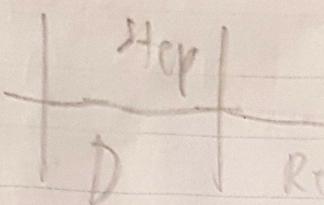


Q1

Freq



Reason

A

Replicated with  $\frac{1}{s^2 + s + 1}$

B

C

$\text{mag}(s \rightarrow 0) = \text{Amp}(t \rightarrow \infty) = 1$   
& A is taken

C

A

Replicated with  $\frac{1}{s^2 + s + 1}$

D

B

$\text{mag}(s \rightarrow 0) = \text{Amp}(t \rightarrow \infty) = 0$   
& D is taken

Q2

1.

Pros:

- Amplify  $V_i$  linearly, precisely
- Can use offset to negate deadzone & crossover distortion
- Use class amplifier  
→ ex: audio amp
- Use as voltage source

Cons:

- May have dead zone, area where increase  $V_i$  doesn't increase  $V_o$
- Crossover distortion if  $V_i$  is AC
- High power dissipation for controls application
  - larger device size
  - need cooling components

2.

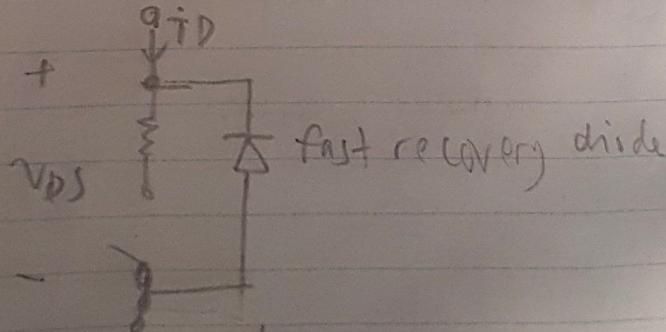
Pros:

- Can combine switches in circuit for different logic
  - half bridge
  - half bridge inverter
- Use as DC/DC down converter
- Use as switch  
→ ex: On/off power source

Cons:

- Short through if user is clumsy with high bridge
- Current ripple cause
  - torque ripple, system vibrate
  - losses like hysteresis, eddy current
- Use series inductor to negate

3.



4. Shoot Through:

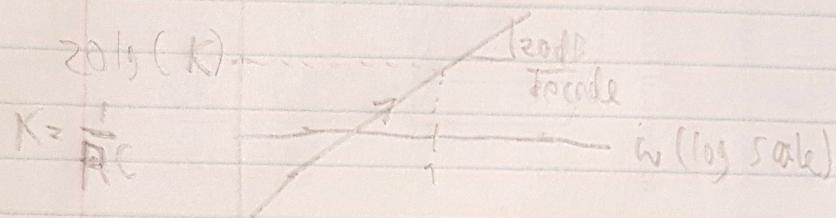
Create current flow path between  $V_{DC}$  & GND.  
Short circuit  
May burn components

Q3  
Part 1

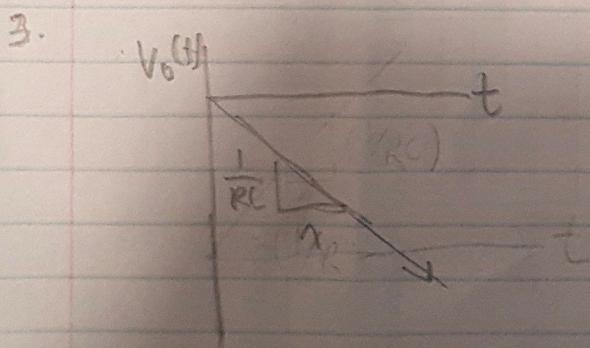
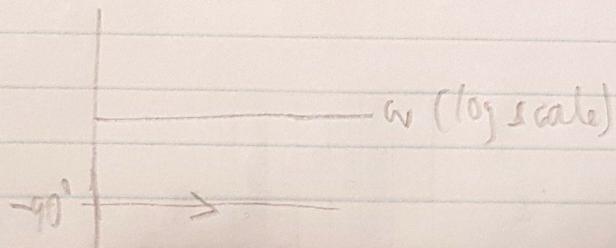
$$0 = \frac{V_o}{R} + \frac{dV_i}{dt} C$$

$$1. \quad G(s) = \frac{V_o}{V_i} = \frac{-1}{RCs} = -\frac{1}{\tau, \frac{1}{s}}$$

