

NPTEL Week 10 Live Sessions

on Deep Learning (noc24_ee04)

A course offered by: Prof. Prabir Kumar Biswas, IIT Kharagpur

- **Quiz 9 Solution**
 - Week 10 → Min-max
 - z-score
 - Batch Norm - layer, group
 - By group
 - optimizers
 - Adam
 - Adagrad
 - RMS Prop
 - Momentum
 - NAB



Arka Roy
NPTEL PMRF TA

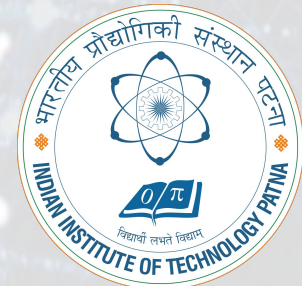
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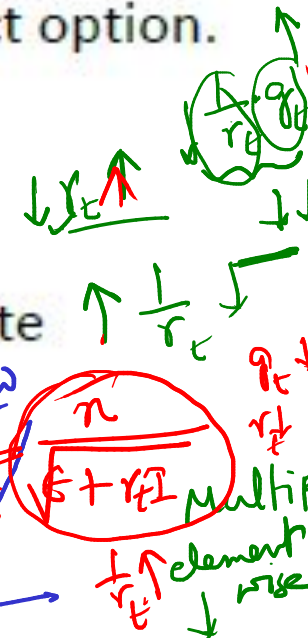
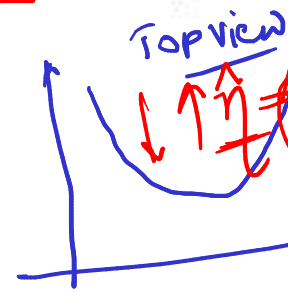
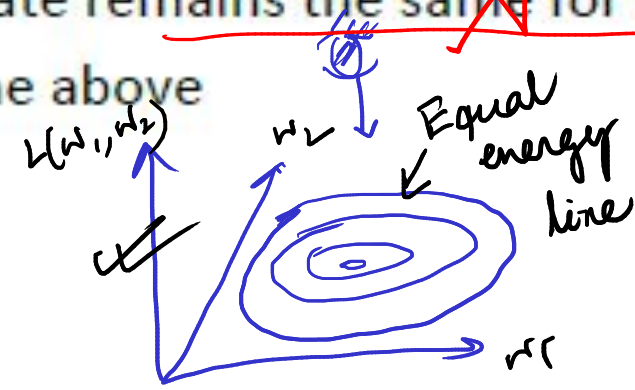


① Comment on the learning rate of Adagrad. Choose the correct option.

Adaptive gradient optimizer.

- a. Learning rate is adaptive
- b. ~~Learning rate increases for each time step~~
- c. ~~Learning rate remains the same for each update~~
- d. None of the above

$L(\mathbf{w})$
 $L(\mathbf{w}_1, \mathbf{w}_2)$



Momentum optimizer.

$$\mathbf{w}_{n+1} = \mathbf{w}_n - \eta \nabla_{\mathbf{w}} L(\mathbf{w}) + \beta \mathbf{v}_{n-1}$$

$$\mathbf{g}_t = \frac{1}{N} \sum_{\mathbf{x} \in N_{\text{mini batch}}} \nabla L(\mathbf{w})$$

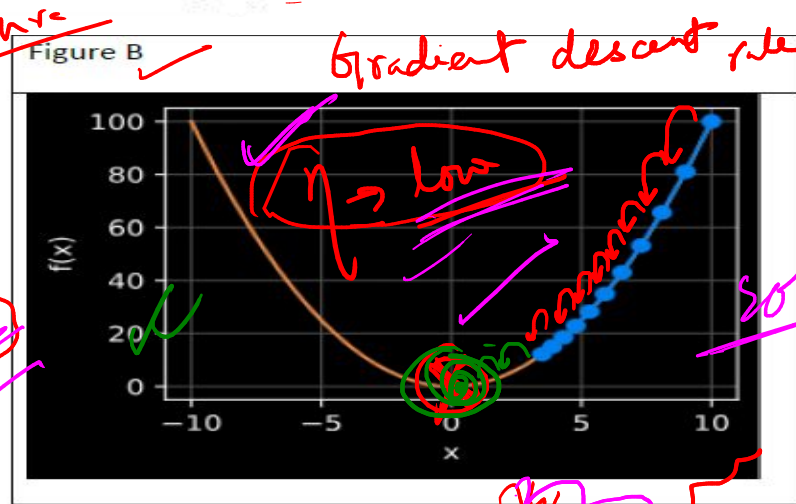
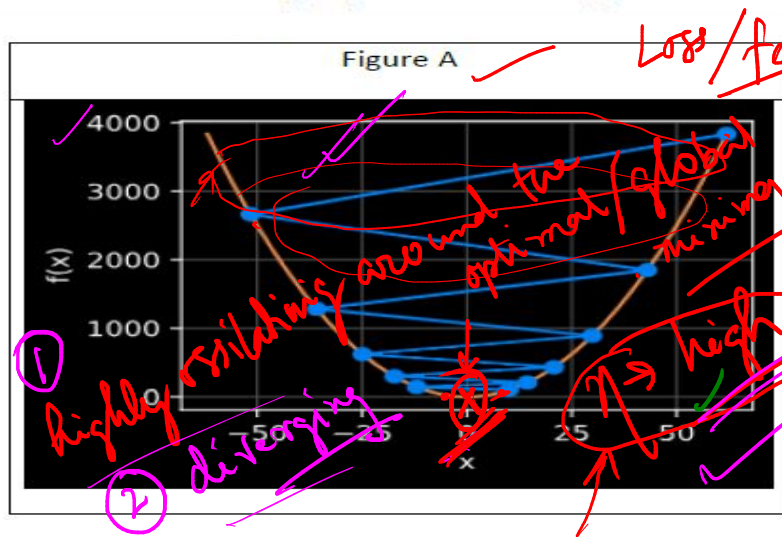
Arg.

