Evaluation Function Illustration

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Overview and basic modeling

The following example illustrates the utility of the evaluation functions contained in eval_functions.R. I will employ the *Hitters* dataset from the ISLR library.

```
source("eval functions.R")
library(ISLR)
df = Hitters
str(df)
   'data.frame':
                    322 obs. of 20 variables:
   $ AtBat
               : int
                      293 315 479 496 321 594 185 298 323 401 ...
##
   $ Hits
               : int
                      66 81 130 141 87 169 37 73 81 92 ...
   $ HmRun
                     1 7 18 20 10 4 1 0 6 17 ...
               : int
##
   $ Runs
               : int
                      30 24 66 65 39 74 23 24 26 49 ...
##
   $ RBI
               : int
                      29 38 72 78 42 51 8 24 32 66 ...
##
   $ Walks
               : int
                     14 39 76 37 30 35 21 7 8 65 ...
##
   $ Years
                     1 14 3 11 2 11 2 3 2 13 ...
               : int
##
   $ CAtBat
              : int 293 3449 1624 5628 396 4408 214 509 341 5206 ...
               : int 66 835 457 1575 101 1133 42 108 86 1332 ...
##
  $ CHits
##
   $ CHmRun
                     1 69 63 225 12 19 1 0 6 253 ...
##
  $ CRuns
               : int 30 321 224 828 48 501 30 41 32 784 ...
  $ CRBI
                      29 414 266 838 46 336 9 37 34 890 ...
##
   $ CWalks
               : int 14 375 263 354 33 194 24 12 8 866 ...
               : Factor w/ 2 levels "A", "N": 1 2 1 2 2 1 2 1 2 1 ...
##
   $ League
   $ Division : Factor w/ 2 levels "E","W": 1 2 2 1 1 2 1 2 2 1 ...
                      446 632 880 200 805 282 76 121 143 0 ...
  $ PutOuts
              : int
              : int
                      33 43 82 11 40 421 127 283 290 0 ...
##
   $ Assists
                      20 10 14 3 4 25 7 9 19 0 ...
   $ Errors
               : int
               : num NA 475 480 500 91.5 750 70 100 75 1100 ...
   $ NewLeague: Factor w/ 2 levels "A","N": 1 2 1 2 2 1 1 1 2 1 ...
N = nrow(df); p = ncol(df) - 1
print(paste0("There are ", N, " rows and ", p, " predictors in the Hitters dataset."))
```

[1] "There are 322 rows and 19 predictors in the Hitters dataset."

Correlation, VIF, and significance

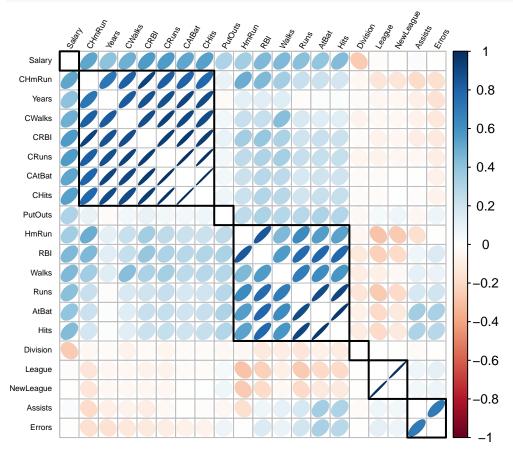
We see that the *Hitters* dataset has a variety of predictor types, including a few factor variables. Let us employ the find_corr function to see which predictors are the most highly correlated, accounting for the different predictor types.

```
find_corr(df, method.input = "hetcor") %>% head()
```

```
predictor_1 predictor_2 correlation
##
## 168
             CAtBat
                          CHits
                                   0.9950528
                                   0.9930396
##
  394
             League
                      NewLeague
## 209
             CHits
                          CRuns
                                   0.9845438
## 208
             CAtBat
                          CRuns
                                   0.9827469
             AtBat
                           Hits
                                   0.9639432
## 21
## 228
             CAtBat
                            CRBI
                                   0.9507314
```

It is evident that a number of the predictors are highly collinear. We can also visualize this using make_corrPlot.

```
make_corrPlot(df, col_labels = TRUE, var_clusters = 7)
```



Dodging this issue of collinearity for now, I will run a basic regression of Salary against all predictors in the data frame.

```
lm.fit = lm(Salary ~ ., data = df)
```

What are the most significant predictors at a 0.05 cutoff?

```
find_sig_vars(lm.fit, sig.cutoff = 0.05) %>% arrange(p_val)
```

```
##
     var_names
                                     sd
                       coef
                                                 z
                                                       p_val
## 1
       PutOuts
                  0.2818925
                              0.0774406
                                         3.640114 0.0003329
## 2
         Walks
                  6.2312863
                              1.8285038
                                         3.407861 0.0007662
## 3
          Hits
                  7.5007675
                              2.3775341
                                         3.154852 0.0018082
  4
         AtBat
                 -1.9798729
                              0.6339780 -3.122936 0.0020077
##
## 5 DivisionW -116.8492456 40.3669516 -2.894676 0.0041408
                 -0.8115709 0.3280825 -2.473679 0.0140574
## 6
        CWalks
```

