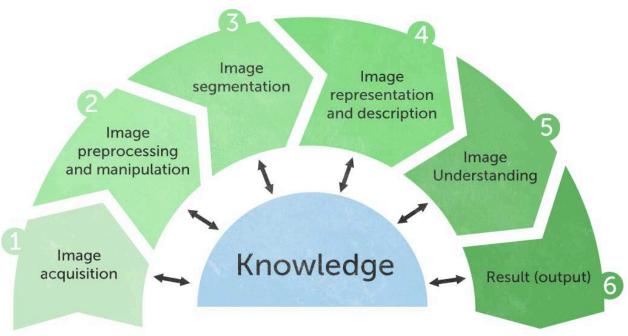
Slides adapted from James Hays, Lana Lazebnik, David Lowe, Steve Seitz, and Derek Hoiem

Computer Vision Pipeline

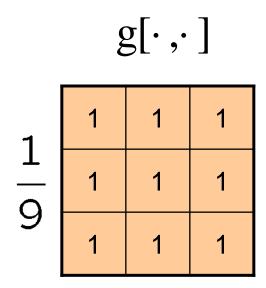


- Last two classes covered Image Acquisition (Phase 1)
- Next few lectures cover material Image Preprocessing and Manipulation (Phase 2)
 - Should be review if you've taken ITCS 3134 or 6134 (or ECE equivalent)
- Phases 3-6 are usually considered "Computer Vision"
 - We'll get there eventually!

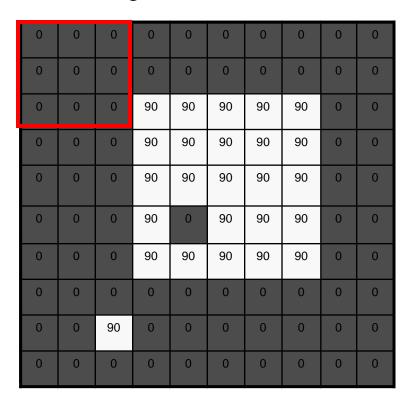
Computes a function of local neighborhood at each position

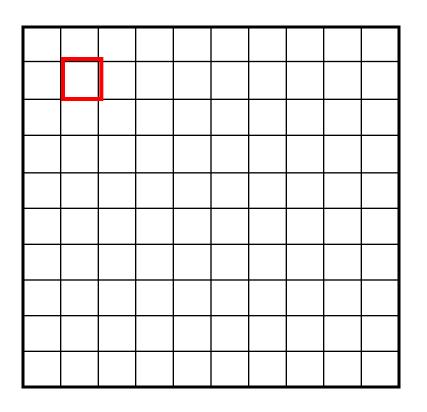
- Really important!
 - Enhance images
 - Denoise, resize, increase contrast, etc.
 - Extract information from images
 - Texture, edges, distinctive points, etc.
 - Detect patterns
 - Template matching

Example: box filter



$$g[\cdot,\cdot]^{\frac{1}{9}}$$

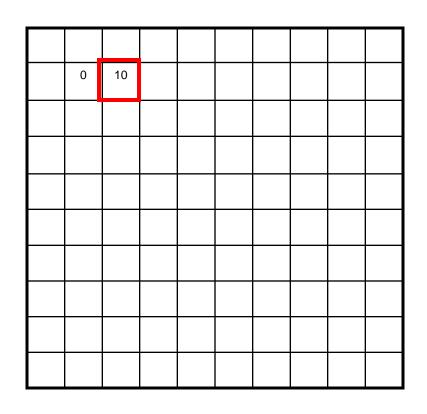




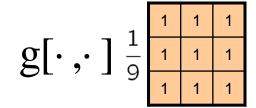
$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

