

Building a Robotic Leg for High Impact Landing



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Acknowledgments:
Ben Brown

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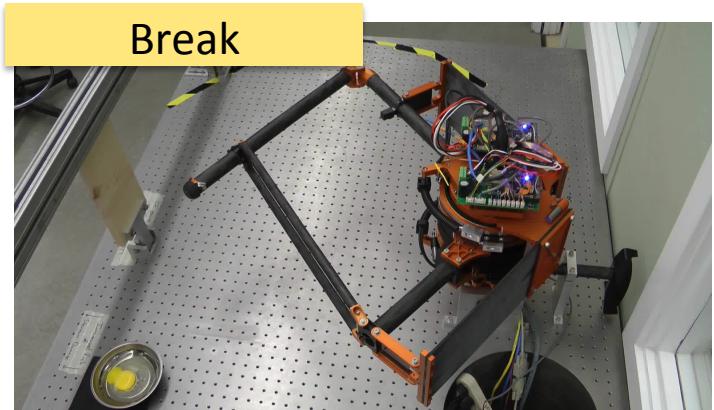
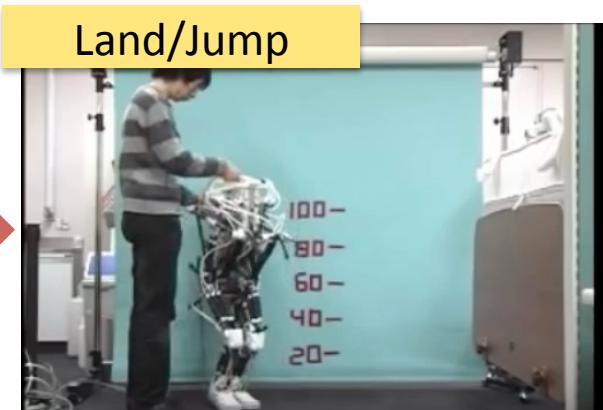
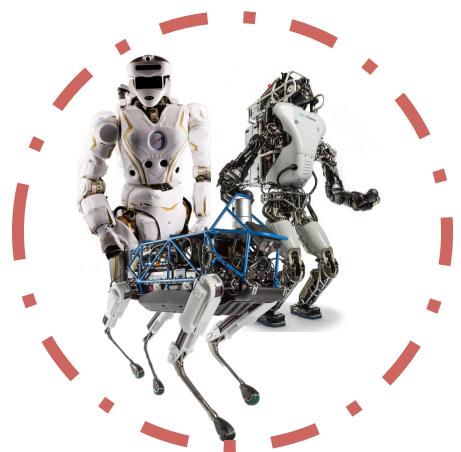
Content

- Background
- Problem Statement
- Proposed Hardware design
- Simulation & Test
- Results
- Conclusion

Background



Background cont.

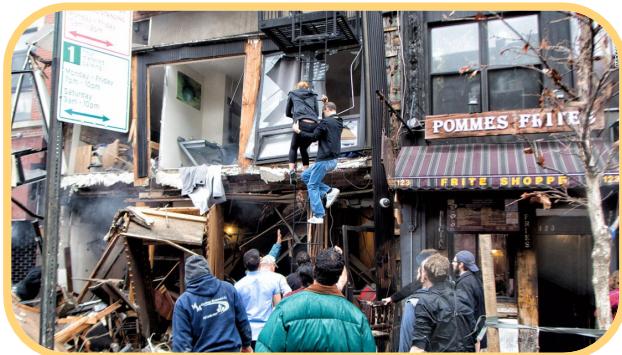


[2010 Niyyama, R.]

[<https://www.youtube.com/watch?v=PmMeY1F9V3I>]

Why study jumping?

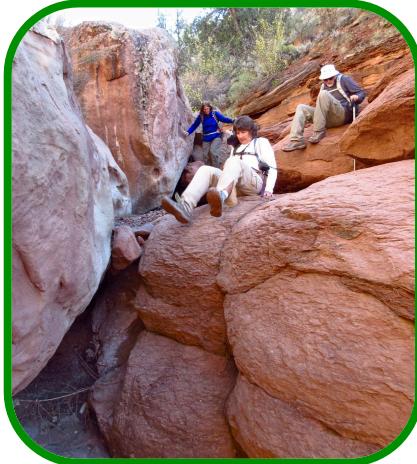
Search & Rescue



Exploration (space)



Service



Content

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Problem Statement

Aim:

- Design, build and test a new bipedal robot capable of safely landing drop jumps of at least 3m.

Approach:

- Two prong attack
 - Mechanical Hardware
 - Controls
- 
- TODAY**

Problem Fundamentals

- Impulse-momentum theorem

Post impact Impulse

$$F \cdot t = M \Delta \vec{v}$$

$\Delta \text{Momentum} = \text{constant}$

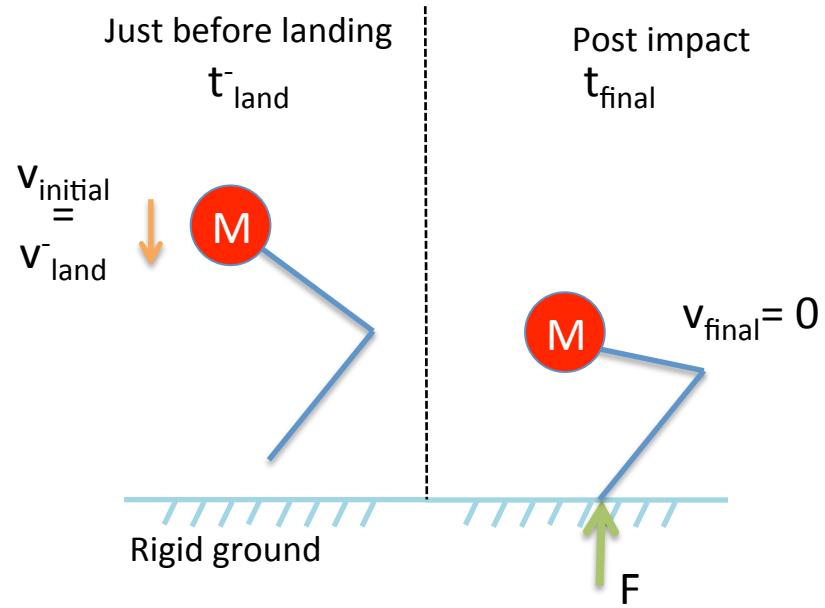
$$\therefore \min F \implies \max t$$

$$\max t \implies \min \dot{v}$$

- Problem:

How do we minimize deceleration?

