

# Statistical test for VBF DM observables

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April 5, 2016



- Constructed code to compare the DM VBF models (with the corrected data ratio from Emily and Zara):
  - Ratio plots
  - $\chi^2$  statistical test (With room to adapt for different - more robust - test)
- Compared DM models with the corrected ratios for  $M_{jj}$
- Produced 2D plots of  $M_{jj}$  vs  $\delta\eta$

# Reminder of DM models

$$\begin{aligned}
 \mathcal{L}_{D5a} &= \frac{1}{\Lambda} \bar{\chi} \chi \left[ \frac{Z_\mu Z^\mu}{2} + W_\mu^+ W^{-\mu} \right] & \mathcal{L}_{D6a} &= \frac{g}{2 \cos \theta_W \Lambda^2} \bar{\chi} \gamma^\mu \partial^\nu \chi i [\partial_\mu Z_\nu - \partial_\nu Z_\mu] & \mathcal{L}_{D7b} &= \frac{1}{\Lambda^3} \bar{\chi} \gamma^5 \chi W^{i,\mu\nu} W_{\mu\nu}^i \\
 \mathcal{L}_{D5b} &= \frac{1}{\Lambda} \bar{\chi} \gamma^5 \chi \left[ \frac{Z_\mu Z^\mu}{2} + W_\mu^+ W^{-\mu} \right] & \mathcal{L}_{D6b} &= \frac{g}{2 \cos \theta_W \Lambda^2} \bar{\chi} \gamma_\mu \partial_\nu \chi i \epsilon^{\mu\nu\rho\sigma} [\partial_\sigma Z_\rho - \partial_\rho Z_\sigma] & \mathcal{L}_{D7c} &= \frac{1}{\Lambda^3} \bar{\chi} \chi \epsilon^{\mu\nu\rho\sigma} W_{\mu\nu}^i W_{\rho\sigma}^i \\
 \mathcal{L}_{D5c} &= \frac{g}{2 \cos \theta_W \Lambda} \bar{\chi} \sigma^{\mu\nu} \chi [\partial_\mu Z_\nu - \partial_\nu Z_\mu] & \mathcal{L}_{D7a} &= \frac{1}{\Lambda^3} \bar{\chi} \chi W^{i,\mu\nu} W_{\mu\nu}^i & \mathcal{L}_{D7c} &= \frac{1}{\Lambda^3} \bar{\chi} \gamma^5 \chi \epsilon^{\mu\nu\rho\sigma} W_{\mu\nu}^i W_{\rho\sigma}^i
 \end{aligned}$$

- DM Mass and Lagrangian term influences the rates and kinematics.
- Can study Higgs 'dark portal' where the interactions are the same as the BSM EFT
- The different dimensions have the EFT constraints:
  - D5c :  $\Lambda = 3.3$  TeV
  - D5d :  $\Lambda = 6.6$  TeV
  - D6a :  $\Lambda = 230$  GeV
  - D6b :  $\Lambda = 330$  GeV
  - This has meant that some dimensions would not be seen by any parameters

$$(Z \rightarrow \nu\nu)jj / (Z \rightarrow l^+l^-)jj$$

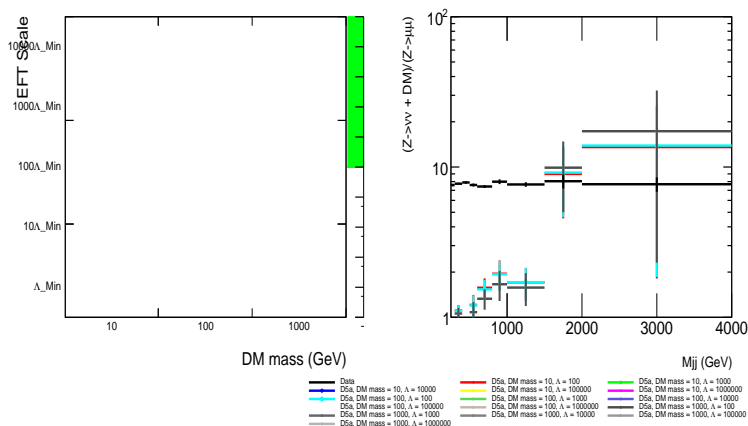
- Ran  $(Z \rightarrow \nu\nu)jj$  and  $(Z \rightarrow \mu^+\mu^-)jj$  through my Madgraph and Rivet procedure.
- Used this to find the normalised cross-section ratio:

