Analog Electronics

Course No: AE-2

Lec: 555 timers and Multi-vibrators

Course Instructor: Dr. Arka Roy

Dept of ECE, PDEU

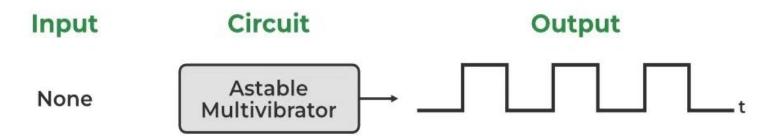


Multivibrators:

- ➤ **Multivibrators** are electronic circuits used to generate, store, or process binary signals (i.e., signals with two stable states: HIGH and LOW). They are commonly used in timing applications, pulse generation, and waveform shaping.
- > Are of three types: **Astable, Mono-stable, Bi-stable**

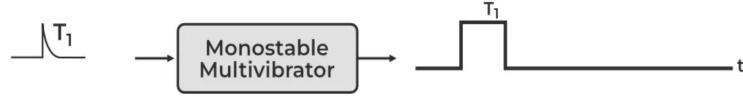
Astable Multivibrator

- Has **no stable state > free-running multivibrator**.
- Continuously switches between HIGH and LOW states.
- Used as an oscillator or clock generator.



Mono-stable Multivibrator

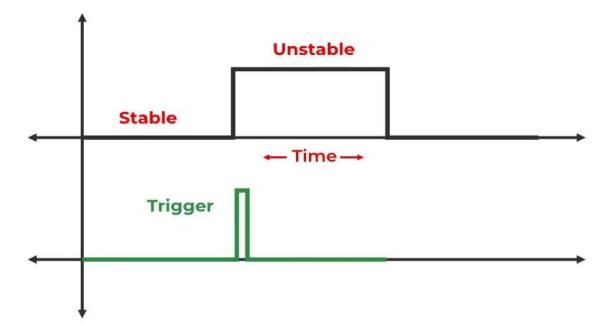
• A monostable multivibrator, also called a one-shot multivibrator, is a circuit that responds to an external trigger by producing a single pulse with a set duration.



•The circuit returns to its stable condition after a certain amount of time and generates a single output pulse.

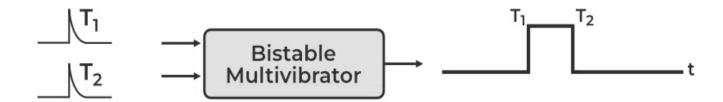
•By altering the values of the resistors and capacitors in the circuit, the output pulse's duration can be

changed.