$$\mathbf{w}_{n+1} = \mathbf{w}_n - \frac{\eta}{\sqrt{\epsilon + r_t I}} \mathbf{g}_t$$

$$r_t = \sum \mathbf{g}_t \circ \mathbf{g}_t$$

$$r_t = \mathbf{g}_t^2$$

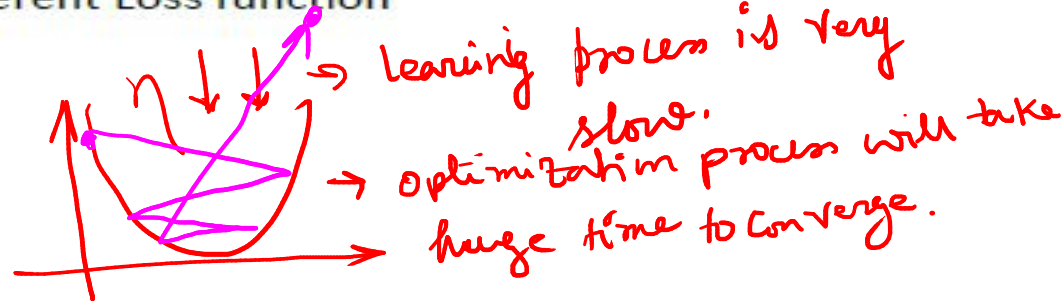
For the following figure A and figure B of loss landscape, choose correct statement

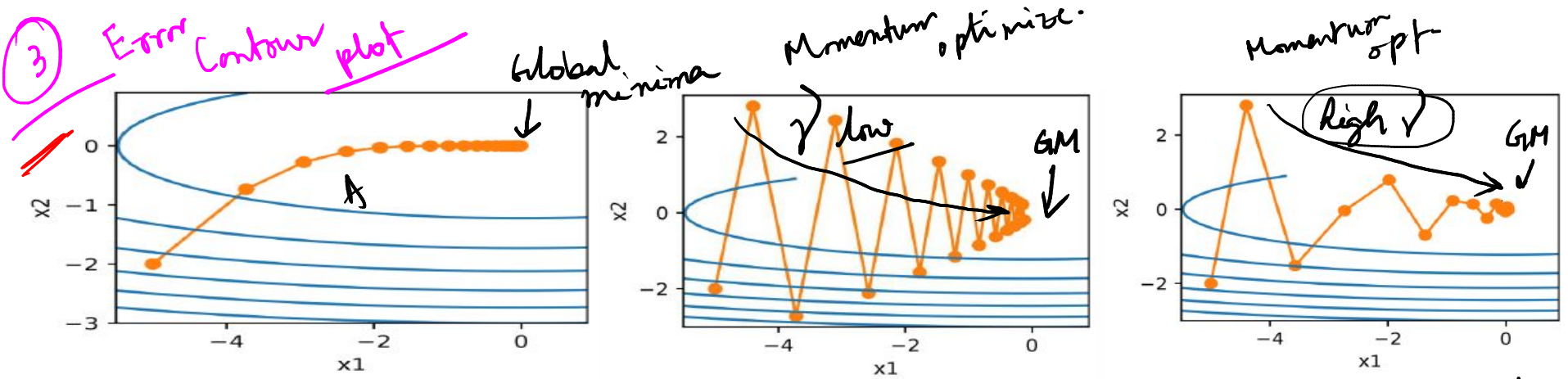


- ☒ a. Figure A has very small learning rate, Figure B has optimal learning rate
- ☒ b. Figure A has optimal learning rate, Figure B has very small learning rate
- ☒ c. Figure A and Figure B have different Loss function
- ☒ d. None of Above