$$[ (Z \rightarrow \nu\nu)jj + (Z \rightarrow \text{DM DM})jj ] / (Z \rightarrow \mu^+\mu^-)jj$$

## Cuts for VBFDM Phasespace:

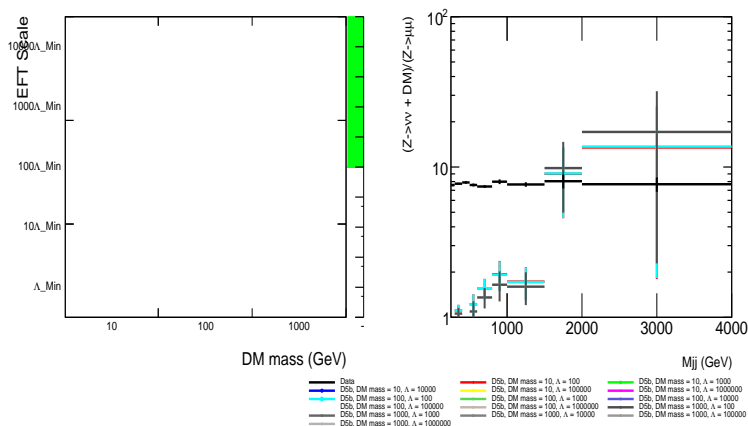
$M_{jj} > 250 \text{ GeV}$ ;  $\text{Jet1PT} > 55 \text{ GeV}$ ;  $\text{Jet2PT} > 45 \text{ GeV}$ ;  $\text{NumJets} \geq 2$ ;  $\text{abseta} < 4.4$ ;  
 $\text{MET (or dilepton pT)} > 150 \text{ GeV}$ ;  $66 < M(\text{ll}) < 116 \text{ GeV}$ .

# Comparison: D5a : Mjj : $\Lambda_{Min} = 100\text{GeV}$



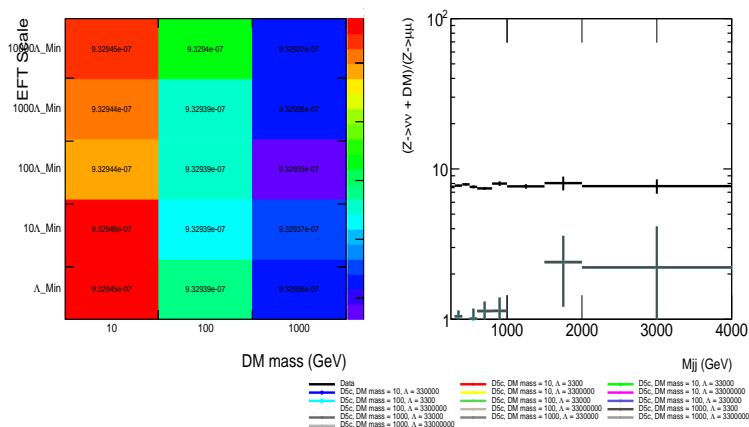
- The bins in the 2D histogram here haven't filled as the  $\chi^2$  p-value is so low.