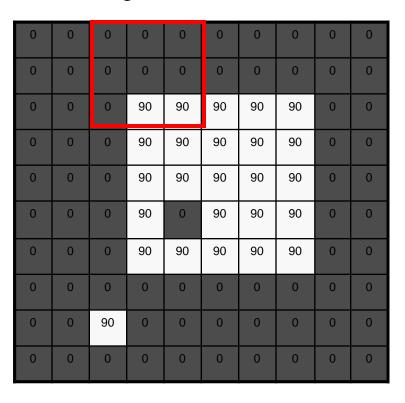
$$g[\cdot,\cdot]^{\frac{1}{9}}$$

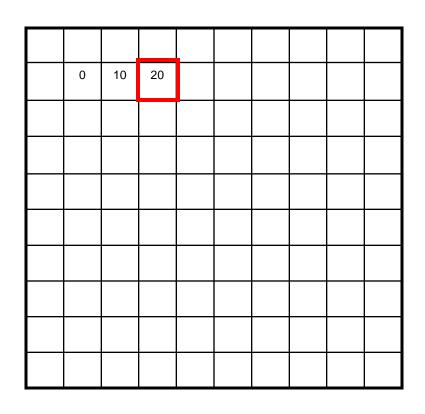
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0



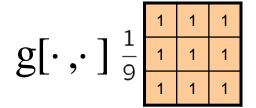
$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$



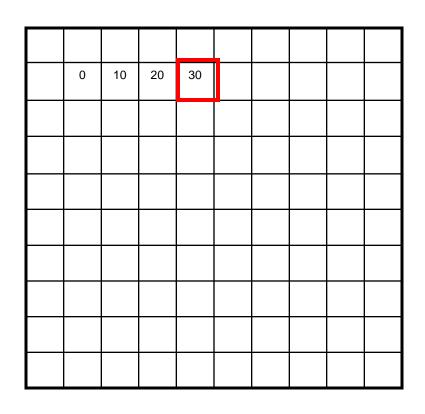




$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$



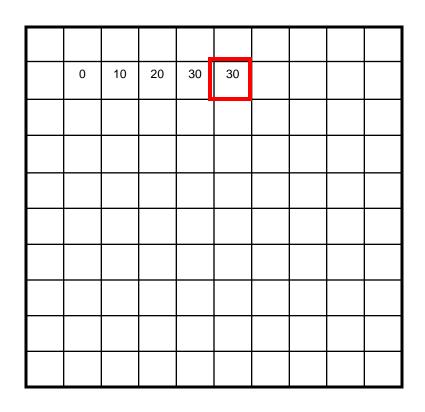
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0



$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

1	1	1	1
$g[\cdot,\cdot]^{\frac{1}{6}}$	1	1	1
CL / 1 9	1	1	1

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0



$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

$$g[\cdot,\cdot]^{\frac{1}{9}}$$

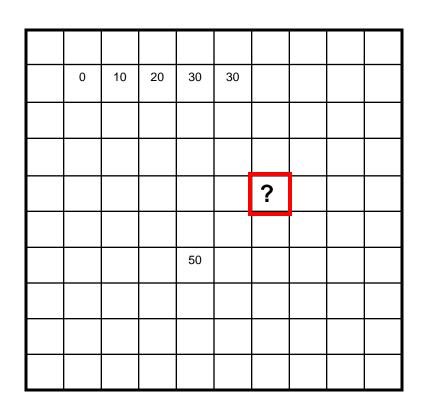
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

0	10	20	30	30		
			?			

$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

$$g[\cdot,\cdot]^{\frac{1}{9}}$$

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0



$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

$$g[\cdot,\cdot]_{\frac{1}{9}}$$

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

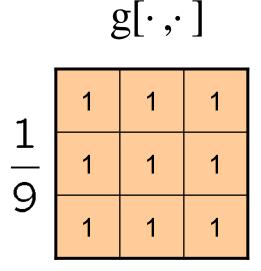
0	10	20	30	30	30	20	10	
0	20	40	60	60	60	40	20	
0	30	60	90	90	90	60	30	
0	30	50	80	80	90	60	30	
0	30	50	80	80	90	60	30	
0	20	30	50	50	60	40	20	
10	20	30	30	30	30	20	10	
10	10	10	0	0	0	0	0	

$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

Box Filter

What does it do?

