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Q4 Traveling is Fun

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Problem

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Discussions

There are n cities numbered from 1 to n . Two cities, x and y , are connected by a bidirectional road if and only if $\text{gcd}(x, y) > g$, where gcd is the greatest common divisor of x and y . Julia is planning a long vacation and wants to know whether a path exists from city x to city y .

Complete the `connectedCities` function; it has four parameters:

Name	Type	Description
<code>n</code>	integer	The number of cities.
<code>g</code>	integer	Cities x and y are connected if and only if $\text{gcd}(x, y) > g$.
<code>originCities</code>	integer array	Each index i (where $0 \leq i \leq q$) describes x for the i^{th} pair of cities.
<code>destinationCities</code>	integer array	Each index i (where $0 \leq i \leq q$) describes y for the i^{th} pair of cities.

The function must return an array of q integers where the value at each index i (where $0 \leq i < q$) is 1 if a path exists from city `originCitiesi` to city `destinationCitiesi`; otherwise, it's 0 instead.

Input Format

The code to read the inputs from stdin and to pass it to the function `connectedCities` is provided for you. The below is documentation in case you need to create custom testcases.

- The first line contains an integer denoting n .
- The second line contains an integer denoting g .
- The third line contains an integer, q , denoting the total number of elements in `originCities`.
- Each line i of q subsequent lines (where $i \leq 0 < q$) contains an integer describing `originCitiesi`.
- The next line contains an integer, q , denoting the total number of elements in `destinationCities`.
- Each line i of q subsequent lines (where $i \leq 0 < q$) contains an integer describing `destinationCitiesi`.

Constraints

- $2 \leq n \leq 2 \times 10^5$
- $0 \leq g \leq n$
- $1 \leq q \leq \min(n \times (n - 1)/2, 10^5)$
- $1 \leq \text{originCities}_i, \text{destinationCities}_i \leq n$, where $0 \leq i < q$
- $\text{originCities}_i \neq \text{destinationCities}_i$, where $0 \leq i < q$

Output Format

Return an array of q integers where the value at each index i (where $0 \leq i < q$) is 1 if a path exists from city `originCitiesi` to city `destinationCitiesi`; otherwise, it's 0 instead.

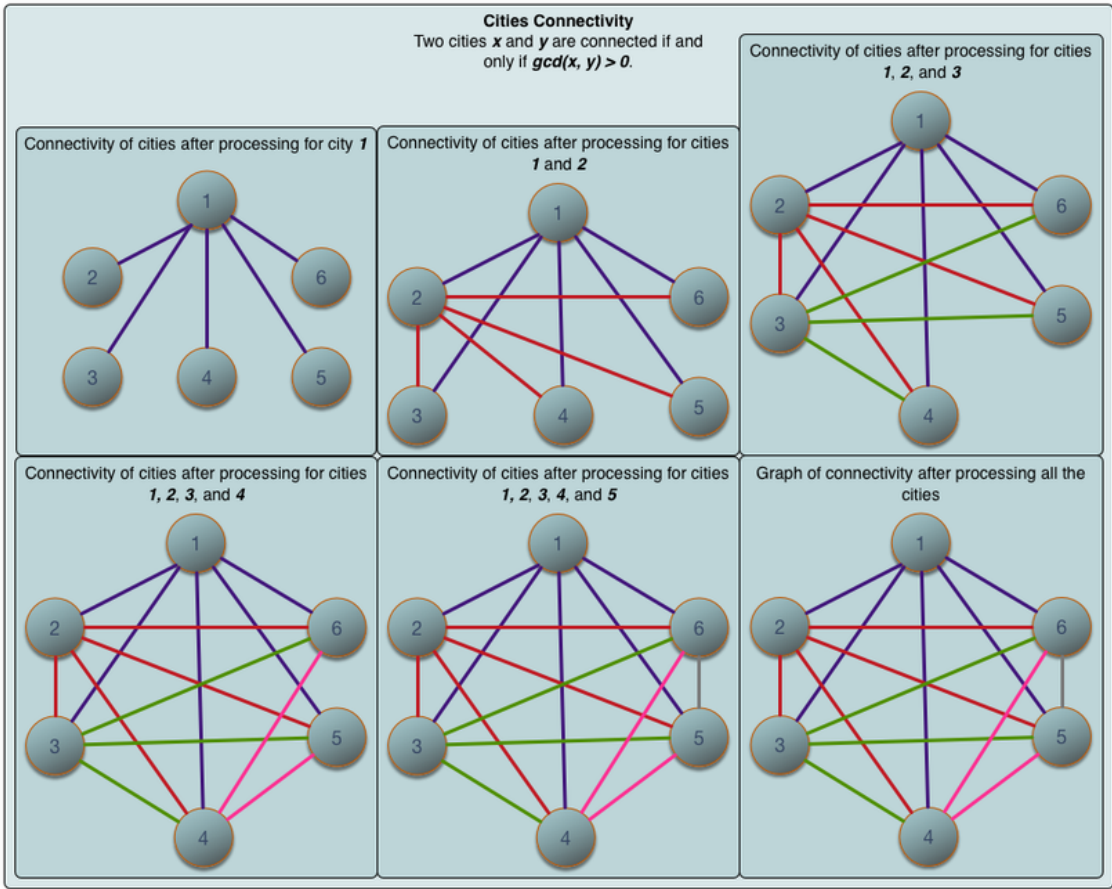
Sample Input 0

6
0
4
1
4
3
6
4
3
6
2
5

Sample Output 0

1
1
1
1

Explanation 0



There are $n = 6$ cities and, given $g = 0$, we know that two cities x and y are connected if and only if $\gcd(x, y) > 0$. Julia wants to know whether any path exists from:

- City 1 to city 3
- City 4 to city 6
- City 3 to city 2
- City 6 to city 5

Let the return array be *paths*, then:

- *paths*₀ = 1 because a path exists from city 1 to city 3. Julia can follow path 1 → 3.
- *paths*₁ = 1 because a path exists from city 4 to city 6. Julia can follow path 4 → 6.
- *paths*₂ = 1 because a path exists from city 3 to city 2. Julia can follow path 3 → 2.