# Comparison: D5b : $M_{jj}$ : $\Lambda_{Min} = 100\text{GeV}$



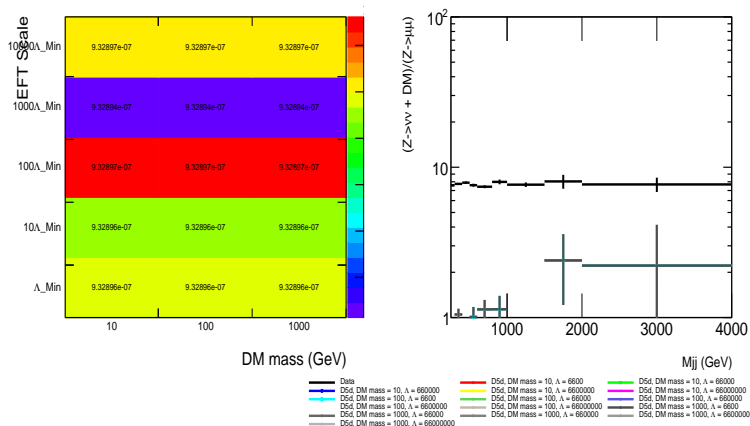
- The bins in the 2D histogram here haven't filled as the  $\chi^2$  p-value is so low.

# Comparison: D5c : Mjj : $\Lambda_{Min} = 3.3\text{TeV}$



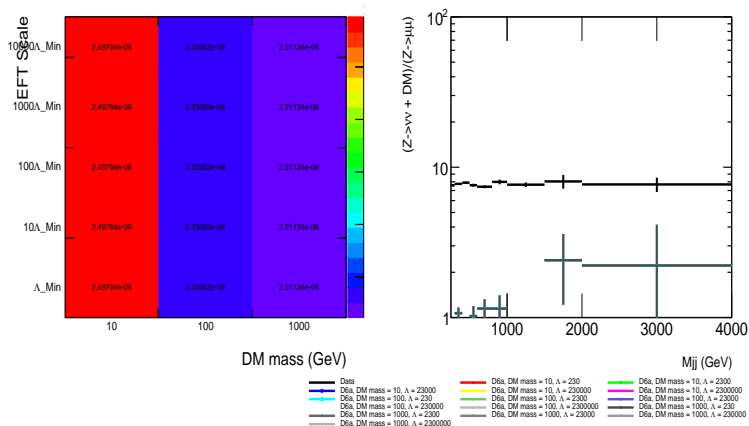
- The bins have filled here as the shape is closer to the data, however, the p-value is still very small.
- The bins seem to fill the same regardless of the EFT scale - Might be a bug in my code and I'm looking into fixing it at the moment.

