



الجامعة السورية الخاصة  
SYRIAN PRIVATE UNIVERSITY

المحاضرة 5

كلية الهندسة

الذكاء الصناعي العملي

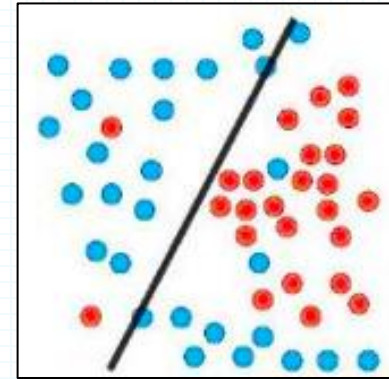
## Practical Concerns for Machine Learning 1 Generalization (Bias-Variance Tradeoff)

د. رياض سنبل

# Generalization

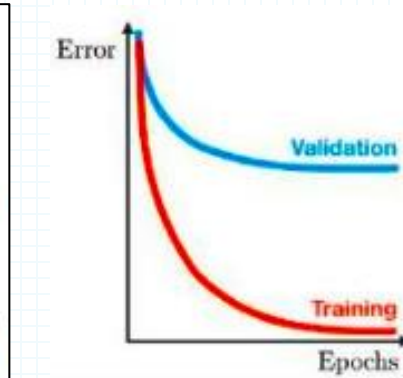
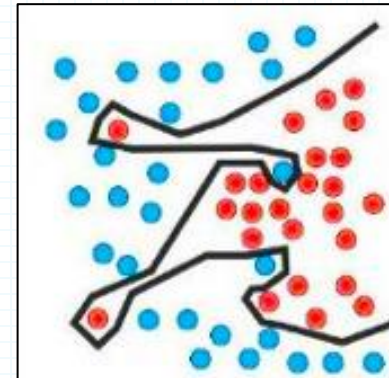
## ■ **Underfitting**

- The model is **too “simple”** to represent all the relevant class characteristics
- E.g., model with too few parameters produces high error on the training set and high error on the validation set



