BlurNet: Defense by Filtering the Feature Maps

Affliates Meeting '19

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Outline

Introduction

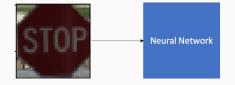
Background

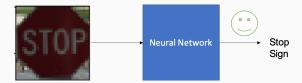
Proposal

Learning the Filter Parameters

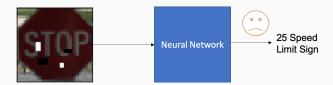
Concluding Remarks

Introduction

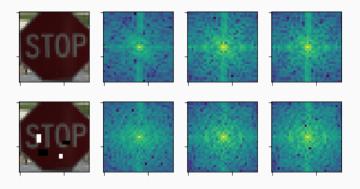






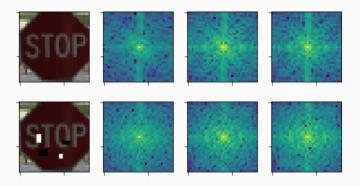


FFT Spectrum of Input Channels



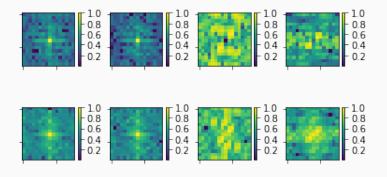
 Log-shifted and normalized frequency spectrum of RGB channels of a natural and perturbed stop sign image

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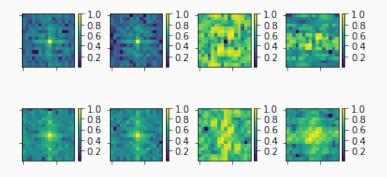
- Log-shifted and normalized frequency spectrum of RGB channels of a natural and perturbed stop sign image
- Lower frequencies correspond to the center and higher ones to the edge.

FFT of First Layer Feature Maps



 Each row corresponds to a unique feature map from L1 layer of network.

FFT of First Layer Feature Maps



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- Difference image suggests that the perturbations induce high frequency components not found in natural stop signs

Background

Let x be an image and a neural network, F(x) = y, such that $F : \mathbb{R}^{h*w*c} \to \mathbb{R}$ where y is the correct label.

• Main goal of an attacker - generating an image, x_{adv} such that $F(x_{adv}) \neq y$ by perturbing the input pixels.

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 - 2. Black-box attacks (Transfer Attacks) attacker has knowledge of model architecture but not parameters, etc.

Metrics

1. Attack Success Rate - number of predictions altered by an attack, $\frac{1}{N} \sum_{n=1}^{N} \mathbb{1}[F(x_n) \neq F(x_{nadv})]$.

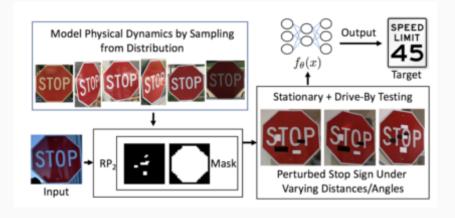
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- 2. L_2 Disimilarity Distance how different is the adverserial image from the original, $\frac{1}{N} \sum_{n=1}^{N} \frac{||x-x_{adv}||_p}{||x_{adv}||_p}$.

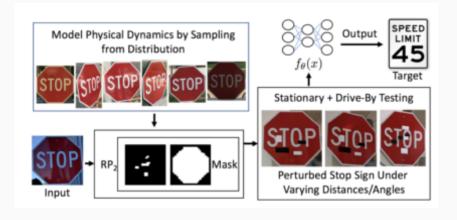
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- 3. An attacker is considered strong if its attack success rate is high while having a low dissimilarity metric.

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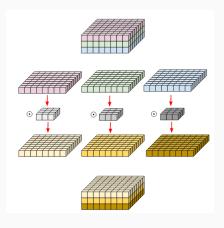
$$\arg\min_{\delta} \quad \lambda \|M_{x} \cdot \delta\|_{p} + \mathbb{E}_{x_{i} \sim X^{V}} J(f_{\theta}(x_{i} + T_{i}(M_{x} \cdot \delta)), y^{*})$$

Dataset and Model

- Victim model 4-layer CNN
- LISA traffic sign dataset consider the top 18 classes only
- Attacks focused on victim set of 40 stop signs

Proposal

Low-pass filtering



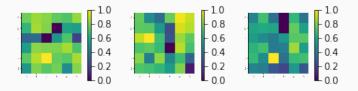
• Induce low-pass filtering with standard blur kernels by inserting a depthwise convolution after the first convolution layer.

Filtering input vs. Filtering Feature Maps

Table 1: Results from black box evaluation

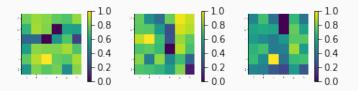
	Accuracy	Attack Success Rate
Baseline	100%	90%
Input filter 3x3	100%	87.5%
Input filter 5x5	100%	67.5%
3x3 filter on L1 feature maps	100%	65%
5x5 filter on L1 feature maps	87.5%	17.5%

Filtering in the higher layers



1. The FFT Spectrum of a subsampling of feature maps from the second layer of the network.

Filtering in the higher layers



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- 2. High frequency information is relevant to maintain decent classification.

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Minimizing accuracy loss

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 - 2. Total Variation (TV) regularization of the Layer 1 convolution weights

L_{∞} Regularization

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 L_{∞} norm is an ideal choice for the depthwise weights. This will ensure that the weights in the kernel take similar values to each much like a low pass filter.

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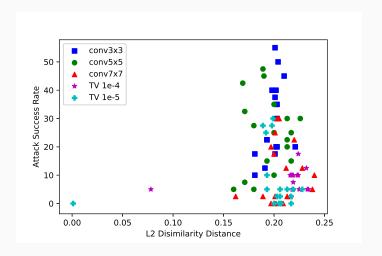
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TV encourages the neighboring values in the feature maps to be similar so the high spike introduced by RP_2 would be diminished.

Whitebox Evaluation



Whitebox Evaluation

Table 2: Results from white box evaluation

	α	Legitimate Acc.	Average Success Rate	Worst Success Rate	L ₂ Distortion
Baseline	0	91%	49.18%	90%	0.207
3x3 conv	10^{-5}	86.3%	30%	55%	0.201
5x5 conv	0.1	86.3%	24.11%	47.5%	0.189
7x7 conv	0.1	87%	11.61%	30%	0.203
TV	10^{-4}	85.6%	7.92%	17.5%	0.224
TV	10^{-5}	82.3%	8.47%	30%	0.199

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- Adding low-pass filters after the first layers confers some robustness benefits
- Introduced two loss penalties to induce low pass filtering in the network.