+ remove energy ?



Specific Challenges

Motor & Transmission

- High torque vs. low gear ratio
- Power consumption
- Gear train is fragile (usually 1st thing to break)

Force Sensing

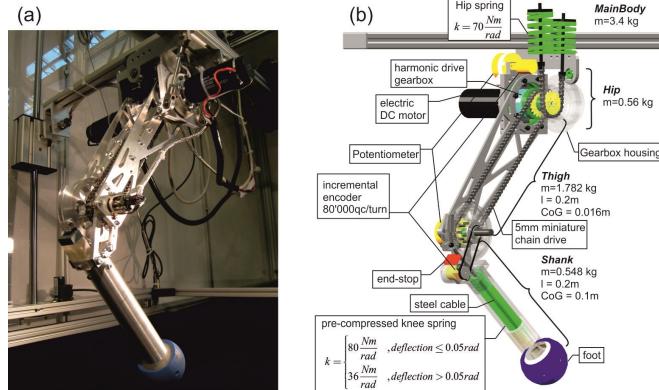
- Accurate sensing on foot
- Strain gauges get saturated
- Can't carry a force plate everywhere

Other

- ~0.5 sec action time
- Adaption to different heights/forces
- Form factor restrictions

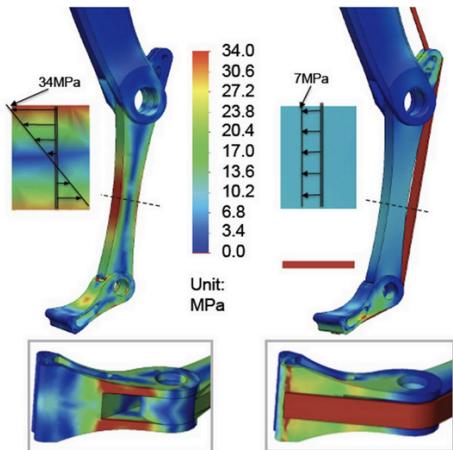
Some current solutions

SEAs (compliant joints)



[Hutter, M., et al. 2011]

Emulating Tendons



[Ananthanarayanan, A., et al. 2012]

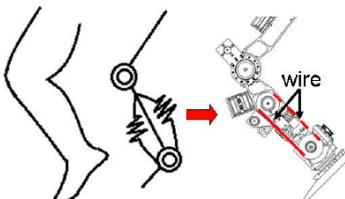


Fig. 5. Comparison with human leg ,simple figure, and large output leg

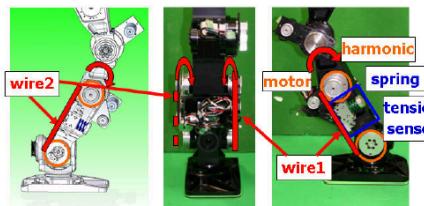


Fig. 6. Mechanism of the tendon-driven ankle joint in developed leg
[Ito, Y., et al. 2012]

Potential solution: Airbags

“Knockerballs”



Mars Landing



Pros:

- Simple and effective
- Can be adapted to most systems

Cons:

- Reduces mobility (i.e. arms)
- Uncontrollable
- One time use
- Bulky

More CONs than PROs!

Sorry Chris !

Potential Solution: Active suspension

MR Dampers



Magneto-rheological fluid:

- oil + iron particles
- Control viscosity of fluid by a magnetic field

Model:

$$F_d(x, \dot{x}, i) = (\alpha_0 + \alpha_1 \sqrt{i}) \tanh[\beta_0 \dot{x} + \gamma_0 \operatorname{sgn}(x)] + \delta_0 x + \eta_0 \dot{x} + \kappa_0$$

Pros:

- High shock absorber
- Actively tune for different scenarios
- Proven to work in large system
- Relative small form factor
- Simple to use

Cons:

- Heavy ($\sim 5\text{kg}$)
- very non-linear dynamics
- $\sim 15\text{-}20\text{ms}$ reaction time

Content

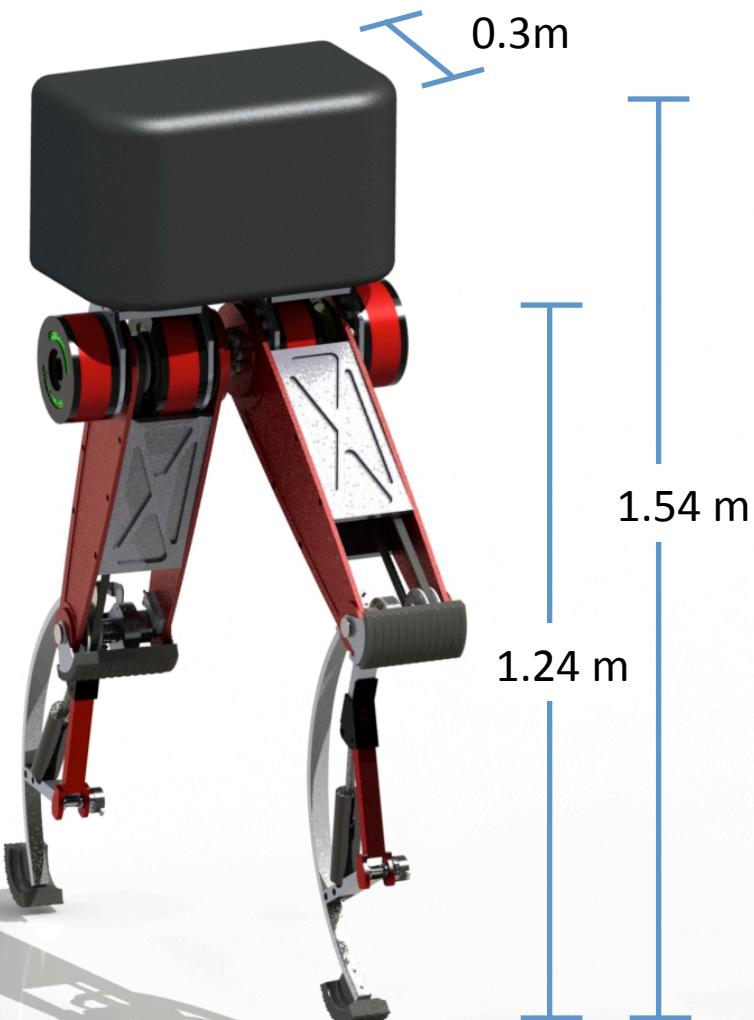
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Design overview

