

Computer Network Lab

Exp 07: CRC Computatin

Dr. Ram P Rustagi
Sem V (2018-H2)
Dept of CSE, KSIT
rprustagi@ksit.edu.in

Ex07 Resources

- References:
 - <http://www.ross.net/crc/crcpaper.html>
 - http://www.repairfaq.org/filipg/LINK/F_crc_v3.html
 - http://www.ross.net/crc/download/crc_v3.txt
 - contains the program
 - <http://srecord.sourceforge.net/crc16-ccitt.html>
 - <https://www.slideshare.net/sandeep101026/crc-java-code>

Exp10 Description

- Program 07 (Java)
 - Write a program for error detecting code using CRC-CCITT.

Cyclic Concepts

- ❖ CRC Codes known as polynomial codes
 - Each bit is taken as coefficient of polynomial
- ❖ Using module 2 i.e. bits 0, 1
 - Consider when we ignore carries or borrows
 - What would be difference between add & subtract
 - Can be achieved by XOR operation
 - Examples

$$1011 + 0101 = 1110$$

$$1011 - 0101 = 1110$$

$$1001 + 1101 = 0100$$

$$1001 - 1101 = 0100$$

Cyclic redundancy check

- ❖ More powerful error-detection coding
- ❖ View data bits, **D**, as a binary number
- ❖ Choose $r+1$ bit pattern (generator), **G**
- ❖ Goal: choose r CRC bits, **R**, such that
 - $\langle D, R \rangle$ exactly divisible by G (modulo 2)
 - Receiver knows G , divides $\langle D, R \rangle$ by G . If non-zero remainder: error detected!
 - Can detect all burst errors less than $r+1$ bits
- ❖ Widely used in practice (Ethernet, 802.11 WiFi, ATM)



$$D * 2^r \text{ XOR } R$$

mathematical formula

CRC example

Want:

$$D \cdot 2^r \text{ XOR } R = nG$$

Equivalently:

$$D \cdot 2^r = nG \text{ XOR } R$$

Equivalently:

if we divide $D \cdot 2^r$ by G ,
want remainder R to
satisfy:

$$R = \text{remainder} \left[\frac{D \cdot 2^r}{G} \right]$$

Example:

$$D = 101110$$

$$G = 1001$$

$$r = 3$$

$$\begin{array}{r}
 \overline{101110000} \\
 1001 \\
 \hline
 101 \\
 000 \\
 \hline
 1010 \\
 1001 \\
 \hline
 110 \\
 000 \\
 \hline
 1100 \\
 1001 \\
 \hline
 1010 \\
 1001 \\
 \hline
 011
 \end{array}$$

Note: MSB of
Generator is really
not used in division
as it always cancels
out whenever '1'
is added to quotient

Cyclic redundancy check

- ❖ International CRC Standards defined for

- 8, 12, 16 and 32 bit generators
- 16 bit generator (CRC-CCITT)

$x^{16} + x^{12} + x^5 + x^0$, i.e.

1 0001 0000 0010 0001

- Polynomial in actual computation
 - 0x1021

- ❖ CRC Detects bursts errors of less than $r+1$ bits

- Consecutive error of r bits or fewer will be detected
- Under some appropriate assumptions
 - burst of error $> r+1$ bits detected
- Can detect any odd number of bit errors

Exercises

❖ Given

- $G=10011$ (CRC-4-ITU Standard)
- $D=1010101010$

❖ Question:

- What is the value of R
- Divide 10011 into 1010101010 0000
 - $R = 0100$

Lab Program:

- Lab program expectation:
 -

Program Template:

- Read message from command line input