$$W_{n+1} = W_n - \eta \nabla_w L(w)$$

learning rate



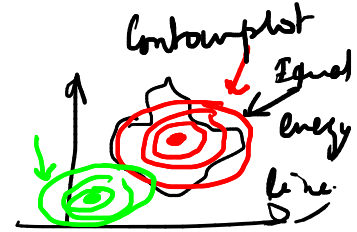


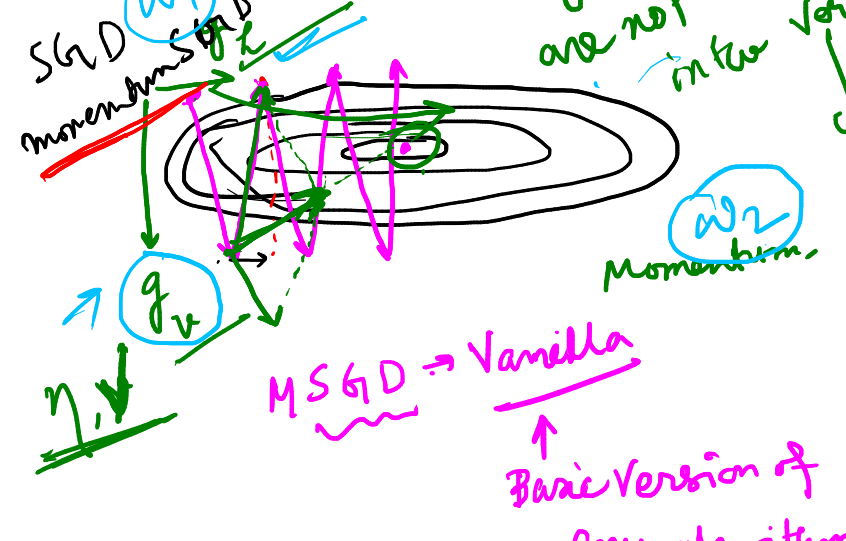
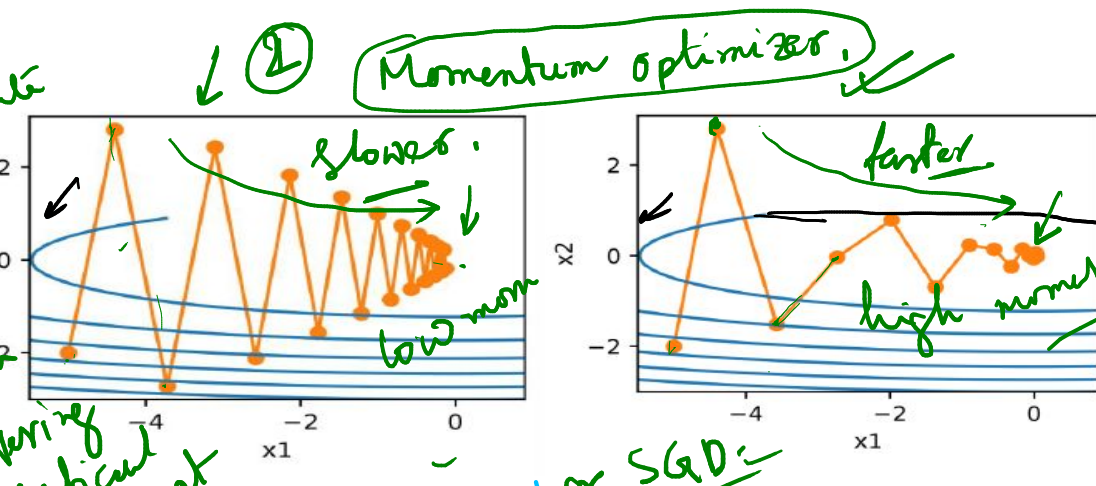
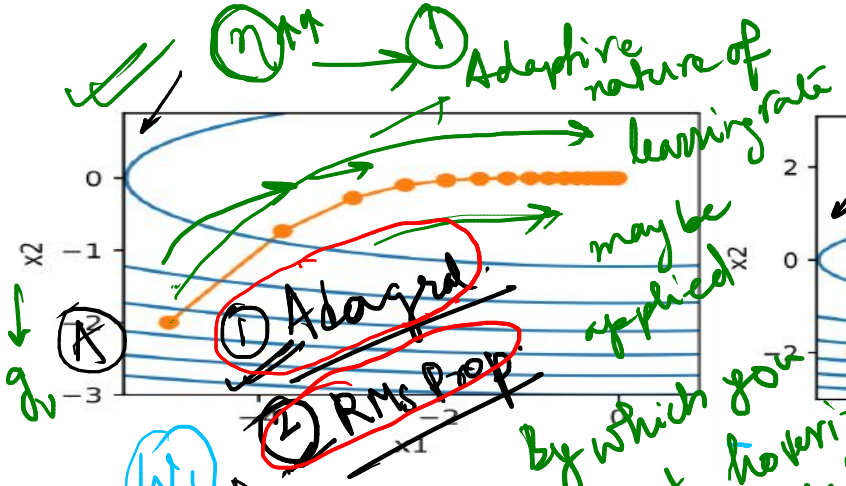
a. ~~Figure A is SGD momentum optimizer with high momentum~~, Figure B is RMSProp or AdaGrad and Figure C is SGD momentum optimizer with low Momentum.