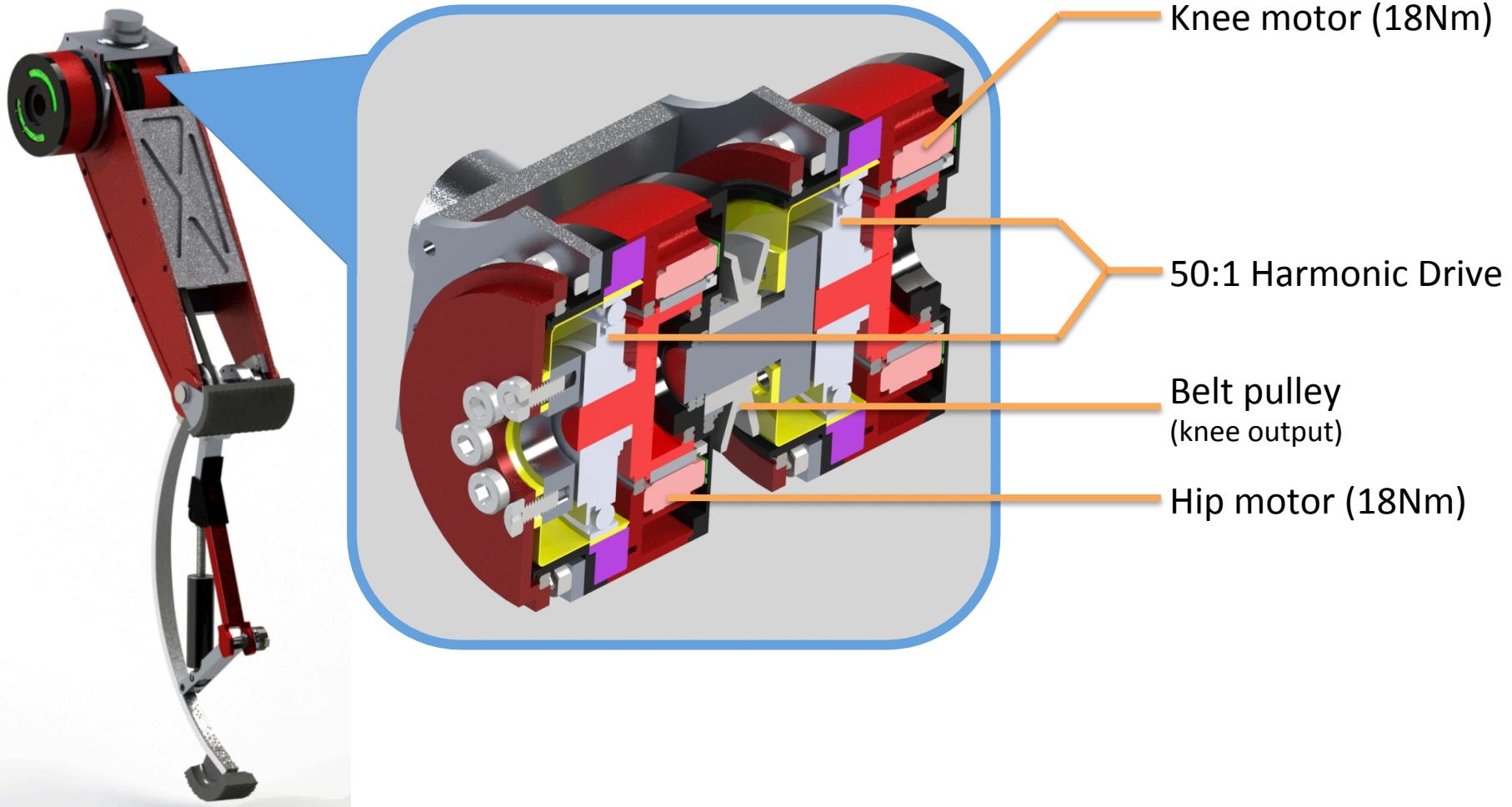
Desired Functionality	Design choice
Impact force attenuation	Variable damping
Force sensing & increasing impact time	Passive compliance
High agility	Low inertia legs
Lightweight and Load bearing	AL 7075-T6
High torque actuation	18Nm motors + 50:1 Harmonic Drive

