
Table of Contents

.....	1
Question 1: Linear Programming	1
Question 2: Linear Programming	2
Question 3: Minimizing multi-variable function	3
Question 4: Minimizing multi-variable function	3
Functions	5

%Ryan Plante
%ECE498 Homework 9
%4/9/2018

Question 1: Linear Programming

```
%Acres: 75
%Profit: P(x,y) = 143x + 69y
%Storage Space: 110x + 30y <= 4000
%Finance Budget: 120x + 210y <= 15000
%Area: x >= 0, y >= 0, (x+y) <= 75

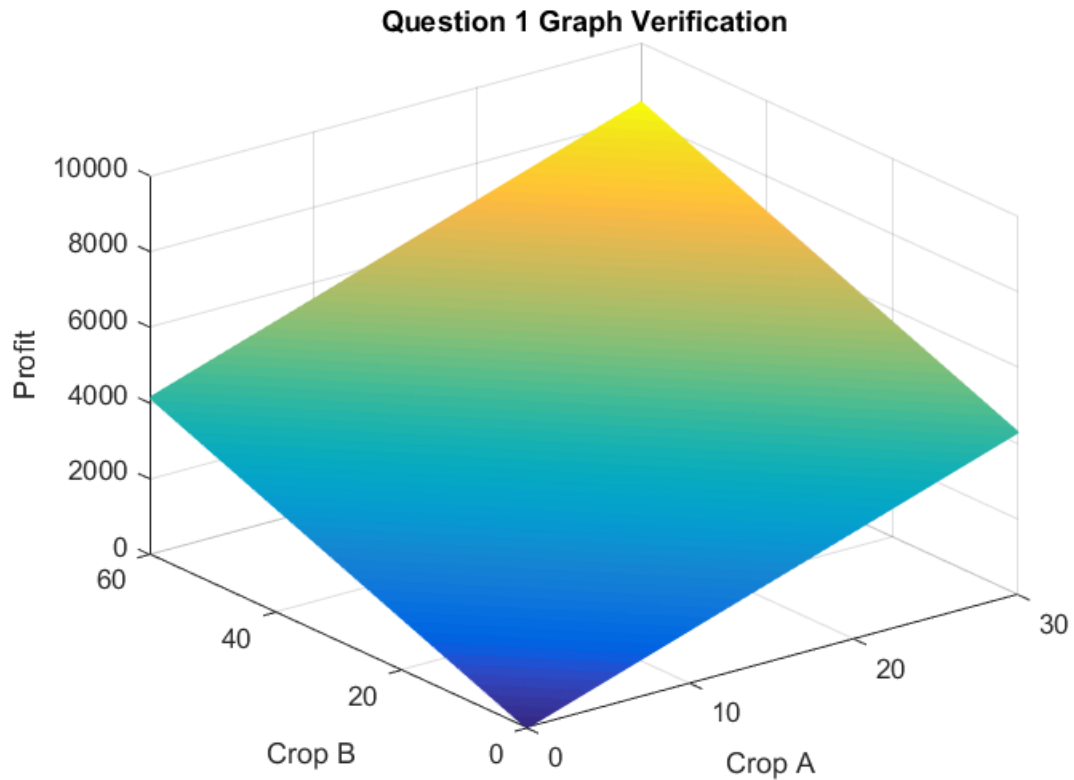
profit = [-143 -69];
constraints = [110 30; 120 210; 1 1];
constraintsInequality = [4000; 15000; 75];

x = linprog(profit, constraints, constraintsInequality);
fprintf('Crop A optimal acres: %f \nCrop B optimal acres: %f\n', x(1),
        x(2))

%Graph
[constraints, constraintsInequality] = meshgrid(linspace(0,30,200),
        linspace(0,60,400));
profit = 143.*constraints + 69 .* constraintsInequality;
figure(1)
mesh(constraints, constraintsInequality, profit);
title('Question 1 Graph Verification')
xlabel('Crop A')
ylabel('Crop B')
zlabel('Profit')

Warning: Your current settings will run a different algorithm ('dual-
simplex')
in a future release.

Optimization terminated.
Crop A optimal acres: 21.875000
Crop B optimal acres: 53.124999
```