We see that a number of predictors are highly significant, although the significance is questionable given the degree of collinearity in the dataset. To address this, let's check the VIF of this basic linear regression.

```
find_VIF(lm.fit) %>% head()
```

These VIFs are explosively large! Anything above 10 is considered problematic, and these are in the hundreds. Again skirting the actual issue of model integrity, how do the predictions of a linear model fare against the actual values? Some of the salaries have missing values - since this exercise is just meant to illustrate the utility of the evaluation functions, I will remove these from the dataset.

Model evaluation

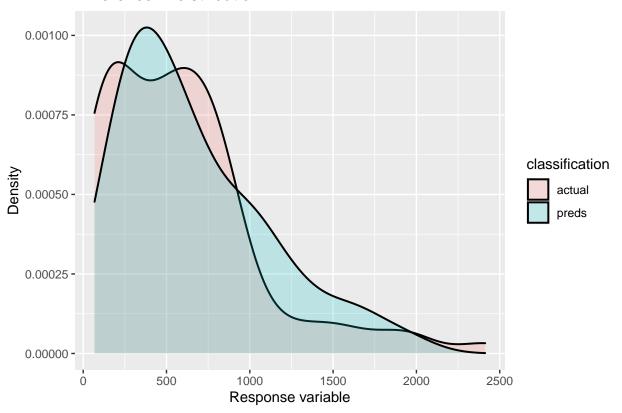
```
set.seed(1)
df.clean = df[!is.na(df$Salary), ]
N = nrow(df.clean)
data_split = sample(N, 0.7*N, replace = FALSE)
train = df.clean[data_split, ]
test = df.clean[-data_split, ]
lm.fit = lm(Salary ~ ., data = train)
preds = predict(lm.fit, test)
RMSE(preds, test$Salary)
```

```
## [1] 371.1202
```

We can also consider the distribution of the actual vs. predicted salaries:

```
dist_eval(preds, test$Salary)
```

Difference in distribution



How does the model fare at different quartiles of the actual salary?

```
RMSE_ntile(preds, test$Salary, n_percentile = 4)
```

We see that the RMSE is worst on the highest 25% of the data.

Lasso fit

The *Hitters* dataset has a number of collinear predictors. Will a lasso regularization improve the fit?

```
library(glmnet)

train.matrix = model.matrix(Salary ~ ., train)[, -1]

test.matrix = model.matrix(Salary ~ ., test)[, -1]

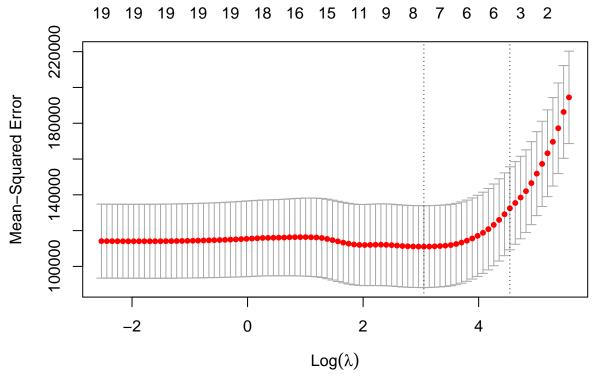
grid = 10^seq(10, -2, length = 100)

lasso.fit = glmnet(train.matrix, train$Salary, alpha = 1, lambda = grid)

# Use CV to find the best lambda

cv.out = cv.glmnet(train.matrix, train$Salary, alpha = 1)

plot(cv.out)
```



```
bestlam = cv.out$lambda.min

preds = predict(lasso.fit, s = bestlam, test.matrix)
RMSE(preds, test$Salary)
```

[1] 366.6811

It appears that the lasso does improve the fit, if only marginally. Of the original coefficients, which coefficients end up in the lasso fit?

```
lasso.coefs = find_lasso_coefs(lasso.fit, bestlam)
pct_lasso_coefs = round((nrow(lasso.coefs) - 1)/p, 5)*100
print(paste0("The lasso kept ", pct_lasso_coefs, " % of the original predictors."))
```

[1] "The lasso kept 42.105 % of the original predictors."

```
lasso.coefs %>% filter(predictor != "(Intercept)")
```

```
##
     predictor
                  coefficient
## 1 DivisionW -132.62010012
## 2
       LeagueN
                  13.73646839
## 3
         Walks
                  3.82004270
## 4
          Hits
                  0.74784016
## 5
          CRBI
                  0.46882548
       PutOuts
                  0.22369217
## 6
## 7
         CRuns
                  0.20531703
## 8
         CHits
                  0.02235278
```