



2

FORCE AND MOTION

VELOCITY AND ACCELERATION

SIMPLE MOTION

BEFORE WE CAN UNDERSTAND THE LAWS OF MOTION, WE NEED TO KNOW WHAT VELOCITY AND ACCELERATION ARE. FIRST, LET'S TALK ABOUT VELOCITY. TO GET THE SIMPLEST IDEA OF VELOCITY,

WE SHOULD THINK ABOUT THE MOTION OF AN OBJECT WHEN IT MOVES STRAIGHT AT A CONSTANT SPEED.

UHMM...

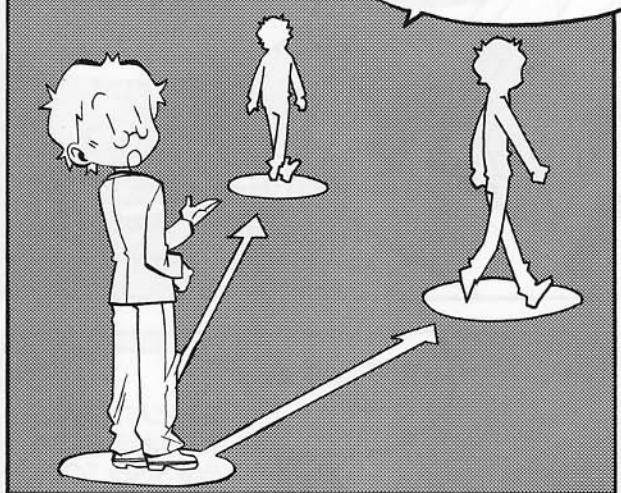
LET ME SEE...IS THAT SO-CALLED SIMPLE MOTION?

EXACTLY! YOU CAN OBTAIN THE SPEED OF SIMPLE MOTION AS FOLLOWS:

$$\text{SPEED} = \frac{\text{DISTANCE}}{\text{TIME}}$$

UH-HUH.
THAT'S EASY.

HOWEVER, EVEN WHEN
MY SPEED IS THE SAME,
MY DESTINATION MAY BE
DIFFERENT IF I MOVE IN
A DIFFERENT DIRECTION.



SO, IN ORDER TO TAKE
THE DIRECTION INTO
ACCOUNT AS WELL,
WE CAN REPLACE
SPEED WITH VELOCITY
AND DISTANCE WITH
DISPLACEMENT IN OUR
EARLIER EQUATION.



$$\text{VELOCITY} = \frac{\text{DISPLACEMENT}}{\text{TIME}}$$

SURE...WAIT!



HOLD IT!

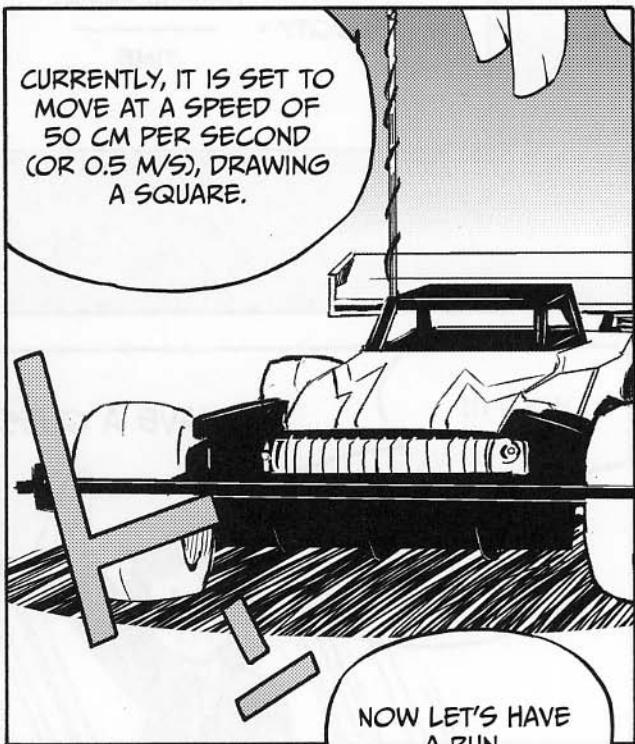
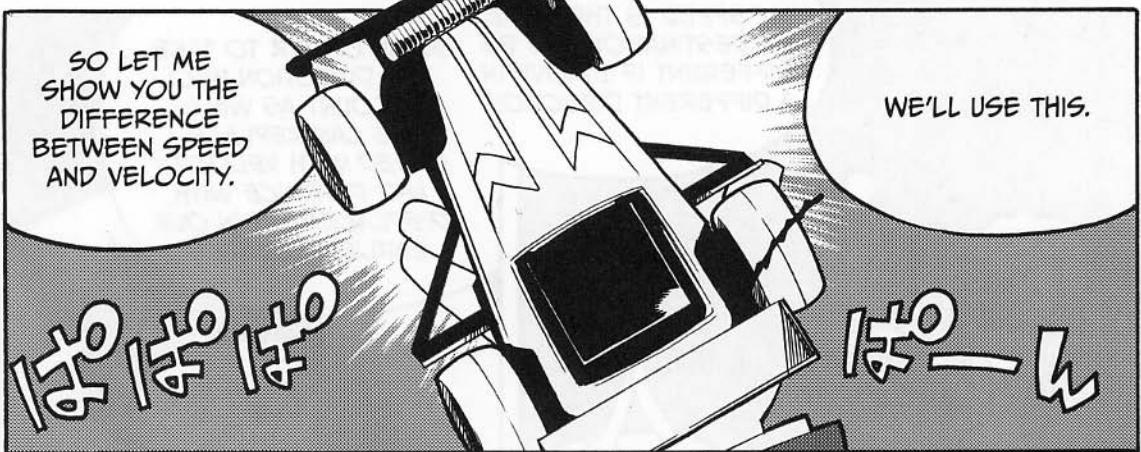
I HAVE A QUESTION!

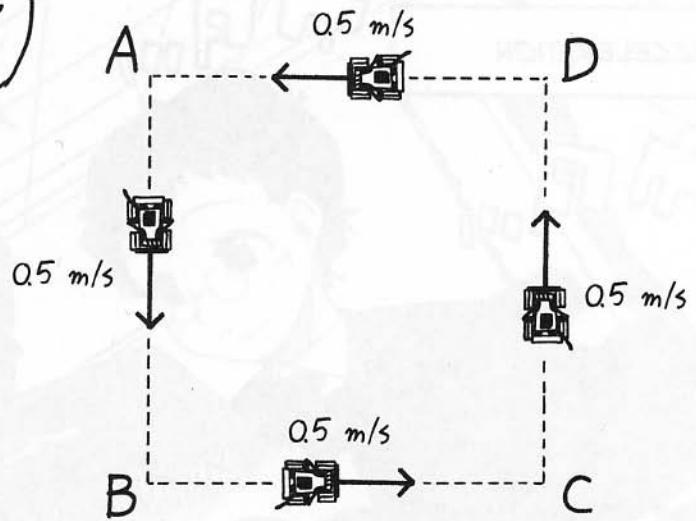
ARE SPEED AND
VELOCITY REALLY
TWO DIFFERENT
THINGS?



HEE-HEE!
YOU'VE GOTTEN
CAUGHT, IT SEEMS.



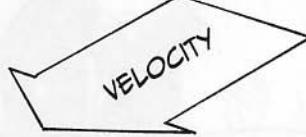




UNITS FOR SPEED: M/S
(METERS PER SECOND)
UNITS FOR DISTANCE: M (METERS)
UNITS FOR TIME: S (SECONDS)

VELOCITY IS A VECTOR (IT HAS A DIRECTION AND MAGNITUDE), SO IT CAN BE EXPRESSED AS AN ARROW. SPEED IS JUST A MAGNITUDE.

THE LENGTH OF THE ARROW IS THE OBJECT'S MAGNITUDE (OR SPEED).



THE ARROW POINTS IN THE DIRECTION OF THE VECTOR'S ORIENTATION.

VELOCITY

WHEN TRAVELING ON SIDES AB AND CD IN THE DIAGRAM, THE CAR'S SPEED IS THE SAME, BUT ITS VELOCITY IS OPPOSITE. DO YOU SEE?



AN INCREASE IN VELOCITY IS CALLED ACCELERATION, WHICH YOU CAN CALCULATE USING THE EQUATION BELOW:

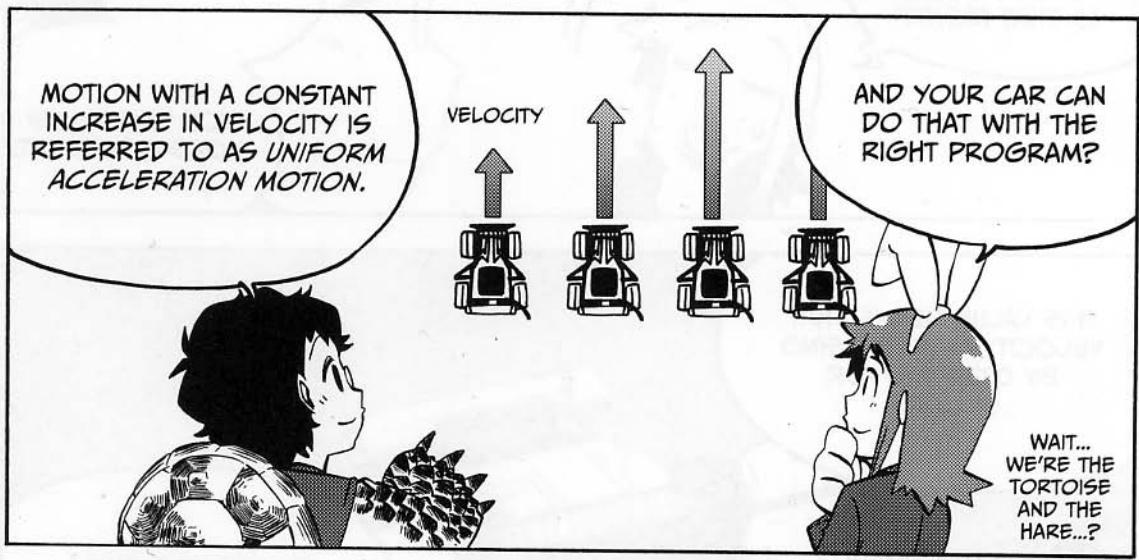
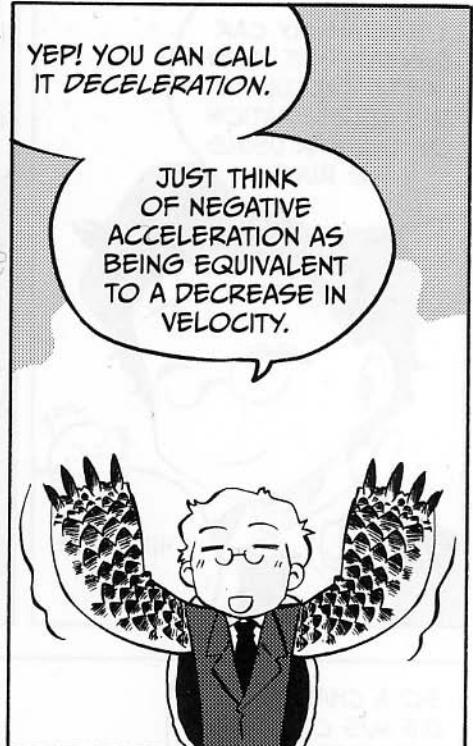
$$\text{ACCELERATION} = \frac{\text{CHANGE IN VELOCITY}}{\text{TIME}}$$

