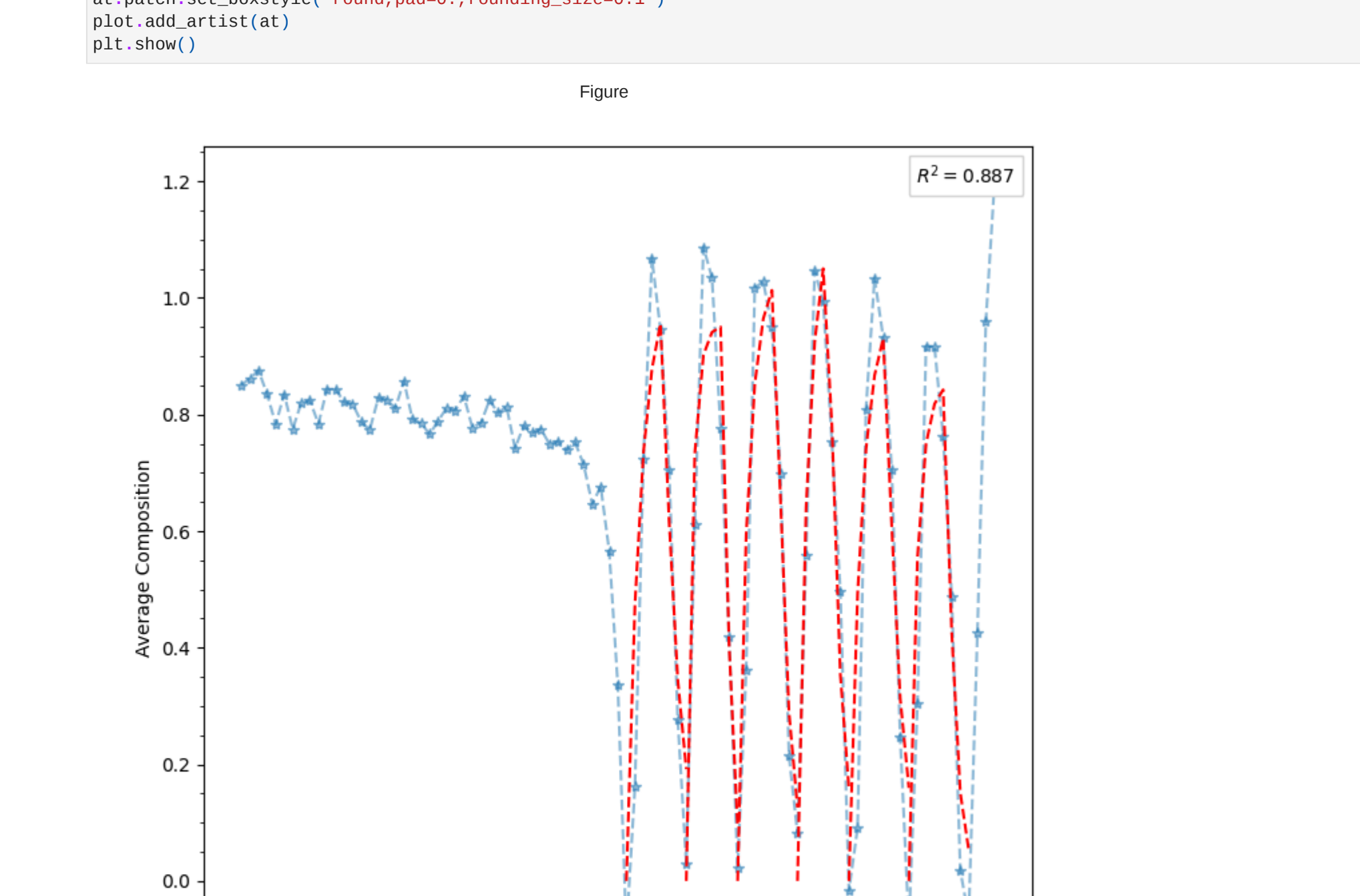
- Add the values to a single list to fit the next peak.



