

## K.S. INSTITUTE OF TECHNOLOGY, BANGALORE - 560109 III SESSIONAL TEST QUESTION PAPER 2018 – 19 EVEN SEMESTER

## **Scheme and Answers**

SET – A#B

USN

Degree : B.E Semester : IV

Branch : Computer Science and Engineering Course Code : 17CS43

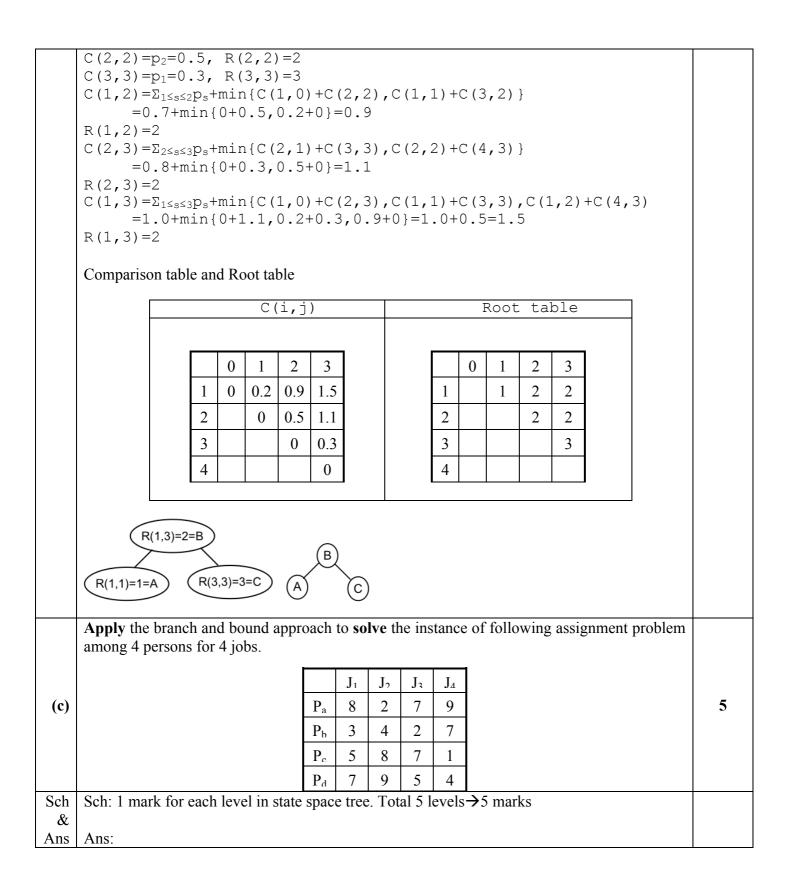
Course Title : Design and Analysis of Algorithms Date : 21-May-2019