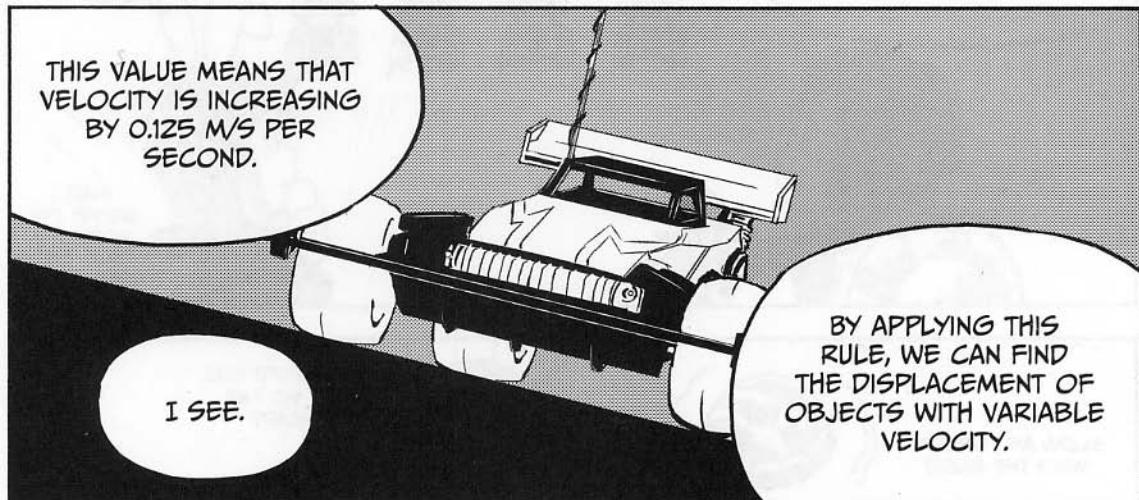
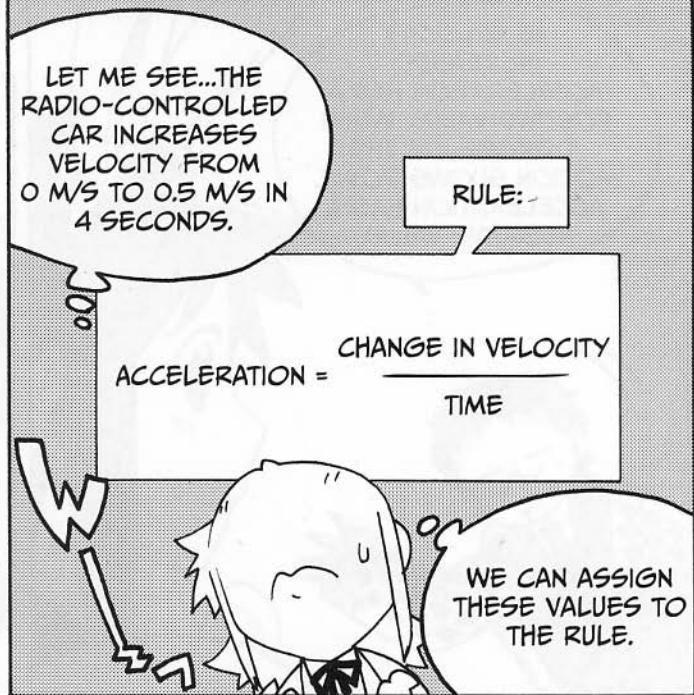
UH-HUH.

THE UNIT FOR ACCELERATION IS METERS PER SECOND SQUARED, WRITTEN AS M/S^2 . IT REPRESENTS HOW THE VELOCITY (M/S) HAS INCREASED PER SECOND.

SO WE ARE DIVIDING THE CHANGE IN VELOCITY BY TIME.

YEP. IF VELOCITY STAYS THE SAME, THERE IS NO CHANGE, AND SO THE ACCELERATION IS ALSO ZERO.





LABORATORY

FINDING THE DISTANCE TRAVELED WHEN VELOCITY VARIES



Let's change the setting so as to steadily increase the velocity up to 0.5 m/s. Here's a quiz for you. Given that velocity has attained 0.5 m/s in four seconds, how far has the radio-controlled car moved?



Hmm . . . starting at 0 m/s, the peak velocity is 0.5 m/s. So let me calculate, assuming the average speed, 0.25 m/s, for the velocity. $0.25 \text{ m/s} \times 4 \text{ s} = 1 \text{ m!}$



That's right! You are so sharp. But can you explain why you can get the right answer with that calculation?



Uhm . . . remember, teaching me is *your* job, Nonomura-kun!



Ha ha, true enough. Before giving you a direct answer, let me explain how we can find the distance traveled when the velocity varies. When velocity is constant, we've learned that the distance traveled can be found by calculating the expression (speed \times time). Now, given that d m (meters) represents the distance traveled in t s (seconds) and the constant velocity is v m/s, then distance = speed \times time can be expressed in the following equation:

$$d = vt$$

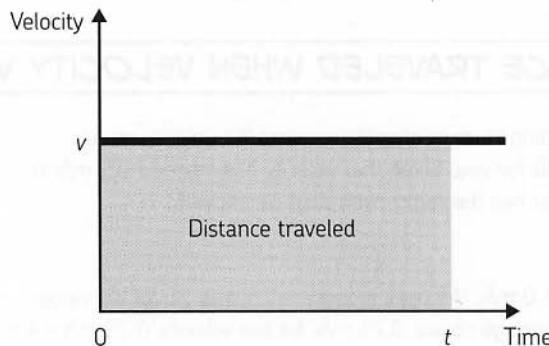


Well, duh!





If you plot that relationship with velocity on the vertical axis and time on the horizontal axis, you get the following graph.



The shaded area represents the distance traveled. This chart is commonly referred to as a *v-t graph*, as it graphs velocity and time. That's the area of a rectangle having a horizontal length of t and a vertical length of v .



I see. It seems a little strange that an area represents a distance.



The area here is not a typical geometric area—this is a graph, like the ones you've seen in math class. The area of a geometric rectangle might be measured in square meters (m^2). But in our example, the units are time (seconds) for the horizontal axis and velocity (m/s) for the vertical axis. So the product of these two is equal to $s \times m/s = m$. That's our unit for distance.



It's easy to find a distance when an object goes at a constant speed. But what about finding the distance when the speed is variable?



The only tool available to us is this equation:

$$\text{distance} = \text{speed} \times \text{time}$$



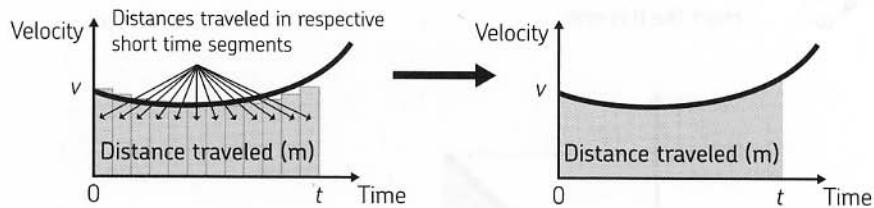
So we can divide the time into segments to create a lot of "small rectangles" and then calculate distances respectively, assuming a constant velocity for each time segment.



What do you mean?



Look at the chart on the left below.



So we can find the area of each slender rectangle created by dividing time into short segments, and then adding up the areas to find the distance traveled.



It bothers me that those little rectangles won't exactly fit the graph. Wouldn't they bring about errors?



I see your concern. Then we can sub-divide the rectangles into smaller segments. By repeating division into even smaller segments until everything fits as shown in the chart on the right above, the distance we get becomes more and more precise.



Well, I guess so . . . if you could do that . . .



If we divided them into infinitely slender rectangles, we'd find exactly how far the object has moved. After all, the ultimate answer we get by dividing distance = speed \times time into short time segments is the area created under a v-t graph. That's how we can find the distance traveled by finding the corresponding area. In summary,

$$\text{distance traveled} = \text{area under a v-t graph}$$

Just like that.*

* Students of calculus may notice that this process of finding an area under a graph is identical to *integration*.



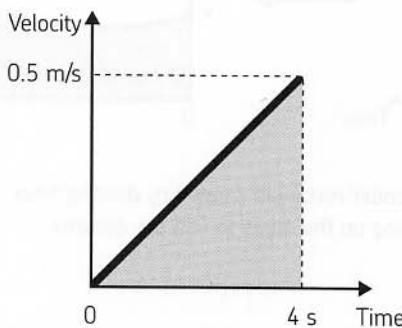
Now, keeping in mind what we've learned so far, let's examine the reason why the distance you got intuitively is the right answer.



All right!



Your original calculation is the same as calculating an area on a velocity-time graph. The example with a radio-controlled car can be plotted into a chart like this one.



The area under the graph, as obtained from the rule for the area of a triangle, is as follows:

$$\frac{1}{2} \times \text{base} (\text{time}) \times \text{height} (\text{max velocity}) = \frac{1}{2} \times 4 \text{ s} \times 0.5 \text{ m/s} = 1 \text{ m}$$

This represents the distance traveled.



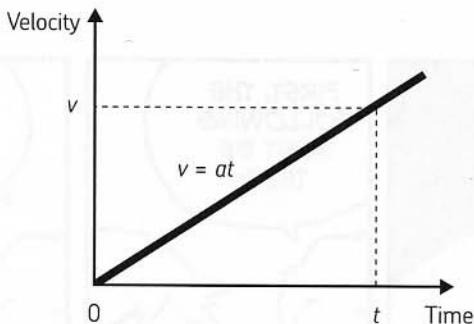
We got 1 meter for the answer, just as we should.



Let's find a general expression for the distance traveled, rather than using specific numeric values. Assuming velocity to be v and acceleration to be a , the relationship between the velocity and time for uniform accelerated motion is $v = at$.

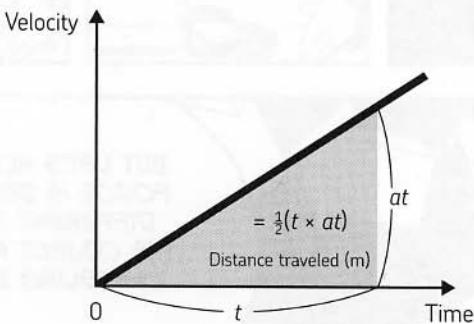


That can be plotted into a v-t graph, as shown below.



Let's assume d is the distance traveled in time t ; its value should be equivalent to the area of a triangle with a base of t and height of at (which equals the final velocity of the object).

$$d = \frac{1}{2}at^2$$



You see?

