

# **Modelling Club: Week 3**

**Welcome to Modelling Club!**

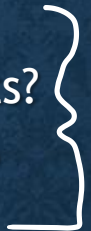
# Modelling Scenario

- Scenario: BF.7 subvariant in Bangladesh
- Main purpose: estimate number of cases, number of hospitalizations, number of deaths caused by BF.7



# Model Building Steps

## 1. Identify the question

- a. Team 1: What is the impact of vaccination on indirect costs?
  - b. Team 2: What is the impact of vaccination on direct costs?
  - c. Team 3: To be determined...
- 
- Health  
economics

# Tasks from Week 2

- Meet with your team!
  - Who is on Team 1? Sohel
  - Who is on Team 2? Sharif & Farzana
  - Who is on Team 3? Taifur & Motahara
  - Communication plan? Tasks?



# Model Building Steps

1. Identify the question
  - a. Team 1: What is the impact of vaccination on indirect costs?
  - b. Team 2: What is the impact of vaccination on direct costs?
  - c. Team 3: To be determined
2. Identify existing knowledge: structure, values for parameters

# Tasks from Week 2

- Meet with your team!

- Who is on Team 1?
- Who is on Team 2?
- Communication plan? Tasks?

Estimating proportion hospitalized is very difficult

- all people hospitalized at any point with COVID-19
- all people who had COVID-19
- proportion of infected who are hospitalized

- Find sources of existing knowledge

- human demographics, natural history of virus, impacts of control
- similar models?

- SEIR model structure for COVID-19
- WHO has estimates for some parameters
- hospitalization for Bangladesh?
  - may not be accurate
  - from previous variants



# Modelling Club

- Today's goals:
  - discuss possible model structures
  - look at example code for these structures



# Choose Model Structure

- What structure is appropriate for COVID-19? SEIR captures stages of disease
- What components do we need to answer our questions?

Identify the question

Identify existing knowledge

Choose model structure



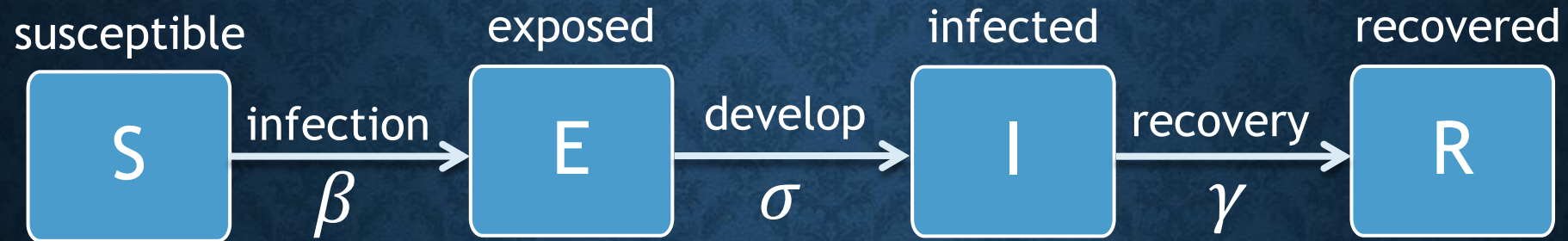
Remember: all models are wrong

# SEIR Model



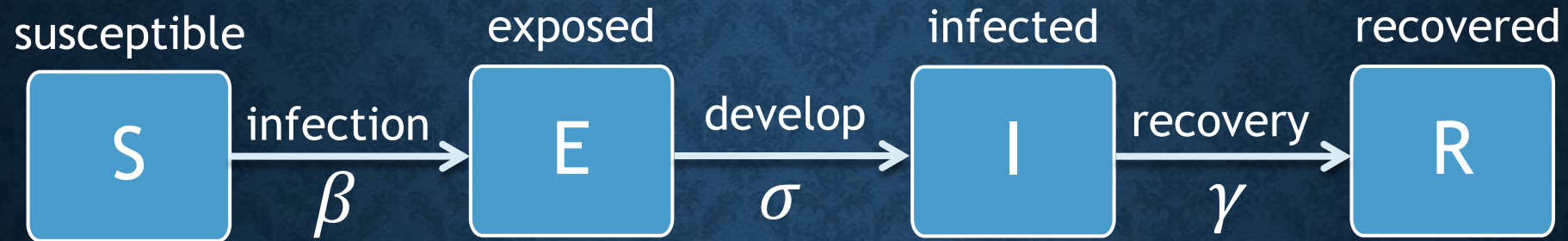


# SEIR Model



- Susceptible, Exposed, Infected, Recovered
  - $\beta$  is a transmission coefficient
  - $\gamma$  is recovery rate
  - $1/\gamma$  is the recovery period
  - $\sigma$  is the rate of change from exposed to infectious
  - $1/\sigma$  is the latent period

