Emotion Recognition In The Wild Challenge and Workshop (EmotiW 2013)

Partial Least Squares Regression on Grassmannian Manifold for Emotion Recognition

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Outline

- Problem
- Related work
- Our Method
- Experiments
- Conclusion



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Emotion recognition in the wild

Challenges

- Large data variations
 - head pose, illumination, partial occlusion, etc.
- Lack of labeled data
 - Manual annotation is hard as spontaneous expression is ambiguous in the real world.





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Video-based emotion recognition

- Acoustic information based
 - Time domain and frequency domain
 - e.g. pitch, intensity, pitch contour, Low Short-time Energy Ratio (LSTER), maximum bandwidth, ...
- Vision information based
 - Spatial space and temporal space
 - e.g. Optical flow, 3D descriptor (LBP-TOP, HOG 3D), tracking based (AAM, CLM), probabilistic graph model (HMM, CRF), ...



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Key issue

– How to model the emotion video clip?

Motivation

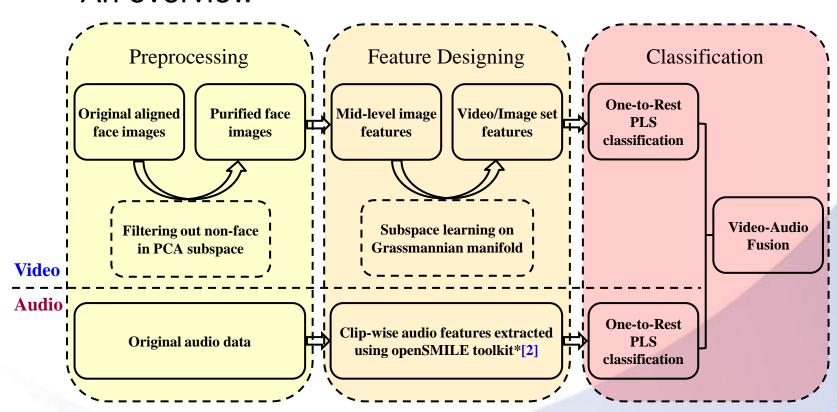
- Alleviate the effect of mis-alignment of facial images
- Encode the data variations among video frames

Basic idea

- Inspired by recent progress of image set-based face recognition [1]
- Treat the video clip as an image set, i.e., a collection of frames
- Linear subspace for video (image set) modeling

[1] R. Wang, H. Guo, L. S. Davis, and Q. Dai. Covariance discriminative learning: A natural and efficient approach to image set classification. CVPR, 2012.

An overview



[2] F. Eyben, M. Wollmer, and B. Schuller. Opensmile: the munich versatile and fast open-source audio feature extractor. ACM MM, 2010.



- Preprocessing
 - Original face alignment using MoPS [3] (provided by organizer)
 - Purification of face images
 - Original aligned face images set: $X = \{x_1, x_2, ..., x_n\}, x_i \in \mathbb{R}^D$.
 - PCA projection learned on X by preserving low energy: W.
 - Mean reconstruction error of each image:

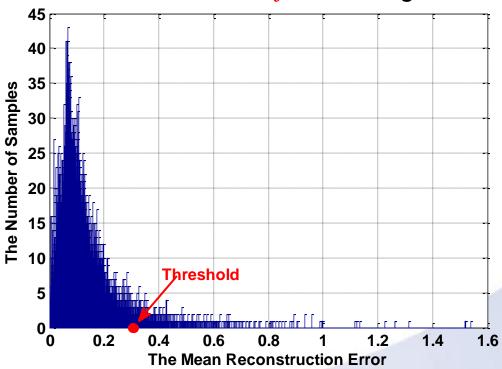
$$MeanErr_t = \frac{1}{D} \left| \left| x_t - W^T W x_t \right| \right|^2$$

Non-face/Badly-aligned face images tend to have large MeanErr_t.

[3] X. Zhu, and D. Ramanan. Face detection, pose estimation, and landmark localization in the wild. CVPR, 2012.



- Preprocessing
 - The distribution of $MeanErr_t$ on training set in EmotiW2013.