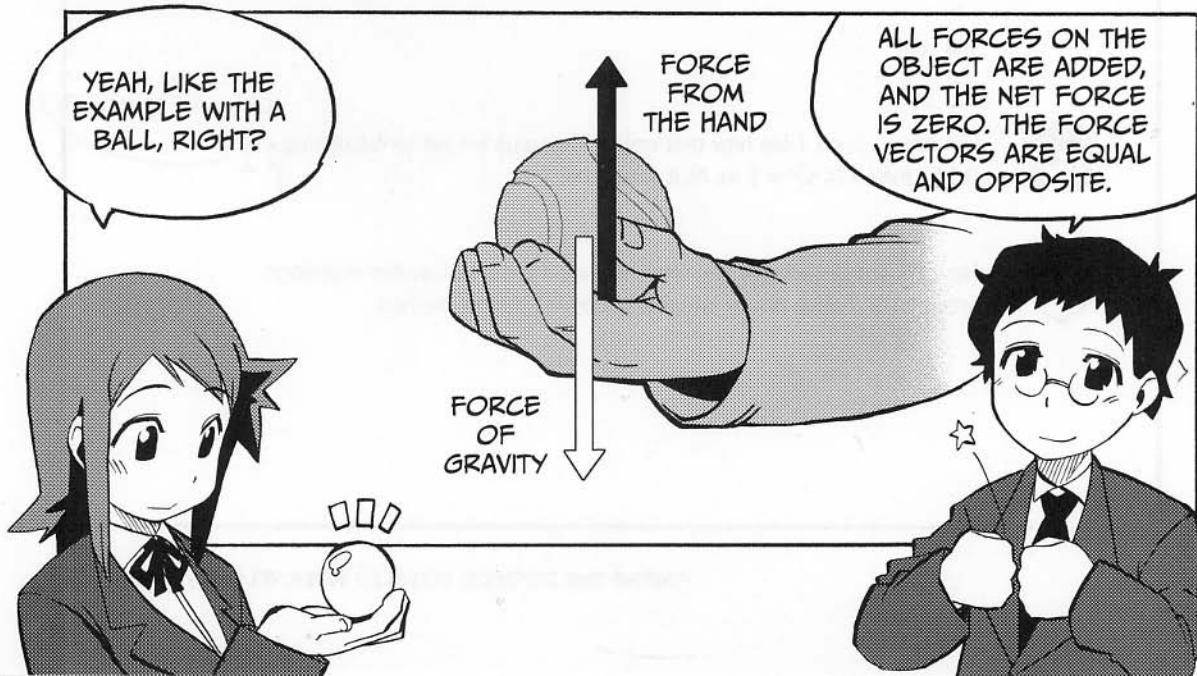
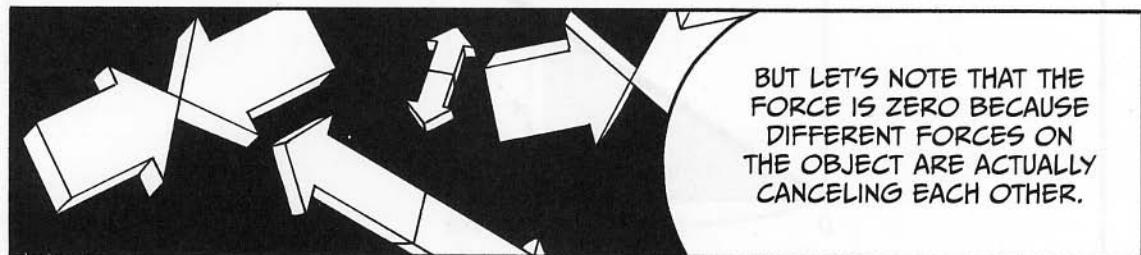
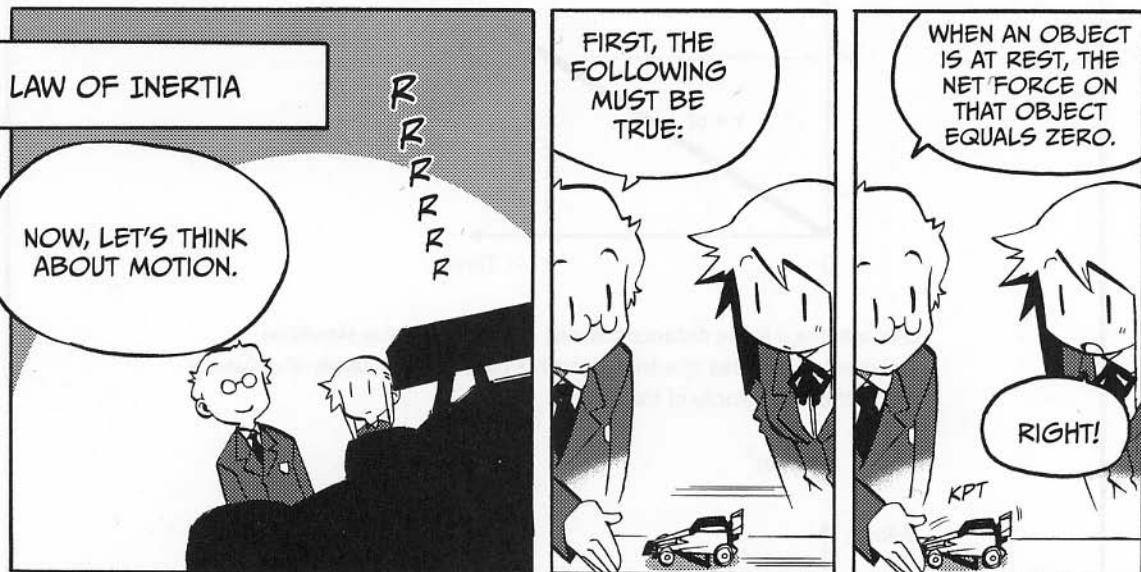


Ummmm . . . oh, I see how that works! The value we get by calculating $\frac{1}{2} \times 0.125 \text{ m/s}^2 \times (4 \text{ s})^2 = 1 \text{ m}$. As it should be!



Now, Ninomiya-san, you can also calculate a distance traveled in uniform accelerated motion not by intuition but by the proper method.

NEWTON'S FIRST AND SECOND LAWS



SO AN OBJECT AT REST CAN HAVE FORCES IMPOSED ON IT, PROVIDED THAT THE SUM OF THOSE FORCES IS ZERO.

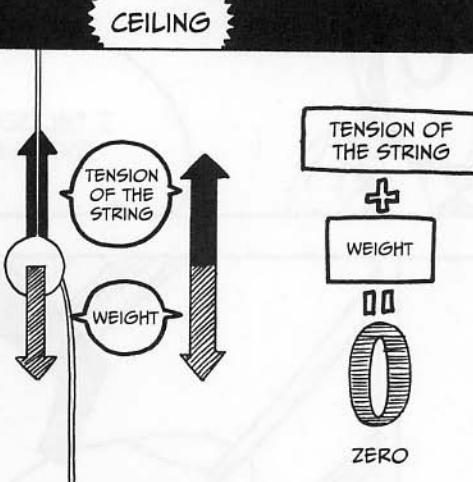
WHAT ON EARTH IS THIS?

TO MAKE IT EASIER FOR YOU...

LOOK WHAT I HAVE PREPARED!

YOU DON'T HAVE TO BE APPALLED.
IT'S JUST A BALL WITH TWO STRINGS COMING OUT OF IT.

SORRY.
I'M A SPAZ.



AT THE MOMENT,
THE BALL IS STATIC.

SO A FORCE MUST BE IMPOSED FROM THE STRING THAT CAN CANCEL THE FORCE OF GRAVITY (THE BALL'S WEIGHT) TO YIELD A RESULT OF A ZERO MAGNITUDE.

YOU MEAN THE TENSION OF THE STRING IS EQUIVALENT TO THE FORCE OF GRAVITY?

HOW CAN YOU SAY SO WITHOUT TAKING ANY MEASUREMENTS?

THAT'S MY POINT.

TADA!

IN FACT, AN OBJECT AT REST, SUCH AS THIS BALL, IS RELATED TO NEWTON'S FIRST LAW OF MOTION.



YOU CAN CHECK THAT THE TENSION OF THE STRING IS EQUIVALENT TO THE BALL'S WEIGHT USING AN INSTRUMENT.

BUT THE FIRST LAW OF MOTION TELLS US THAT THE NET FORCE ON AN OBJECT IN A STATIC STATE MUST BE ZERO.

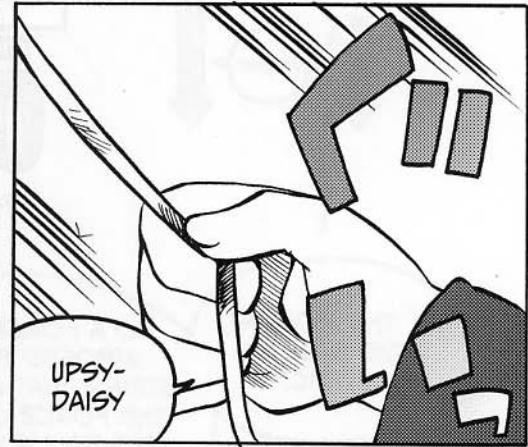


I SEE.

SO...I WONDER IF THE NET FORCE COULD BE ZERO IF THE OBJECT WAS PULLED BY THE SECOND STRING?



I THOUGHT I'D EXPLAIN IT...

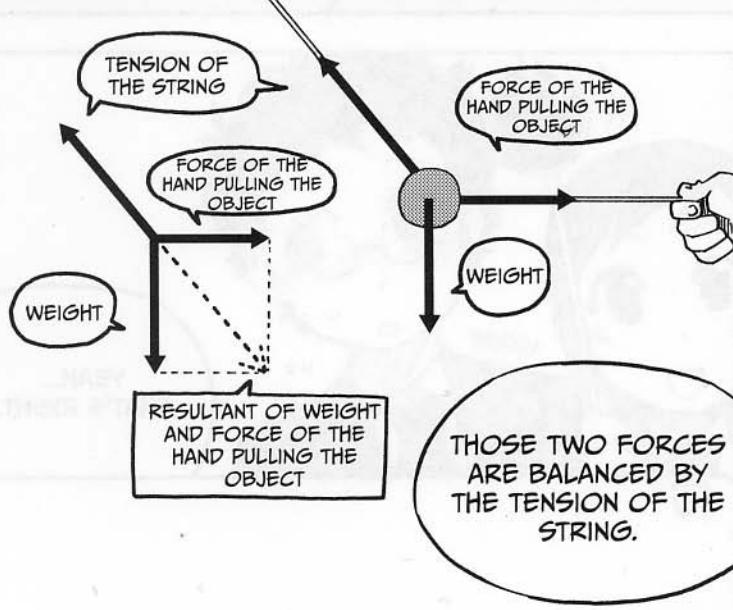




LOOKING AT ALL THREE FORCES ACTING ON THE BALL, WE SEE THAT GRAVITY IS WORKING VERTICALLY ON THE BALL, AND THE FORCE FROM THE HAND IS WORKING HORIZONTALLY.