# Comparison: D5d : Mjj : $\Lambda_{Min} = 6.6\text{TeV}$

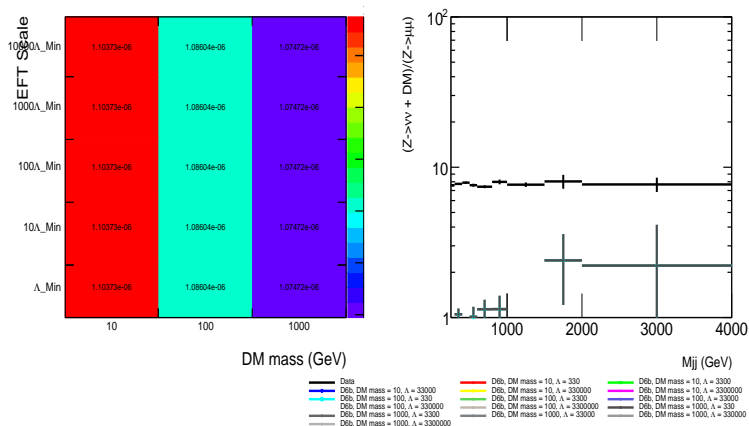




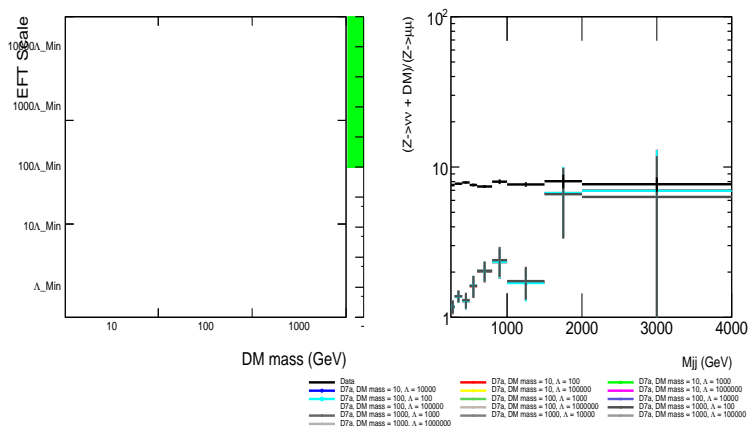
# Comparison: D6a : $M_{jj}$ : $\Lambda_{Min} = 230\text{GeV}$



# Comparison: D6b : $M_{jj} : \Lambda_{Min} = 330\text{GeV}$

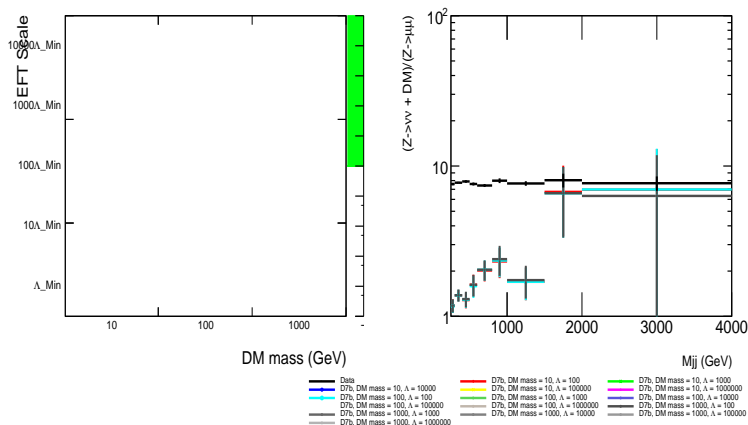


# Comparison: D7a : Mjj : $\Lambda_{Min} = 100\text{GeV}$



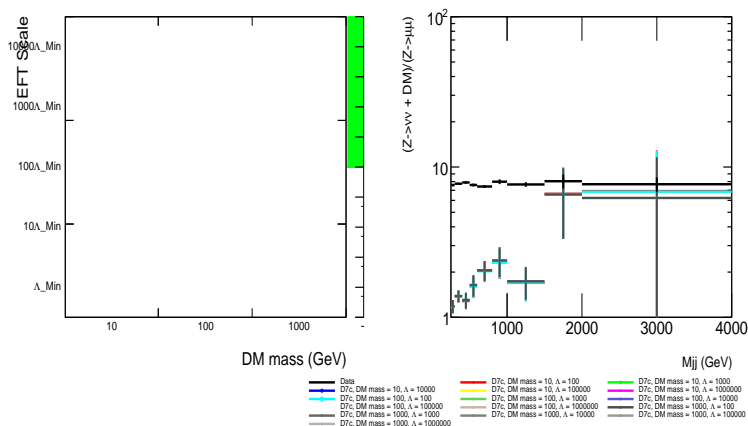
- The bins in the 2D histogram here haven't filled as the  $\chi^2$  p-value is so low.