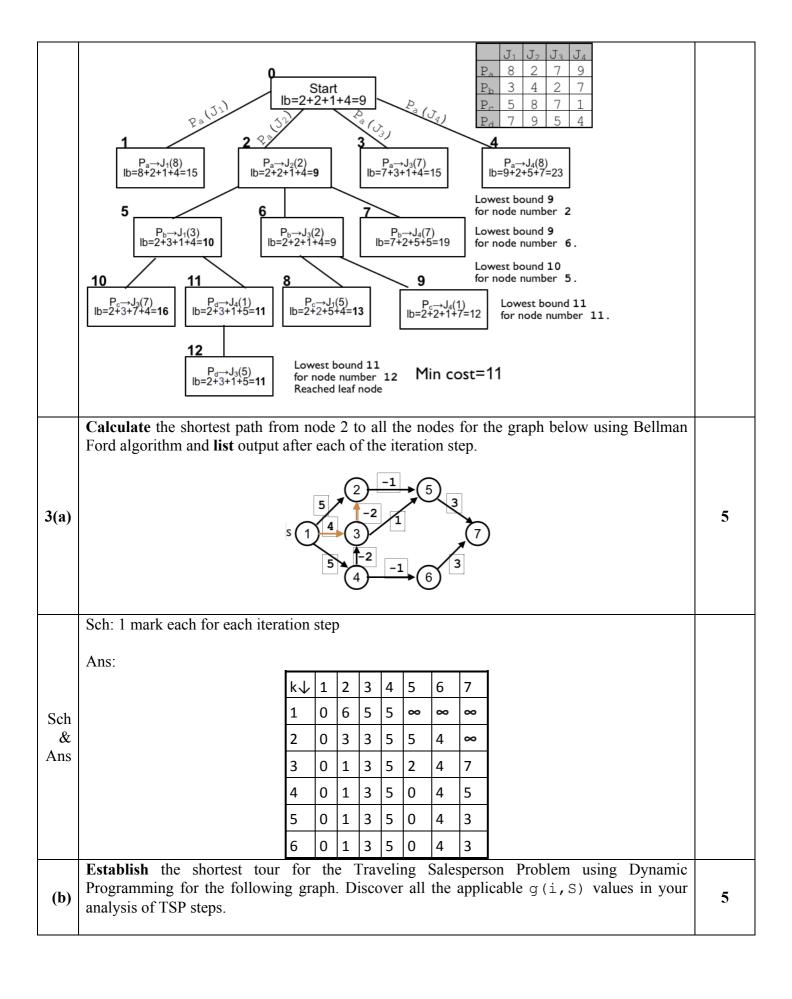
Duration : 90 Minutes Max Marks : 30

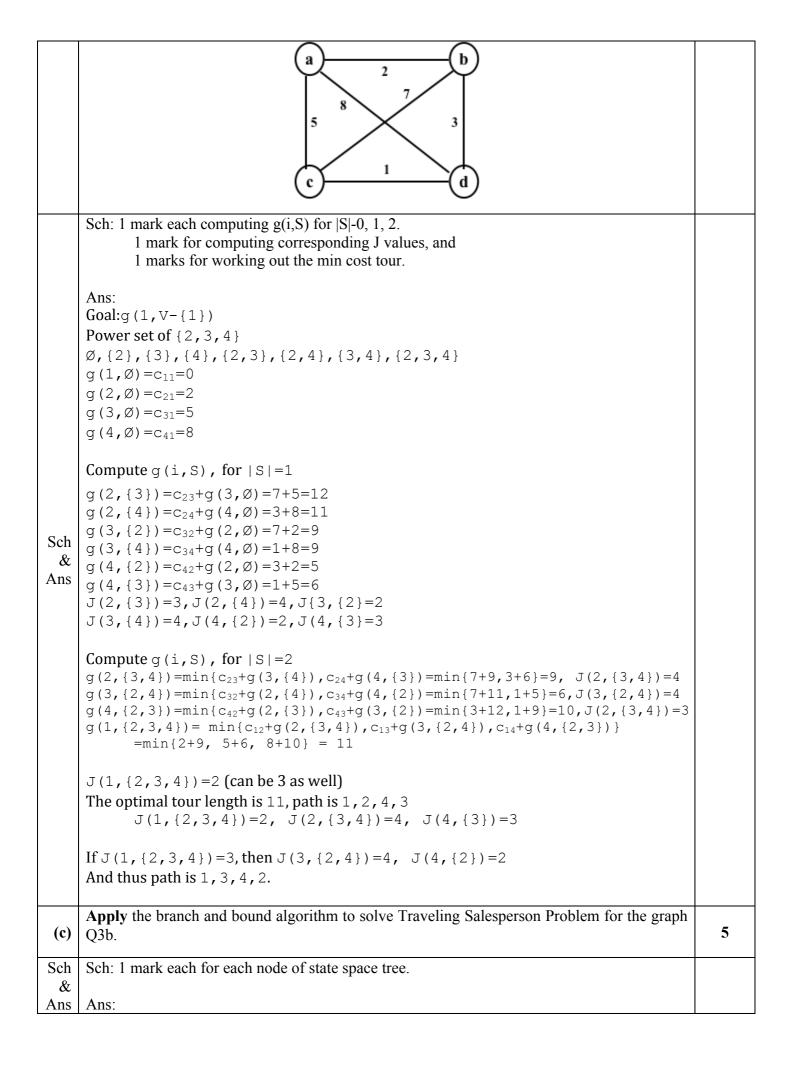
Note: Answer ONE full question from each part.