CEILING

IN OTHER WORDS, THE BALL'S WEIGHT AND THE HAND'S FORCE CAN BE MERGED. OR CAN WE SPLIT THE TENSION OF THE STRING INTO TWO?

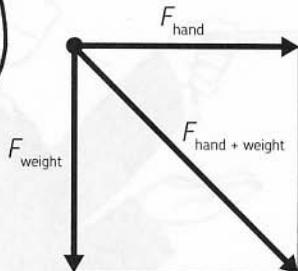


WE CAN DO BOTH.

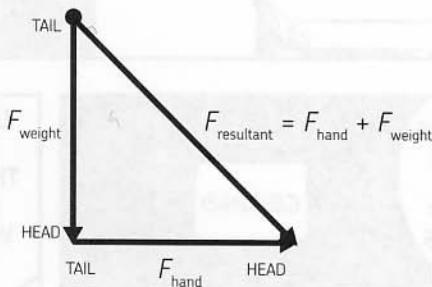
REALLY?

LET'S LOOK AT A FIGURE.

LET'S COMBINE TWO VECTORS INTO ONE. WE CAN ADD VECTORS BY SIMPLY PUTTING THE TAIL OF THE SECOND VECTOR ONTO THE HEAD OF THE FIRST. THIS IS CALLED THE HEAD-TO-TAIL METHOD.



DRAWING A FIGURE MAKES IT EASIER TO UNDERSTAND.



IN OUR EXAMPLE OF THE SUSPENDED WEIGHT, THE COMBINED FORCE OF MY HAND AND THE WEIGHT HAS AN EQUIVALENT MAGNITUDE (IN THE EXACT OPPOSITE DIRECTION) TO THE TENSION OF THE STRING. WE KNOW THAT THE OBJECT IS AT REST, SO THE TOTAL RESULTANT FORCE MUST EQUAL ZERO.

UH-HUH. SO THE RESULTANT WORKS IN THE DIRECTION IN WHICH THE STRING IS ANGLED RELATIVE TO THE CEILING.

NUDGE

YEAH... THAT'S RIGHT.

IF, WHEN FORCES ARE IMPOSED, THE OBJECT REMAINS STATIONARY,

THE SUM OF THE FORCES IS ZERO.



RIGHT...

BUT IT'S POSSIBLE FOR AN OBJECT TO BE IN MOTION EVEN WHEN FORCES ARE ZERO.



FOR EXAMPLE, THINK OF OUTER SPACE.

POW
POW

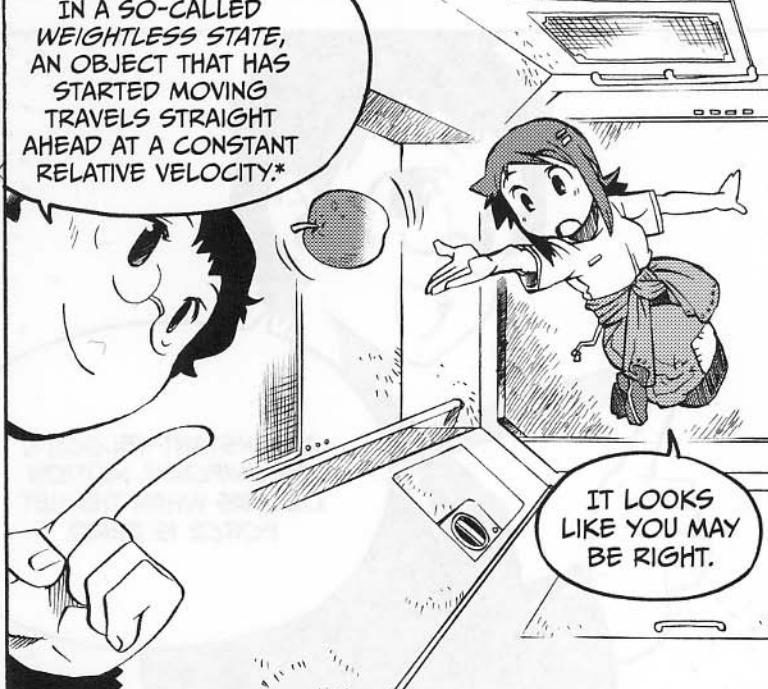
OUTER SPACE?

HAVEN'T YOU SEEN FOOTAGE OF THE INTERIOR OF A SPACE SHUTTLE?



SURE I HAVE!
THERE ARE ALWAYS
VARIOUS THINGS
SUSPENDED IN
THE AIR.

IN A SO-CALLED WEIGHTLESS STATE, AN OBJECT THAT HAS STARTED MOVING TRAVELS STRAIGHT AHEAD AT A CONSTANT RELATIVE VELOCITY.*



* IN ORBIT, OBJECTS ARE IN A STATE OF CONSTANT FREE FALL, MAKING THEIR APPARENT WEIGHT ZERO.

NORMALLY, FRICTION FROM THE AIR OR COLLISION WITH THE GROUND WILL STOP AN OBJECT (UNLESS YOU KEEP APPLYING A FORCE).

WHOOPEE!

BUT IN DEEP OUTER SPACE, IT IS POSSIBLE TO ACHIEVE A ZERO-FORCE STATE, AS THERE IS NO GRAVITY OR AIR RESISTANCE TO CONSIDER.

YES, INDEED! IN THAT CASE, YOU MEAN, WE COULD KEEP MOVING FOREVER, EVEN WITH NO FORCE IMPOSED?

EXACTLY!

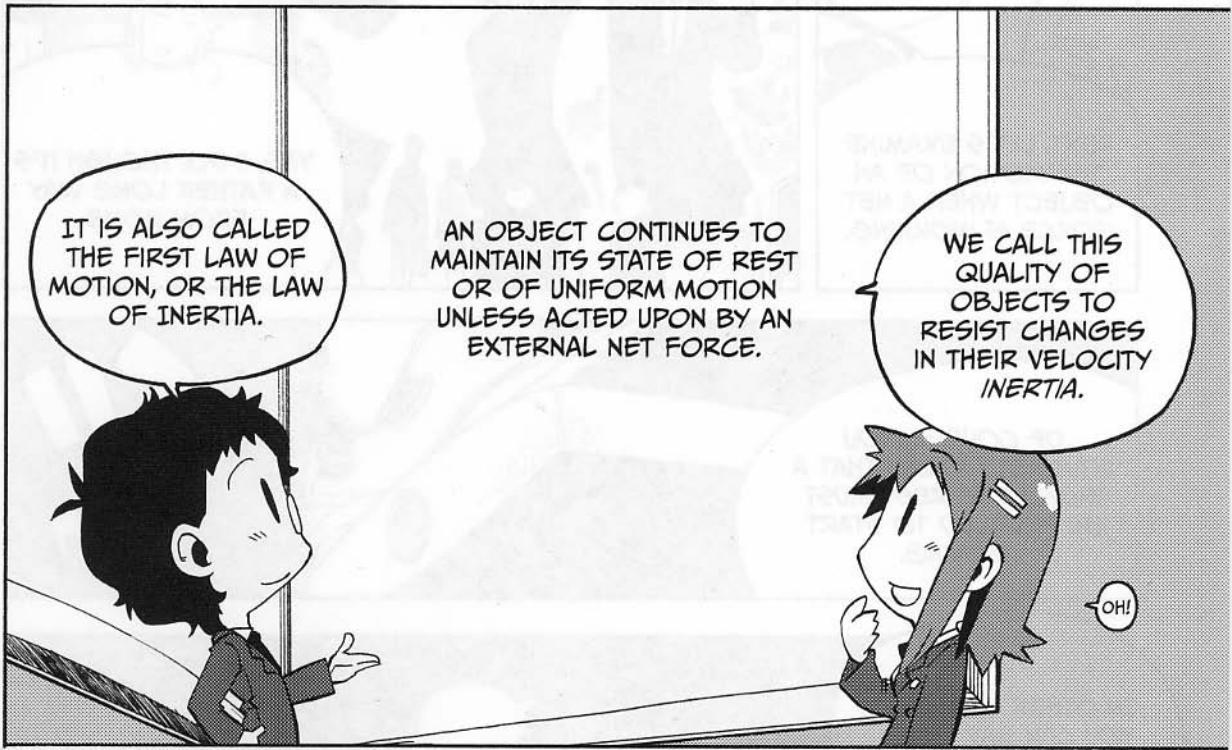
IS THAT GUY ALL RIGHT?

A CONSTANT-VELOCITY, OR UNIFORM, MOTION OCCURS WHEN THE NET FORCE IS ZERO.

HE LOOKS LIKE HE'S LEAVING.

WELL...

HISS



LAW OF ACCELERATION

NEXT, LET'S EXAMINE THE MOTION OF AN OBJECT WHEN A NET FORCE IS WORKING.

YOU COMMUTE BY BICYCLE, DON'T YOU, NINOMIYA-SAN?



HI GUYS!

HEY, IT'S MEGU!

YES, I DO. THOUGH IT'S A RATHER LONG WAY FROM HOME.

OF COURSE, YOU INTUITIVELY KNOW THAT A BICYCLE AT REST MUST BE PEDALED TO START MOVING.

IN OTHER WORDS, YOU CAN SAY THAT ITS VELOCITY HAS CHANGED.

YOU COULD SAY THAT THE APPLICATION OF FORCE (FROM YOUR LEGS) HAS GENERATED ACCELERATION.

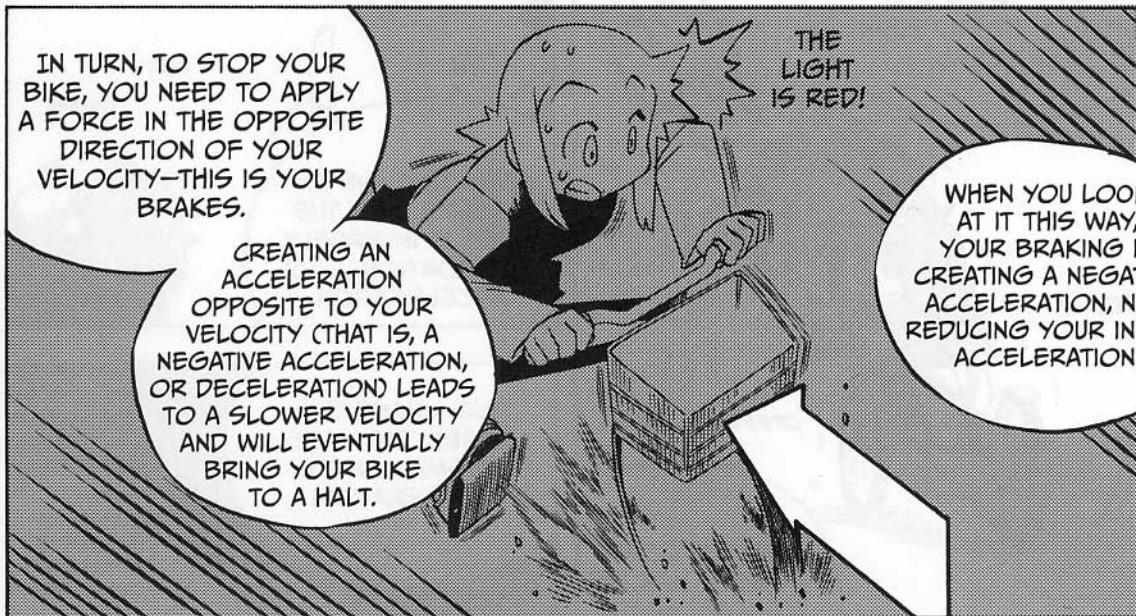
UH-HUH.