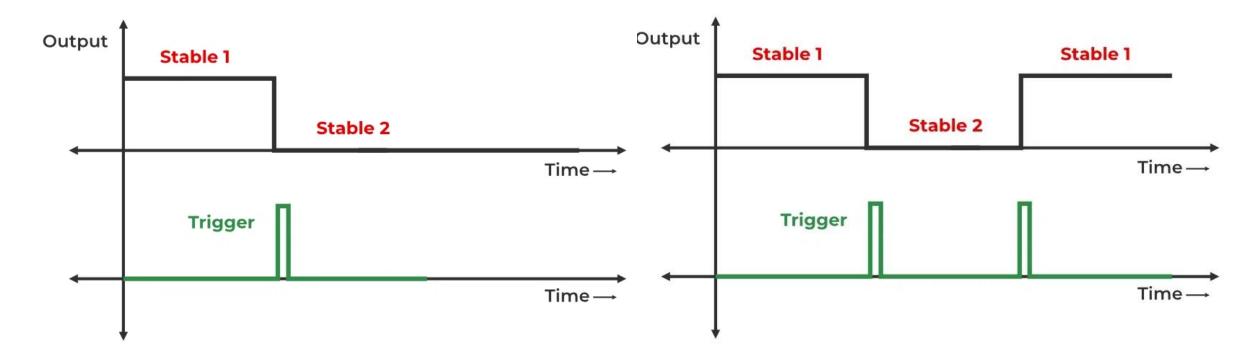


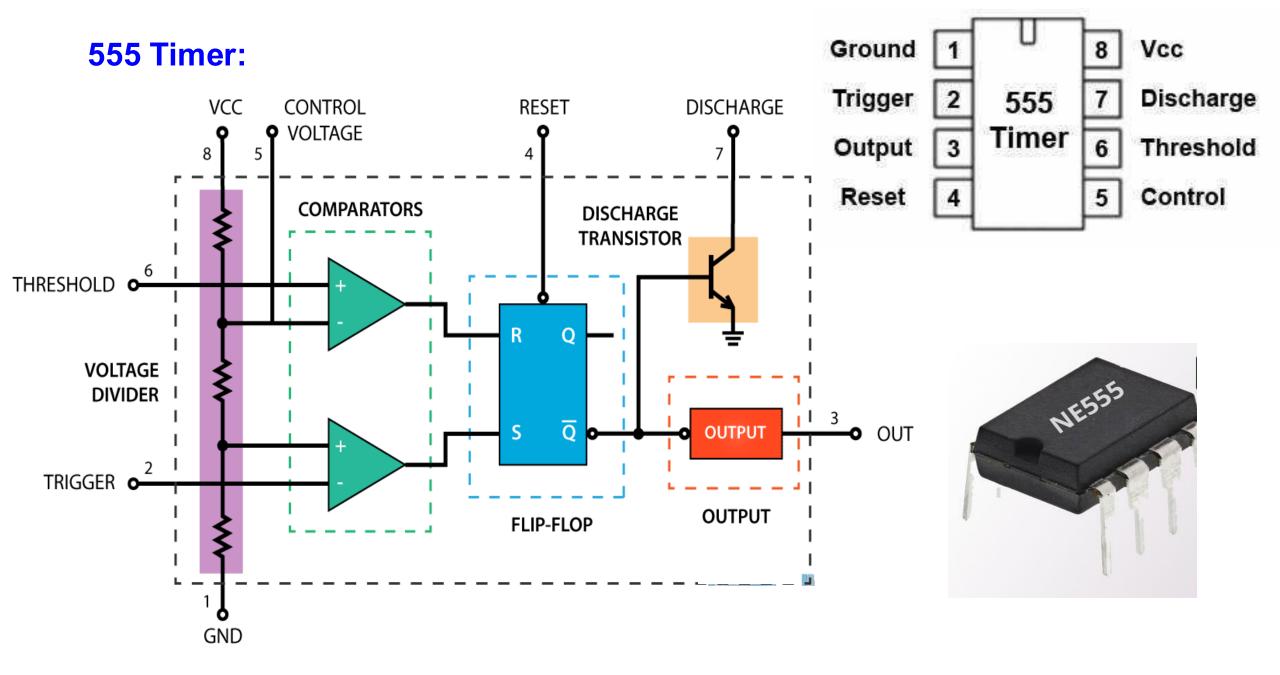
Bi-stable Multivibrator

• A circuit with two stable states that can alternately exist indefinitely. .

