

Introduction to Crossover Trials

Mark A. Weaver, PhD
Family Health International

Office of AIDS Research, NIH
ICSSC, FHI
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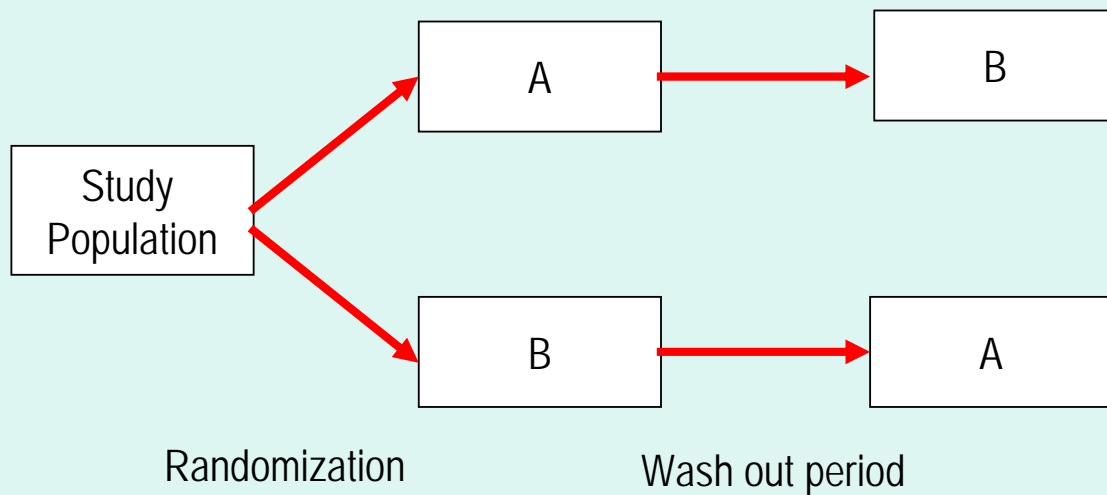
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What Are Crossover Trials?

- Study is divided into periods and each subject receives a different treatment in each period
- Sequence of treatments is randomized
 - May be more than 2 treatments and periods
 - Subjects may each receive only subset of treatments
- Subjects “serve as own controls”

Simplest Crossover Design

- 2 treatments (A and B), 2 periods
- random assignment of subjects to AB or BA



Advantages of Crossover Designs

- Each subject “serving as own control” implies less concern for baseline imbalance
- Can be much more efficient, if practical
 - Suppose treatment effect is difference in means
 - Variance for a parallel group trial, assuming equal variances, is $(2 / N) \sigma^2$
 - Variance for a crossover trial is $(2 / N) \sigma^2 (1 - \rho)$
 - ρ is correlation between responses from same subject
 - Ratio of 2 variances (design effect) is $(1 - \rho)$
 - Example: if $\rho = 0.75$, crossover design requires $\frac{1}{4}$ number of observations to attain equal precision

Potential Problems and Limitations

- Carryover!!
 - Treatments received in earlier periods may affect responses in later periods
 - Goal: avoid it through design
- Blinding – subjects able to compare drugs
- Assessing adverse events – which drug may have caused an event observed in period 2?
- Loss of subjects can cause problems, as usual
- Behavioral/educational interventions – how would you wash those out?

Avoiding carryover “best done by selective and careful use of the design on the basis of adequate knowledge of both disease area and new medication.”

ICH E9

Statistical Principles for Clinical Trials

Practicalities

- Condition should be chronic and stable (period 1 treatment should not “cure” disease)
- The washout periods should be sufficiently long for complete reversibility of drug effects
- Treatment effects should be quickly observable
- Cross-over designs often used in phase I and II bioequivalence studies
 - pharmacokinetic studies in healthy volunteers

Example

- Simplified slightly from Stokes, Davis, and Koch (2000) *Categorical Data Analysis Using SAS*
- 2-period crossover with 3 headache treatments (2 active drugs, A and B, and placebo, P)
 - Primary goal is to compare A and B
- Each subject randomized to one of 6 sequences:
AB, BA, AP, PA, BP, PB
- Note that design is “incomplete” – each subject is “missing” one treatment

Observed Data

Sequence	Response Profiles				Total
	FF	FU	UF	UU	
A : B	12	12	6	20	50
B : A	19	3	25	3	50
A : P	25	6	6	13	50
P : A	5	3	22	20	50
B : P	8	5	6	31	50
P : B	13	5	21	11	50

F = favorable response; U = unfavorable response

Analysis Method?