# Comparison: D7b : $M_{jj}$ : $\Lambda_{Min} = 100\text{GeV}$



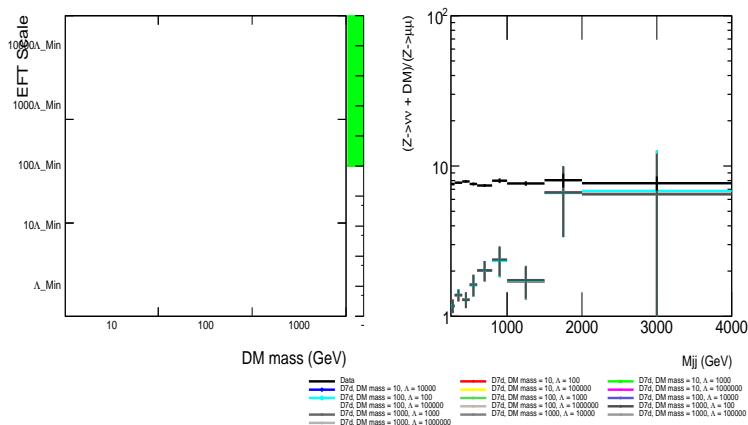
- The bins in the 2D histogram here haven't filled as the  $\chi^2$  p-value is so low.

# Comparison: D7c : Mjj : $\Lambda_{Min} = 100\text{GeV}$



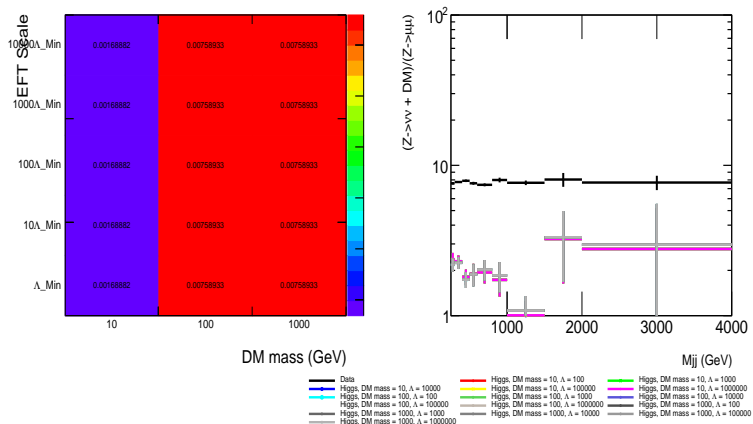
- The bins in the 2D histogram here haven't filled as the  $\chi^2$  p-value is so low.

# Comparison: D7d : Mjj : $\Lambda_{Min} = 100\text{GeV}$



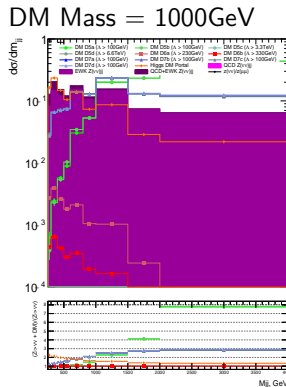
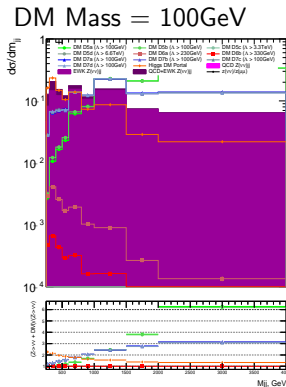
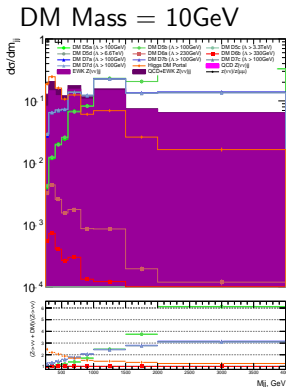
- The bins in the 2D histogram here haven't filled as the  $\chi^2$  p-value is so low.

# Comparison: Higgs : $M_{jj}$ : $\Lambda_{Min} = 100\text{GeV}$



- The p-values here are much larger as the shape is flatter - closer to the shape of the data.