Question 2: Linear Programming

```
profit = [-4 -5];
deptTime = [.75 1.25; 1 1];
totTime = [200; 200];
marketSat = [200; 150];
marketMin = [0; 0];

equivA = [0, 0];
equivB = 0;

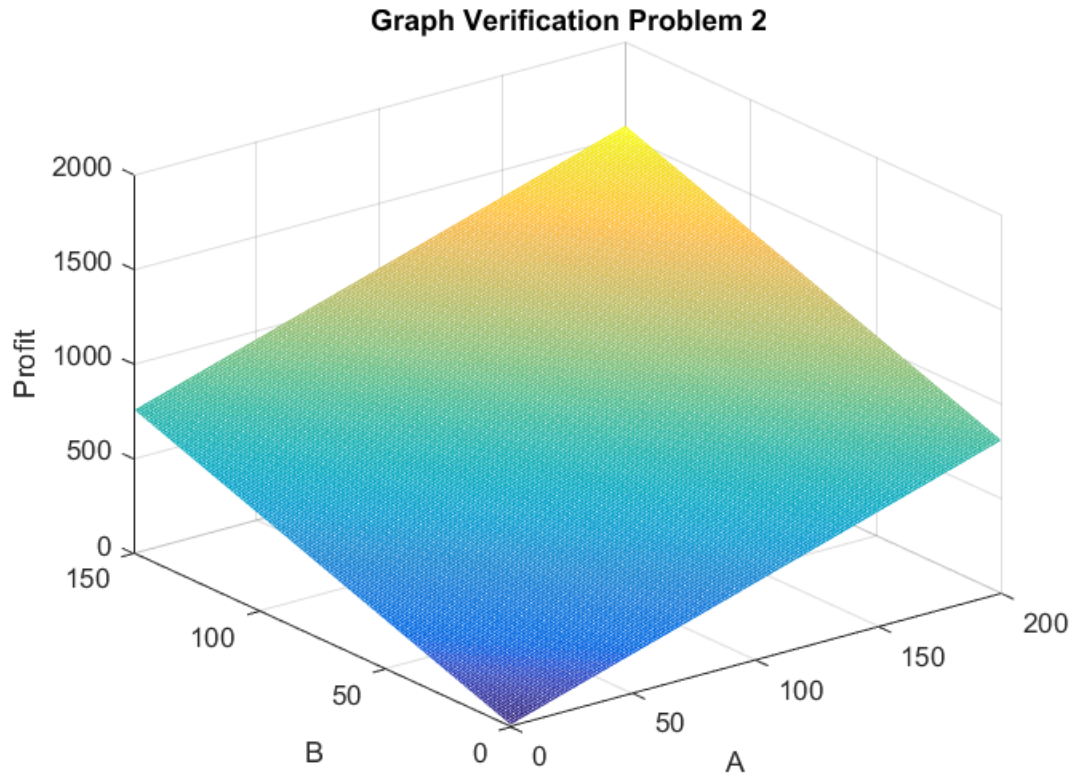
x = linprog(profit, deptTime, totTime, equivA, equivB, marketMin,
    marketSat);
fprintf('Product A optimal num: %f\nProduct B optimal num: %f\n',
    x(1),x(2))

%Graph
figure(2)
a = 1:200;
b= 1:150;
[a,b] = meshgrid(a, b);
profit = 4.*a+5.*b;
mesh(a,b,profit);
title('Graph Verification Problem 2')
xlabel('A')
```

```
ylabel('B')
zlabel('Profit')
```

Warning: Your current settings will run a different algorithm ('dual-simplex') in a future release.