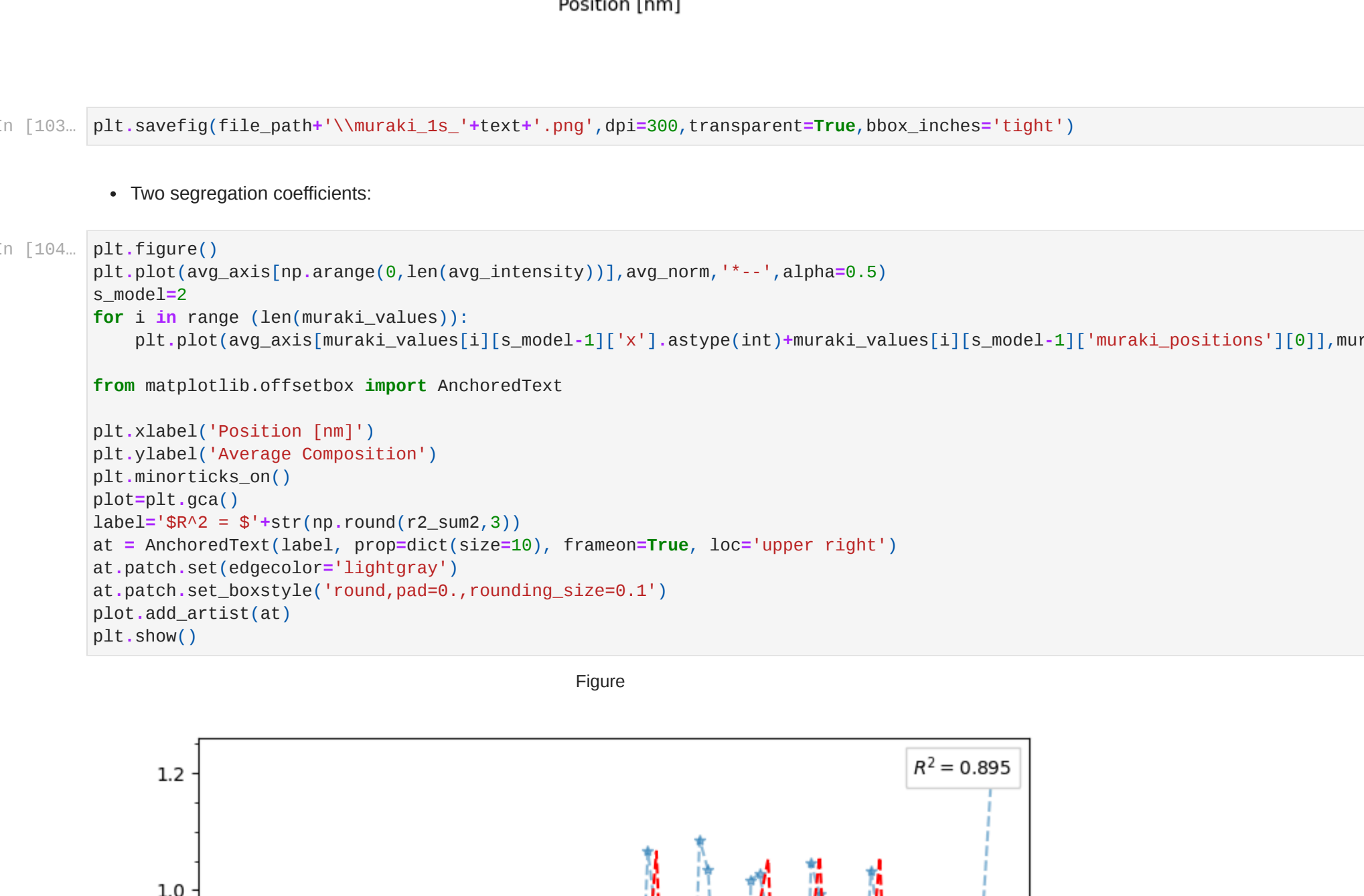
- Save to a csv file



- Two segregation coefficients:



- Save to a csv file



- Save to a csv file