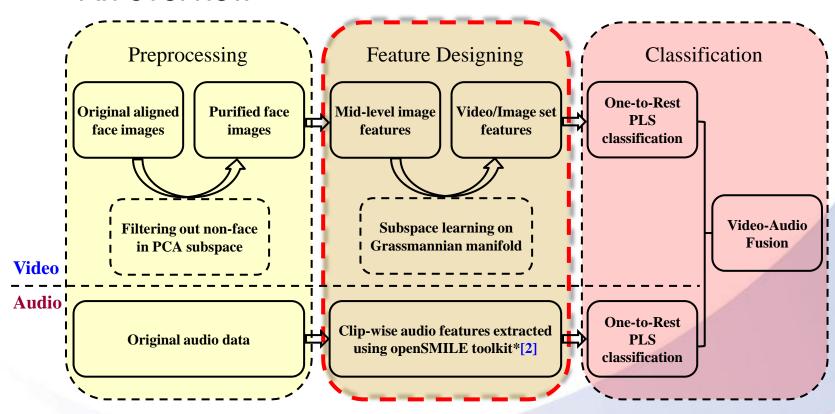
^{*} Threshold is for filtering out non-face in PCA space.



- Preprocessing
 - An example of 100 samples with largest mean reconstruction error. Most are non-face images or mis-alignment results.

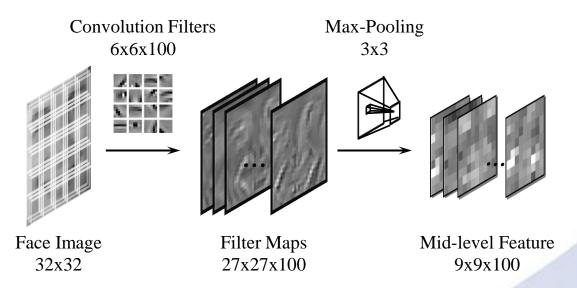


An overview





- Feature designing
 - Image feature [4]



[4] M. Liu, S. Li, S. Shan, X. Chen. AU-aware Deep Networks for Facial Expression Recognition. FG, 2013.



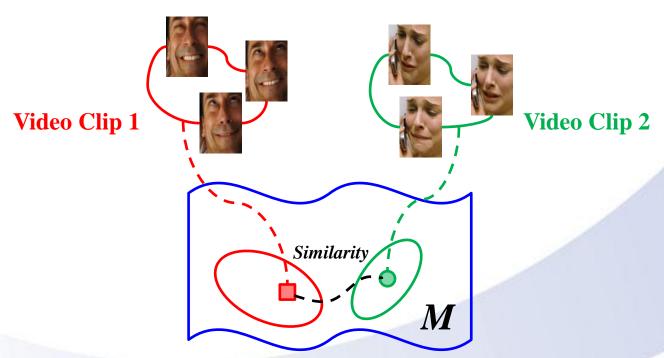
- Feature designing
 - Video feature
 - Each video clip is a set of images, denoted as $S_i \in R^{f \times n_i}$, where f is the dimension of image feature, and n_i is the number of frames.
 - The video S_i can be represented as a linear subspace P_i , s.t.

$$S_i S_i^T = P_i \Lambda_i P_i^T$$

 Thus all the video clips can be modeled as a collection of subspaces, which are also the points on Grassmannian manifold.



- Feature designing
 - Video feature
 - An illustration of subspaces on Grassmannian manifold





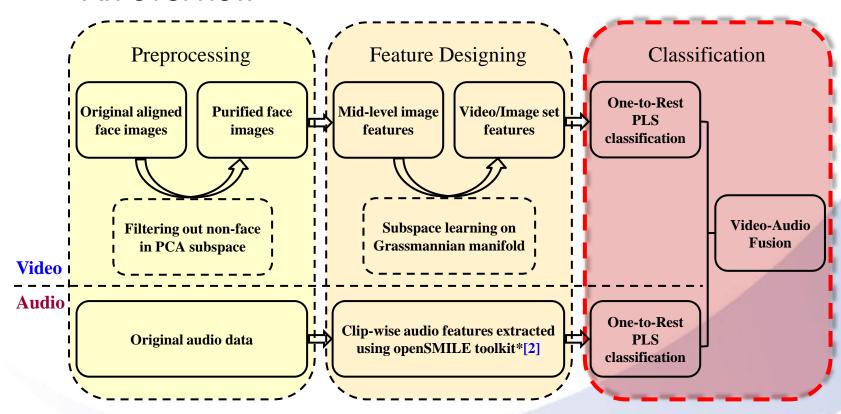
Feature designing

- Video feature
 - The similarity between two points P_i and P_j on manifold M can be measured by a linear combination of Grassmannian kernels.
 - Projection kernel[5]: $k_{ij}^{[proj]} = ||P_i^T P_j||_F^2$.
 - Canonical correlation kernel[6]: $k_{ij}^{[CC]} = max_{a_p \in span(P_i)} max_{b_q \in span(P_i)} a_p^T b_q$.
 - Linear combination: $k_{ij}^{[com]} = k_{ij}^{[proj]} + \alpha k_{ij}^{[CC]}$.
 - The kernels of each point (i.e., each video) to all training points serve as its final feature representation for classification.