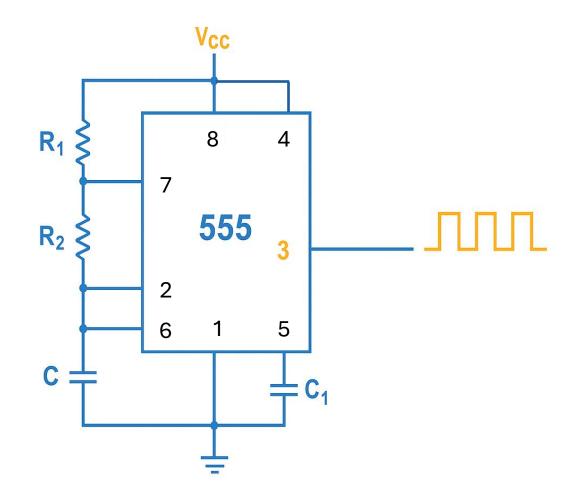


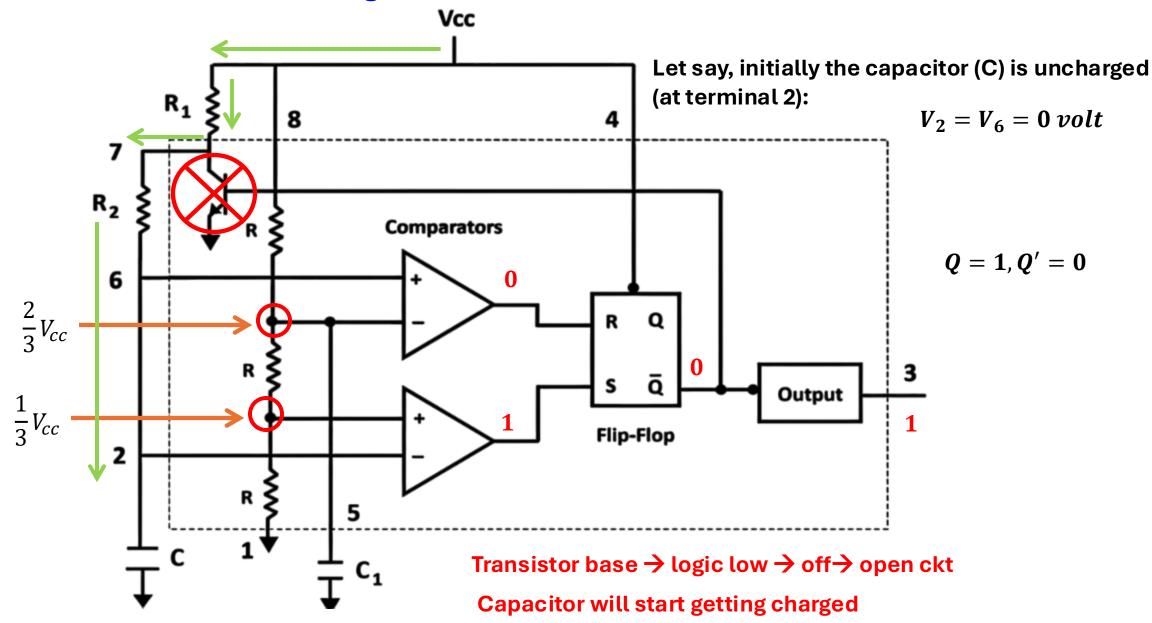
- •A signal from outside causes it to change from one stable condition to another.
- •The circuit will stay in its stable state until another trigger signal enters it.