# 1D Histograms of $M_{jj}$ for Different DM masses

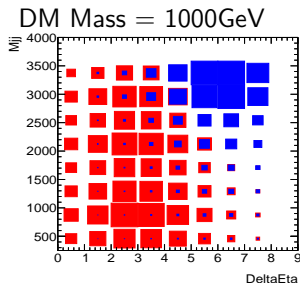
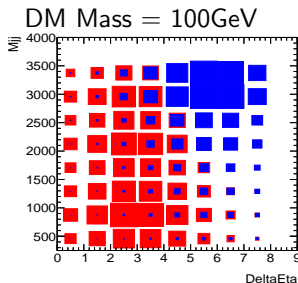
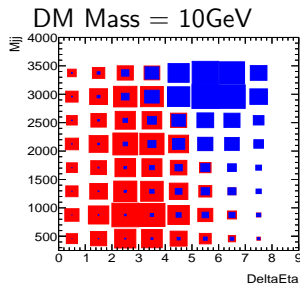


- Across all the masses, the Higgs 'dimension' is the most similar to the SM( $Z \rightarrow \nu\nu$ )jj.



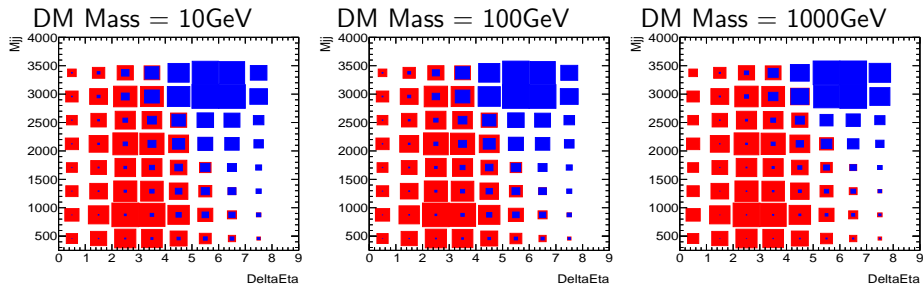
## 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D5a

Red = EWK+QCD SM( $Z \rightarrow \nu\nu$ )jj; Blue = DM model



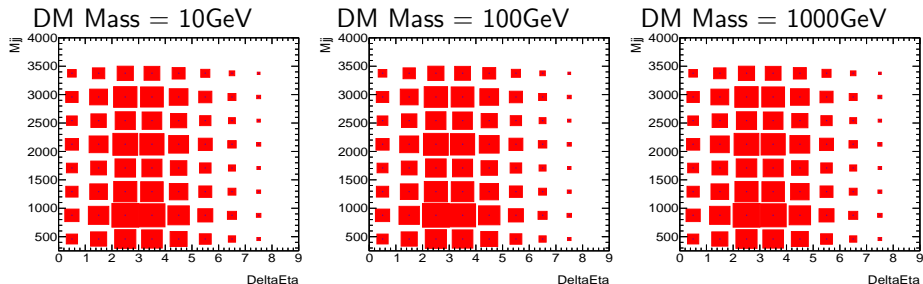
- Large difference between DM model and SM( $Z \rightarrow \nu\nu$ )jj.

## 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D5b



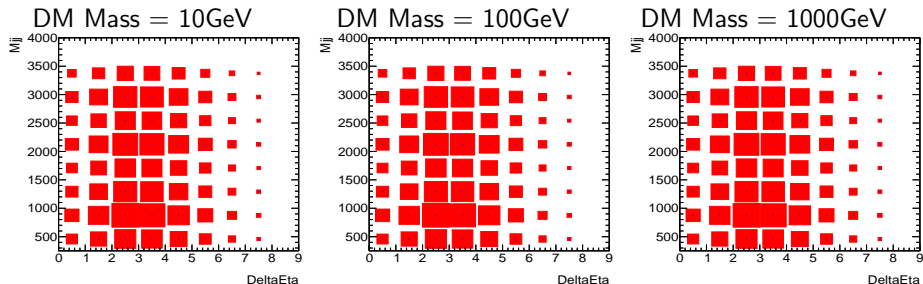
- Again : Large difference between DM model and SM( $Z \rightarrow \nu\nu$ )jj.