# SEIR Model

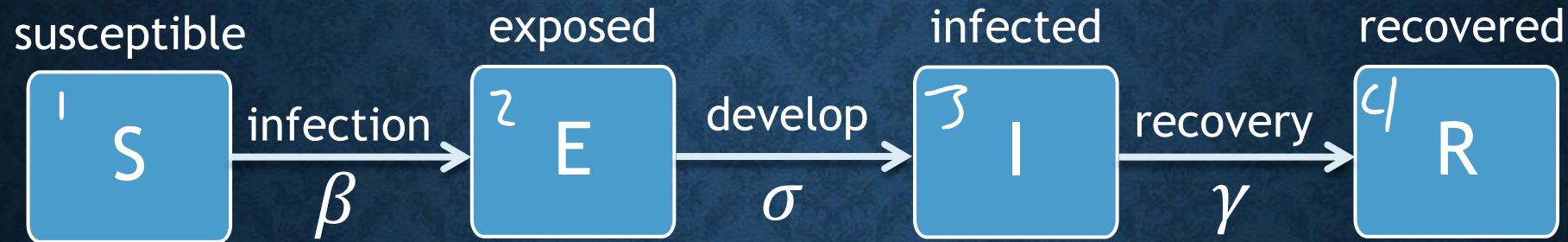


- Susceptible, Exposed, Infected, Recovered
  - $\beta$  is a transmission coefficient
  - $\gamma$  is recovery rate
  - $1/\gamma$  is the recovery period
  - $\sigma$  is the rate of change from exposed to infectious
  - $1/\sigma$  is the latent period
- Assumptions:
  - no births, migrations, deaths
  - everyone recovers
  - no re-infections



# SEIR Model

- start by drawing graphic
- then write equations
- same number of equations as compartments
- incoming arrows are positives
- outgoing arrows are negatives