AND THE GREATER
THE FORCE IS,
THE GREATER THE
ACCELERATION
BECOMES.

HAVE TO
HURRY! I'M
RUNNING
LATE...

MY INTUITION
TELLS ME THAT.



IN TURN, TO STOP YOUR
BIKE, YOU NEED TO APPLY
A FORCE IN THE OPPOSITE
DIRECTION OF YOUR
VELOCITY—THIS IS YOUR
BRAKES.

THE
LIGHT
IS RED!

CREATING AN
ACCELERATION
OPPOSITE TO YOUR
VELOCITY (THAT IS, A
NEGATIVE ACCELERATION,
OR DECELERATION) LEADS
TO A SLOWER VELOCITY
AND WILL EVENTUALLY
BRING YOUR BIKE
TO A HALT.

WHEN YOU LOOK
AT IT THIS WAY,
YOUR BRAKING IS
CREATING A NEGATIVE
ACCELERATION, NOT
REDUCING YOUR INITIAL
ACCELERATION.



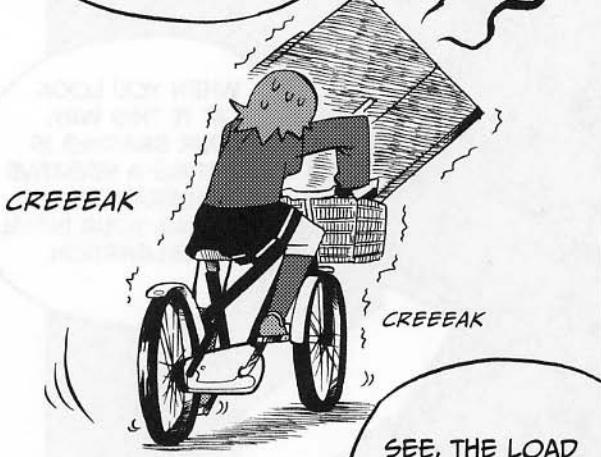
GIVEN THESE
OBSERVATIONS, WE
CAN SAFELY SAY THAT
THE FORCE IS DIRECTLY
PROPORTIONAL TO THE
ACCELERATION.

OKAY...

NOW, LET'S FOCUS ON MASS.

THAT'S HUGE! AND HEAVY!

WITH A HEAVY LOAD IN YOUR BASKET, YOU MUST EXERCISE A HUGE FORCE WHEN YOU INITIALLY TRY TO PUSH THE PEDAL.



SEE, THE LOAD MAKES IT HARDER TO ACCELERATE.

GIVEN THAT, WE CAN ASSUME THAT THE MASS IS INVERSELY PROPORTIONAL TO ACCELERATION.

PUFF PUFF PUFF WHEEZE

THAT MEANS THE LARGER THE MASS, THE SMALLER THE ACCELERATION.

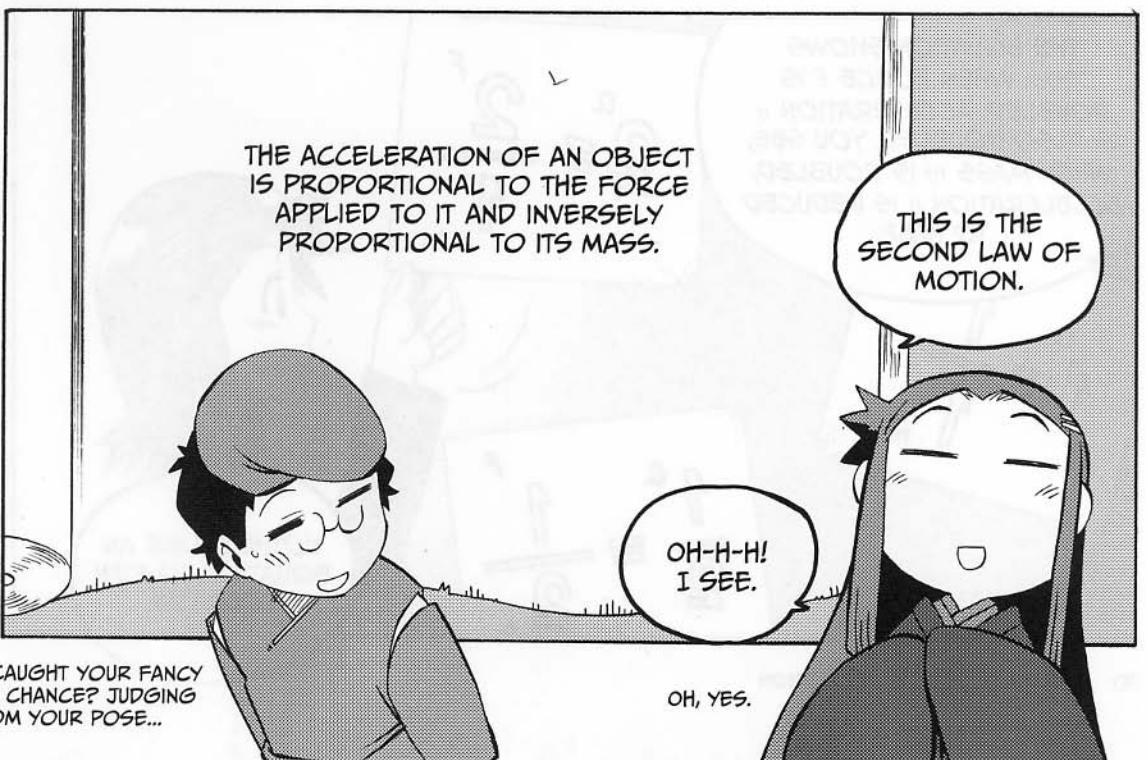
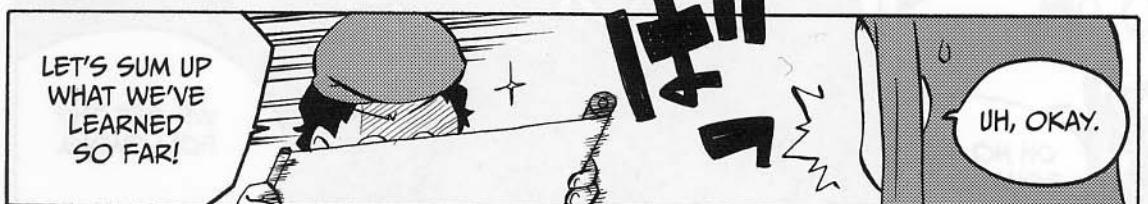
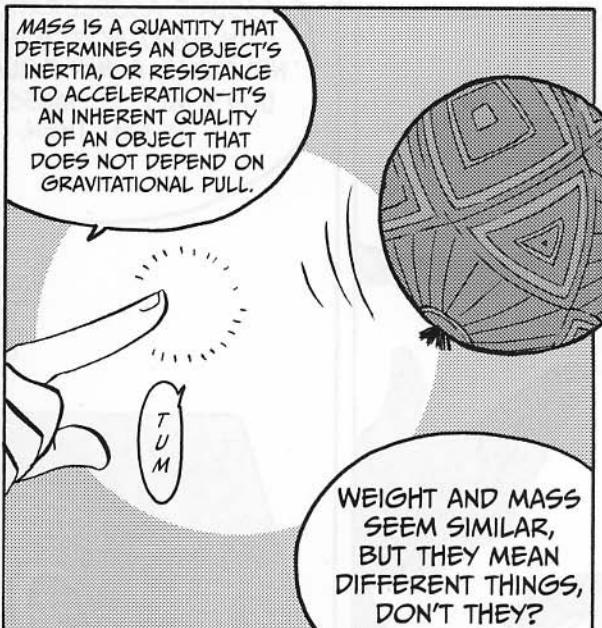
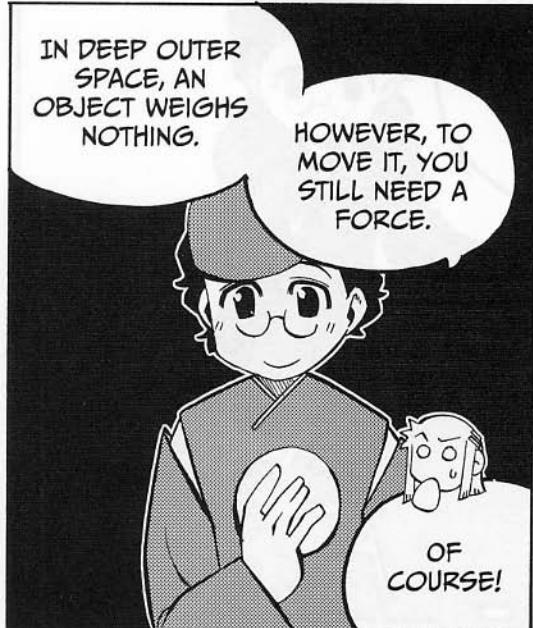
WAIT, WHAT'S THE DIFFERENCE BETWEEN WEIGHT AND MASS?

TO PUT IT SIMPLY, WEIGHT IS A FORCE IMPOSED ON AN OBJECT BY GRAVITY.

THIS MEANS AN OBJECT WILL HAVE A DIFFERENT WEIGHT ON THE MOON THAN ON EARTH.

SO WHAT ABOUT MASS?





NOW LET'S
EXPRESS IT IN AN
EQUATION.

ASSUME ACCELERATION IS
 a (IN M/S^2). FORCE IS F (IN
NEWTONS), A UNIT EQUAL TO
[$KG \times M$] / S^2 . MASS IS m
(IN KG). THEN,



OH NO, AN
EQUATION?

WE GET THE
FOLLOWING.

$$a = \frac{F}{m}$$

THE EQUATION SHOWS
THIS: WHEN FORCE F IS
DOUBLED, ACCELERATION a
IS ALSO DOUBLED. YOU SEE,
WHEN MASS m IS DOUBLED,
ACCELERATION a IS REDUCED
TO HALF.