## 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D5c



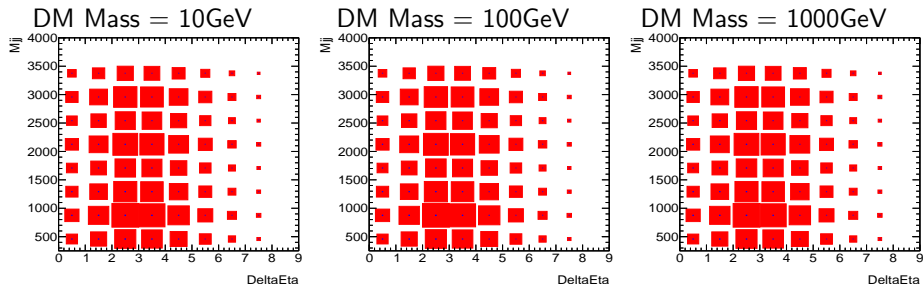
- Due to the large EFT constraint of  $\Lambda = 3.3$  TeV, this dimension model can not be seen.

## 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D5d



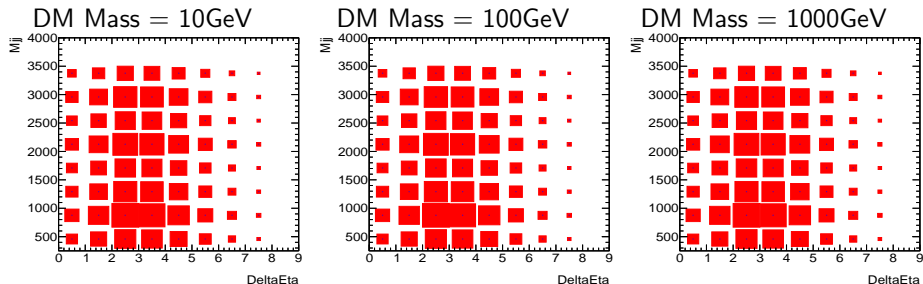
- Due to the large EFT constraint of  $\Lambda = 6.6$  TeV, this dimension model can not be seen.

## 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D6a



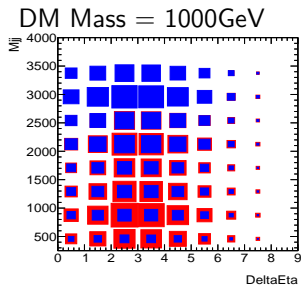
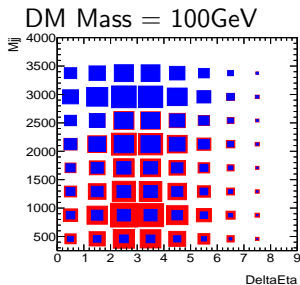
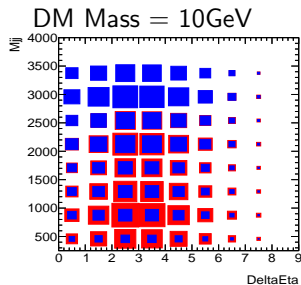
- Due to the large EFT constraint of  $\Lambda = 330\text{GeV}$ , this dimension model can not be seen.