CAD Model

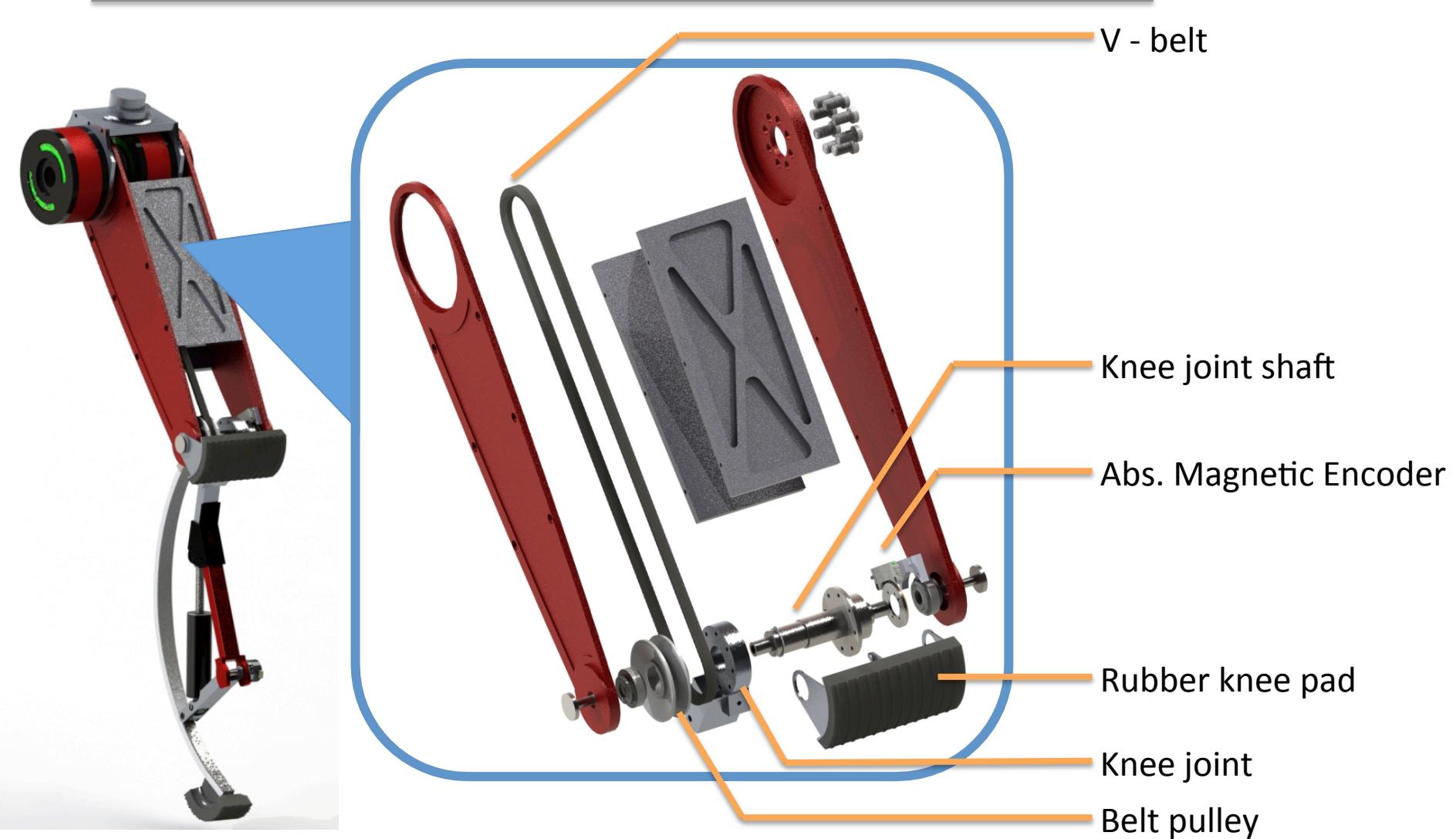
Spec	Value
Mass [kg]	40
Thigh length [m]	0.55
Shin length [m]	0.65
Actuation	DC Brushless Motors 18Nm
Transmission	Harmonic 50:1
Knee drive	Belt driven
OS	Simulink RealTime



