
Table of Contents

.....	1
Question 1	1
Question 2	2
Question 3	2
Question 4	4
Question 5	5

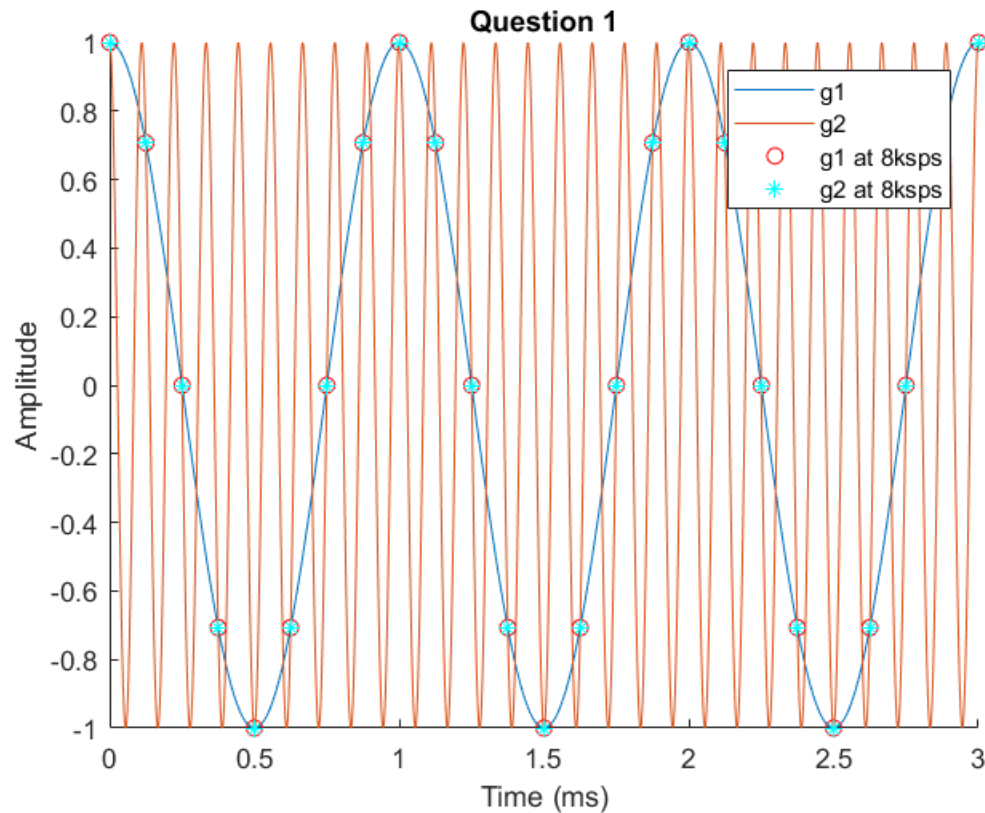
%Ryan Plante
%DSP Homework 2
%2/6/2018

Question 1

```
%(A)
time = [0:1/1000000:3/1000]; %arbitrary large sampling rate
g1 = cos(2*pi*(1000)*time);
g2 = cos(2*pi*(9000)*time);
figure(1)
hold on
plot(time*1000, g1)
plot(time*1000, g2)
xlabel('Time (ms)');
ylabel('Amplitude');
title('Question 1');
```

```
%(B)
time = [0:1/8000:3/1000]; %sampling now at 8ksps
g18k = cos(2*pi*(1000)*time);
g28k = cos(2*pi*(9000)*time);
plot(time*1000, g18k, 'ro')
plot(time*1000, g28k, 'c*')
legend('g1', 'g2', 'g1 at 8ksps', 'g2 at 8ksps');
hold off
```

```
%(C)
%See paper
```