[5] J. Hamm, D. Lee. Grassmann discriminant analysis: a unifying view on subspace-based learning. ICML, 2008. [6] M. Harandi, C. Sanderson, S. Shirazi, B.C. Lovell. Graph embedding discriminant analysis on Grassmannian manifolds for improved image set matching. CVPR, 2011.

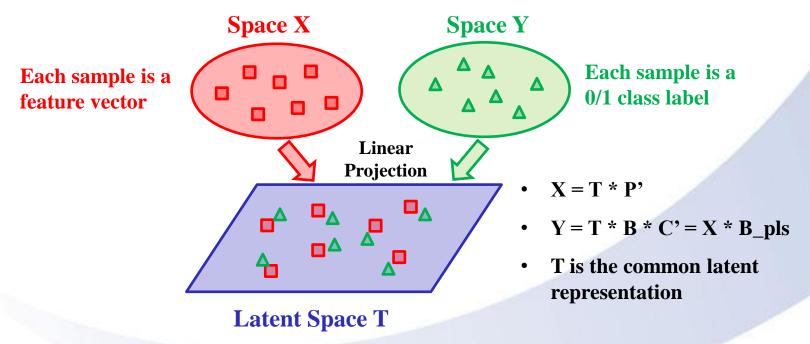


An overview



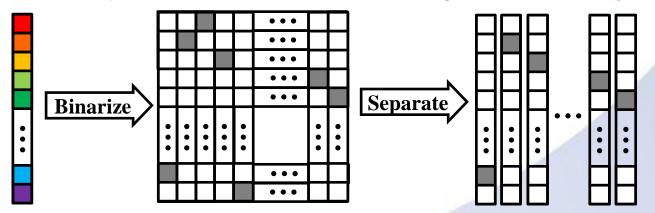


- Classification
 - Partial Least Squares (PLS) for classification [1]
 - Maximize the covariance between observations and class labels



[1] R. Wang, H. Guo, L. S. Davis, and Q. Dai. Covariance discriminative learning: A natural and efficient approach to image set classification. CVPR, 2012.

- Classification
 - One-to-Rest PLS
 - Suppose there are c categories and N training samples, we train c
 One-to-Rest PLS classifiers to predict each class simultaneously.
 - Effectively to handle the hard classes, e.g. "Sad" vs. "Disgust"



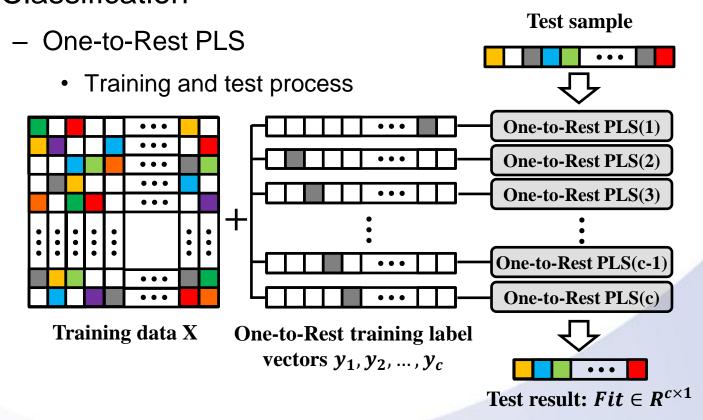
Original training label vector $Y \in \mathbb{R}^{N \times 1}$

Binary training label matrix $Y \in \mathbb{R}^{N \times c}$

One-to-Rest training label vectors, $v = v \in \mathbb{R}^{N \times 1}$



Classification





Classification

- Video-Audio fusion for final test output
 - For a given test video, using the c PLS classifiers for video and audio respectively, we obtain two prediction vectors Fit^{video} , $Fit^{audio} \in R^{c \times 1}$.
 - We conduct a linear fusion at decision level using weighted parameter λ

$$Fit^{fusion} = (1 - \lambda) Fit^{video} + \lambda Fit^{audio}$$
.

The category corresponding to the maximum value in Fitfusion
is determined to be the recognition result.