2.  $|G(s)|$  (log scale)



$\angle G(s)$



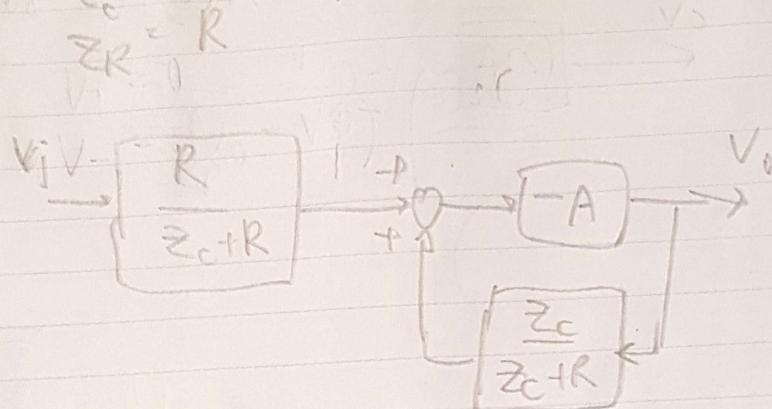
4.  $V_i(s) = \frac{s}{s^2 + \omega^2}$

$$V_o(s) = G(s) V_i(s) = \left(\frac{1}{RC}\right) \frac{(-1)}{(s^2 + \omega^2)} = \left(\frac{-1}{\omega RC}\right) \left(\frac{\omega}{s^2 + \omega^2}\right)$$
$$V_o(t) = \left(\frac{-1}{\omega RC}\right) \sin(\omega t)$$

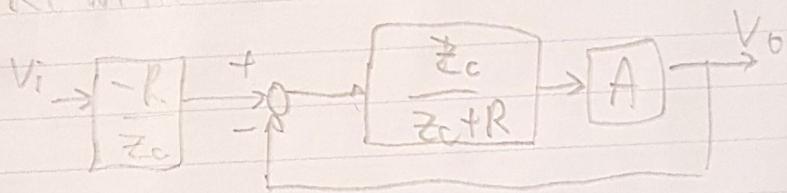
Q3  
P12  
5.

$$V_o = \frac{1}{sC} (V_i - V_o)$$

$$\frac{V_o}{V_i} = \frac{1}{R + sC}$$



Re write as



6.  $L(s) = A \frac{Z_C}{Z_C + R} = A \left( \frac{\frac{1}{sC}}{\frac{1}{sC} + \frac{sCR}{sC}} \right)_{Rs} = \frac{A}{1 + sCR}$

$$T(s) = \frac{L(s)}{1 + L(s)} = \frac{A s C R}{A + 1 + s C R}$$

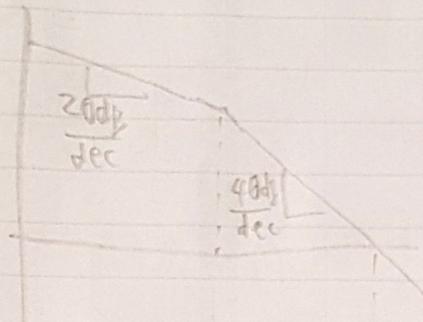
7.  $G(s) = \frac{-R}{Z_C} \left( \frac{L}{1 + L} \right)$