- Susceptible, Exposed, Infected, Recovered

- $\beta$  is a transmission coefficient
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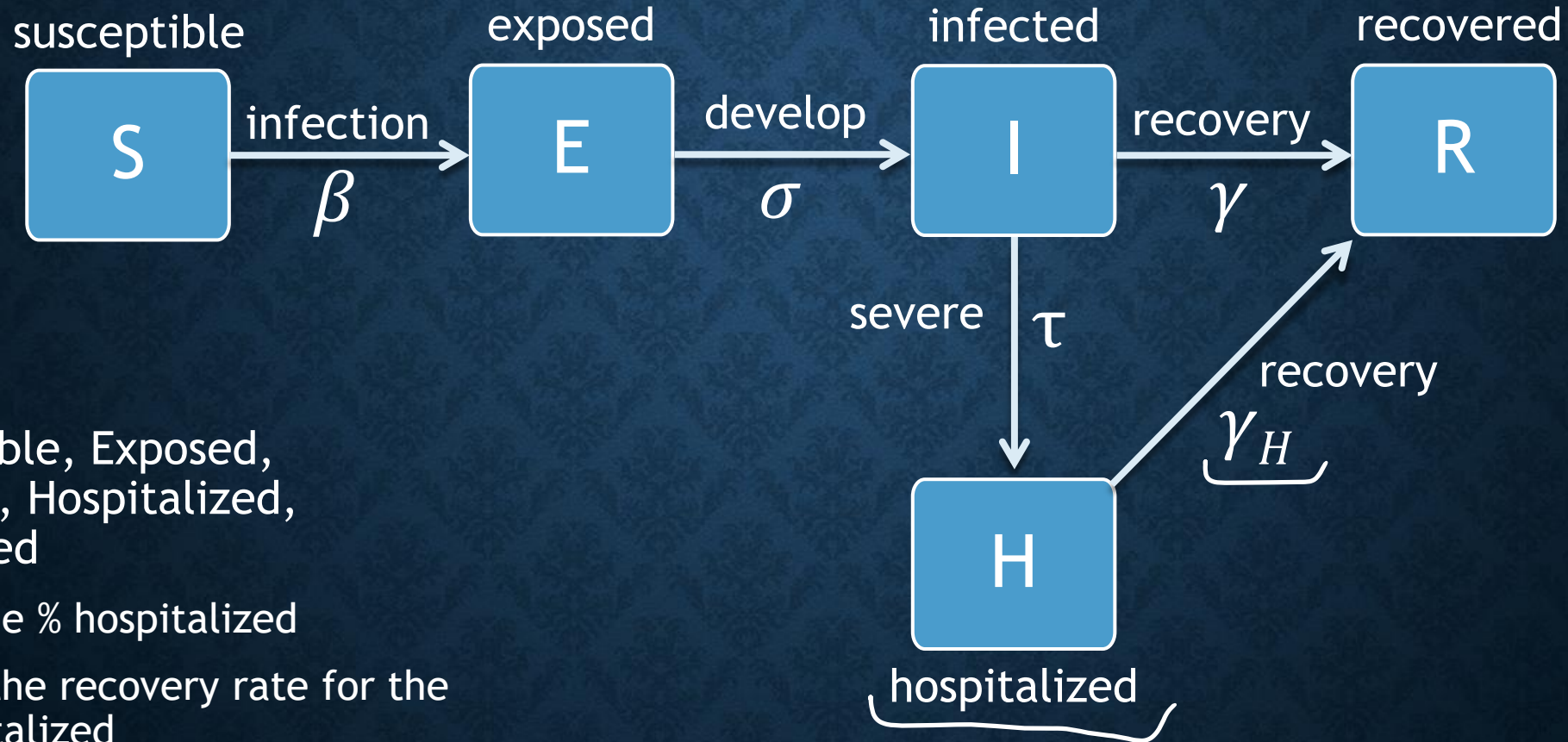
$$\begin{aligned}
 1 \quad & \frac{dS(t)}{dt} = -\beta S(t)I(t) \\
 2 \quad & \frac{dE(t)}{dt} = \beta S(t)I(t) - \sigma E(t) \\
 3 \quad & \frac{dI(t)}{dt} = \sigma E(t) - \gamma I(t) \\
 4 \quad & \frac{dR(t)}{dt} = \gamma I(t)
 \end{aligned}$$

- equations describe how everyone moves between compartments
- we set up these equations in R to run the model

