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# INTERPOLATION SEARCH

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# INTERPOLATION SEARCH

A Smart Searching Algorithm for Uniformly Distributed Data

## An Advanced Alternative to Binary Search



# What is Interpolation Search?

- An improved variant of **Binary Search** that works on sorted arrays
- Instead of checking the **middle element**, it estimates the probable position
- Uses interpolation formula to predict where the target value might be located
- Assumes elements are **uniformly distributed**

## Interpolation Search

$$\text{pos} = \text{lo} + \left[ \frac{(\text{target} - \text{arr}[\text{lo}]) * (\text{hi} - \text{lo})}{(\text{arr}[\text{hi}] - \text{arr}[\text{lo}])} \right]$$



# Why Interpolation Search? 🤔

- 1. Binary Search Limitation:** Always checks middle element regardless of target value
- 2. Real-world Analogy:** When looking for "Wilson" in phone book, you don't start from "M"
- 3. Mathematical Insight:** If data is uniformly distributed, we can predict better positions
- 4. Performance Goal:** Reduce average search time from  $O(\log n)$  to  $O(\log \log n)$

Example: Searching for 750 in range [100, 1000]

Binary: Checks 550 (middle)

Interpolation: Estimates around 750 directly!



# How It Works

## Step-by-Step Process:

Step 1: Calculate estimated position using interpolation formula

Step 2: Compare target with element at estimated position

Step 3: If match found → return position

Step 4: If target is smaller → search left subarray

Step 5: If target is larger → search right subarray

Step 6: Repeat until found or search space exhausted

Position Calculation:

$$\text{pos} = \text{low} + ((\text{key} - \text{arr}[\text{low}]) \times (\text{high} - \text{low}) / (\text{arr}[\text{high}] - \text{arr}[\text{low}]))$$



# Example Walkthrough

Array: [1, 3, 7, 15, 20, 21, 50, 55, 75, 80]

Target/ key = 50

|     |     |     |      |      |      |      |      |      |      |  |                   |
|-----|-----|-----|------|------|------|------|------|------|------|--|-------------------|
| [1] | [3] | [7] | [15] | [20] | [21] | [50] | [55] | [75] | [80] |  | <b>[Elements]</b> |
| 0   | 1   | 2   | 3    | 4    | 5    | 6    | 7    | 8    | 9    |  | <b>[Index]</b>    |

## Iteration 1:

low = 0, high = 9

$pos = 0 + ((50-1) \times (9-0)) / (80-1)$

$pos = 0 + (49 \times 9) / 79 = 5.58 \approx 5$

$arr[5] = 21 < 50$ , so low = 6

## Iteration 2:

low = 6, high = 9

$pos = 6 + ((50-50) \times (9-6)) / (80-50)$

$pos = 6 + (0 \times 3) / 30 = 6$

$arr[6] = 50$   FOUND!



# Code Implementation



```
public static int interpolationSearch(int[] arr, int n, int key) {
    int low = 0, high = n - 1;

    while (low <= high && key >= arr[low] && key <= arr[high]) {
        // Handle single element case
        if (low == high) {
            if (arr[low] == key) return low;
            return -1;
        }

        // Calculate interpolated position
        int pos = low + ((key - arr[low]) * (high - low))
                    / (arr[high] - arr[low]);

        // Check if element is found
        if (arr[pos] == key)
            return pos;
        else if (arr[pos] < key)
            low = pos + 1;    // Search right half
        else
            high = pos - 1;  // Search left half
    }
    return -1; // Element not found
}
```





# Advantages

- **Performance Benefits:**

Faster than Binary Search:  $O(\log \log n)$  for uniform data

Fewer Comparisons: Makes intelligent guesses

Efficient for Large Datasets: Significant improvement with big arrays

- **Smart Features:**

Value-Based Search: Uses actual data values for estimation

Adaptive Algorithm: Adjusts based on data distribution

Intuitive Approach: Mimics human search behavior

- **Comparison:**

Binary Search: 1000 elements  $\rightarrow$   $\sim 10$  comparisons

Interpolation Search: 1000 elements  $\rightarrow$   $\sim 3-4$  comparisons



# Disadvantages

- **Limitations:**

Uniform Distribution Required: Poor performance on skewed data

Additional Computation: Formula calculation overhead

Integer Overflow Risk: Large values can cause overflow

- **Specific Conditions:**

Sorted Array Only: Requires pre-sorted data

Numerical Data: Works best with numbers

Memory Access Pattern: May not be cache-friendly

- **Worst Case Example:**

Array: [1, 2, 3, 4, 100000] - searching for 100000

Interpolation may perform worse than binary search due to poor distribution!



# Real-World Applications



- **Database Systems:**

Index searching in sorted database tables

Timestamp-based log searches

- **Financial Systems:**

Stock price lookups

Time series data analysis

- **Classic Example: Phone Directory** 📞

When searching for "Smith" in a phone book:

- You don't start from the middle (around "M")
- You estimate "Smith" is around 75% through the book
- This is exactly how interpolation search works!



# When to Use Interpolation Search?

## Use When:

- Data is uniformly distributed
- Large sorted arrays(>1000 elements)
- Numerical data with predictable patterns
- Performance is critical
- Search operations are frequent

## Avoid When:

- Data is highly skewed
- Small arrays(<100 elements)
- String or complex data types
- Memory is limited
- Data changes frequently

## Decision Formula:

If (data\_size > 1000 && uniform\_distribution && numerical\_data)

→ Use Interpolation Search

Else

→ Use Binary Search



# Algorithm Comparison

| Algorithm            | Time Complexity  | Space Complexity | Data Requirement |
|----------------------|------------------|------------------|------------------|
| Linear Search        | $O(n)$           | $O(1)$           | Any order        |
| Binary Search        | $O(\log n)$      | $O(1)$           | Sorted           |
| Interpolation Search | $O(\log \log n)$ | $O(1)$           | Sorted + Uniform |



# Conclusion

- Interpolation Search is a **smart upgrade** to Binary Search
- Best suited for **large, uniformly distributed** datasets
- Can achieve  **$O(\log \log n)$**  time complexity
- Choose algorithm based on **data characteristics**

**"The right algorithm for the right data leads to the right performance!"**



# Reference

## **GeeksforGeeks** – Interpolation Search

A detailed explanation of Interpolation Search with examples and code implementation in multiple languages

## **Wikipedia** – Interpolation Search

General overview of Interpolation Search including working principle, complexity, and theoretical background.

## **YouTube** – Interpolation Search Tutorial

Brief Description: A video tutorial explaining Interpolation Search step-by-step with visuals and practical examples.





THANK  
YOU..!

*Any  
Question?*