SA1 [5 Marks]. Consider the following circuit:

(a) [2 Marks] Determine the current  $I_a$ , flowing through the voltage source.

KCL: 
$$I_1 + I_2 - I_a = 0$$
  
 $3mA + (10V) = I_a$   
 $(2k\Omega)$   
 $a = 8mA$ 

(b) [2 Marks] Determine the voltage  $V_b$ , across the current source.

$$KVL: V_1 + V_6 - 10V = 0$$
  
 $(3mA)(4kx) + V_6 - 10V = 0$   
 $v_b = -2V$ 

(c) [1 Marks] How much power is absorbed by the current source?

$$P = VI = (-2V)(3mA) = -6mW$$
  
ie. The current source supplies power.

**SA** [5 marks] Find the general solution of the differential equation

$$ty' + y^2 + 1 = 0$$
,  $t > 0$ .

**SOLUTION:** Separate the variables and solve:

$$y' = -\frac{y^2 + 1}{t}$$

$$\int \frac{1}{y^2 + 1} dy = -\int \frac{1}{t} dt$$

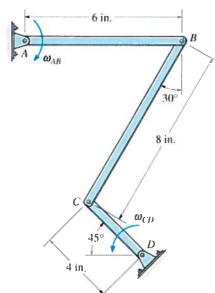
$$\arctan(y) = -\ln(t) + C$$

$$y = \tan(-\ln(t) + C)$$

## **Prob 1 [25 Marks]**

A. [20 Marks] Use Chasles' Theorem to find the angular velocity of bar CD at the instant shown given that  $\omega_{AB}$ = -5 rad/s **k** 





$$\vec{\nabla}_{B} = \vec{W}_{AB} \times \vec{C}_{BA} = -5 \text{ Gy } \hat{F} \times 6 \text{ in } \hat{C} = -305 \text{ in/s}$$

$$\vec{\nabla}_{C} = \vec{\nabla}_{B} + \vec{\nabla}_{C/B} = -305 \text{ in/s} + \vec{W}_{BC} \times (-\frac{12}{2}(8) \text{ in/s} - 4 \text{ in } \hat{C})$$

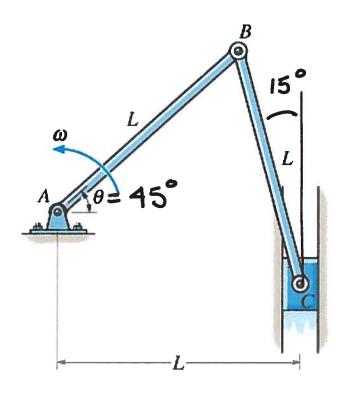
$$\vec{\nabla}_{C} = (-305 - 4 \text{ w}_{BC}) + 4 \text{ vs.} \text{ w}_{BC} \hat{C}) \text{ in/s} \quad \hat{D}$$
but 
$$\vec{\nabla}_{C} = \vec{W}_{CD} \times \vec{C}_{C/D} = \vec{W}_{CD} \hat{F} \times (\frac{1}{12} \hat{T}) - \frac{1}{12} \hat{C}$$

$$\vec{\nabla}_{C} = (-\frac{1}{12} \vec{W}_{CD}) \hat{C} - \frac{1}{12} \vec{W}_{CD}) \hat{T}_{S} \quad \text{Subj.} \hat{D}$$

一告Weo? -告Weo?=-305-4WBCJ+413WBc?

1: - 4 WED = 4 13 WBC => WED= VG WBC SUB IN JEAN

B. [5 Marks] For the figure shown, using a straight edge, draw a vector diagram that shows how the velocity of point C,  $\mathbf{v}_c$ , relates to the velocity of point B,  $\mathbf{v}_B$  and the relative velocity of point C with respect to B,  $\mathbf{v}_{C/B}$ .



$$\vec{\nabla}_c = \vec{\nabla}_g + \vec{\nabla}_{c/B}$$