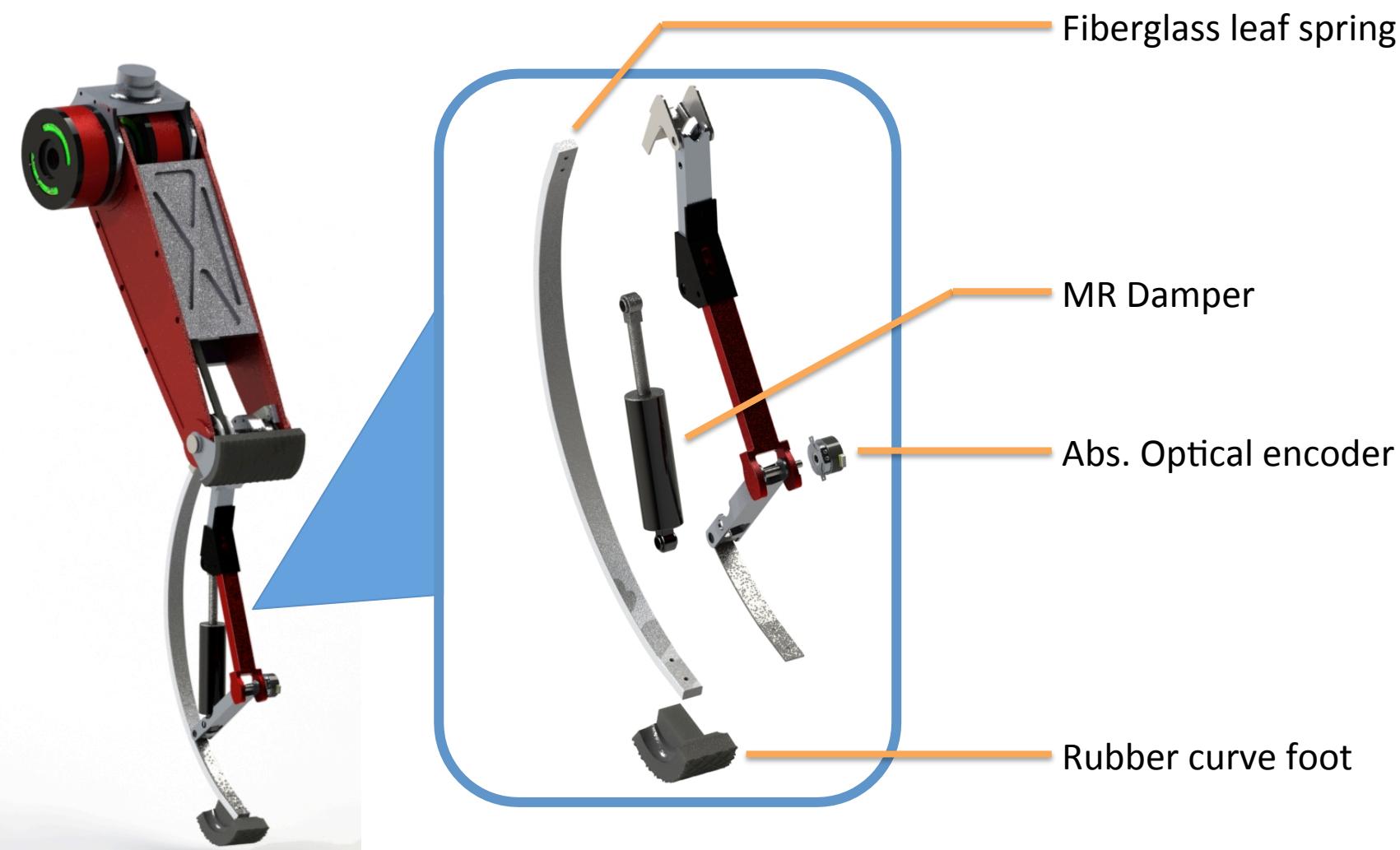
Motors & Transmission



Thigh & knee



Shin & Foot



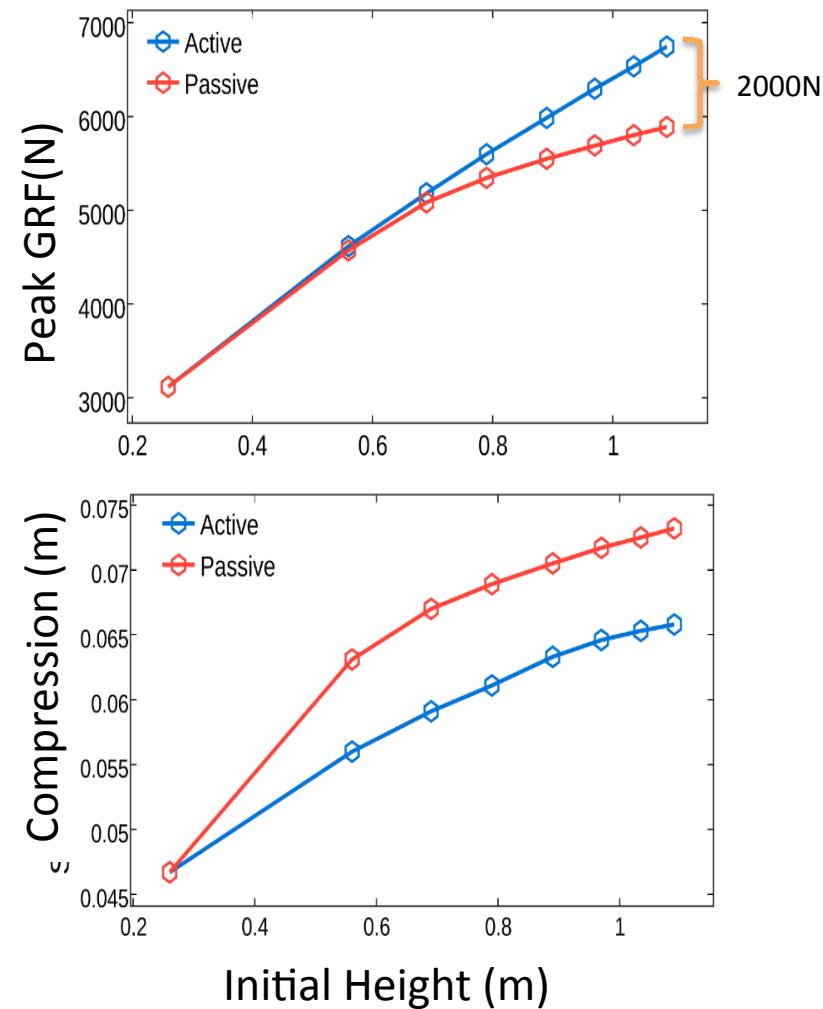
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Shin drop test (simulation)

drop height: 2m

sim speed: 1x

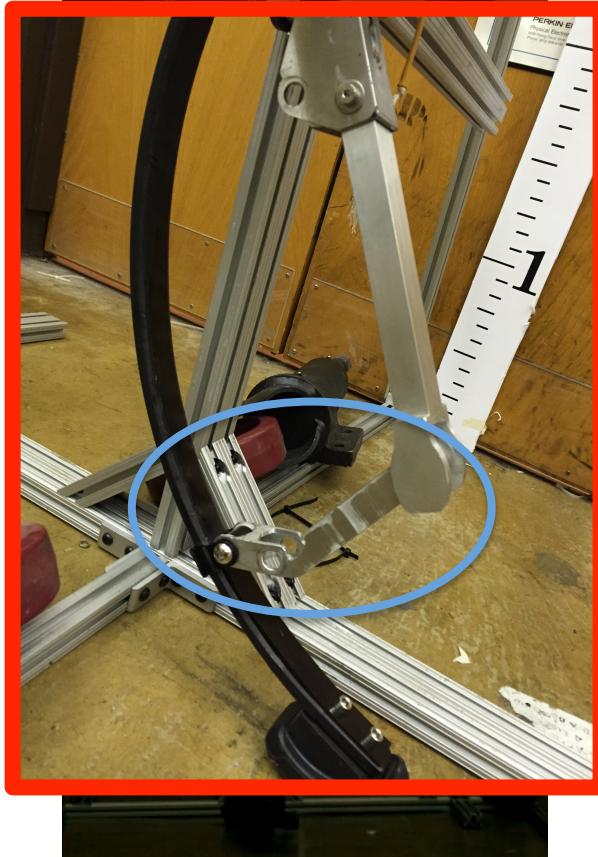


Shin drop test (real)

