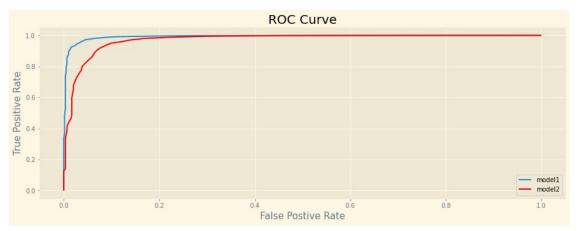
## **Question 1**

- There are two models, M1 and M2, used to predict the scores for some input data. Suppose M1 predicts the score for input data as score1.npy and M2 predicts the score for the same data as score2.npy. Actual labels for a given score is label.npy (use np.load to load .npy files)
- 1. Plot ROC curve (from scratch) for both the models in a single plot. (10 marks)
- 2. Explain which model performs better on this data and why? (5 marks)
- 3. Compute AUC for both the ROC curves. (5 marks)
- 4. Calculate true positive rate for both models when false acceptance rate is 10% (5 marks)
- 5. Draw your analysis on (3) and (4) (5 marks) import numpy as np import matplotlib.pyplot as plt

Matplotlib is building the font cache; this may take a moment.

```
## importing data
y actual = np.load("label.npy")
model1_pred = np.load("score1.npy"); model2 pred =
np.load("score2.npy")
## getting shape
y actual.shape, model1 pred.shape, model2 pred.shape
((25046,), (25046,), (25046,))
1. Plot ROC curve (from scratch) for both the models in a single plot. (10 marks)
def tpr fpr calculation(actual, predicted, threshold):
    This function calculates tpr and fpr from tp,fp,fn,tn values.
    ## getting true positive, false negative, false positive, and
false negative
    true_pos = len([(1,1) for y, y_cap in zip(actual, predicted) if (y
== 1) and (y cap >= threshold)])
    true_neg = len([(0,0) for y, y_cap in zip(actual, predicted) if (y
== 0) and (y cap < threshold)])
    false pos = len([(0,1) \text{ for } y, y \text{ cap in } zip(actual, predicted) if
(y == 0) and (y_{cap} >= threshold)))
    false_neg = len([(1,0)] for y, y_cap in zip(actual, predicted) if
(y == 1) and (y cap < threshold)])
    ## calculating tpr and fpr
    tpr = true_pos/(true_pos + false_neg)
    fpr = false pos/(false pos + true neg)
```

```
return tpr, fpr
def roc scores(actual, predicted, total threshold=100):
    """This function calculates the roc_score for different
threshold."""
    score = np.array(list()) ## intiliazing score array to store roc
score
    for thr in range((max(actual)+1)*total threshold): ## iterating
over ta range of threshold
        ## getting tpr and fpr at threshold
        tpr_tr, fpr_tr = tpr_fpr_calculation(actual, predicted,
thr/total threshold)
        ## appending the score to the score array iteself
        score = np.append(score, [fpr tr, tpr tr])
    return score.reshape(-1,2) ## reshaping data to get the x and y
values
## getting roc scores for both the model
roc_model1 = roc_scores(y_actual, model1_pred, total_threshold=100)
roc model2 = roc scores(y actual, model2 pred, total threshold=100)
## plotting the curve for both model 1 and model 2
plt.style.use('Solarize Light2')
fig = plt.figure(figsize=(15,5))
## plotting the model's fpr and tpr score
ax1 = plt.plot(roc model1[:,0], roc model1[:,1])
ax2 = plt.plot(roc_model2[:,0], roc_model2[:,1], "r")
## setting up title and labels
plt.title("ROC Curve", fontsize=20)
plt.xlabel("False Postive Rate", fontsize=15)
plt.ylabel("True Positive Rate", fontsize=15)
plt.legend(["model1", "model2"])
plt.show()
```



## 2. Explain which model performs better on this data and why? (5 marks) answer: Roc curve is trade off between sensitivity(tpr) and specificity(fpr). The higher value of sensitivity(tpr) for less value of specificity(fpr) the better the model's performance. It means if the curve is more towards top left cornor, then it will indicate better model performance. So are compared between model1 and model2, model1 is covering more area in the graph along with more towards top left cornor. So model1 performs better than model2. 3. Compute AUC for both the ROC curves. (5 marks) def auc score(fpr, tpr): """This function calculates the auc score for the given tpr and fpr values.""" return sum([(fpr[num] - fpr[num + 1]) \* tpr[num] for num in range(len(tpr)-1)]) ##calculating auc scores model1 = auc score(roc model1[:,0], roc model1[:,1]) model2 = auc score(roc model2[:,0], roc model2[:,1]) print("auc score : model1 : {:.4f}, model2 : {:.4f}".format(model1, model2))

4. Calculate true positive rate for both models when false acceptance rate is 10% (5 marks)
def get\_tpr\_give\_far(fpr, tpr, threshold):
 """this function fetches tpr for false acceptance rate"""

return tpr[np.where(threshold == fpr.round(2))[0][0]]

auc score : model1 : 0.9929, model2 : 0.9731

 $\label{eq:tpr_model1} \begin{array}{ll} \texttt{tpr\_model1} = \texttt{get\_tpr\_give\_far(roc\_model1[:,0], roc\_model1[:,1], 0.10)} \\ \texttt{tpr\_model2} = \texttt{get\_tpr\_give\_far(roc\_model2[:,0], roc\_model2[:,1], 0.10)} \end{array}$ 

print("The true positive rate when false acceptance rate is 10% for both the model is -- ") print("model1\_tpr : {:.4f}, model2\_tpr : {:.4f}".format(tpr\_model1, tpr\_model2))

The true positive rate when false acceptance rate is 10% for both the model is -- model1 tpr : 0.9903, model2 tpr : 0.9508

## 5. Draw your analysis on (3) and (4) (5 marks)

The auc score of model1 is alomst 100% whereas the model2 has 97.31%. That means model1 is performing better than model2.

For 10% false acceptance rate means out of 100 times we are accepting

10 times false postive values. So for given threshold the model1 has sensitivity of 99% which is good and model2 has 95%, less as compared to model1.