

# Heuristic Analysis

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The theory I worked from was that the custom score would benefit from a weighted result between `#my-moves` vs `#opponent-moves`. I tested this theory using different ratios. The reasoning is that `#my-moves` is to be considered positive, and more likely to win with many available moves. It should also be considered on the negative side `#opponent-moves`. How much each of these parameters are weighted was varied and tested individually.

The function is the following:  $f1 \text{ } \#mo-moves - f2 \text{ } \#opponent-moves$  I ran three different values for `f1` and `f2`. The ratios I tested are listed below, together with their percentage result in the sections starting with `custom_score`. Two of the heuristic functions from the sample players implementation are listed first for reference.

## Results:

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Results are written only as percentage from running `tournament.py`, and reflects the number of wins.

### **`sample_players.improved_score` (baseline):**

66.43%

### **`sample_players.open_move_score` (baseline):**

55.71%

**custom\_score\_weighted\_1.5\_to\_1:**

68.57%

**custom\_score\_weighted\_1\_to\_2:**

68.57%

**custom\_score\_weighted\_1\_to\_1.5:**

70.71%

## Conclusion

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Running the tests shows the best ratio to be 1:1.5 (#my-moves:#opponent-moves). The result shows that function to beat the benchmark of being better than the ID\_Improved agent player, which uses the first baseline heuristic function. This proves the theory I had about a weighted ratio between #my-moves and #opponent-moves is an good heuristic function.

### Reason 1:

It increases the heuristic value when my player has many open moves and possibilities to move.

### Reason 2:

It penalizes the value when opponent has many open moves and

possibilities to move.

### **Reason 3:**

It considers an equal weight between the number of moves to favorite opponent. A weight shifted toward penalizing opponent moves more gave the best results. But only slightly. This probably means that very different ratio in a situation is rare and hard to find. The heuristic function needs to find the positions with only a small advantage and run with those.

This supports the claim from the lectures that you should keep your friends close, but your enemies closer (by a small factor of 0.5).