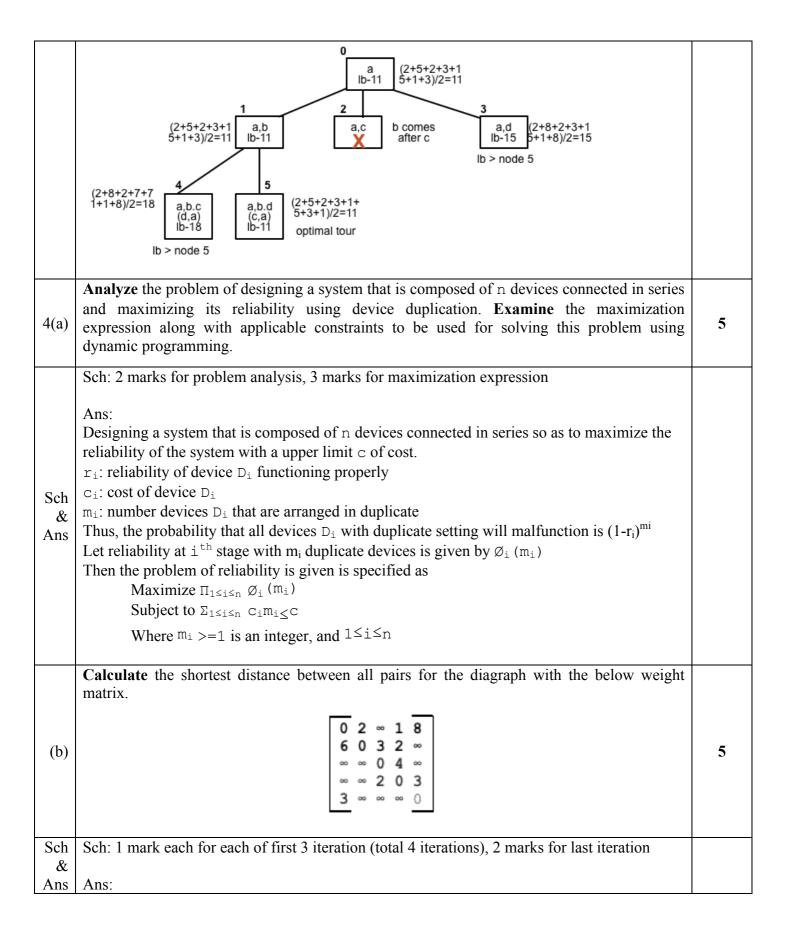
Q No.	Question	Marks
1(a)	<b>Compare</b> the principle of optimality with Greedy approach. Consider the problem of optimal merge pattern to merge N files, and determine which pair of files should be merged at each. <b>Analyze</b> if decision sequences follows the principle of optimality.	5
Sch & Ans	Sch: 3 marks for comparison, 2 marks for merging N files  Ans: With principle of optimality, the next decision in sequence of decisions is always optimal, whereas in Greedy approach, the next decision may not be optimal. For example, using Dijkstra's algo with negative weights, using greedy approach it may not give optimal results. The optimal merge pattern is always pick two smallest size files and merge them. Put the merge file back and this become another file. Thus each step, number of files decreases by 1, and merging will be complete after N-1 merges.	
(b)	Calculate the shortest path from source s to destination t for the following multi-stage graph using backward approach (forward reasoning).  A  5  D  20  T  T  T  T  T  T  T  T  T  T  T  T  T	5
Sch & Ans	Sch: 3 marks for defining the right steps, and 2 marks for computation.  Ans: $d(s,t) = \min\{d(s,D) + 20, d(s,E) + 14, d(s,F) + 5\}$ $d(s,D) = \min\{d(s,A) + 5, d(s,B) + 8\}$ $d(s,E) = \min\{d(s,A) + 10, d(s,B) + 6, d(s,C) + 4\}$ $d(s,F) = \min\{d(s,B) + 15, d(s,C) + 3\}$ Computation: $d(s,A) = 1, d(s,B) = 3, d(s,C) = 7$ $d(s,D) = \min\{1 + 5, 3 + 8\} = 6$ $d(s,E) = \min\{1 + 10, 3 + 6, 7 + 4\} = 9$ $d(s,F) = \min\{3 + 15, 7 + 3\} = 10$ $d(s,t) = \min\{6 + 20, 9 + 14, 10 + 5\} = 15$	