**Example Code: SEIR**

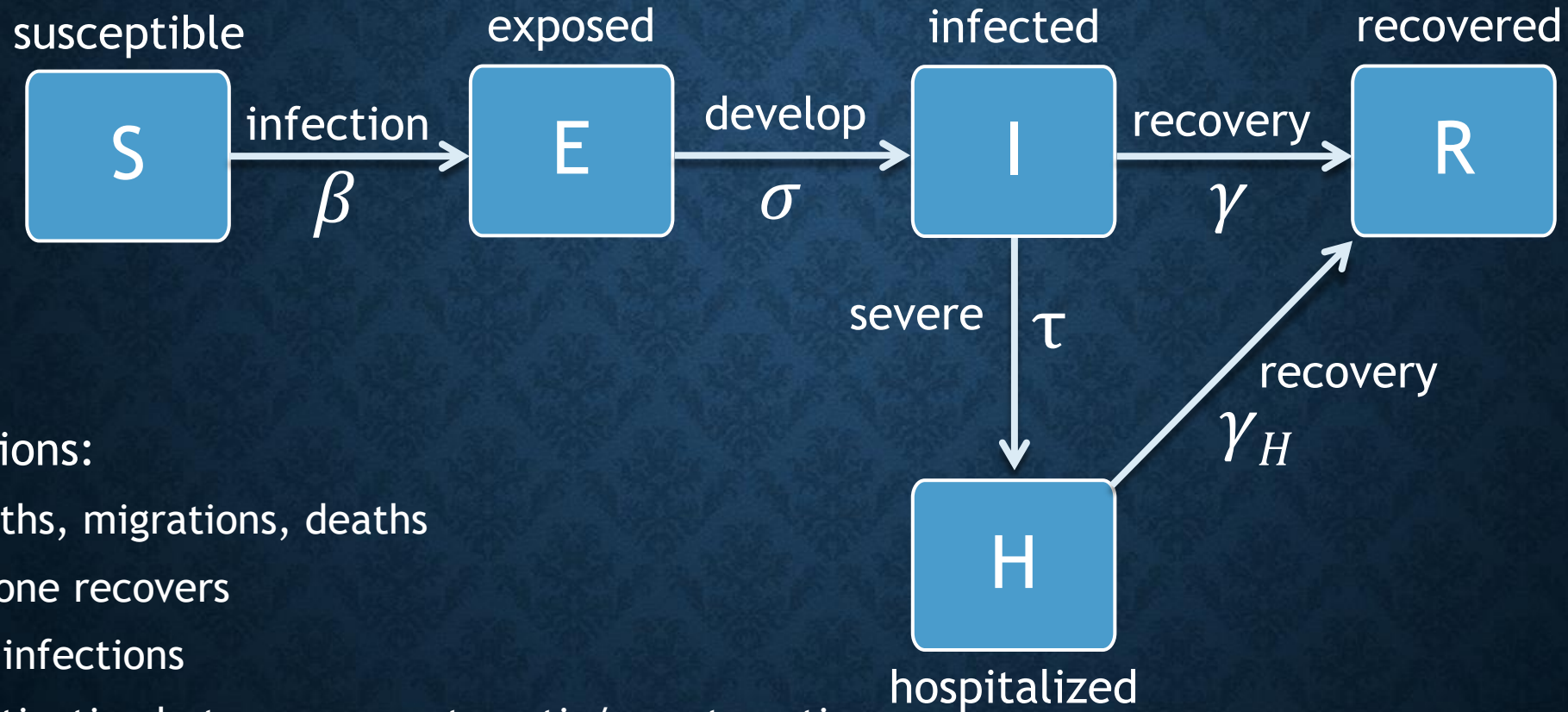


# SEIR with Hospitalization



- Susceptible, Exposed, Infected, Hospitalized, Recovered
  - $\tau$  is the % hospitalized
  - $\gamma_H$  is the recovery rate for the hospitalized