b. ~~Figure A is RMSProp or AdaGrad~~, Figure B is SGD Momentum with low Momentum and Figure C is SGD momentum with high momentum.

c. ~~Figure A is SGD Momentum optimizer with low momentum~~, Figure B is RMSProp or AdaGrad and Figure C is SGD Momentum optimizer with high Momentum.

~~d. None of the above~~





Momentum opt or SGD:

$$w_{n+1} = w_n - \eta \nabla L(w) + \gamma v_{n-1}$$

Constant

Exponential gradient

$\eta_t = \eta_0 \frac{1}{1 + \beta t}$

$\beta = 0.9$

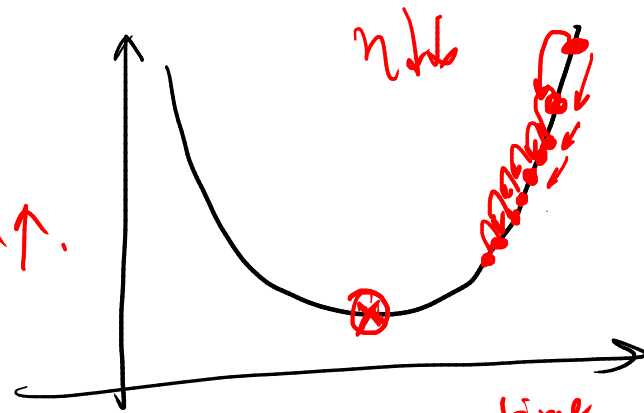
$w_{n+1} = w_n - \frac{\eta}{\sqrt{1 + \beta t}} \nabla L(w_n)$

changes η based on the grad. int

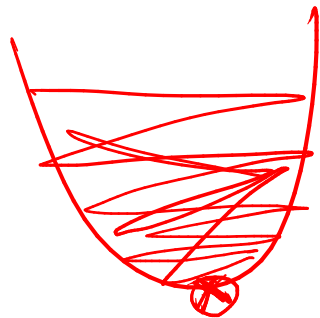
scales the gradient

What can be a possible consequence of choosing a very small learning rate? Choose the correct option.

- a. Slow convergence
- b. Overshooting minima $\rightarrow \eta \uparrow \uparrow$
- c. Oscillations around the minima $\rightarrow \eta \uparrow \uparrow$
- d. All of the above



① High settling time
② Slower convergence.



Two version of SGD are implemented as follows:

✓ SGD1: SGD1 samples data points in same order for every epoch while constructing minibatch

✓ SGD2: SGD2 samples data samples in random order for every epoch to construct minibatch

→ stochastic → Random in nature
Select the correct statement

- a. SGD1 is faster than SGD2 and robust to local minima entrapment
- ✓ b. SGD2 is faster than SGD1 and robust to local minima entrapment
- c. SGD1 and SGD2 have same convergence characteristics
- d. None of above

no del. compile (↓) + Shuffle
I = True

✓ Memorize the features.
X Generalize the understanding.

RMSProp resolves the limitation of which optimizer?

☒ a. Adagrad (exponential decaying Avg. grad)

☒ b. Momentum

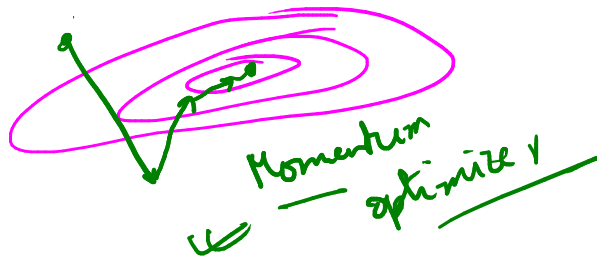
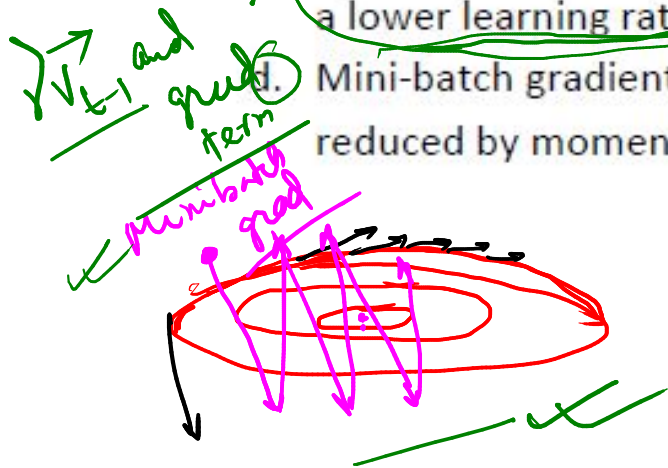
c. Solves problem of option b but not a