- Replaces each pixel with an average of its neighborhood
- Achieve smoothing effect (remove sharp features)



Smoothing with box filter





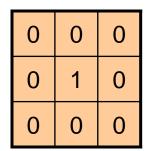
\mathbf{O}	rig	gir	nal
•		>**	141

0	0	0
0	1	0
0	0	0





Original



Filtered (no change)



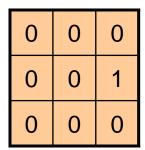
\mathbf{O}	rig	gir	nal
•		>**	141

0	0	0
0	0	1
0	0	0





Original

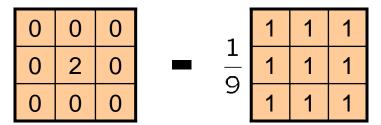




Shifted left By 1 pixel

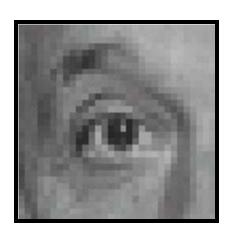


Original

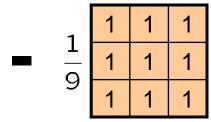


(Note that filter sums to 1)





0	0	0
0	2	0
0	0	0



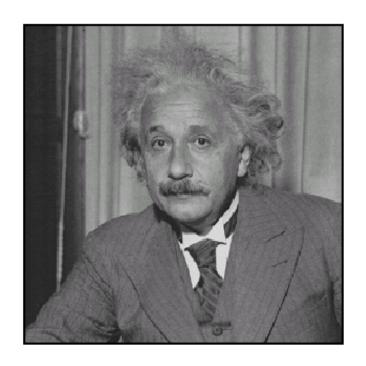


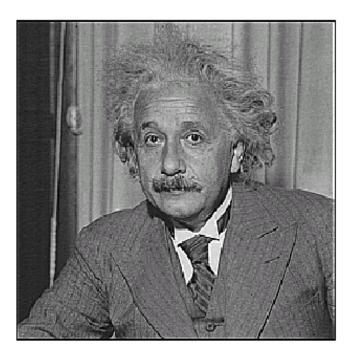
Original

Sharpening filter

- Accentuates differences with local average

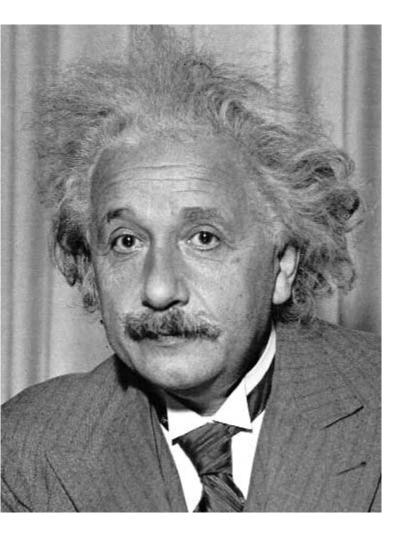
Sharpening





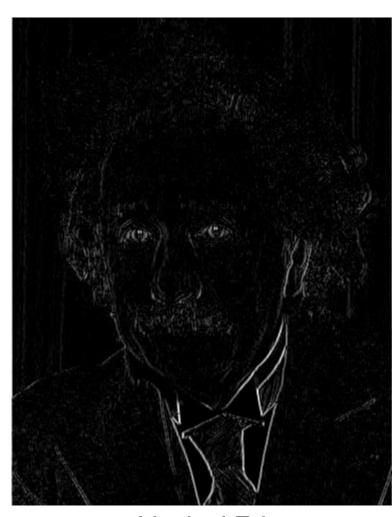
before after

Other filters



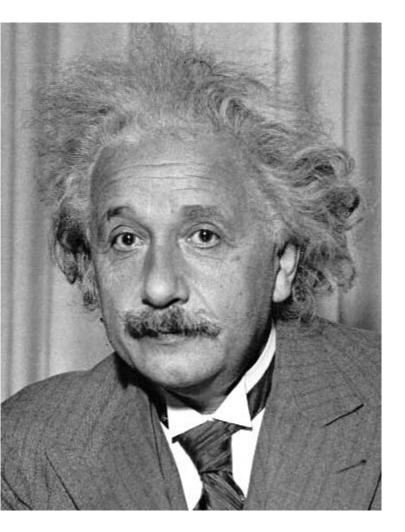
1	0	-1
2	0	- 2
1	0	-1

Sobel



Vertical Edge (absolute value)