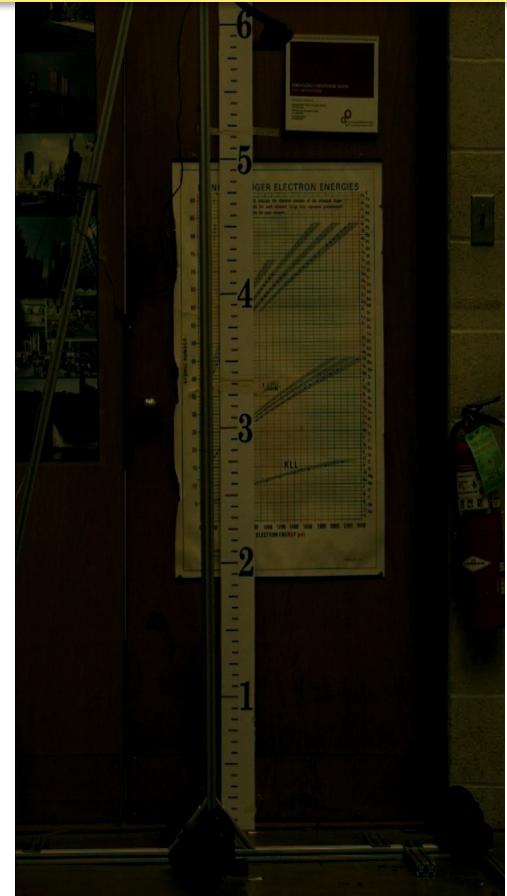
No damper



High damping (passive)



Damper on (max setting)



Remarks

- Leg was designed for large initial energy
 - (mass and height)
- Increased energy (mass + height) → Broke leg
 - (mechanical rather than conceptual error)
 - Part has been redesigned

Increasing breaking distance

- Breaking distance:
 - Distance it takes to come to a complete stop after impact
- Directly correlated to increasing time in:

$$F \cdot t = M \Delta \vec{v}$$

- Biomechanics → Adding Knee flexion (cushioning reflexion)
- Knee flexion is highly dependent in pre-impact knee:
 - angular position
 - stiffness

Optimization:

- Find optimum gain for impedance control:

$K_{p,hip}(t)$ Stiffness of hip joint
 $K_{d,hip}(t)$ Damping of hip joint
 $K_{p,knee}(t)$ Stiffness of knee joint
 $K_{d,knee}(t)$ Damping of knee joint
 $B_{shin}(t)$ Damping of shin

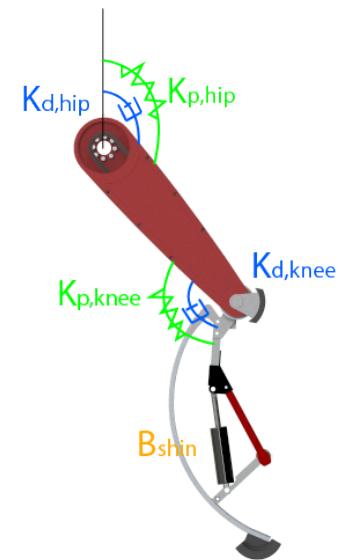


Fig: model used, built in SimMechanics

- That minimizes: $C = I^2 + \int_{t_0}^{t_f} u^T Qu + \underbrace{\frac{1}{\alpha_k^T W \alpha_k}}_{\text{Input torques}} + \underbrace{y_f^T P y_f}_{\text{Foot vertical pos. rel. to ground}} dt$

Optimization

- Subject to our hardware constraints:

$$\alpha_{h,\min} \leq \alpha_{\text{hip}} \leq \alpha_{h,\max}$$

$$\alpha_{k,\min} \leq \alpha_{\text{knee}} \leq \alpha_{k,\max}$$

$$\tau_{h,\min} \leq \tau_{\text{hip}} \leq \tau_{h,\max}$$

$$\tau_{k,\min} \leq \tau_{\text{knee}} \leq \tau_{k,\max}$$

$$F_{b,\max} \leq F_{\text{damper}} \leq F_{b,\max}$$



Joint angle limits



Joint torques limits



Damper force limits

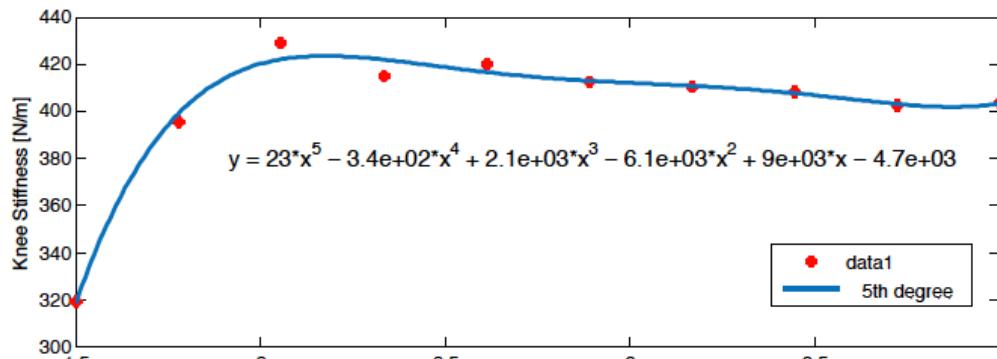
- And physical parameters from Solidworks:
 - Mass, Inertia, Size

Content

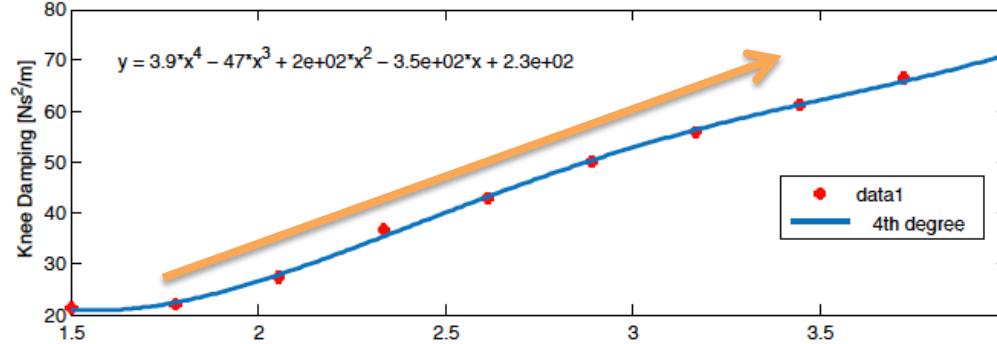
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Results