# SEIR with Hospitalization



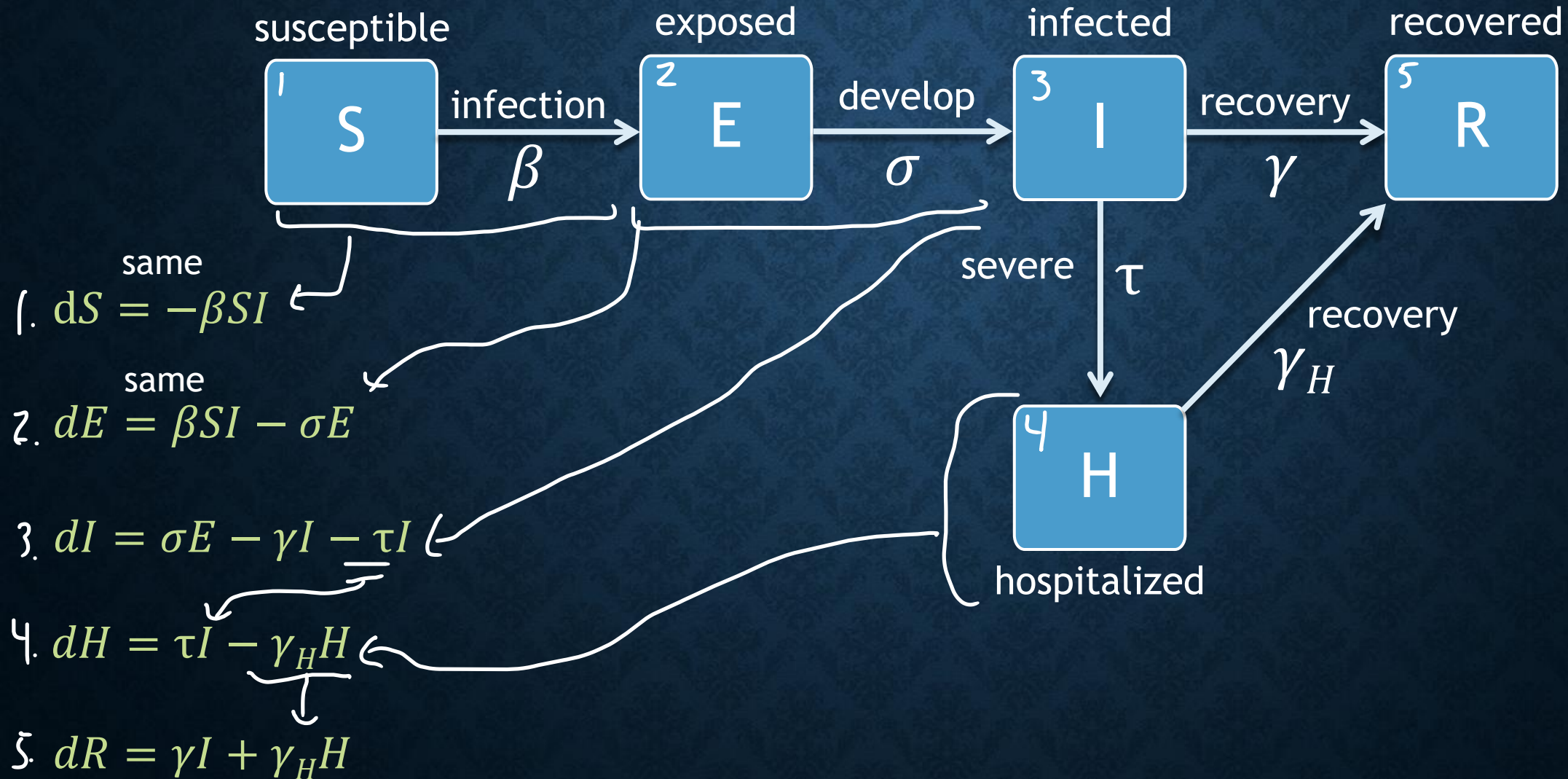
- Assumptions:

- no births, migrations, deaths
- everyone recovers
- no re-infections
- no distinction between asymptomatic/symptomatic
- some infected are hospitalized
- hospitalized have slower recovery