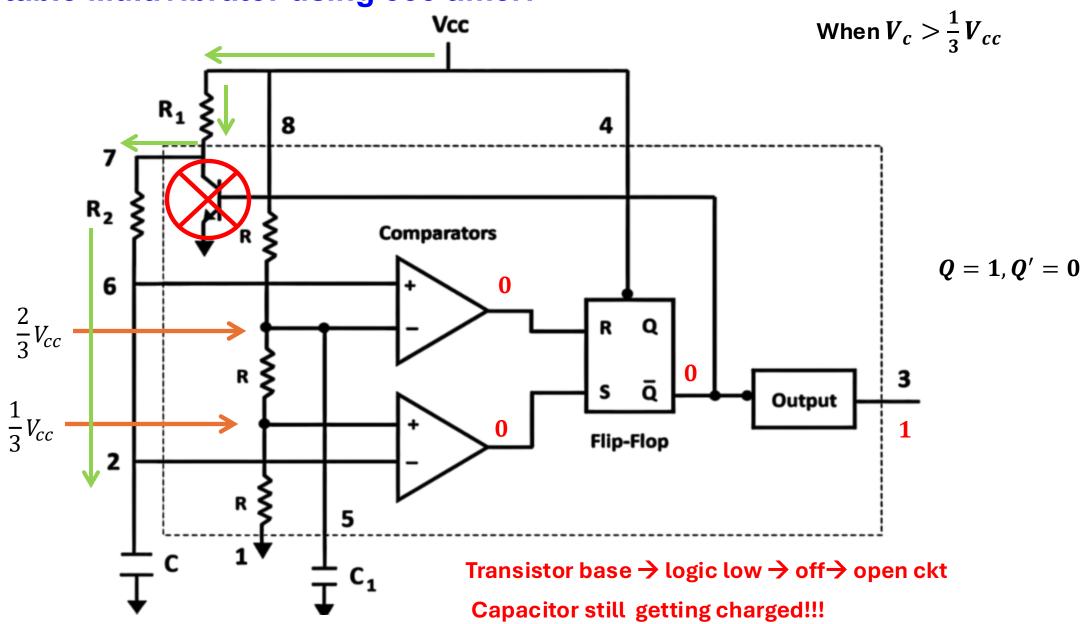


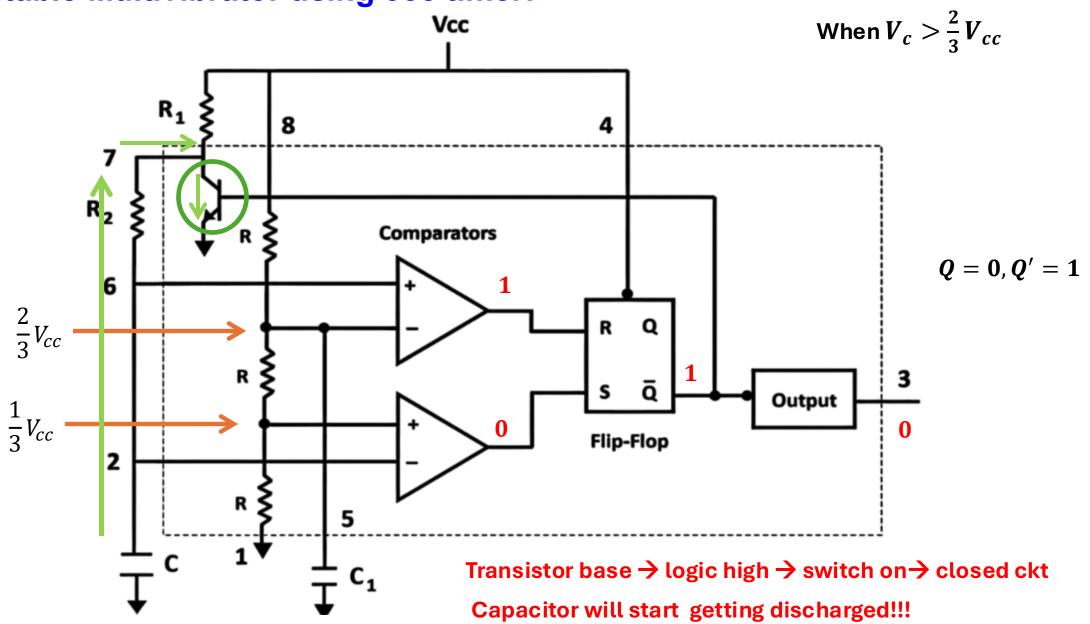


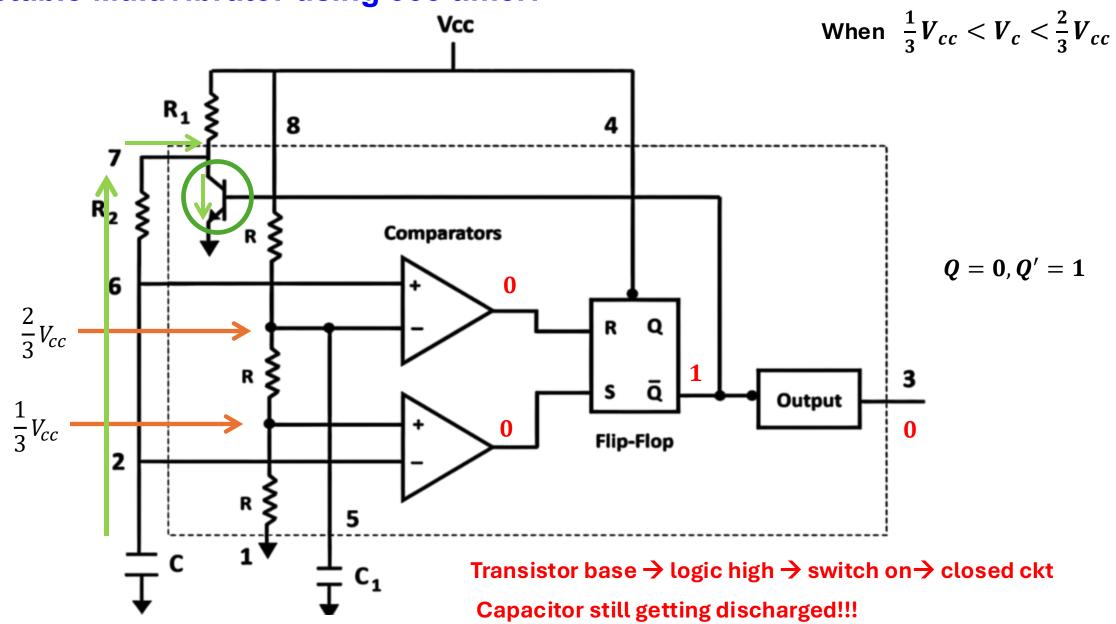
- 1 Ground
- 2 Trigger
- 3 Output
- 4-Reset
- 5 Control
- 6 Threshold
- 7 Discharge
- 8-Vcc