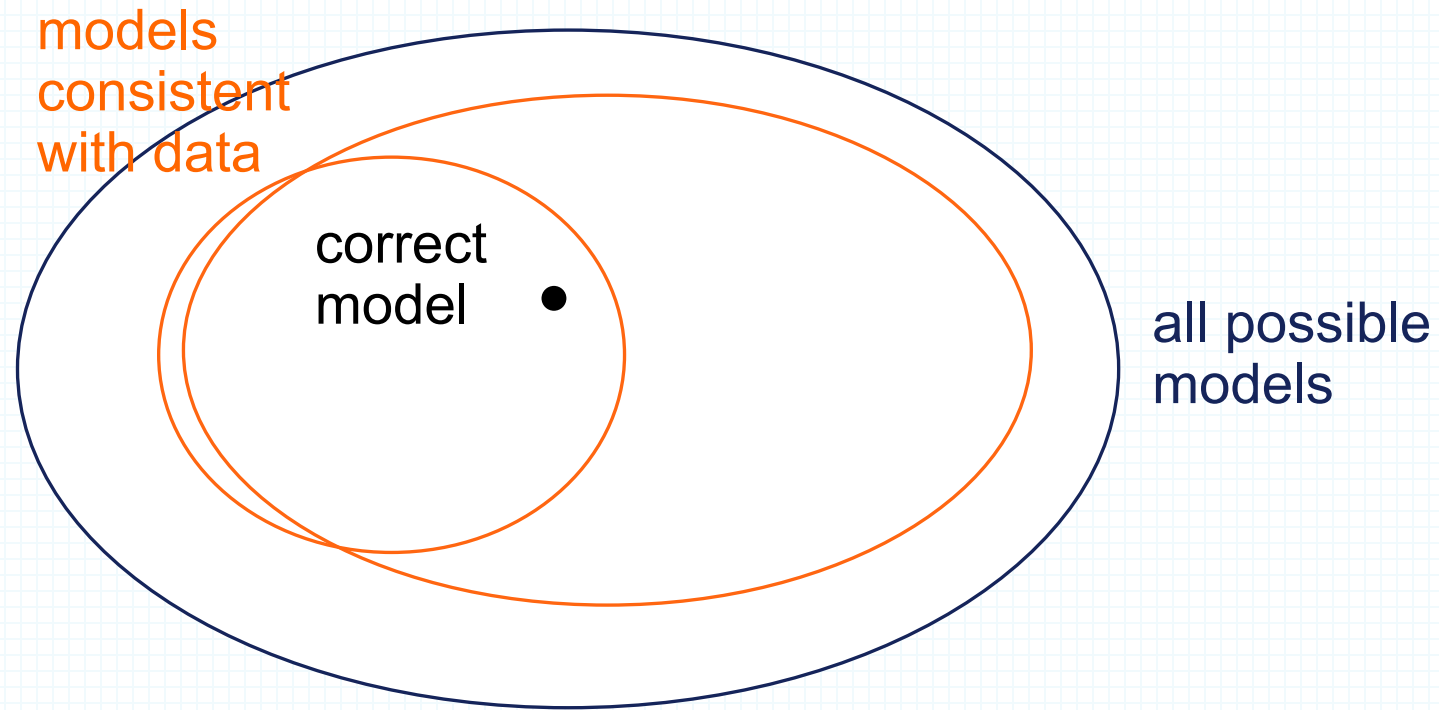
## ■ **Overfitting**

- The model is **too “complex”** and fits irrelevant characteristics (noise) in the data
- E.g., model with too many parameters produces low error on the training set and high error on the validation set



# Back to the core idea in ML 😊

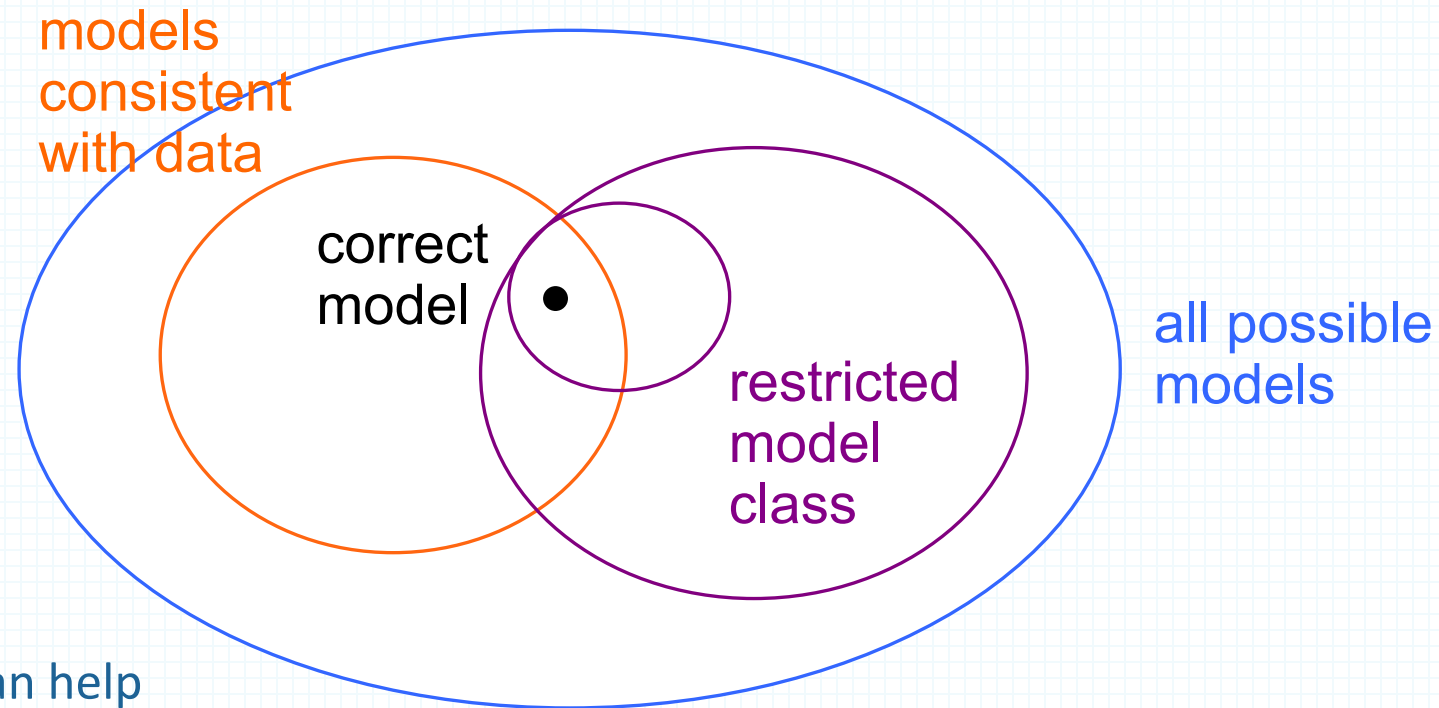
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More data can help!