Other filters



1	2	1
0	0	0
-1	-2	-1

Sobel



Horizontal Edge (absolute value)

Filtering vs. Convolution

• 2d filtering g=filter f=image -h=filter2(g,f); or h=imfilter(f,g); $h[m,n] = \sum_{l,l} g[k,l] f[m+k,n+l]$

2d convolution

-h=conv2(g,f);
$$h[m,n] = \sum_{k,l} g[k,l] f[m-k,n-l]$$

Key properties of linear filters

Linearity:

```
filter(f_1 + f_2) = filter(f_1) + filter(f_2)
```

Shift invariance: same behavior regardless of pixel location

```
filter(shift(f)) = shift(filter(f))
```

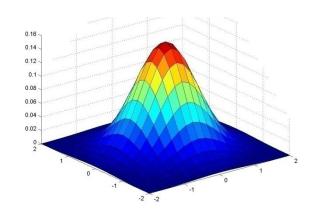
Any linear, shift-invariant operator can be represented as a convolution

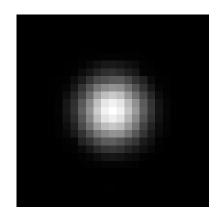
More properties

- Commutative: a * b = b * a
 - Conceptually no difference between filter and signal
- Associative: a * (b * c) = (a * b) * c
 - Often apply several filters one after another: $(((a * b_1) * b_2) * b_3)$
 - This is equivalent to applying one filter: a * $(b_1 * b_2 * b_3)$
- Distributes over addition: a * (b + c) = (a * b) + (a * c)
- Scalars factor out: ka * b = a * kb = k (a * b)
- Identity: unit impulse e = [0, 0, 1, 0, 0],
 a * e = a

Important filter: Gaussian

Weight contributions of neighboring pixels by nearness



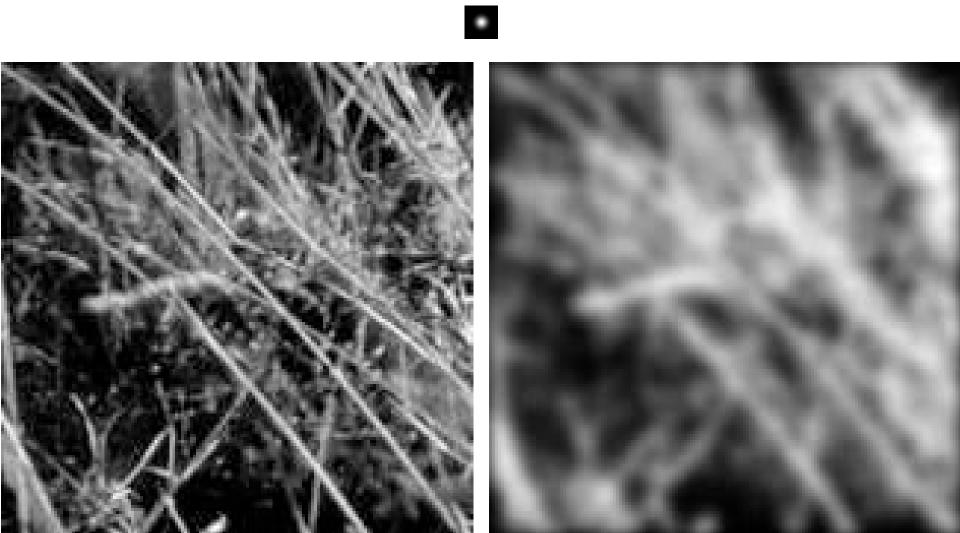


0.003	0.013	0.022	0.013	0.003
0.013	0.059	0.097	0.059	0.013
0.022	0.097	0.159	0.097	0.022
0.013	0.059	0.097	0.059	0.013
0.003	0.013	0.022	0.013	0.003