d. Neither a nor b

$$r_t = \underbrace{\rho}_{\text{momentum}} s_t + \underbrace{(1-\rho)}_{\text{decay}} s_{t-1}$$

Which of the following is a possible advantage of momentum optimizer over of mini-batch gradient descent?

- Vanilla*
- a. Mini-batch gradient descent performs better than momentum optimizer when the surface of the loss function has a much more elongated curvature along X-axis than along Y-axis
- b. Mini-batch gradient descent always performs better than momentum optimizer
- c. Mini-batch gradient descent will always overshoot the optimum point even with a lower learning rate value *→ only for high η (overshoot will be there)*
- d. Mini-batch gradient might oscillate in its path towards convergence which can be reduced by momentum optimizer



The following is the equation of update vector for momentum optimizer. Which of the following is true for γ ?

$$V_t = \gamma V_{t-1} + \eta \nabla_{\theta} J(\theta)$$

✓ Momentum factor / term

- ✓ a. γ is the momentum term which indicates how much acceleration you want
- b. γ is the step size ✗
- c. γ is the first order moment ✗
- d. γ is the second order moment ✗

gradients associated with learning rate η .

Velocity by which you have landed to w_t from w_{t-1}

Why it is at all required to choose different learning rates for different weights?

$\eta \downarrow \downarrow$

- a. To avoid the problem of diminishing learning rate (to be careful)
- b. To avoid overshooting the optimum point
- c. To reduce vertical oscillations while navigating the optimum point
- d. This would aid to reach the optimum point faster



It ensures the convergence of the problem
in a faster manner.

When $\eta_1 = \eta_2$ - $\eta \downarrow$
stopping of the
gradient
rate

Let $J(\theta)$ be the cost function. Let the gradient descent update rule for θ_i be,

$$\theta_{i+1} = \theta_i + \nabla \theta_i$$

What is the correct expression of $\nabla \theta_i$, α is the learning rate.

☒ a. $-\alpha \frac{dJ(\theta_i)}{d\theta_i}$

☒ b. $\alpha \frac{dJ(\theta_i)}{d\theta_i}$

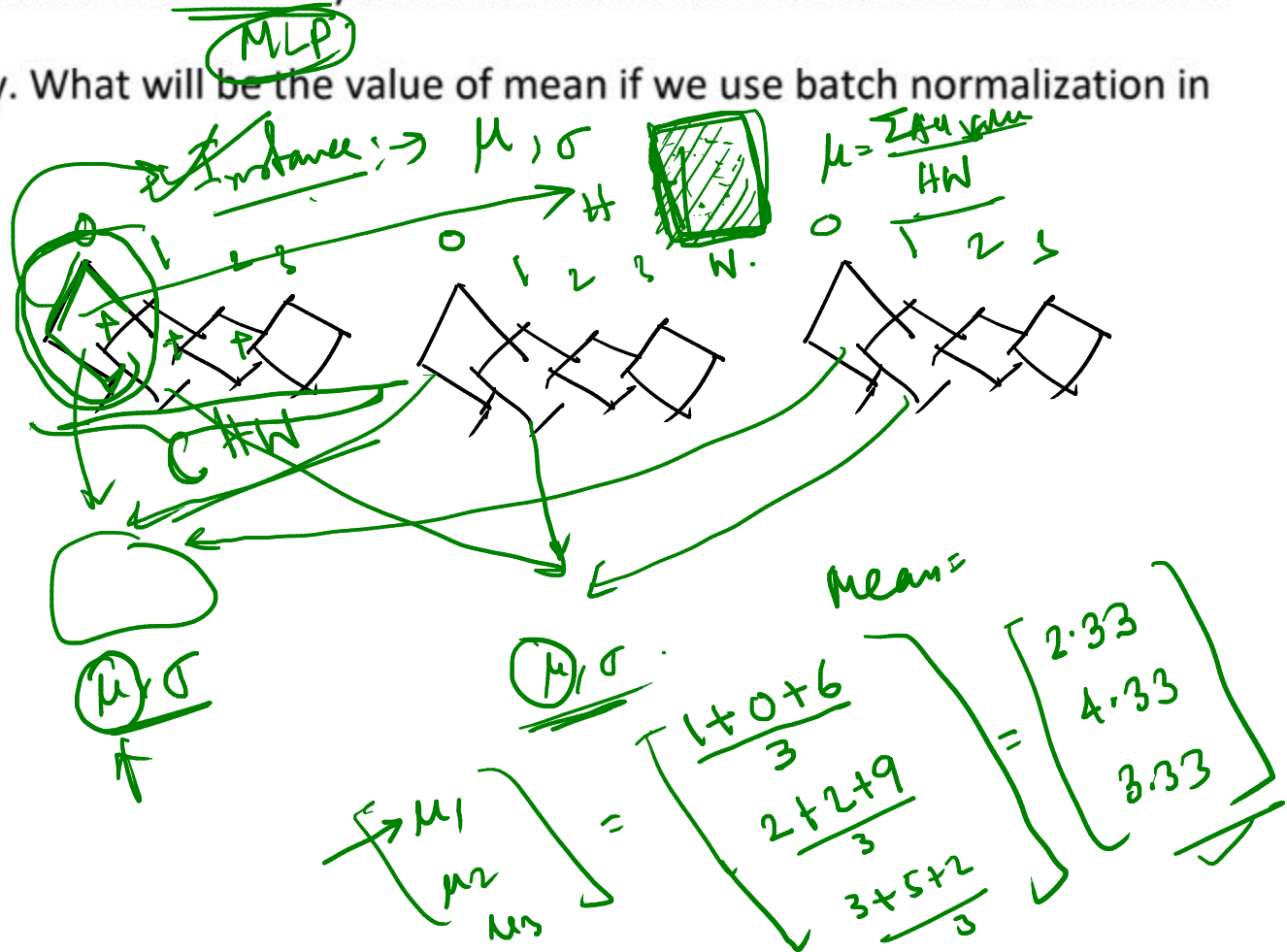
☒ c. $-\frac{dJ(\theta_i)}{d\theta_{i+1}}$