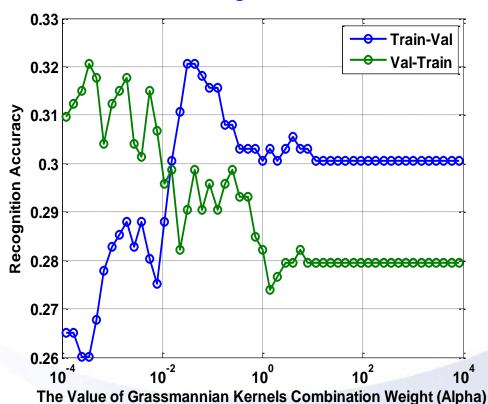
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Discussion of Parameters

The fusion weights of Grassmannian kernels



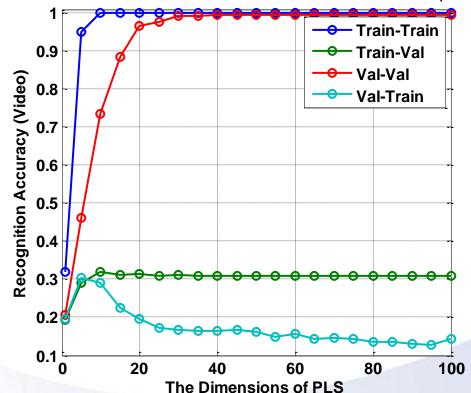
$$k_{ij}^{[com]} = k_{ij}^{[proj]} + \alpha k_{ij}^{[CC]}$$

Train-Val: $@\alpha = 2^{-6}, 2^{-5}$

Val-Train: @ $\alpha = 2^{-10}$



- Discussion of Parameters
 - The dimension of One-to-Rest PLS (video)

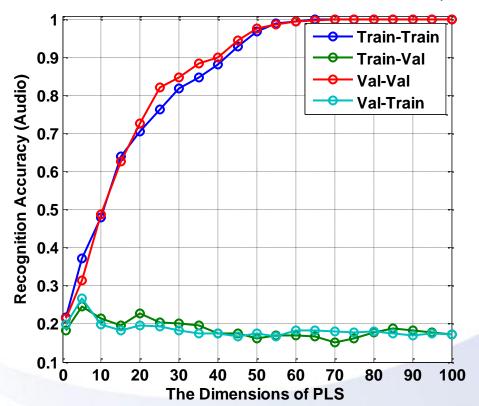


Train-Val: @dim = 10

Val-Train: @dim = 5



- Discussion of Parameters
 - The dimension of One-to-Rest PLS (audio)

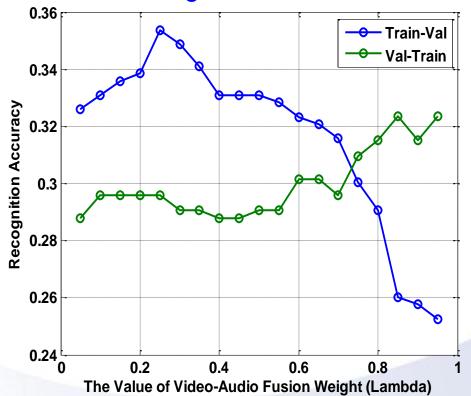


Train-Val: @dim = 5

Val-Train: @dim = 5



- Discussion of Parameters
 - The fusion weights of video and audio modalities



$$Fit^{fusion} = (1 - \lambda)$$
$$Fit^{video} + \lambda Fit^{audio}$$

Train-Val: $@\lambda = 0.25$

Val-Train: $@\lambda = 0.85$



Results comparison

		Andinanta	Video orbi		Audio + Video			
Performance Comparison		Audio only	Video only		Original data			Purified data
		One-to-Rest PLS	Grassmannian Discriminant Analysis [6]	I ()ne-to-Rest	Feature-level fusion		Decision- level fusion	Decision- level fusion
					Multi-class LR	One-to-Rest PLS	One-to-Rest PLS	One-to-Rest PLS
Ours	Val	24.49 %	30.81%	32.07%	22.48%	24.24%	34.34%	35.86%
	Test*		24.04%			26.28%	33.01%	34.61%
Baseline	Val	19.95%	27.27%		22.22%			
	Test	22.44%	22.75%		27.56%			

[6] M. Harandi, C. Sanderson, S. Shirazi, B.C. Lovell. Graph embedding discriminant analysis on Grassmannian manifolds for improved image set matching. CVPR, 2011.



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Conclusion

- Key points of the current method
 - PCA-based data purifying to filter out mis-alignment faces
 - Linear subspace modeling of video data variations
 - Multiple video features fusion by Grassmannian kernels combination
 - Multi-modality fusion at decision level of video and audio
- Issues to further address
 - Exploration of video temporal dynamics information
 - More sophisticated video modeling
 - More effective fusion at feature level

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Thank you.

Question?