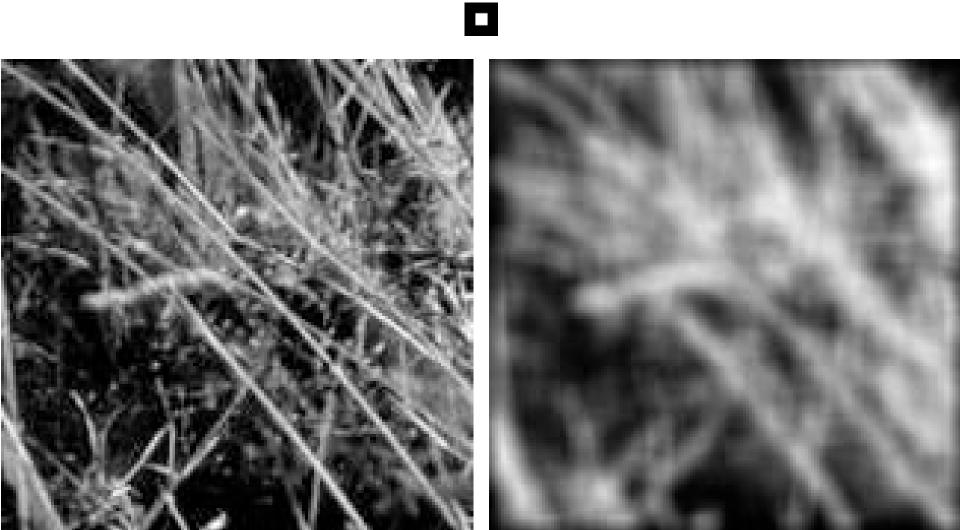
$$5 \times 5$$
, $\sigma = 1$

$$G_{\sigma} = \frac{1}{2\pi\sigma^2} e^{-\frac{(x^2+y^2)}{2\sigma^2}}$$

Smoothing with Gaussian filter



Smoothing with box filter



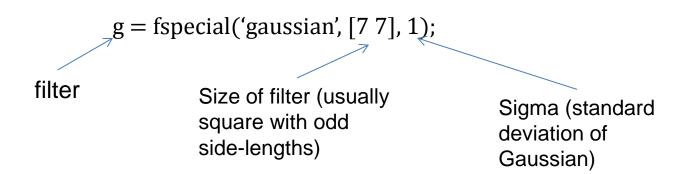
Gaussian filters

- Remove "high-frequency" components from the image (low-pass filter)
 - Images become more smooth
- Convolution with self is another Gaussian
 - So can smooth with small-width kernel, repeat, and get same result as larger-width kernel would have
 - Convolving two times with Gaussian kernel of width σ is same as convolving once with kernel of width σ V2

How big should the filter be?

- Values at edges should be near zero
- Rule of thumb for Gaussian: set filter half-width to about 3 σ

In Matlab:



- What about near the edge?
 - the filter window falls off the edge of the image
 - need to extrapolate
 - methods:
 - clip filter (black)
 - wrap around
 - copy edge
 - reflect across edge



```
– methods (MATLAB):
```

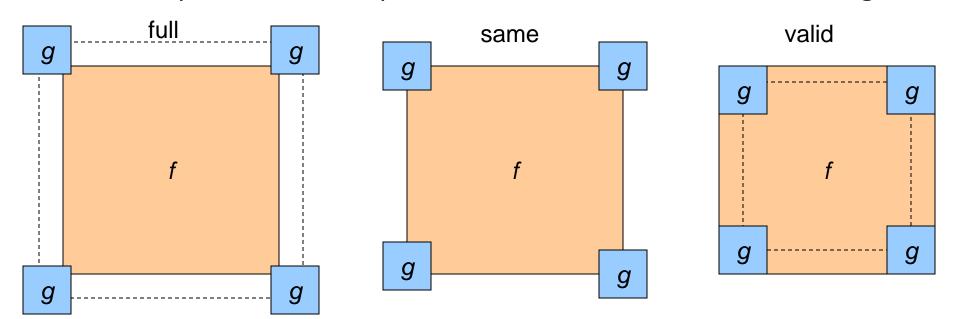
clip filter (black): imfilter(f, g, 0)

wrap around: imfilter(f, g, 'circular')