## 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D6b

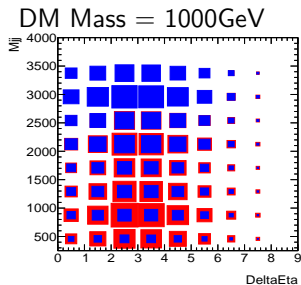
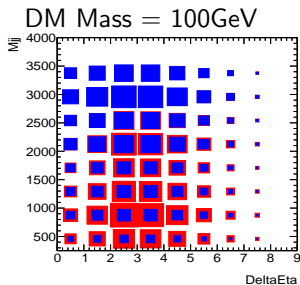
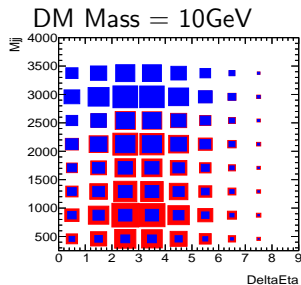


- Due to the large EFT constraint of  $\Lambda = 230\text{GeV}$ , this dimension model can not be seen.

# 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D7a

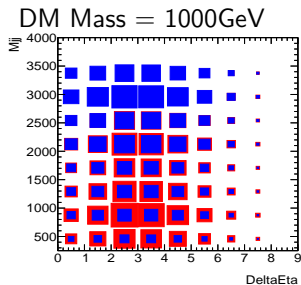
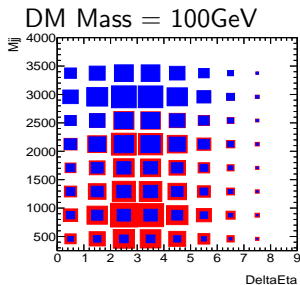
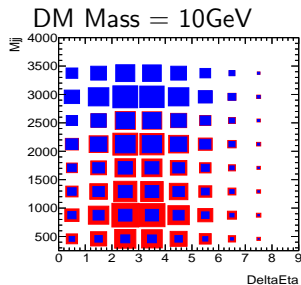


# 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D7b

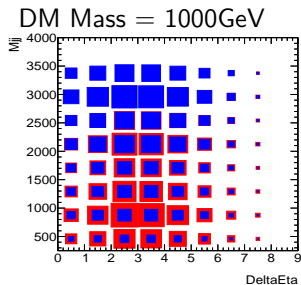
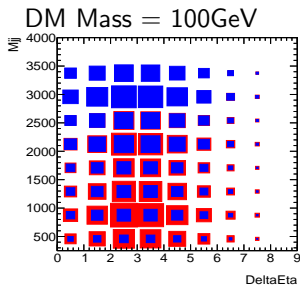
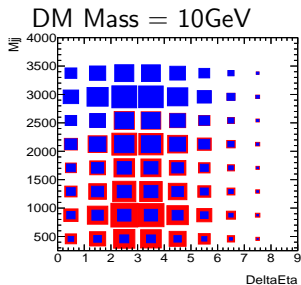




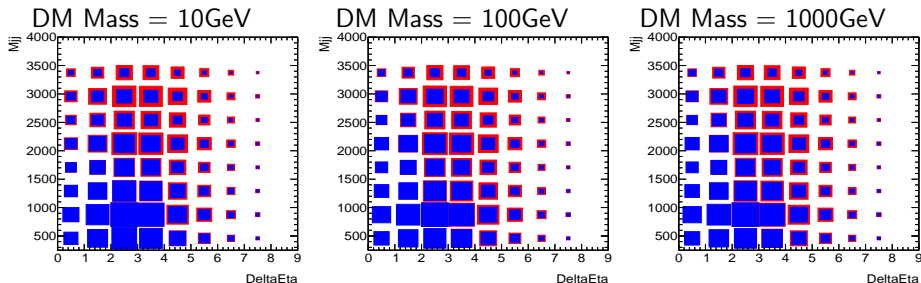
# 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D7c



# 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : D7d



## 2D Comparison: $\Delta\eta$ vs $M_{jj}$ : Higgs



- This lines up with the previous plots: The higgs 'dark portal' model is most like the SM( $Z \rightarrow \nu\nu$ )jj.

# Next Steps

- Fix bug in statistical test code that means the EFT Scale doesn't affect the p-value.
- Run more Masses through the code to compare in the statistics test.
- Add in a more robust statistical test.
- Run through procedure with Monojet and 'standard DM' models.