☒ d. $\frac{dJ(\theta_i)}{d\theta_i}$

$\theta_{i+1} = \theta_i - \alpha \cdot \frac{\partial J(\theta_i)}{\partial \theta_i}$

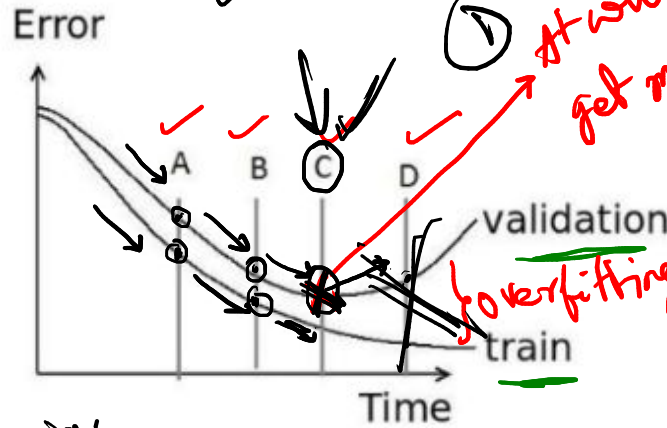
A neural network has 3 neurons in a hidden layer. Activations of the neurons for three batches are $\begin{bmatrix} 1 \\ 2 \\ 3 \end{bmatrix}$, $\begin{bmatrix} 0 \\ 2 \\ 5 \end{bmatrix}$, $\begin{bmatrix} 6 \\ 9 \\ 2 \end{bmatrix}$ respectively. What will be the value of mean if we use batch normalization in this layer?

- a. $\begin{bmatrix} 2.33 \\ 4.33 \\ 3.33 \end{bmatrix}$
- b. $\begin{bmatrix} 2.00 \\ 2.33 \\ 5.66 \end{bmatrix}$
- c. $\begin{bmatrix} 1.00 \\ 1.00 \\ 1.00 \end{bmatrix}$
- d. $\begin{bmatrix} 0.00 \\ 0.00 \\ 0.00 \end{bmatrix}$