Question 2

%See paper

Question 3

```
%(A)
n = 0:75;
a = [1 -1.3 0.72 0.081 -0.3645];
b = [2 2.8 1.6 -0.4 -1.2];
h = impz(b, a, n);
figure(2)
stem(h)
xlabel('n');
ylabel('Amplitude');
title('Impulse Response of y[n] from n = 0 to 50');

%(B)
figure(3)
hold on
xn = [];
for n = 0:75
    if n <= 30
        xn(n+1) = n*(30-n);
    else
```

```

        xn(n+1) = 0;
    end
end
z = filter(b, a, xn);
stem(z, '-vb')
title('Output of x[n] using filter() and conv()');
xlabel('n');
ylabel('y[n]');
%(C)

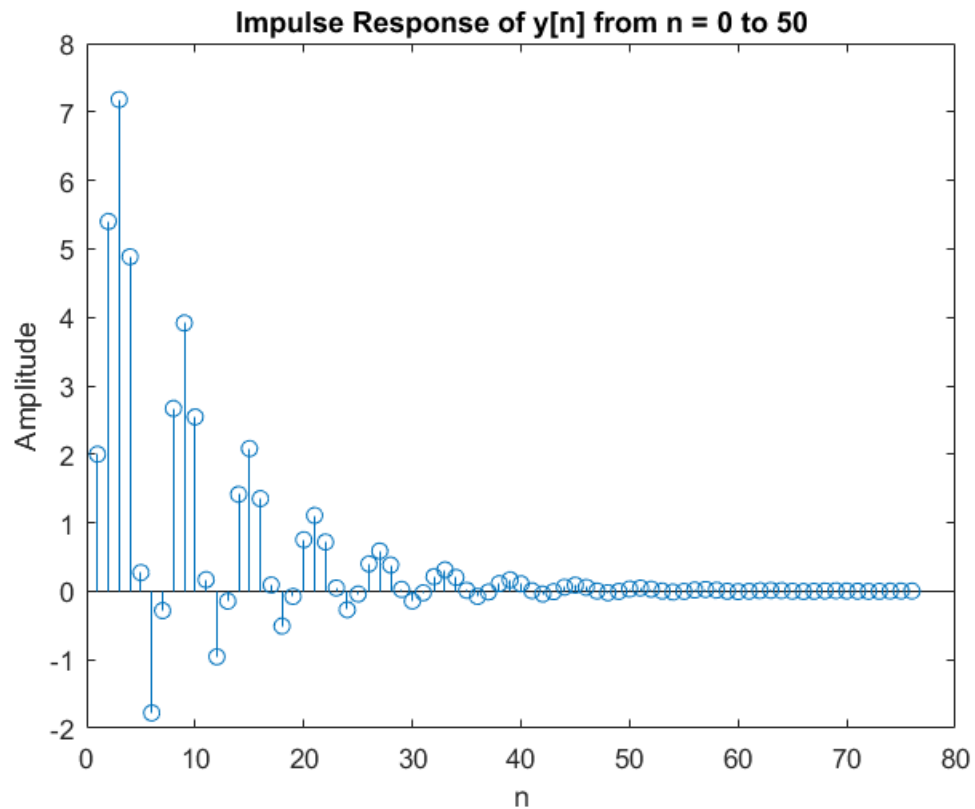
d = conv(h, xn);
d(77:end) = [];
stem(d, '-^r')
legend('Output using filter(b,a,x)', 'Output using conv(h,x)');
%(D)
%to compensate for matlab rounding errors we need to round each matrix
%before checking for equality
equalityCheck = isequal(round(d),round(z))

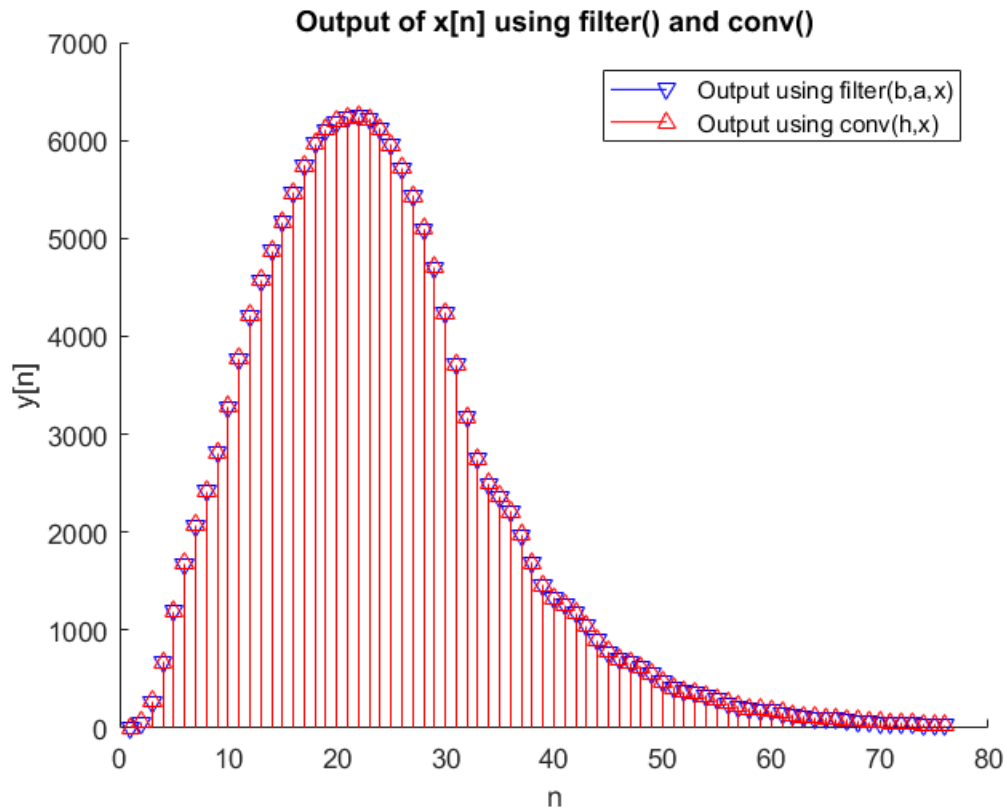
equalityCheck =

    logical

     1