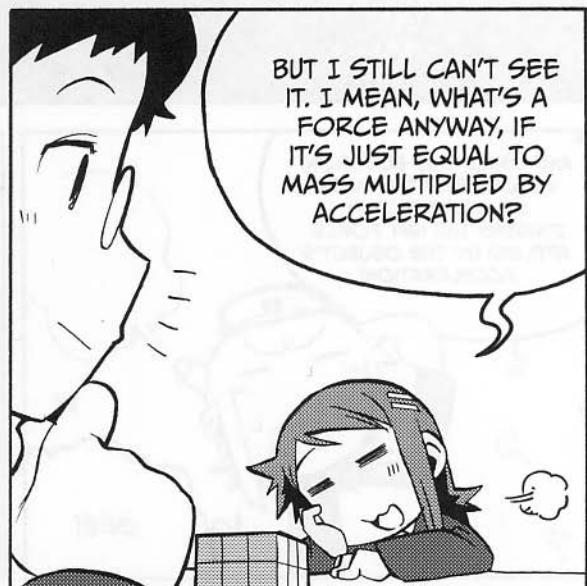
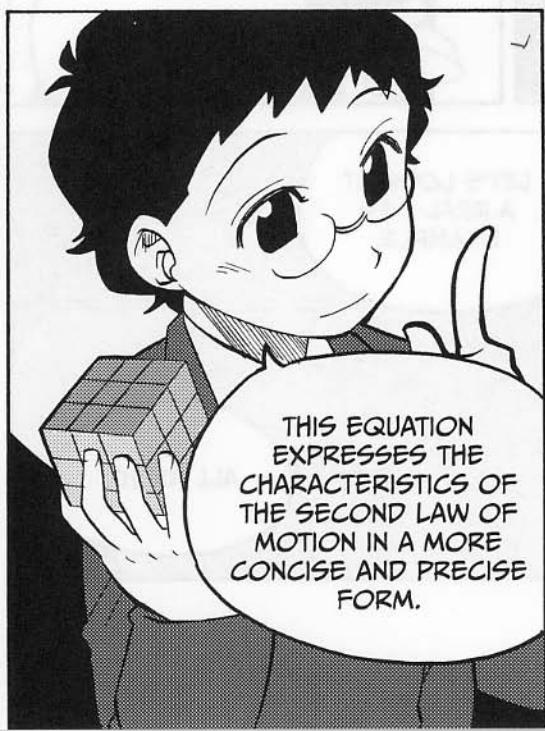
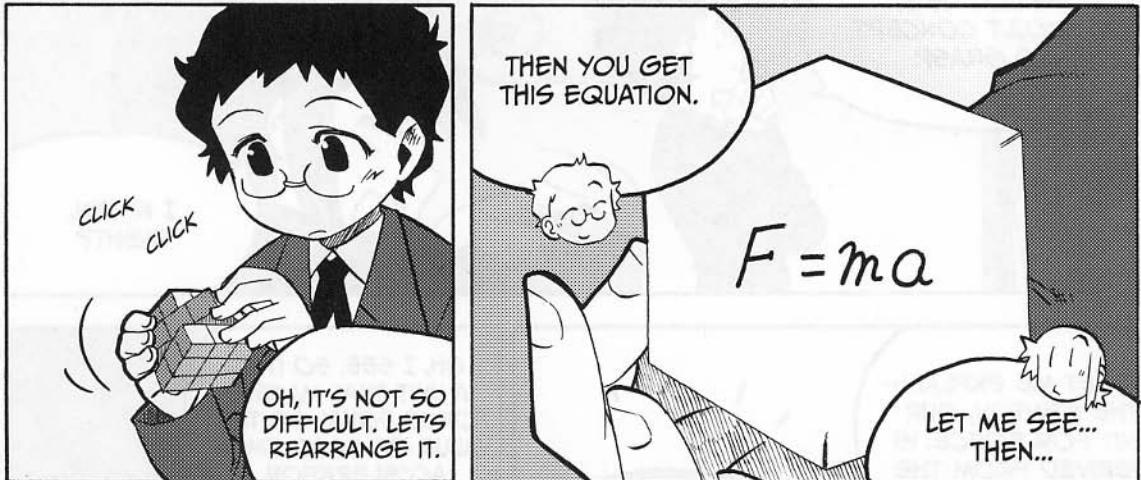
$$1 = \frac{1}{1} m$$

$$2^a = \frac{2^F}{1} m$$

$$\frac{1}{2}^a = \frac{1^F}{2} m$$



NOTHING LIKE AN
EQUATION TO RUIN
YOUR DAY.



WELL, IT IS A DIFFICULT CONCEPT TO GRASP.

I KNOW, RIGHT?

BUT LET ME EXPLAIN—
THE NEWTON, OUR
UNIT FOR FORCE, IS
DERIVED FROM THE
EQUATION $F = ma$.

ONE NEWTON
IS THE FORCE
NEEDED TO
ACCELERATE A
1 KG OBJECT BY
 1 m/s^2 .

OH, I SEE. SO IT'S
A UNIT THAT MAKES
FORCE EQUAL TO THE
VALUE OF MASS TIMES
ACCELERATION.

EXACTLY.

AND USING THIS EQUATION,
WE CAN FIND THE MASS
OF AN OBJECT BY
DIVIDING THE NET FORCE
APPLIED BY THE OBJECT'S
ACCELERATION!

LET'S LOOK AT
A REAL-LIFE
EXAMPLE.

ALL RIGHT.

LABORATORY

FINDING THE PRECISE VALUE OF A FORCE



Earlier, we pushed each other while we were on roller blades. Let's say that I captured our motion on video.



I didn't realize you were taping us!



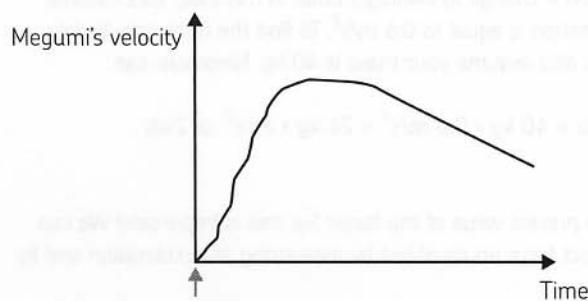
Oh, that's just the scenario I'm setting up.



Jeez, don't scare me. How does that relate to the second law of motion?



Suppose I have analyzed the video, and I've created a v-t graph of your motion.

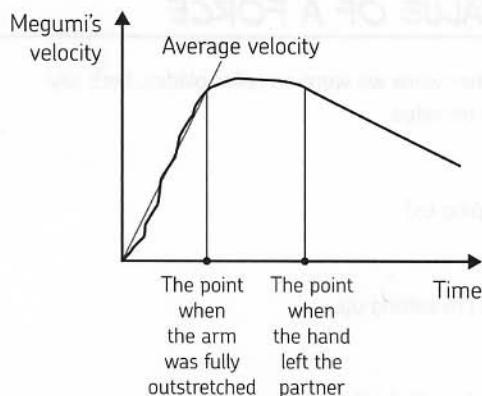


We can see that velocity increases sharply from zero, which must be when I'm at rest, and then drops gradually after that. But the initial increase in velocity is wobbly.





In a case like this, it may be a good idea to draw a line segment that represents the average increase in velocity. In other words, we'll simplify the scenario to assume this is a case of uniform acceleration.



I see.



You can find acceleration by calculating the change in velocity over time—acceleration = change in velocity / time. In this case, let's assume that your acceleration is equal to 0.6 m/s^2 . To find the force I applied to your hands, let's also assume your mass is 40 kg, Ninomiya-san.

$$F = ma = 40 \text{ kg} \times 0.6 \text{ m/s}^2 = 24 \text{ kg} \times \text{m/s}^2, \text{ or } 24\text{N}$$



We've found the precise value of the force! So, this is important! We can measure the exact force on an object by measuring its acceleration and its mass.



Now, if you know that I weigh 60 kg, can you predict my acceleration, due to the application of an equal and opposite 24N of force?



Oh, I see. We're combining the second and third laws of motion. F_{Megumi} must equal F_{Ryota} . Since $F = ma$, we know that $F / m = a$. In your case, that's $24\text{N} / 60 \text{ kg}$, or 0.4 m/s^2 . So we can use these laws to predict the movement of objects. Neat!

MOTION OF A THROWN BALL



FIRST, LET'S THINK ABOUT AN OBJECT MOVING IN A PARTICULAR DIRECTION.

WON'T THE FORCE ON THE OBJECT BE IN THE SAME DIRECTION AS ITS MOTION?

YES, A BALL MOVES IN THE SAME DIRECTION AS THE INITIAL FORCE THAT WAS IMPOSED ON IT.

IMAGINE I THROW THIS BALL IN THE AIR. SUPPOSE THE BALL IS AT POINT A, B, OR C. DRAW THE ORIENTATION OF THE FORCE IMPOSED ON THE BALL.

LET'S IGNORE AIR RESISTANCE.

THE ORIENTATION OF THE THROWING FORCE

A

THE POSITION 0.2 SECONDS AFTER LEAVING THE HAND

B

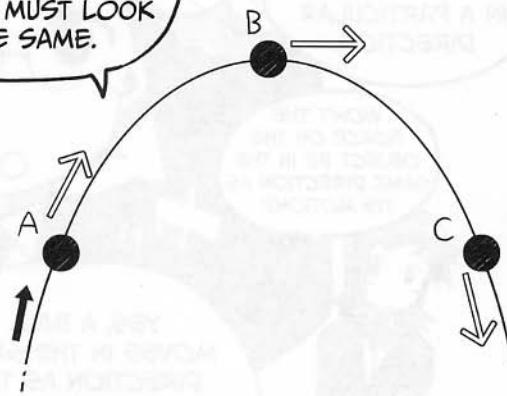
THE POSITION AFTER 0.4 SECONDS

C

THE POSITION AFTER 0.6 SECONDS



WELL, SINCE THE
BALL'S VELOCITY
LOOKS LIKE THIS, THE
FORCE MUST LOOK
THE SAME.



OH, NO, YOU
HAVE BEEN
TRICKED BY MY
QUESTION.



WHY ARE
YOU ALWAYS
TRICKING ME?!

IN YOUR
DIAGRAM ABOVE,
WHERE IS THE
FORCE OF
GRAVITY ON THE
BALL?