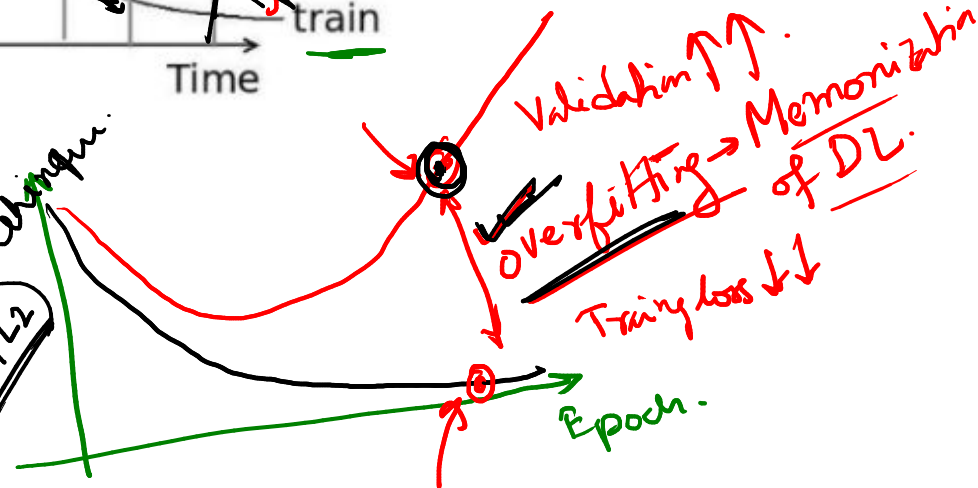
2 While training a neural network for image recognition task, we plot the graph of training error and validation error. Which is the best for early stopping?

Early stopping
 ↳ Premature stopping of updation of weights to alleviate the issue of overfitting.

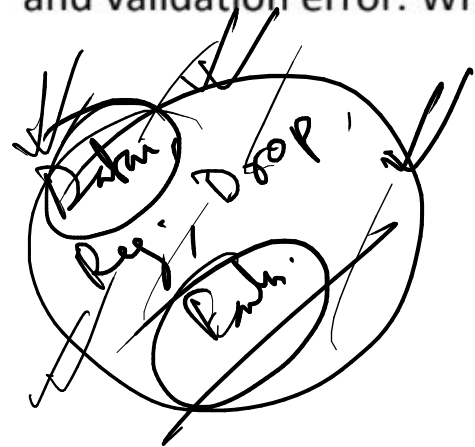


- a. A
- b. B
- ☒ c. C
- d. D

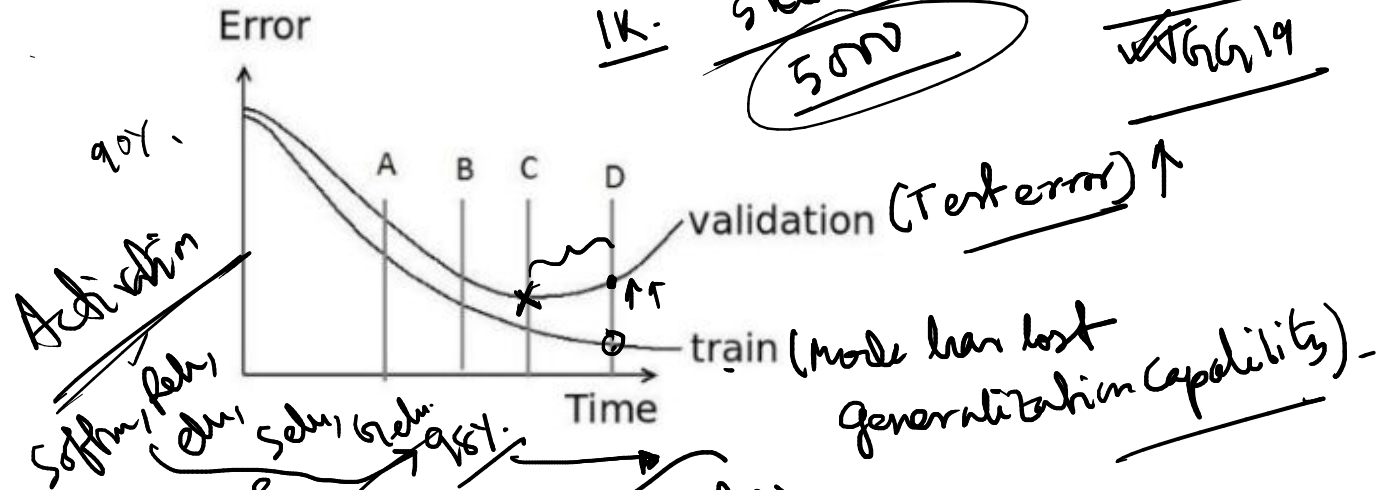
Overfitting
 ↳ Early stopping
 ↳ Dropout
 ↳ Regularization Techniques (L_1, L_2)



While training a neural network for image recognition task, we plot the graph of training error and validation error. Which is the best for early stopping?



- a. A
- b. B
- c. C
- d. D



ImageNet challenge

Alex, Vgg, Resnet

Dense

Data loss + Regularization loss

ConvNet

CVPR, ICVR.