- $paths_3 = 1$ because a path exists from city 6 to city 5. Julia can follow path $6 \rightarrow 5$.

Thus, we return $paths = [1, 1, 1, 1]$ as our answer.

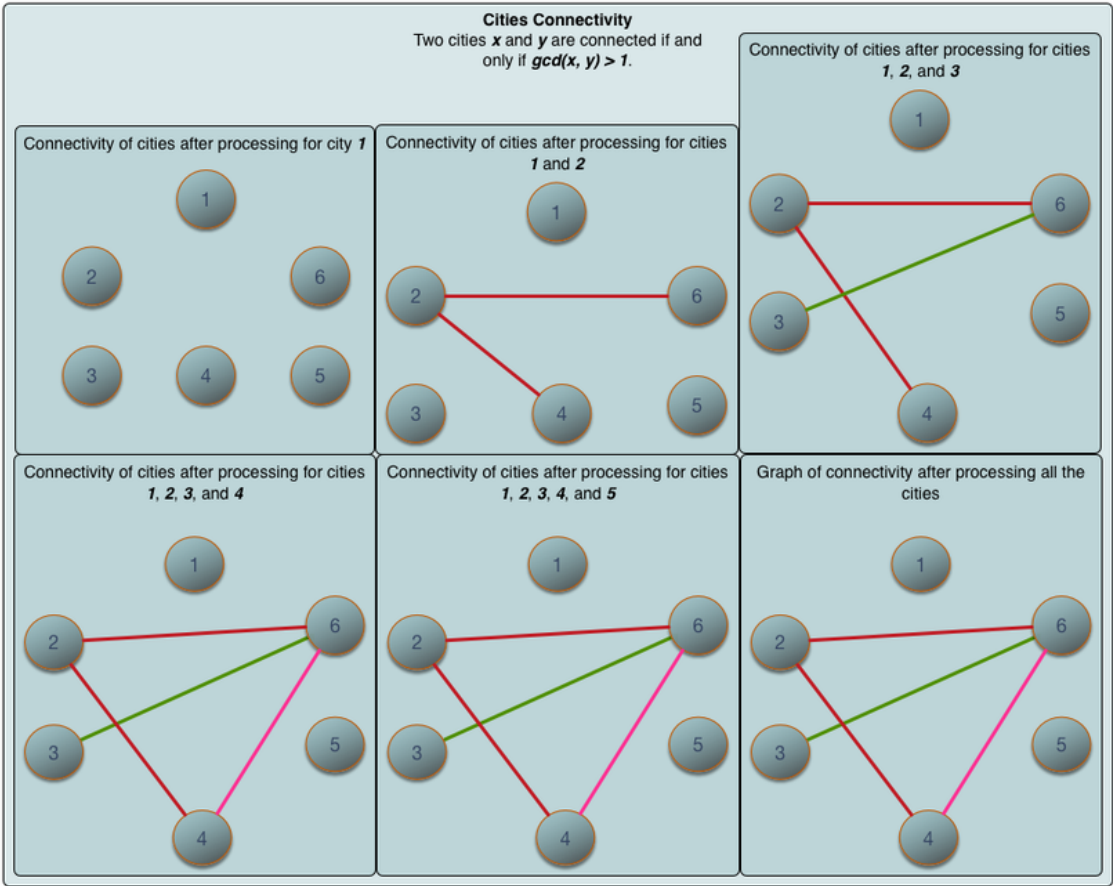
Sample Input 1

6
1
4
1
2
2
4
6
4
3
3
3
4

Sample Output 1

0
1
1
1

Explanation 1



There are $n = 6$ cities and, given $g = 1$, we know that two cities x and y are connected if and only if $gcd(x, y) > 1$. Julia wants to know whether any path exists from:

- City 1 to city 3
- City 2 to city 3
- City 4 to city 3
- City 6 to city 4

Let the return array be $paths$, then:

- $paths_0 = 0$ because it's impossible to reach any city from city 1.
- $paths_1 = 1$ because a path exists from city 2 to city 3. Julia can follow path $2 \rightarrow 6 \rightarrow 3$.
- $paths_2 = 1$ because a path exists from city 4 to city 3. Julia can follow path $4 \rightarrow 6 \rightarrow 3$.
- $paths_3 = 1$ because a path exists from city 6 to city 4. Julia can follow path $6 \rightarrow 4$.

Thus, we return $paths = [0, 1, 1, 1]$ as our answer.

Sample Input 2

```
10
1
4
10
4
3
6
4
3
6
2
9
```

Sample Output 2

```
1
1
1
1
```

[f](#) [t](#) [in](#)

Submissions: [39](#)

Max Score: 100

Difficulty: Hard

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C++14



```
1▼ #include <cmath>
2  #include <cstdio>
3  #include <vector>
4  #include <iostream>
5  #include <algorithm>
6  using namespace std;
7
8
9▼ int main() {
10▼     /* Enter your code here. Read input from STDIN. Print output to STDOUT */
11     return 0;
12 }
13
```

Line: 1 Col: 1

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