- Response in each period is binary: F or U
- Each person provides 2 responses
 - Do we expect responses to be independent?
- What are our analysis options?
 - Remember, primary concern is comparing A and B

How About GEE?

- Consider this model:

$$\text{logit}(\theta) = \beta_0 + \beta_1 \text{DRUGA} + \beta_2 \text{DRUGB} + \beta_3 \text{PERIOD1} + \beta_4 \text{CARRYA} + \beta_5 \text{CARRYB}$$

where $\theta = \Pr\{F \mid \text{drug, period, carry-over}\}$

DRUGA = 1 for A, 0 otherwise

DRUGB = 1 for B, 0 otherwise

PERIOD1 = 1 for period 1, 0 otherwise

CARRYA = 1 if period 2 AND drug in period 1 was A

CARRYB = 1 if period 2 AND drug in period 1 was B

Carryover Effects

- We hope that there are none!
 - Makes interpretation very difficult
- But, it's a good idea to at least explore them
 - Test of carryover effects typically has low power
 - Remember, not finding them does not mean they are not there
- So, it's important to make them implausible by design using an appropriate washout period

Data in “Long” Form!

id	seq	response	drugA	drugB	period1	carryA	carryB
1	AB	F	1	0	1	0	0
1	AB	F	0	1	0	1	0
2	BA	F	0	1	1	0	0
2	BA	U	1	0	0	0	1
3	PA	U	0	0	1	0	0
3	PA	F	1	0	0	0	0

Let's Fit the Model!

- link = logit (for logistic regression)
- distribution or family = binomial
- corrtype or corr = exchangeable

Model Parameter Estimates

Parameter	Estimate	Standard Error	95% Confidence Limits		p-value
Intercept	$\beta_0 =$ -0.28	0.30	-0.87	0.30	0.343
drugA	$\beta_1 =$ 1.18	0.21	0.77	1.59	<.001
drugB	$\beta_2 =$ 0.33	0.22	-0.09	0.76	0.124
period1	$\beta_3 =$ -0.71	0.25	-1.21	-0.21	0.005
carryA	$\beta_4 =$ 0.07	0.33	-0.57	0.72	0.823
carryB	$\beta_5 =$ 0.04	0.33	-0.61	0.69	0.908

Reduced Model

- With individual p-values of 0.823 and 0.908, no evidence of carryover effects (good!)
 - Would be better to test parameters simultaneously using a 2 df test (p-value for this test is 0.975)
- So, we can fit reduced model
$$\text{logit}(\theta) = \beta_0 + \beta_1 \text{DRUGA} + \beta_2 \text{DRUGB} + \beta_3 \text{PERIOD1}$$

Model Parameter Estimates

Parameter	Estimate	Standard Error	95% Confidence Limits		p-value
Intercept	$\beta_0 =$ -0.23	0.15	-0.53	0.06	0.124
drugA	$\beta_1 =$ 1.16	0.19	0.79	1.53	<.001
drugB	$\beta_2 =$ 0.32	0.19	-0.05	0.69	0.088
period1	$\beta_3 =$ -0.74	0.15	-1.03	-0.45	<.001

- Pretty clear evidence that Drug A is better than placebo
- Drug B, not so much
- But primary concern is A vs. B...

Answering the Primary Question

- How do drugs A and B compare?
- $H_0: \beta_1 - \beta_2 = 0$
- Estimated OR = $\exp\{ 1.16 - 0.32 \} = \exp \{0.84\}$
= 2.31
- The odds of favorable response doubled with A
- 95% CI = (1.58, 3.37)
- p-value < 0.001

“Only if there is substantial evidence that the therapy has no carryover effects, and the scientific community is convinced by that evidence, should a cross-over design be considered.”

Friedman, Furberg, and DeMets
Fundamentals of Clinical Trials, 3rd ed. 1998