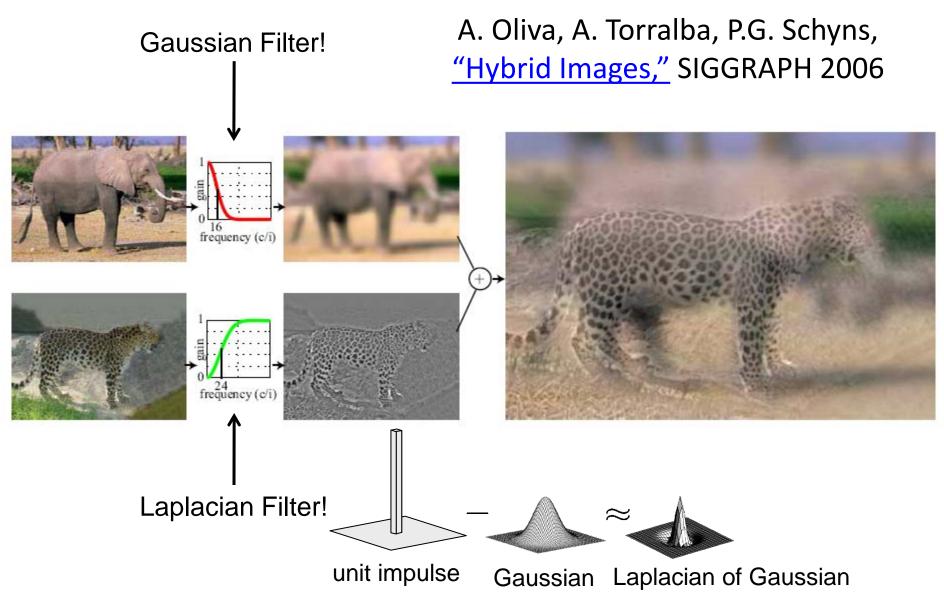
• copy edge: imfilter(f, g, 'replicate')

reflect across edge: imfilter(f, g, 'symmetric')

- What is the size of the output?
- MATLAB: filter2(g, f, shape)
 - shape = 'full': output size is sum of sizes of f and g
 - shape = 'same': output size is same as f
 - shape = 'valid': output size is difference of sizes of f and g

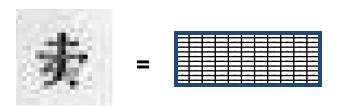


Homework 2: Hybrid Images



Recap

Image is a matrix of numbers



- Linear filtering is sum of dot product at each position
 - Can smooth, sharpen, translate (among many other uses)



<u>1</u> 9	1	1	1
	1	1	1
	1	1	1

 Be aware of details for filter size, extrapolation, cropping



Practice questions

1. Write down a 3x3 filter that returns a positive value if the average value of the 4-adjacent neighbors is less than the center and a negative value otherwise

2. Write down a filter that will compute the gradient in the x-direction:

```
gradx(y,x) = im(y,x+1)-im(y,x) for each x, y
```

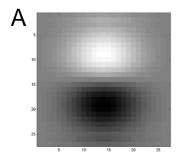
Practice questions

Filtering Operator

3. Fill in the blanks: a

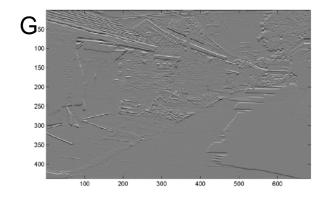
$$c) F = D * _$$

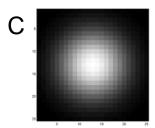
$$d) = D * D$$













F