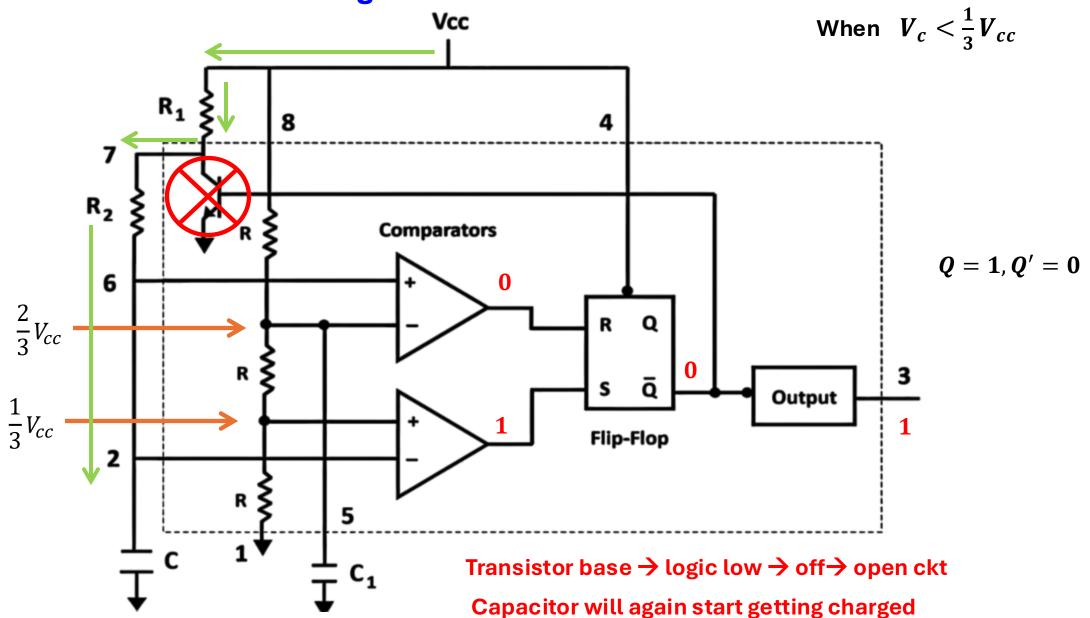


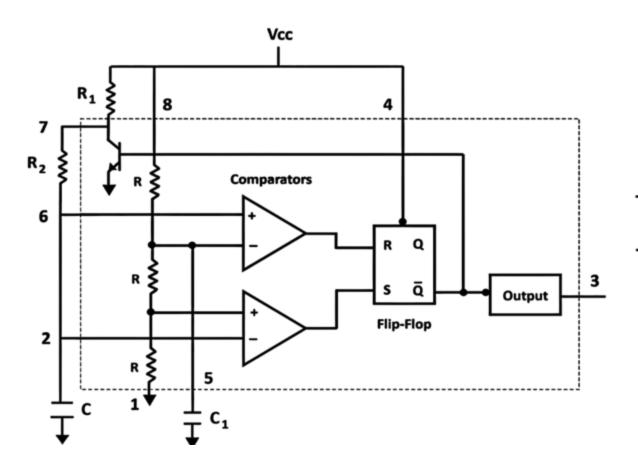




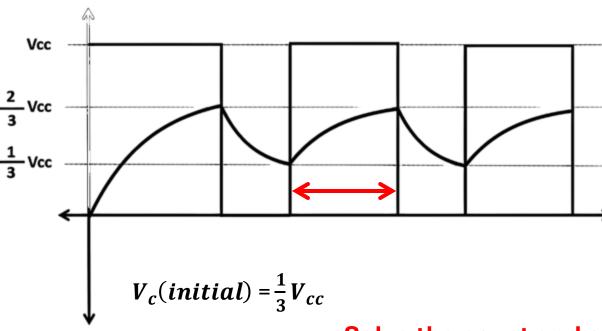








Let calculate charging time:



$$V_c(final) = V_{cc}$$

$$R'=R_1+R_2$$

Solve the eq. at end of charging boundary condition!!!

$$V_c(t) = V_c(\infty) + (V_c(0) - V_c(\infty))e^{\frac{-t}{R'C}}$$

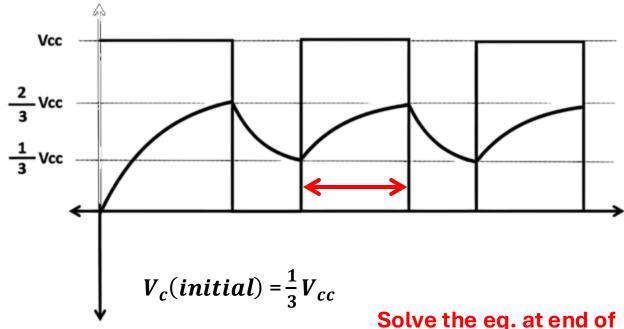
$$V_c(t) = V_c(\infty) + (V_c(0) - V_c(\infty))e^{\frac{-t}{R'C}}$$

Let calculate charging time:

$$\frac{2}{3}V_{cc} = V_{cc} + (\frac{1}{3}V_{cc} - V_{cc})e^{\frac{-t_1}{(R_1 + R_2) \times C}}$$

$$-\frac{1}{3}V_{cc} = -\frac{2}{3}V_{cc} e^{\frac{-t_1}{(R_1 + R_2) \times C}}$$