# Back to the core idea in ML 😊

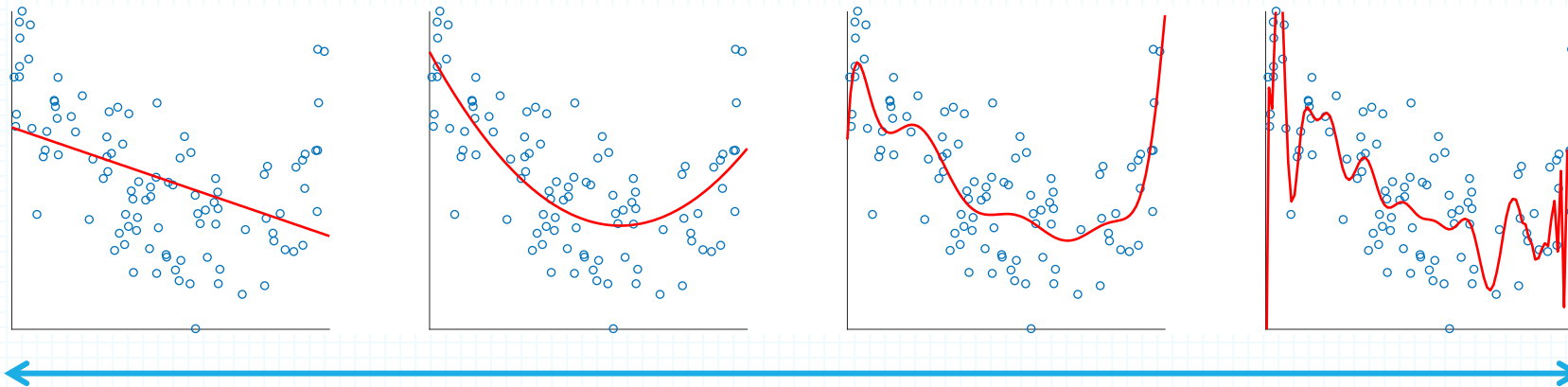
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- Restricting model class can help
- Or it can hurt
- Depends on whether restrictions are domain appropriate

# Restricting Models

- Models range in their flexibility to fit arbitrary data



*simple model*

*complex model*

*constrained*

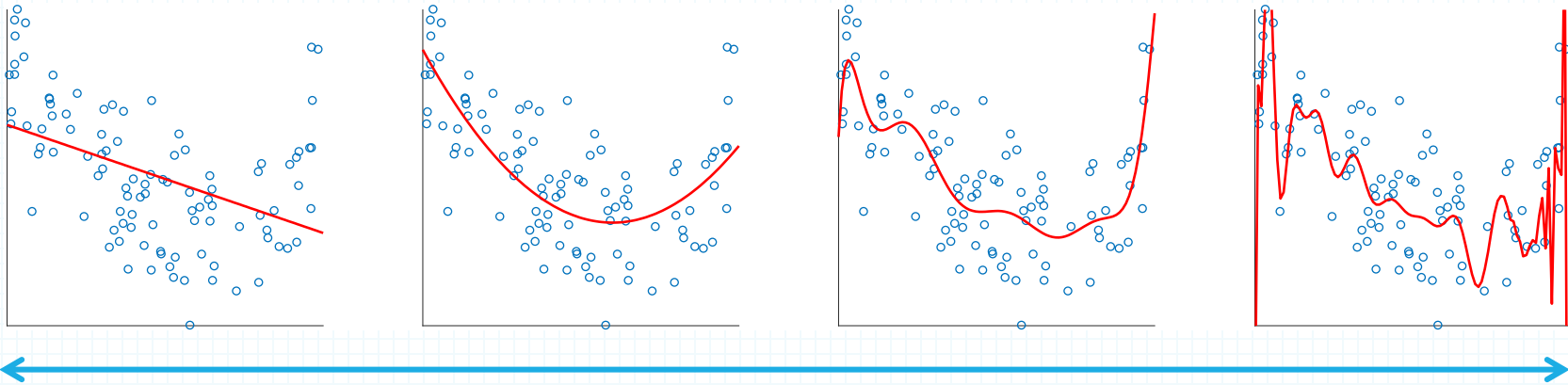
*unconstrained*

*small capacity may prevent it  
from representing all structure  
in data*

*large capacity may allow it to  
fit quirks in data and fail to  
capture regularities*