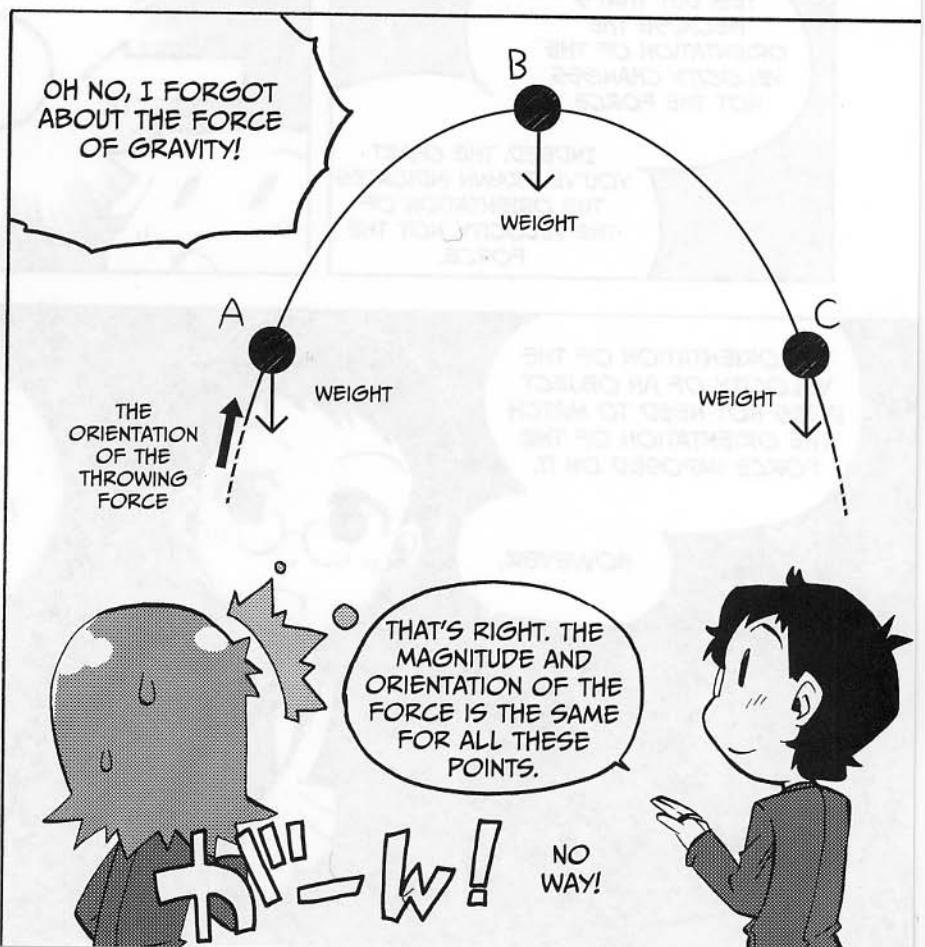
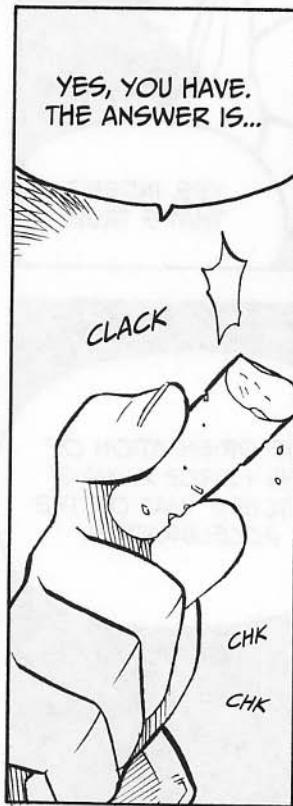
LET ME SEE...I GUESS I
THOUGHT I DREW THE
RESULT OF ALL FORCES,
INCLUDING GRAVITY. BUT
NOW I'M NOT SO SURE.

AT POINT A, YOU DREW
A FORCE WORKING ON
THE BALL, DIAGONALLY
UPWARD. WHERE DOES
THAT FORCE COME
FROM?

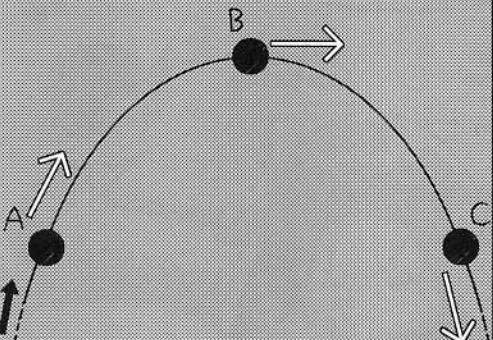


WELL...IT'S THE
FORCE OF YOUR
HAND BEING
IMPOSED ON THE
BALL, RIGHT?





BUT DOESN'T THE
BALL FORM A
PARABOLA AS IT
MOVES THROUGH
THE AIR?



YES, BUT THAT'S
BECAUSE THE
ORIENTATION OF THE
VELOCITY CHANGES,
NOT THE FORCE.

INDEED, THE CHART
YOU'VE DRAWN INDICATES
THE ORIENTATION OF
THE VELOCITY, NOT THE
FORCE.

THE ORIENTATION
OF THE VELOCITY,
YOU SAY...

DON'T THINK OF
VELOCITY AS
CORRESPONDING
TO THE ORIENTATION
OF THE FORCE.

FOR EXAMPLE, THE
FORCE STOPPING AN
OBJECT WORKS IN THE
OPPOSITE DIRECTION
OF ITS VELOCITY,
RIGHT?

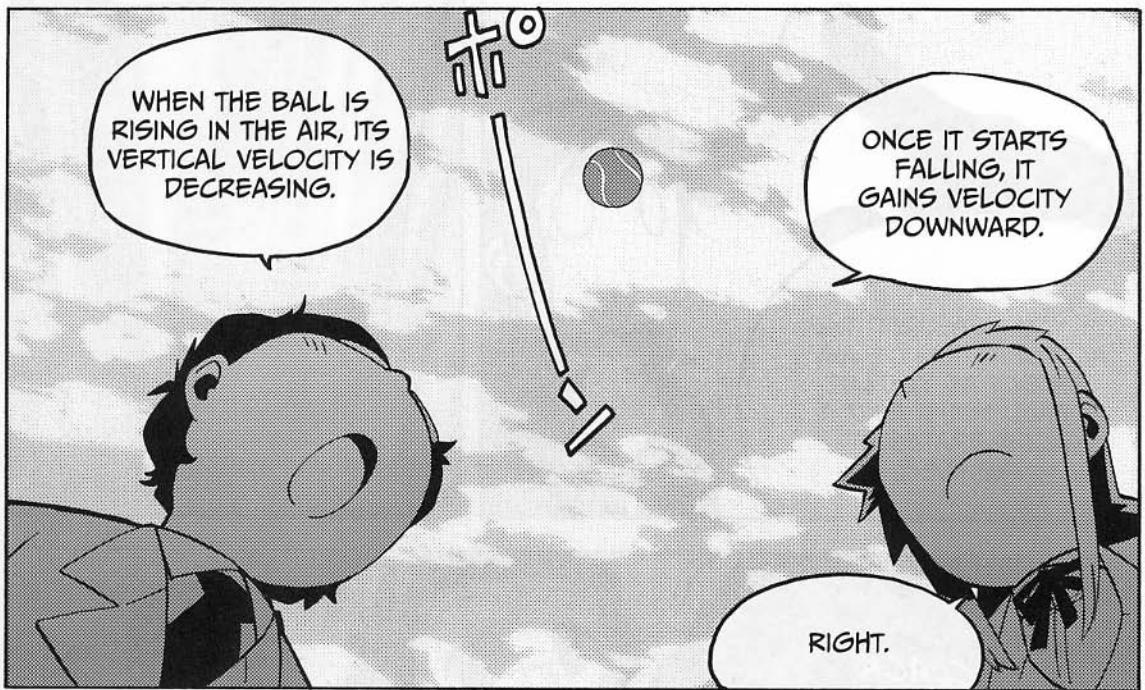
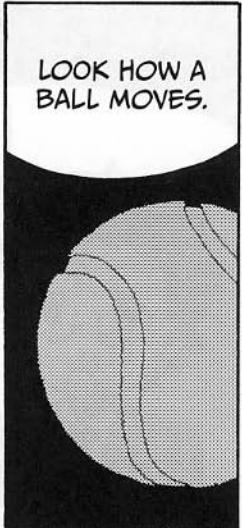
YES, INDEED,
THAT'S TRUE.

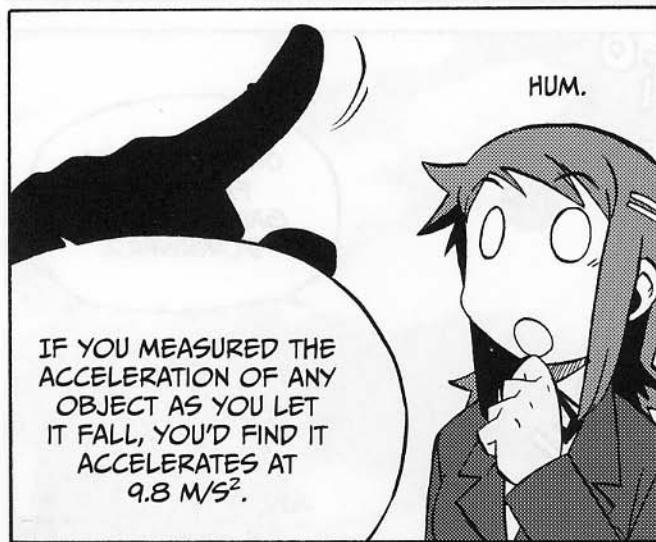
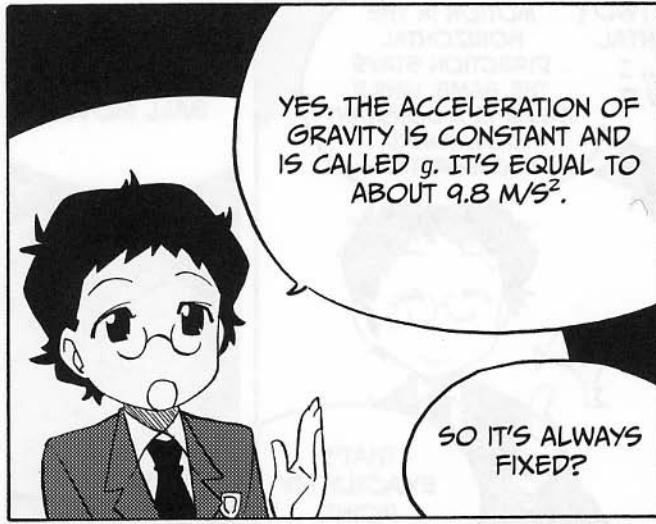
THE ORIENTATION OF THE
VELOCITY OF AN OBJECT
DOES NOT NEED TO MATCH
THE ORIENTATION OF THE
FORCE IMPOSED ON IT.