$$t_1 = ln(2) \times (R_1 + R_2) \times C$$



$$V_c(final) = V_{cc}$$

$$R' = R_1 + R_2$$

Solve the eq. at end of charging boundary condition!!!

$$t_1 = ln(2) \times (R_1 + R_2) \times C$$

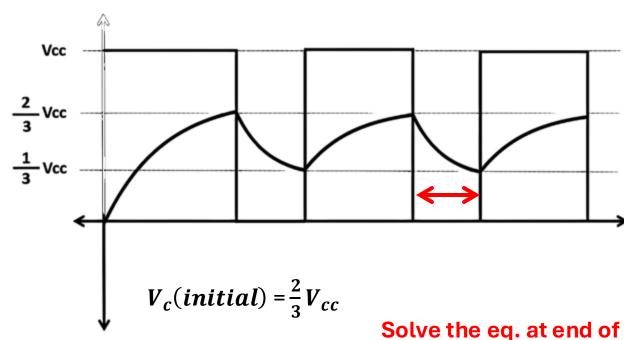
$$V_c(t) = V_c(\infty) + (V_c(0) - V_c(\infty))e^{\frac{-t}{R'C}}$$

Let calculate discharging time:

$$\frac{1}{3}V_{cc} = 0 + (\frac{2}{3}V_{cc} - 0)e^{\frac{-t_2}{R_2 \times C}}$$

$$\frac{1}{3}V_{cc} = \frac{2}{3}V_{cc} e^{\frac{-t_2}{R_2 \times C}}$$

$$t_2 = ln(2) \times R_2 \times C$$



 $V_c(final) = 0$

discharging boundary condition!!!

$$R' = R_2$$

Calculate the time-period of the pulse!!!