```





Question 4

```
% (A)
% See paper

% (B)
% load in our audio file as specified in handout
[x_long, Fs] = audioread('guitar10min.ogg');
x = x_long(55*Fs:65*Fs, 1);
x = x / max(abs(x));
obj1 = audioplayer(x, Fs);

% Find blocksize and number of blocks
% Probably a more efficient way to do this???
num = size(x);
num = num(1);
factors = factor(num); % very computationally expensive
blocksize = factors(3);
blocks = factors(1) * factors(2);
windowsize = 151;

% Reshape array for use with our running mean functions
blockedSignal = reshape(x, [blocksize, blocks]);

% Create our lowpass filter
```

```
lowpass = [];  
s = init_running_mean(windowsize, blocksize);  
for index = 1:blocks  
[y, s] = calc_running_mean(blockedSignal(index, :), s);  
lowpass = horzcat(lowpass, y);  
end  
obj2 = audioplayer(lowpass, Fs);  
  
%Create our highpass filter  
delay = (windowsize-1)/2;  
delayMatrix = zeros(1, delay);  
delayedSignal = horzcat(delayMatrix, x');  
highpass = delayedSignal(1,1:end-delay) - lowpass;  
obj3 = audioplayer(highpass, Fs);  
  
%Create our audio mixer. Change the lowpass coefficient for more/less  
bass,  
%change the highpass coefficient for more/less highs  
mixer = 5*lowpass + 1*highpass;  
mixer = mixer/max(abs(mixer)); %Normalize values to +/- 1  
obj4 = audioplayer(mixer, Fs);
```

Question 5

%See paper

Published with MATLAB® R2017a

Ryan Plante
DSP
2/6/18

Problem 1

a.) see 1012

b.) see 1012

c.) Any frequency at $1k + 8kn$ will alias to the same discrete time sequence. Given that $17k$ and $25k$ will work.

$$y(n) - 0.35 y(n-1) = x(n)$$

Impulse response?
Stable?

$$y(n) = 0.35 y(n-1) + x(n)$$

$$x[n] = \delta[n] = [0, 0, \underset{\uparrow}{1}, 0, 0, \dots]$$

$$h[0] = 0.35(0) + 1 = 1$$

$$h[1] = 0.35(1) + 0 = 0.35$$

$$h[2] = 0.35(0.35) + 0 = 0.1225$$

$$\vdots$$

$$h[n] = (0.35)^n u_n \quad n \geq 0$$

This system is stable as for any value of n the system will return a finite value.

Problem 4

a.)

i. Impulse Response of $y_1[n] = \frac{1}{M} \sum_{k=0}^{M-1} x[n-k]$

can be defined as

$$h(n) = \begin{cases} \frac{1}{M} & n < M-1 \\ 0 & \geq M-1 \end{cases}$$

ii. $F = \frac{F_s}{M} = \frac{44100}{151} = 292.05 \text{ Hz}$

iii. $D = \frac{151-1}{2} = 75 \text{ samples}$ $\frac{75}{44100} = 1.7 \text{ ms}$

b.) see code

Problem 5

Impulse response of $y(n) = y(n-1) + \frac{1}{10}(x(n) - x(n-10))$

$$x[n] = \delta[n] = [\dots, 0, 0, 1, 0, 0, \dots]$$

$$h[0] = 0 + \frac{1}{10}(1 - 0) = \frac{1}{10}$$

$$h[1] = \frac{1}{10} + \frac{1}{10}(0 - 0) = \frac{1}{10}$$

\vdots

$$h[10] = \frac{1}{10} + \frac{1}{10}(0 - 1) = 0,$$

$$h[n] = \frac{1}{10}(u_n - u_{n-10})$$