Number of equations? 5

# SEIR with Hospitalization

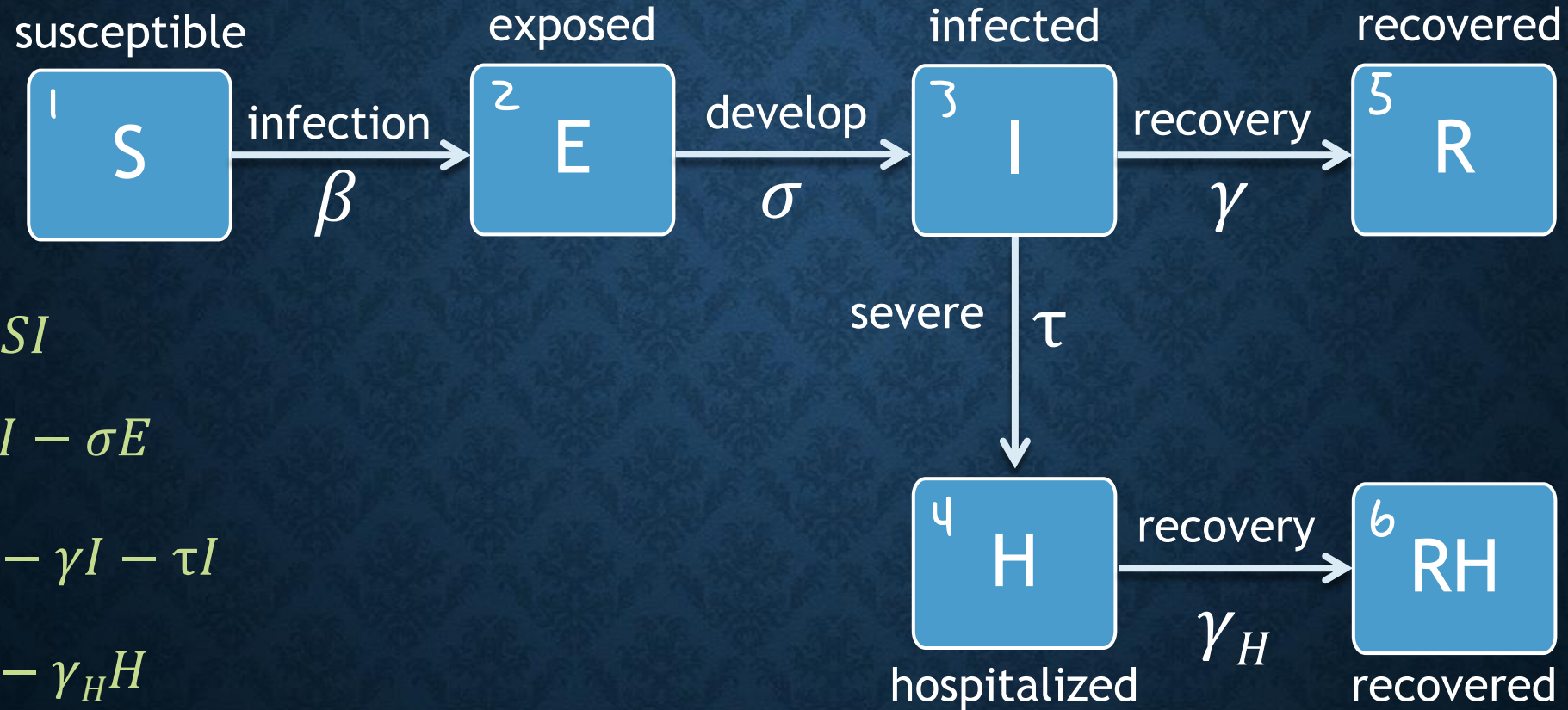


**Example Code: SEIHR**



One more equation to capture the recovered hospitalizations separately

# SEIR with Hospitalization

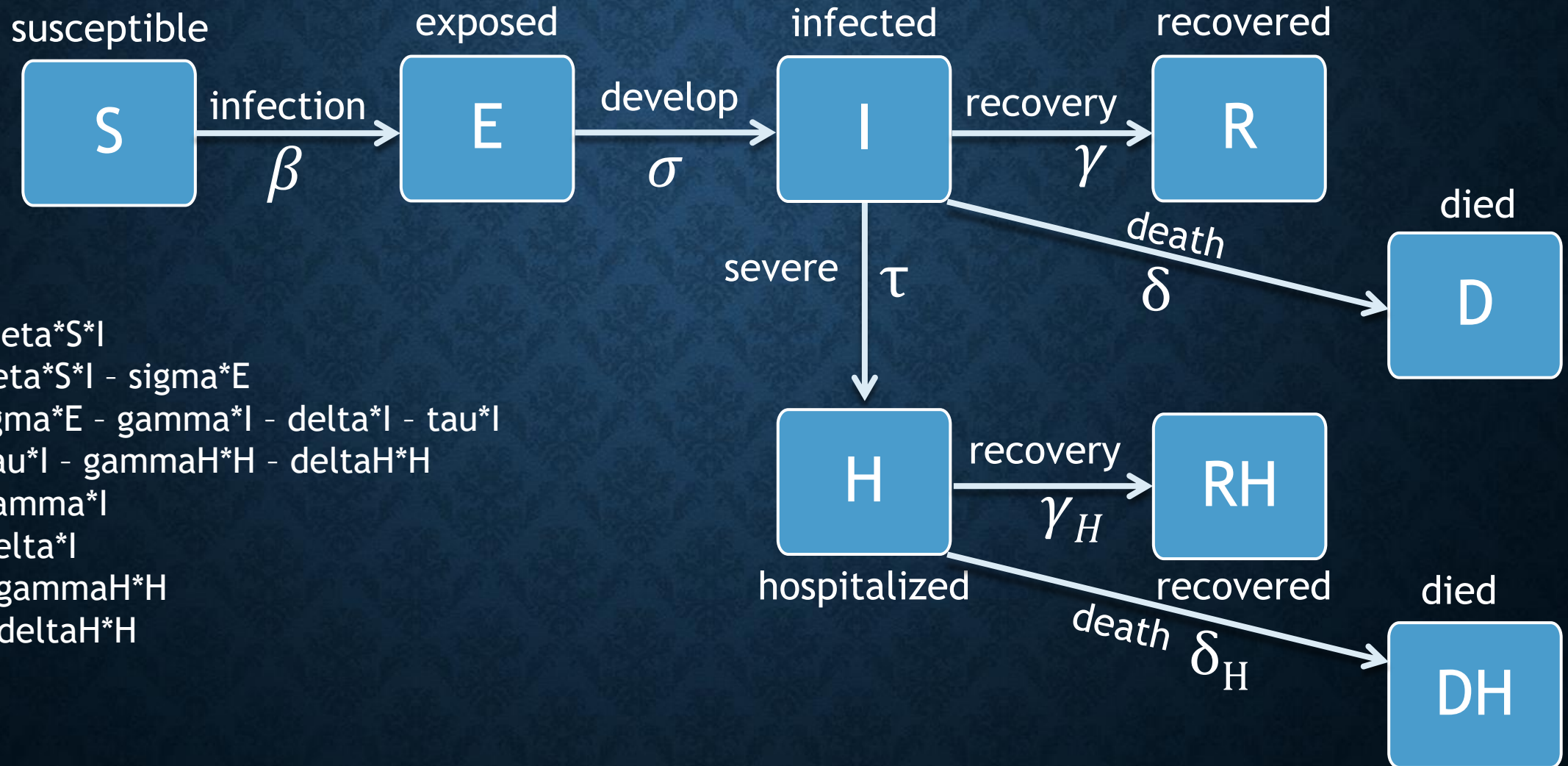


1.  $dS = -\beta SI$
2.  $dE = \beta SI - \sigma E$
3.  $dI = \sigma E - \gamma I - \tau I$
4.  $dH = \tau I - \gamma_H H$
5.  $dR = \gamma I$
6.  $dRH = \gamma_H H$

# **Example Code: SEIHR Modified**



# SEIR with Hospitalization and Death



1.  $dS = -\beta S I$
2.  $dE = \beta S I - \sigma E$
3.  $dI = \sigma E - \gamma I - \delta I - \tau I$
4.  $dH = \tau I - \gamma_H H - \delta_H H$
5.  $dR = \gamma I$
6.  $dD = \delta I$
7.  $dRH = \gamma_H H$
8.  $dDH = \delta_H H$

# Modelling Teams



# Tasks for Next Guided Session

- Meet with your team!
  - discuss how to share the tasks
  - make a plan for communicating with each other
- Find potential sources for existing knowledge
  - make a list or copy the links and send them to me
- Make a structure for your model
  - start with a simpler version
  - add pieces until you have a version that could answer your question

Team 3

-identify key question and send to me

SEIR + H + D

-also need to think about vaccination

# Health Economics

- To calculate direct costs, we would take the total cases, hospitalizations, and deaths, and multiply by the different costs associated with each
- For indirect costs, there are several metrics
  - e.g. YLL, DALY, lost productivity
  - YLL: years of life lost, calculated when someone dies of an illness
- For YLL, we would need to know the ages of the person dying
  - the age of those who died is subtracted from life expectancy to get the number of years of life that were lost (because they died prematurely)



# Health Economics

- For YLL, we would need to know the ages of the person dying
  - the age of those who died is subtracted from life expectancy to get the number of years of life that were lost (because they died prematurely)
- One way to calculate would be to use averages
  - use estimate of the average age of cases who died ( $D_{age}$ )
  - use estimate of life expectancy (LE)

$$YLL = \# \text{ deaths} * (LE - D_{age})$$

- so if LE=70 and average age of cases who died is 68, and there are 600 deaths, then there are 1200 years of life lost

# Health Economics

- For YLL, we would need to know the ages of the person dying
  - the age of those who died is subtracted from life expectancy to get the number of years of life that were lost (because they died prematurely)
- Another way could add age groups to the models
  - this would allow for different ages to have different hospitalization and death parameters, which is more realistic
  - this would give separate estimates for numbers of hospitalizations and deaths for each age group, then these numbers could be used in the YLL calculation