

202107416

(1)

daily - new - cases

(2)

daily - new - deaths

(1)

(2)

227 9

254 28

322 11

276 10

385 29

76 8

The following values can be obtained:

152 8

$n = 30$

$\sum y_i = 480$

414 11

$\sum x_i = 6404$

$\sum x_i y_i = 107440$

104 14

$\sum x_i^2 = 1561096$

$\sum x_i^2 y_i = 26794142$

106 5

$\sum x_i^3 = 422984282$

206 21

$\sum x_i^4 = 124999670284$

119 18

233 26

Plugging the values into system of linear equations:

220 50

$$\begin{bmatrix} 30 & 6404 & 1561096 \\ 6404 & 1561096 & 422984282 \\ 1561096 & 422984282 & 124999670284 \end{bmatrix} \times \begin{bmatrix} a_0 \\ a_1 \\ a_2 \end{bmatrix} = \begin{bmatrix} 480 \\ 107440 \\ 26794142 \end{bmatrix}$$

284 18

291 20

230 14

207 13

Solving for the system

218 25

Iteration 1

209 10

$$\begin{bmatrix} 1561096 & 422984282 & 124999670284 & 26794142 \\ 6404 & 1561096 & 422984282 & 107440 \\ 30 & 6404 & 1561096 & 480 \end{bmatrix}$$

172 12

200 19

140 9

Normalization

111 9

$$\begin{bmatrix} 1 & 270.9534 & 80071.7382 & 17.1637 \\ 6404 & 1561096 & 422984282 & 107440 \\ 30 & 6404 & 1561096 & 480 \end{bmatrix}$$

271 16

211 15

102 17

285 7

198 10

181 19

Elimination of 2nd row

Temp vector

6404 1735185.5740 512779411.4000 109916.3348

$$\begin{bmatrix} 1 & 270.9534 & 80071.7382 & 17.1637 \\ 0 & -174089.5740 & -89795129.4000 & -2476.3348 \\ 30 & 6404 & 1561096 & 480 \end{bmatrix}$$

Elimination of 3rd row

Temp vector

30 8128.6020 2402152.1460 514.9110

$$\begin{bmatrix} 1 & 270.9534 & 80071.7382 & 17.1637 \\ 0 & -174089.5740 & -89795129.4000 & -2476.3348 \\ 0 & -1724.6020 & -841056.1460 & -34.9110 \end{bmatrix}$$

Iteration 2

$$\begin{bmatrix} 1 & 270.9534 & 80071.7382 & 17.1637 \\ 0 & -174089.5740 & -89795129.4000 & -2476.3348 \\ 0 & -1724.6020 & -841056.1460 & -34.9110 \end{bmatrix}$$

Normalization

$$\begin{bmatrix} 1 & 270.9534 & 80071.7382 & 17.1637 \\ 0 & 1 & 515.7984 & 0.0142 \\ 0 & -1724.6020 & -841056.1460 & -34.9110 \end{bmatrix}$$

Elimination of 1st row

Temp vector

0 270.9534 139757.3302 3.8475

$$\begin{bmatrix} 1 & 0 & -59685.5920 & 13.3162 \\ 0 & 1 & 515.7984 & 0.0142 \\ 0 & -1724.6020 & -841056.1460 & -34.9110 \end{bmatrix}$$

Elimination of 3rd row

Temp vector

$$0 \quad -1724.6020 \quad -889546.9522 \quad -24.4893$$

$$\begin{bmatrix} 1 & 0 & -59685.5920 & 13.3162 \\ 0 & 1 & 515.7984 & 0.0142 \\ 0 & 0 & 48490.8062 & -10.4217 \end{bmatrix}$$

Iteration 3

$$\begin{bmatrix} 1 & 0 & -59685.5920 & 13.3162 \\ 0 & 1 & 515.7984 & 0.0142 \\ 0 & 0 & 48490.8062 & -10.4217 \end{bmatrix}$$

Normalization

$$\begin{bmatrix} 1 & 0 & -59685.5920 & 13.3162 \\ 0 & 1 & 515.7984 & 0.0142 \\ 0 & 0 & 1 & -0.0002 \end{bmatrix}$$

Elimination of 1st row

Temp vector

$$0 \quad 0 \quad -59685.5920 \quad 11.9371$$

$$\begin{bmatrix} 1 & 0 & 0 & 1.3791 \\ 0 & 1 & 515.7984 & 0.0142 \\ 0 & 0 & 1 & -0.0002 \end{bmatrix}$$

Elimination of 2nd row

$$0 \quad 0 \quad 515.7984 \quad -0.1032$$

$$\begin{bmatrix} 1 & 0 & 0 & 1.3791 \\ 0 & 1 & 0 & 0.1174 \\ 0 & 0 & 1 & -0.0002 \end{bmatrix}$$

$$\begin{bmatrix} a_0 \\ a_1 \\ a_2 \end{bmatrix} = \begin{bmatrix} 1.3791 \\ 0.1174 \\ -0.0002 \end{bmatrix} \text{ thus, the equation is:}$$

$$f(x) = 1.3791 + 0.1174x + (-0.0002)x^2$$

or

$$f(x) = 1.3791 + 0.1174x - 0.0002x^2$$