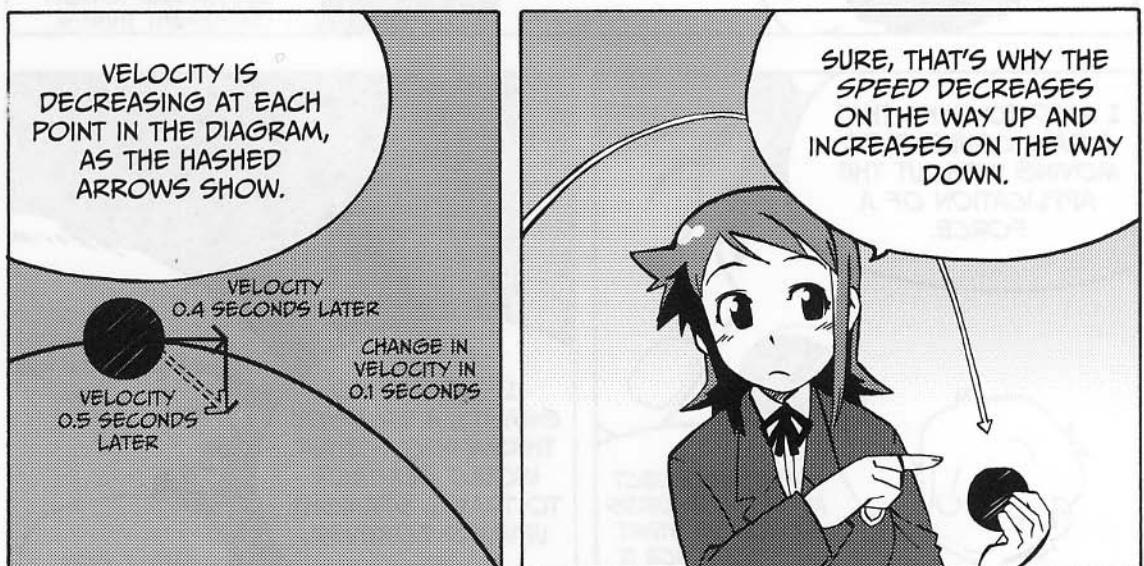
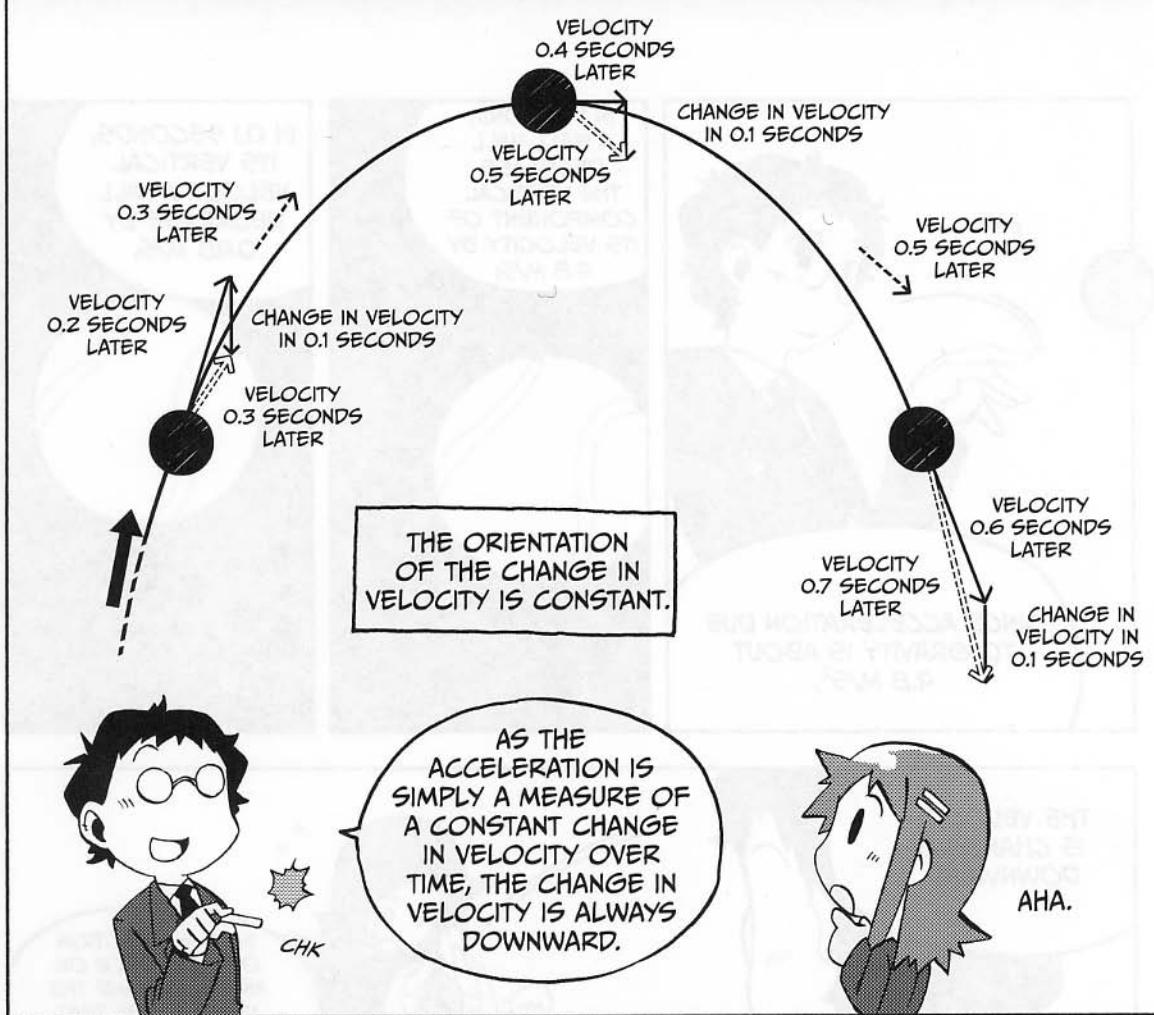
HOWEVER,

THE ORIENTATION OF
THE FORCE ALWAYS
MATCHES THAT OF THE
ACCELERATION.









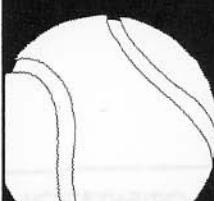
FWP



SINCE ACCELERATION DUE
TO GRAVITY IS ABOUT
 9.8 m/s^2 ,

IN 1 SECOND,
A BALL WILL
DECREASE
THE VERTICAL
COMPONENT OF
ITS VELOCITY BY
 9.8 m/s ;

IN 0.1 SECONDS,
ITS VERTICAL
VELOCITY WILL
DECREASE BY
 0.98 m/s .

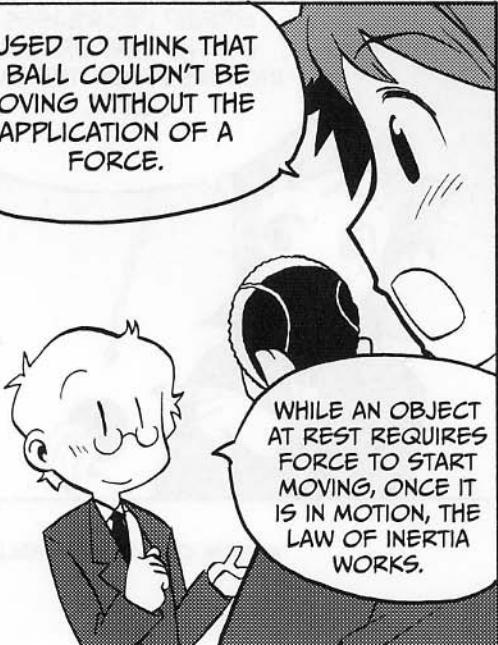


THE VELOCITY
IS CHANGING
DOWNWARD.



SO THE DIRECTION
OF THE FORCE ON
AN OBJECT AND THE
VELOCITY OF THAT
OBJECT ARE TOTALLY
DIFFERENT THINGS.

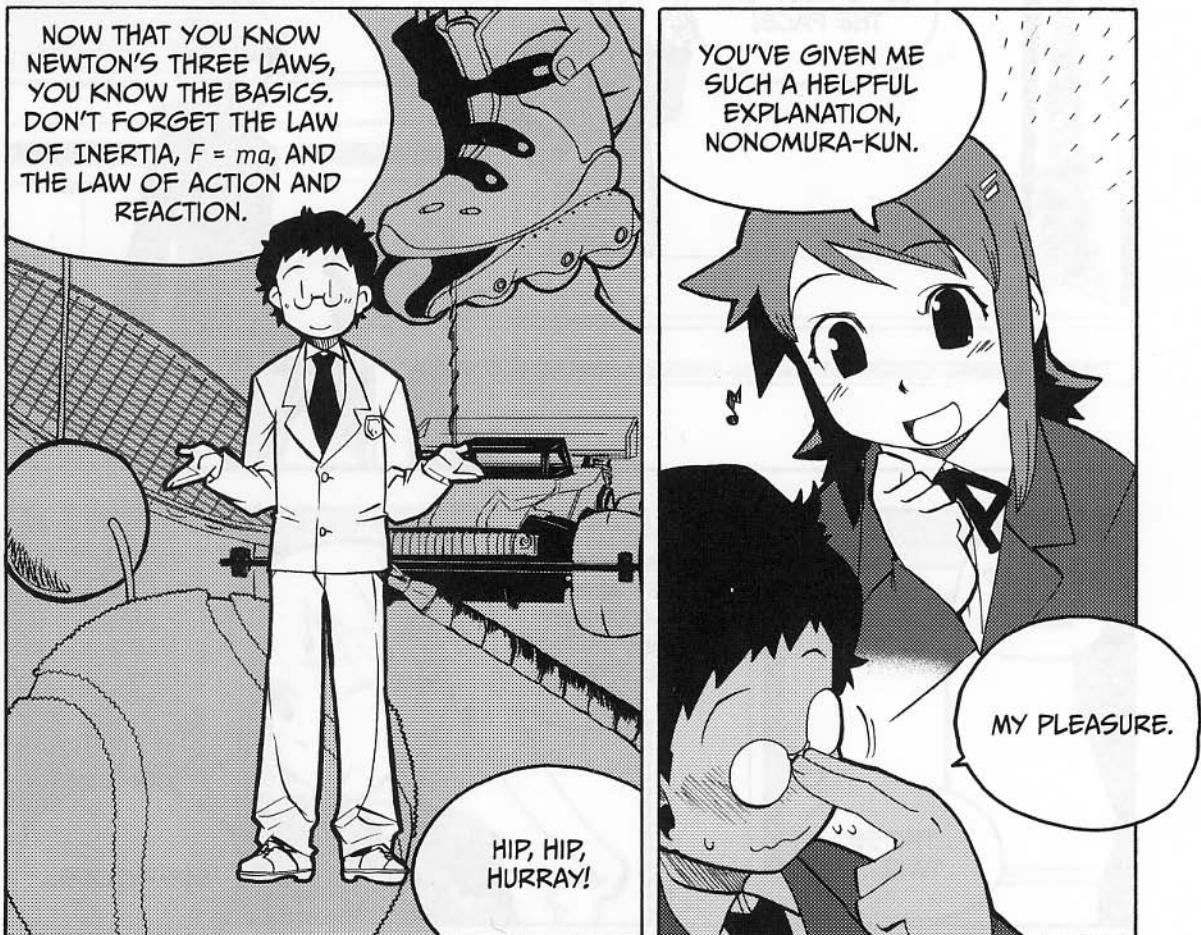
I USED TO THINK THAT
A BALL COULDN'T BE
MOVING WITHOUT THE
APPLICATION OF A
FORCE.



WHILE AN OBJECT
AT REST REQUIRES
FORCE TO START
MOVING, ONCE IT
IS IN MOTION, THE
LAW OF INERTIA
WORKS.

IF WE HAD NO
GRAVITY, A BALL YOU
THREW INTO THE AIR
WOULD CONTINUE
TO TRAVEL STRAIGHT
UPWARD FOREVER.

AHA, I SEE.



THE PHYSICS OF MOTION IS MADE OF THREE LAWS—THE ONES WE'VE LEARNED. NO EXAGGERATION!

WOW, REALLY? THEY MUST BE PRETTY GREAT LAWS!

NEXT, WE'RE GOING TO LEARN ABOUT MOMENTUM.

LET'S KEEP UP THE PACE!

ALL RIGHT! HA, HA.

WE STAYED SO LATE AGAIN!

...THOSE TWO...

WHY ARE THEY ALWAYS STUDYING TOGETHER IN THE PHYSICS LAB?

SUSPICIOUS...