5% NLP

Transformer

ChatGPT

1K. 5 classes

5000

✓ 6/6/16

✓ 6/6/19

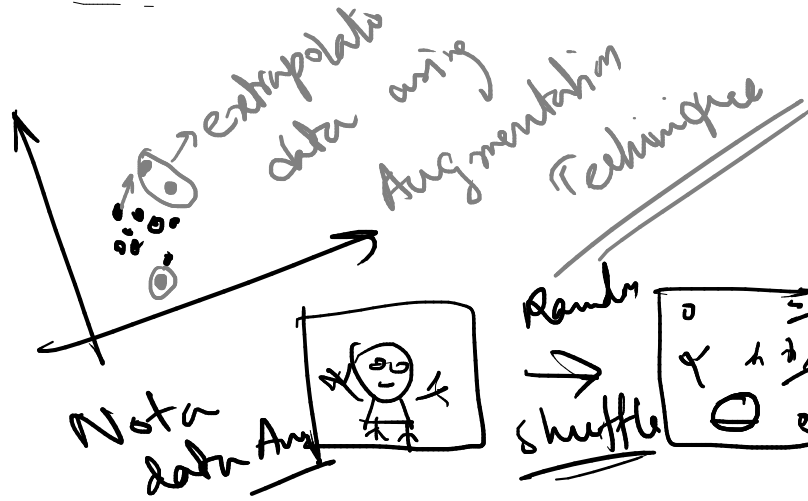
Which among the following is NOT a data augmentation technique?

- ☒ a. Random horizontal and vertical flip of image
- ☒ b. Random shuffle all the pixels of an image
- ☒ c. Random color jittering
- ☒ d. All the above are data augmentation techniques

Image

d

Rotation is an
augmentation
Technique



Random
shuffle

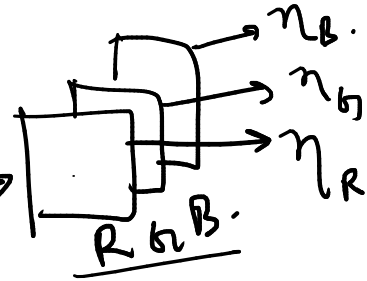
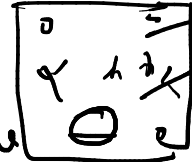
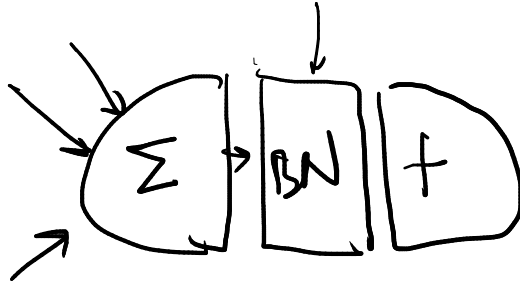


Image + Noise

Batch Normalization is helpful because

- ☒ a. It normalizes all the input before sending it to the next layer
- ☐ b. It returns back the normalized mean and standard deviation of weights
- ☐ c. It is a very efficient back-propagation technique
- d. None of these



A Batch Norm layer accepts batch of 128D vector. How many parameters of Batch norm get trained via backpropagation during the course of training

- ☒ a. 256
- b. 512
- c. 128
- d. 1024

BN \downarrow \downarrow
 γ, β

BN

$$\begin{aligned} 1 &\rightarrow 2 \\ 128D &\rightarrow 2 \times 128 \\ &= \underline{256} \end{aligned}$$

Which of the following is a regularization method?

a. Data augmentation

b. Dropout

c. Weight decay

d. All of the above

Two variant training schedules samples its minibatches in the following manner

Training Schedule 1

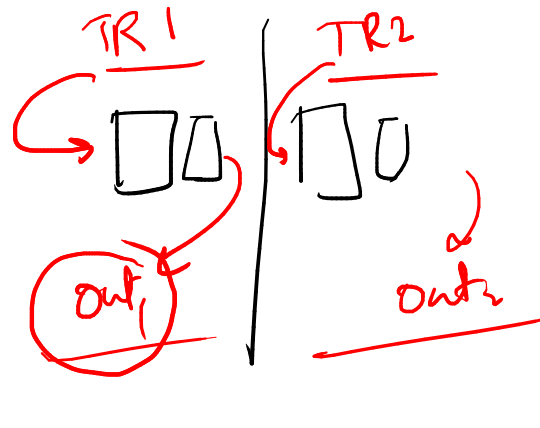
Mini batch 1=[Image1, Image2, Image3]

Mini batch 2=[Image4, Image5, Image6]

Training Schedule 2

Mini batch 1=[Image1, Image4, Image3]

Mini batch 2=[Image2, Image 5, Image6]



The output activations of each corresponding image is compared across Training schedule 1 and Training schedule 2 for a CNN with batch norm layers. Choose the correct statement

- a. Activation outputs of corresponding image will be same across Training schedule 1 and Training schedule 2 ~~X~~
- b. Activation outputs of corresponding image will be different across Training schedule 1 and Training schedule 2 ✓
- c. Some activations outputs of corresponding images will be same but some will be different
- d. None of these.

Thank
You