*Optimization terminated.
Product A optimal num: 100.000000
Product B optimal num: 100.000000*



Question 3: Minimizing multi-variable function

```
%Minimize: f(x,y,z) = (x^2 + y^2)^2 - x^2 - y + z^2
x0 = [0 0 0];
[x, fval] = fminunc(@myfunc, x0);
fprintf('\t\tMinimum values:\n\t\tX\t\tY\t\tZ\n')
disp(x)
```

Question 4: Minimizing multi-variable function

```
%Minimize: f(x,y) = 2x^2 + 20y^2 + 6xy + 5x
%Constraint: x - y = -2

x0 = [0 0];
x = fmincon(@myfunc2, x0, [0 0], 0, [1 -1], -2);
```

```
fprintf('Min at: %f\n', x)
```

```
%Graph
```

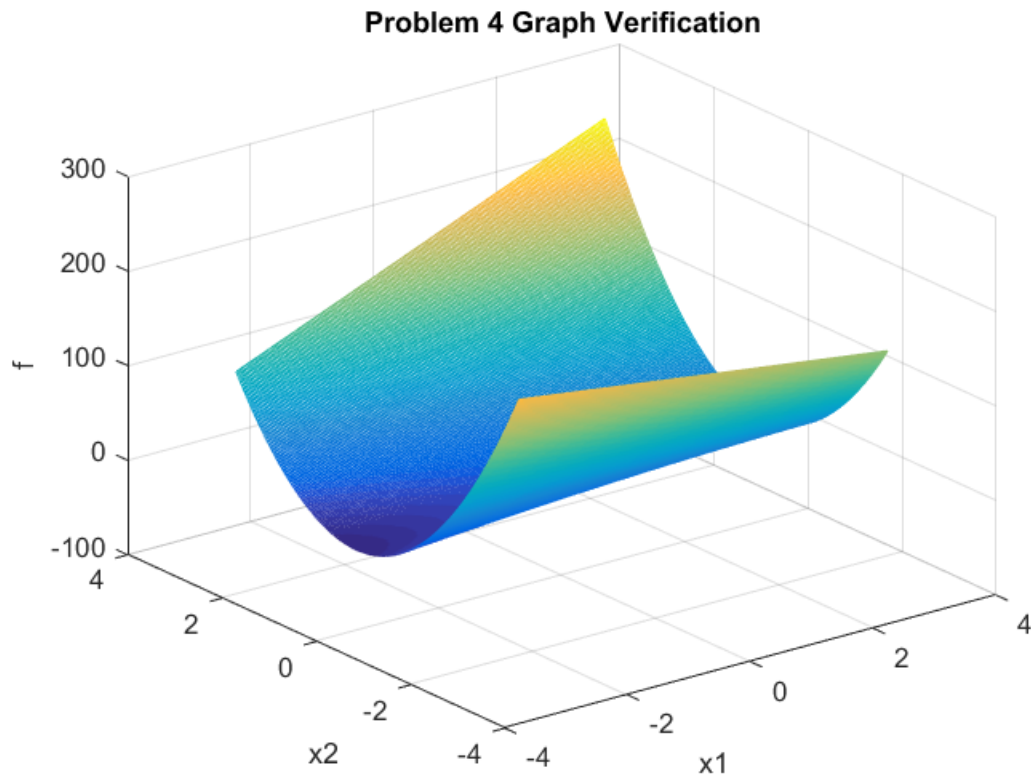
```
[x,y] = meshgrid(linspace(-3,3,200),linspace(-3,3,200));  
eq = 2.*x.^2 + 20.*y.^2+6.*x.*y+5.*x;  
mesh(x,y,eq);  
xlabel('x1')  
title('Problem 4 Graph Verification')  
ylabel('x2')  
zlabel('f')
```

Local minimum found that satisfies the constraints.

*Optimization completed because the objective function is non-decreasing in feasible directions, to within the default value of the optimality tolerance,
and constraints are satisfied to within the default value of the constraint tolerance.*

Min at: -1.732143

Min at: 0.267857



Functions

```
function f = myfunc(x)
    f = (x(1)^2 + x(2)^2)^2 - x(1)^2 - x(2) + x(3)^2;
end
```

```
function f = myfunc2(x)
    f = 2*x(1)^2+20*x(2)^2+6*x(1)*x(2)+5*x(1);
end
```

Warning: Gradient must be provided for trust-region algorithm; using quasi-newton algorithm instead.

Local minimum found.

Optimization completed because the size of the gradient is less than the default value of the optimality tolerance.

Minimum values:

<i>X</i>	<i>Y</i>	<i>Z</i>
<i>0.0000</i>	<i>0.6300</i>	<i>-0.0000</i>

Published with MATLAB® R2016b