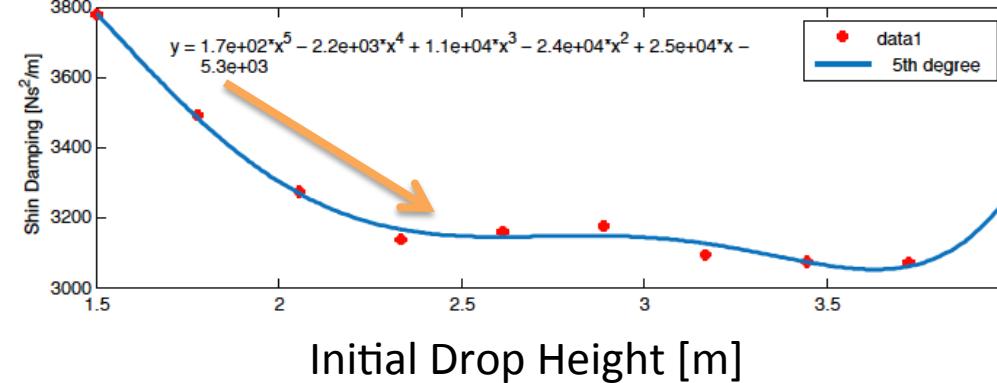
Knee Stiffness



Knee Damping



Shin Damping

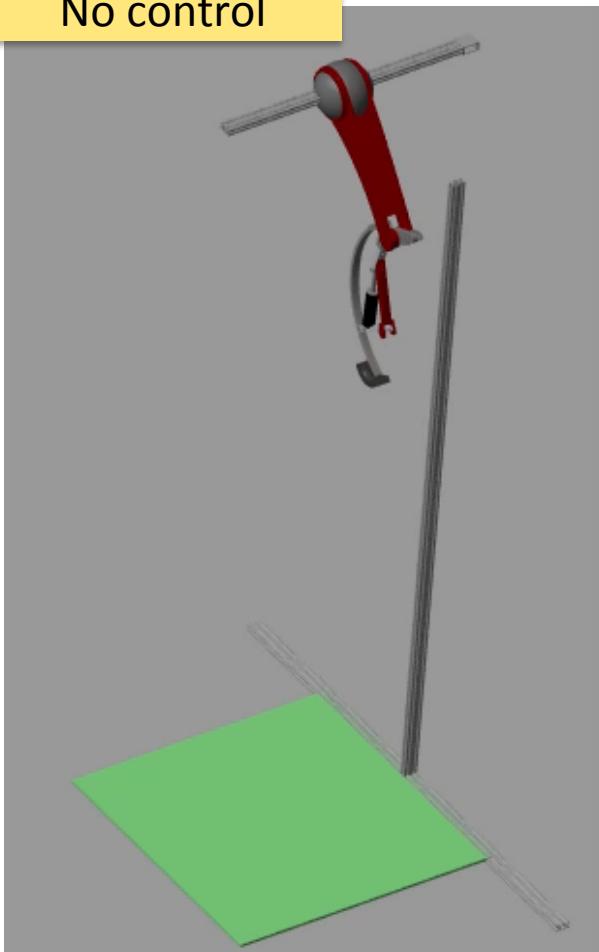


Expected trend:
↑height → damping ↑

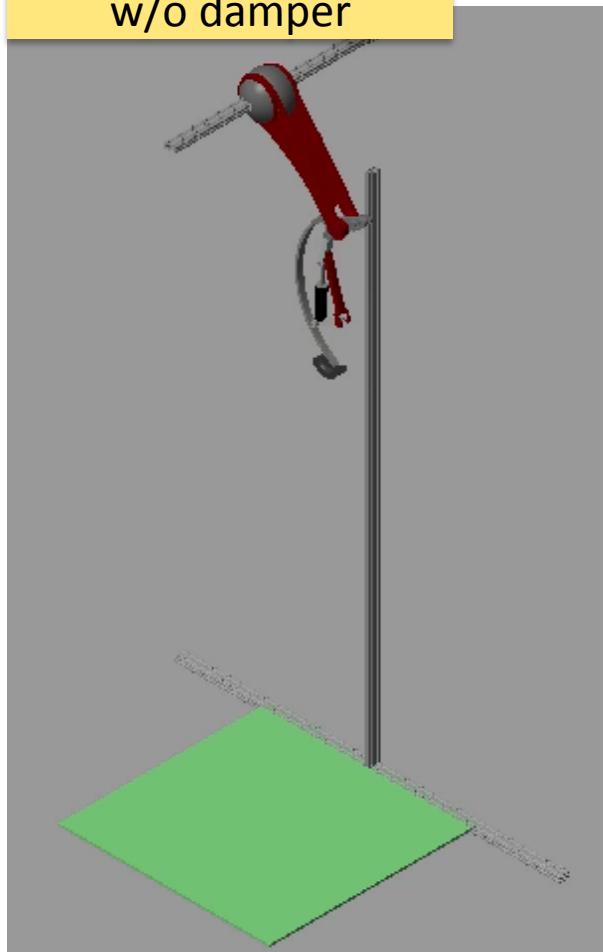
Unexpected trend:
↑height → damping ↓

Results

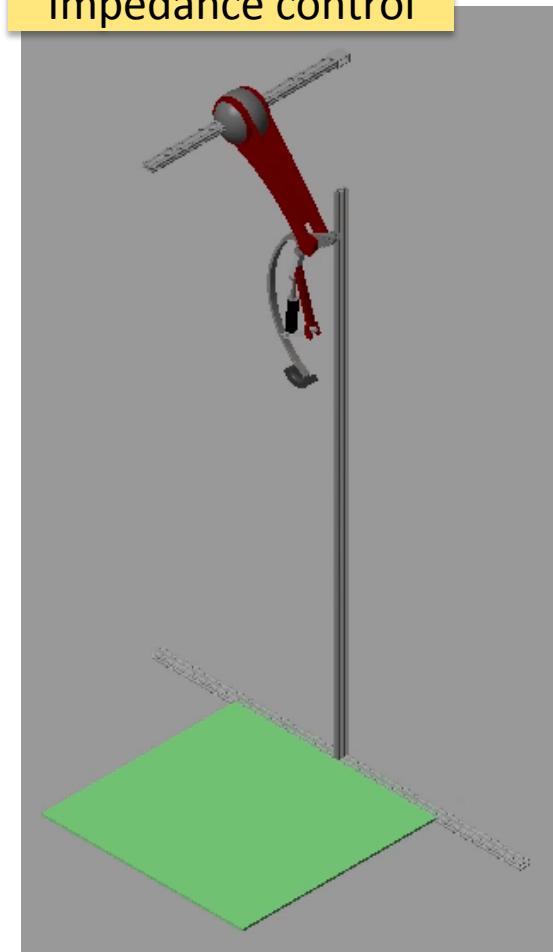
No control



Impedance control
w/o damper



Optimal
Impedance control



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Future work & Open questions

Future work:

- Test on real hardware
- Roll to convert vertical to horizontal momentum

Open Questions:

- How can we more accurately measure GRF?
- What can we do with other measurements (e.g. CoM acceleration)?
- Should the thigh also be compliant?

Q & A
Thank you

Full leg Simulation & Optimization

Use simplified model to find:

- $K_{phip}(t)$ Stiffness of hip joint
- $Kd_{hip}(t)$ Damping of hip joint
- $Kp_{knee}(t)$ Stiffness of knee joint
- $Kd_{knee}(t)$ Damping of knee joint
- $B_{shin}(t)$ Damping of shin

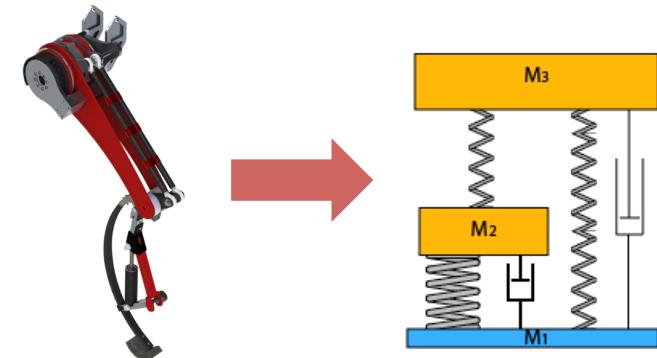


