## Some Infos

The methods I planned to use in the application have the following form:

- algorithm<TypeOfGlyph><TypeOfAlgorithm>()
- utilitys<TypeOfGlyph>()
- (maybe) formatChangeNestedDisks()

all other functions are really low level stuff and the draw functions where just temporary!

## NestedDisks

solution, objective =algorithmNestedDisksStackingMinMin(circles, mode)

- circles: assuming we get 3 nestings the input circles is a list of lists which all have five entrys  $[x, y, r_1, r_2, r_3]$  where  $r_1 > r_2 > r_3$ .
- mode: mode can be "relative" or "absolute"
- solution: has the same structure as circles
- objective: accumulated value of the calculated utilitys

result, numberOfNestings = formatChangeNestedDisks(circles)

- circles: assuming we get 3 nestings the input circles is a list of lists which all have five entrys  $[x, y, r_1, r_2, r_3]$  where  $r_1 > r_2 > r_3$ .
- number Of Nestings: number of nestings of a single glyph. In our case three.
- result: a new representation of our Data,  $[x, y, r_1, r_2, r_3]$  and  $[x', y', r'_1, r'_2, r'_3]$  get transformed to  $[x, y, r_1], [x, y, r_2], [x, y, r_3], [x', y', r'_1], [x', y', r'_2], [x', y', r'_3].$

utilitysNestedDisks(circles)

- *circles*: assuming we get 3 nestings the input *circles* is a list of lists which all have five entrys  $[x, y, r_1, r_2, r_3]$  where  $r_1 > r_2 > r_3$ .
- outputs some utility Values (variablenames should be discriptive)

## Hawaiian

result=algorithmHawaiianLeftToRight(circles)

- circles: assuming we get 3 nestings the input circles is a list of lists which all have five entrys  $[x, y, r_1, r_2, r_3]$  where  $r_1 > r_2 > r_3$ .
- result: not the same structure as circles!!!!!! a new representation of our Data,  $[x, y, r_1, r_2, r_3]$  and  $[x', y', r'_1, r'_2, r'_3]$  get transformed to  $[x_1, y_1, r_1], [x_2, y_2, r_2], [x_3, y_3, r_3], [x'_1, y'_1, r'_1], [x'_2, y'_2, r'_2], [x'_3, y'_3, r'_3]$

utilitysHawaiian(circles,numberOfNestings)

- number Of Nestings: number of nestings of a single glyph. In our case three. Is always given by len(circles[0]-2)
- for the rest see NestedDisks

## **PieCharts**

resultCircles, resultPieces, resultAngles=algorithmPieChartsStacking(circles, piePieces)

- circles: a list of bounding circles, eg. [x, y, r], [x', y', r']...
- piePieces: a list of dividing lines on the boundary given in radient.

  It is always assumed that there is a "base"-dividing line at  $\alpha_0 = 0$ .

  Therefore we get for a glyph, which contains 3 pieces, the following list:  $[\alpha_1, \alpha_2]$  and  $\alpha_0$  is implicit!!!!!!!!!
- resultCircles: same structure as circles
- resultPieces: same structure as piePieces
- resultAngles: contains for every glyph an angle, in the visualization the dividing lines must be rotated counter clockwise with that angle

utilitysPieCharts(circles,piePieces,angles)

• structure of circles, piepieces, angles is given by the output above (result...).

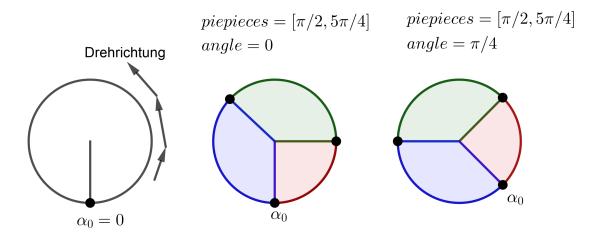


Abbildung 1: position of the lines in a drawing