$$= \frac{-R L}{Z_C} \left( \frac{1}{1 + L} \right)$$

$$\approx \left( \frac{-R}{Z_C} \right) L(s) T(s)$$

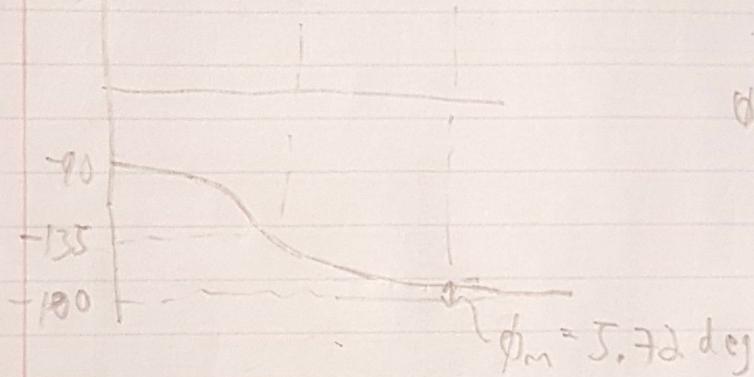
$$8. L = \frac{10^7}{s} \\ \frac{10^7}{1 + s(10^3)(0.1 \times 10^{-6})} = \frac{10^7}{10^5 s^2 + s} = \left(\frac{10^7}{s}\right) \left(\frac{1}{10^5 s + 1}\right)$$

$|L(j\omega)|$



$$w_r = 9.97 \times 10^5 \text{ rad/s}$$

$\angle L(j\omega)$

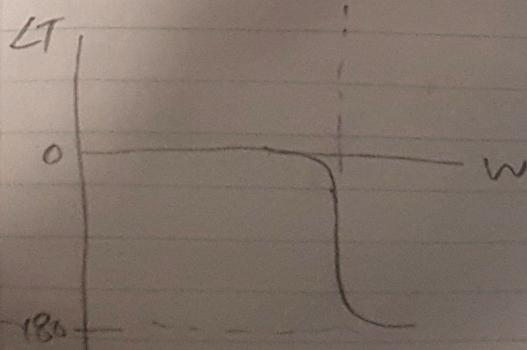
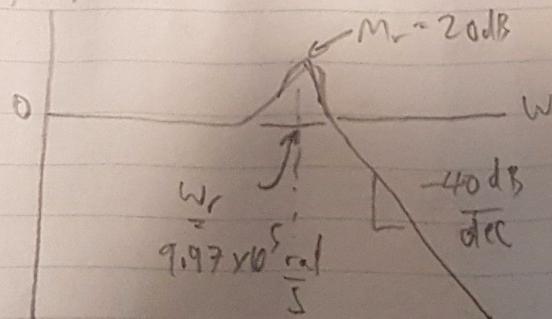


$$\theta_m = \angle L(j\omega_c) + 180^\circ$$

$$\phi_m = 5.72 \text{ deg}$$

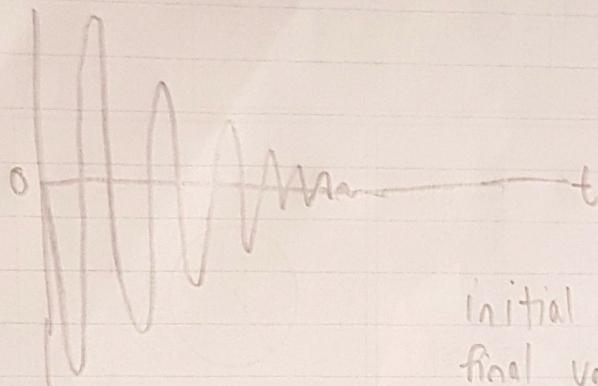
$$9. T(s) = \frac{L}{1+L(s)} = \frac{100s^2 + 10^7 s}{10^{-10}s^4 + 2 \times 10^{-5}s^3 + 101s^2 + 10^7 s}$$

$|T(j\omega)|$



$$(10) \quad G(s) = \frac{L}{1+L} \left( -\frac{10^3}{(1/s10^{-8})} \right) = \frac{-0.001s^3 - 100s^2}{10^{-10}s^4 + 2 \times 10^{-5}s^3 + 101s^2 + 10^7s}$$

$V_0$



initial value = 0

final value = 0

$\omega$  = period of oscillation  $\approx 6.24 \times 10^{-6} s$

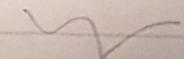
$$4.71 \times 10^6 \quad 7.91$$

curve fitting

$$1.1 \times 10^5 \quad 5.78$$

$$1.73 \times 10^{-5} \quad 4.22$$

$$V_0 = (-0.02013 + 10.023 e^{-49728t}) (\sin \omega t)$$



exponential decay  
part

w  
oscillation  
part