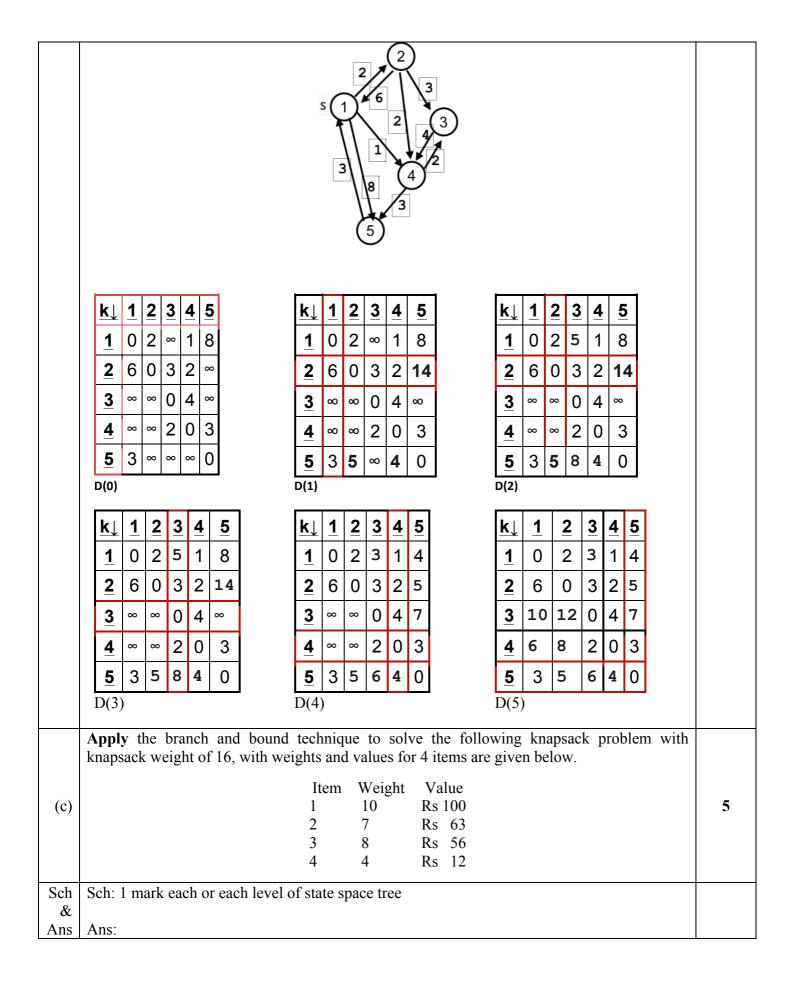
(c)	<b>Identify</b> the reasons that are used to terminate a search path in a state-space tree of a branch-and-bound algorithm.	5
Sch & Ans	<ul> <li>Sch: 2 marks each for first 2 reason, 1 mark for remaining</li> <li>Ans: A search in state space tree using Branch and Bound terminates, when any of the following conditions are met <ol> <li>The value of a node's bound value is worse than the best solution seen so far</li> <li>The node represents a situation which is not feasible due to constraints imposed on the problem.</li> <li>The node has become a leaf node and reached the end of solution. At this point, if the node's objective function is better than the best solution so far, update the value of best solution. </li> <li>List the OptimalBST algorithm and analyze its space and time complexity.</li> </ol></li></ul>	5
Sch & Ans	Sch: 3 marks for algo, and 2 marks for time complexity.  Ans: Algo optimalBST(P[1:n]) # P[1:n] represents the probabilities of occurrence of n keys. For i=1 to n do  C[i,i-1]=0  C[i,i]=P[i]  R[i,i]=i  C[n+1,n]=0  For d=1 to n-1 do # diagonal count  For i=1 to n-d to     j=i+d     minval = inf     for k=i to j do         if [Ci,k-1]+C[k+1,j] < minval then         minval = C[I,k-1]+C[k+1,j]         kmin = k  R[i,j] = kmin     Sum = P[i]  For s=i+1 to j do     Sum = sum+P[s]     C[i,j]=minval + sum  Return C[1,n],R	
(b)	Construct an OptimalBST for following 3 keys. Pa=0.2, Pb=0.5, Pc=0.3	5
Sch & Ans	Sch: 0.5 mark each for diagonal computations $C[1,1]$ , $C[2,2]$ , $C[3,3]$ : total 1.5 marks 1 mark each for computing $C[1,2]$ , and $C[2,3]$ , total : 2 marks 1.5 marks for computing $C[1,3]$ Thus, total = 1.5+2+1.5=5 marks  Ans: $C(1,0)=0, C(2,1)=0, C(3,2)=0$ $C(1,1)=p_1=0.2, R(1,1)=1$	2

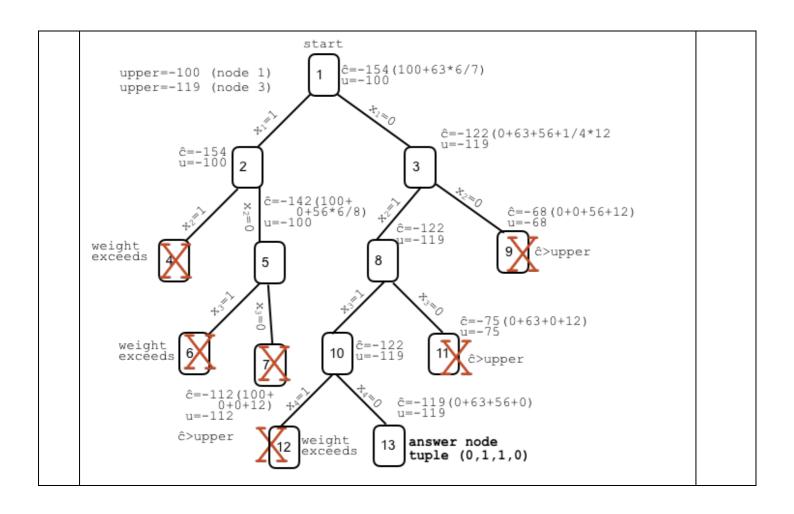












**Signature of Course in charge** 

**Signature of HOD-CSE**