Figure 1: Simplified 3DoF MSD model of robotic leg

2 phase controller

1. “Brace for landing”
 - Leg placement
 - Set stiffness and damping of joint
2. “Energy regulation & stabilizing”
 - Maintain leg placement
 - Use hip torque to slowly decompress the spring

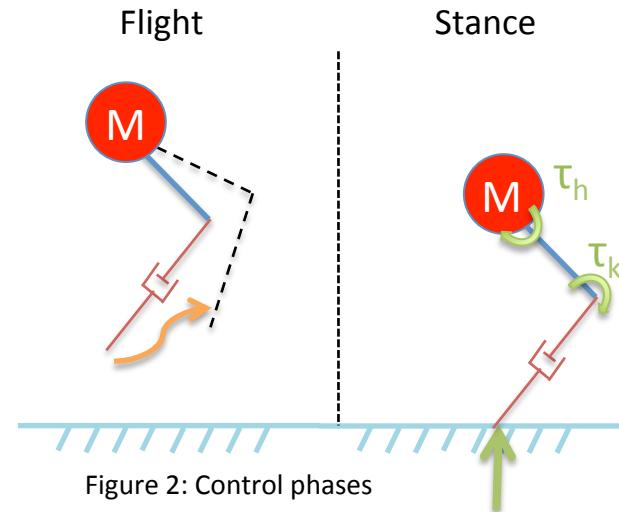
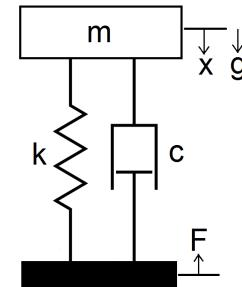


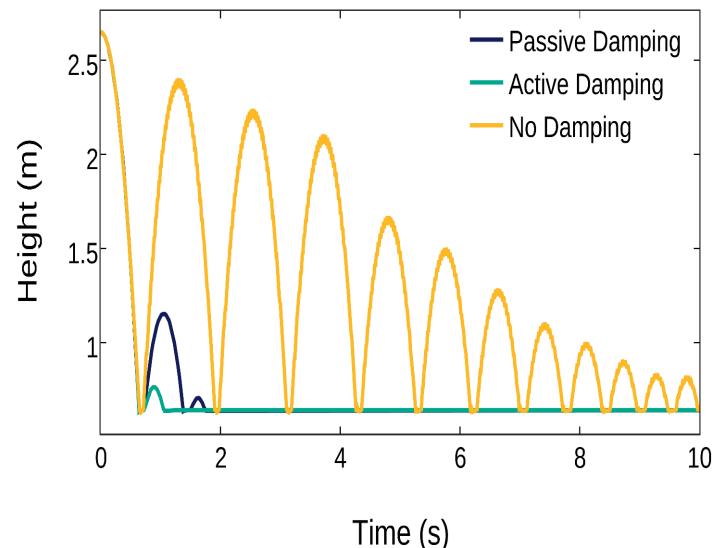
Figure 2: Control phases

Variable damping

- Passive damping only critically damps a small range of jump heights
- Allows for system tuning/adaptation on the fly
- Shown to improve car suspensions



Center-of-Mass Trajectory for a 2m Drop Height



Design overview

Desired Functionality	Design choice
Impact force attenuation	Variable damping
Force sensing & increasing impact time	Passive compliance
High agility	Low inertia legs
Lightweight and Load bearing	AL 7075-T6
High torque actuation	18Nm motors + 50:1 Harmonic Drive
High resolution joint sensing	19Bit Magnetic Absolute Encoder
High frequency communication	EtherCAT
User-friendly target system	Speedgoat + Simulink - RealTime