# Bias vs Variance

- Models range in their flexibility to fit arbitrary data



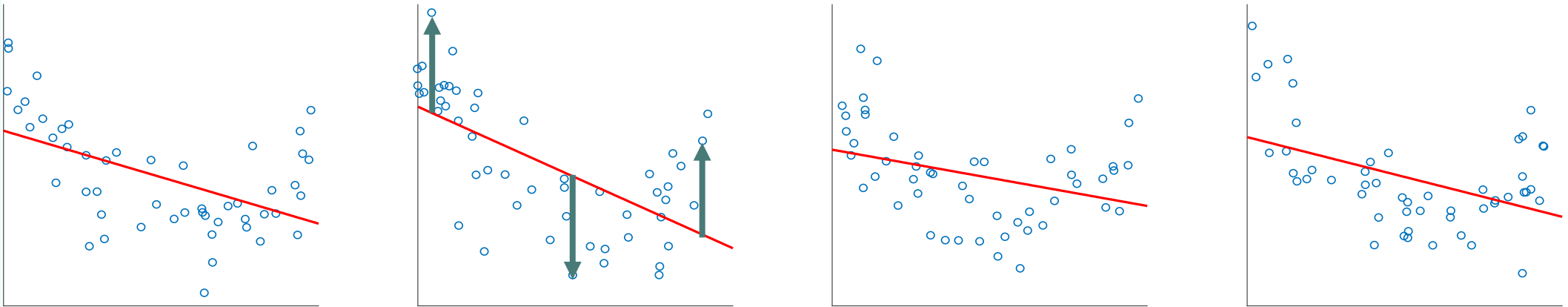
*high bias*

*low bias*

*low variance*

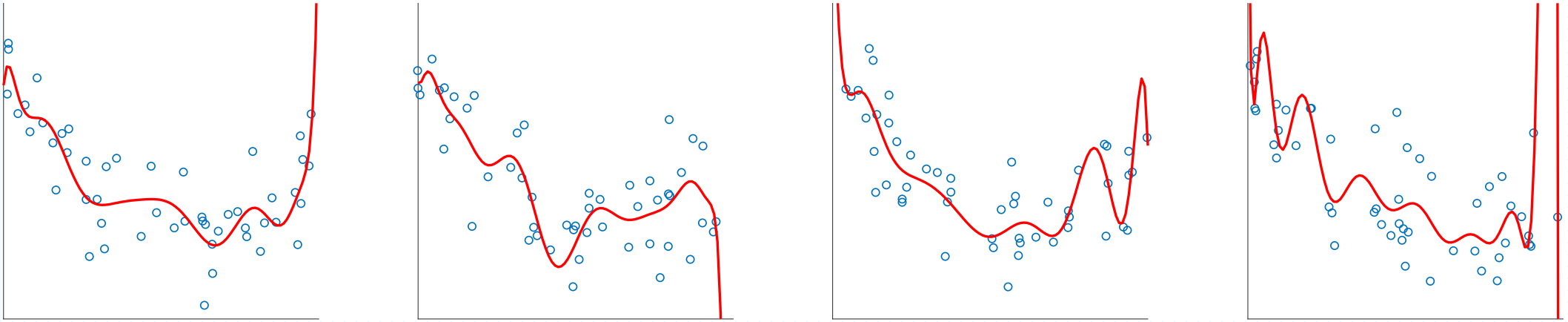
*high variance*

# Bias



- Bias is the amount that a model's prediction differs from the target value, compared to the **training data**.
- Bias error **results from** simplifying the assumptions used in a model so the target functions are easier to approximate.
- Regardless of training sample, or size of training sample, model will produce consistent errors

# Variance



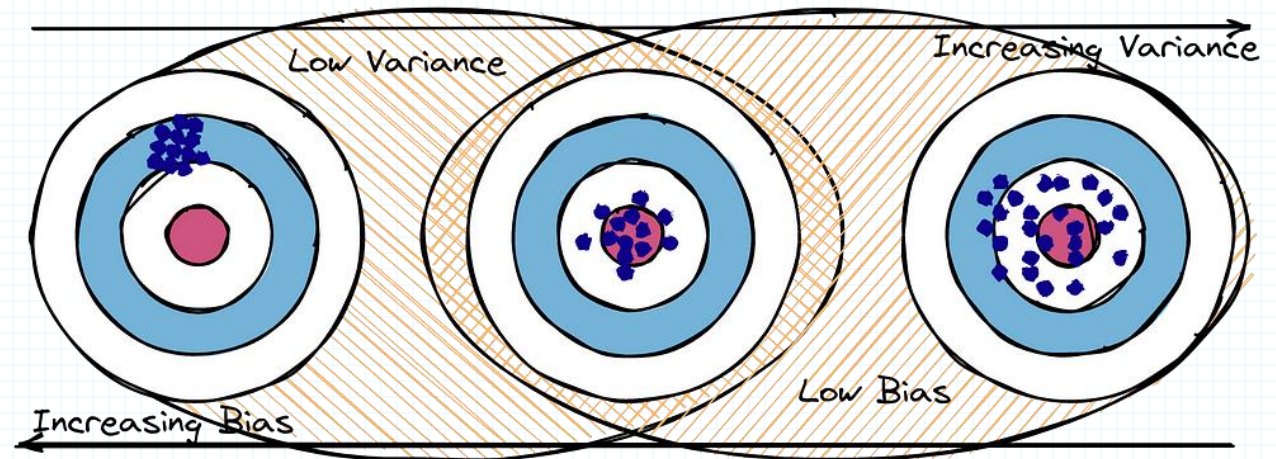
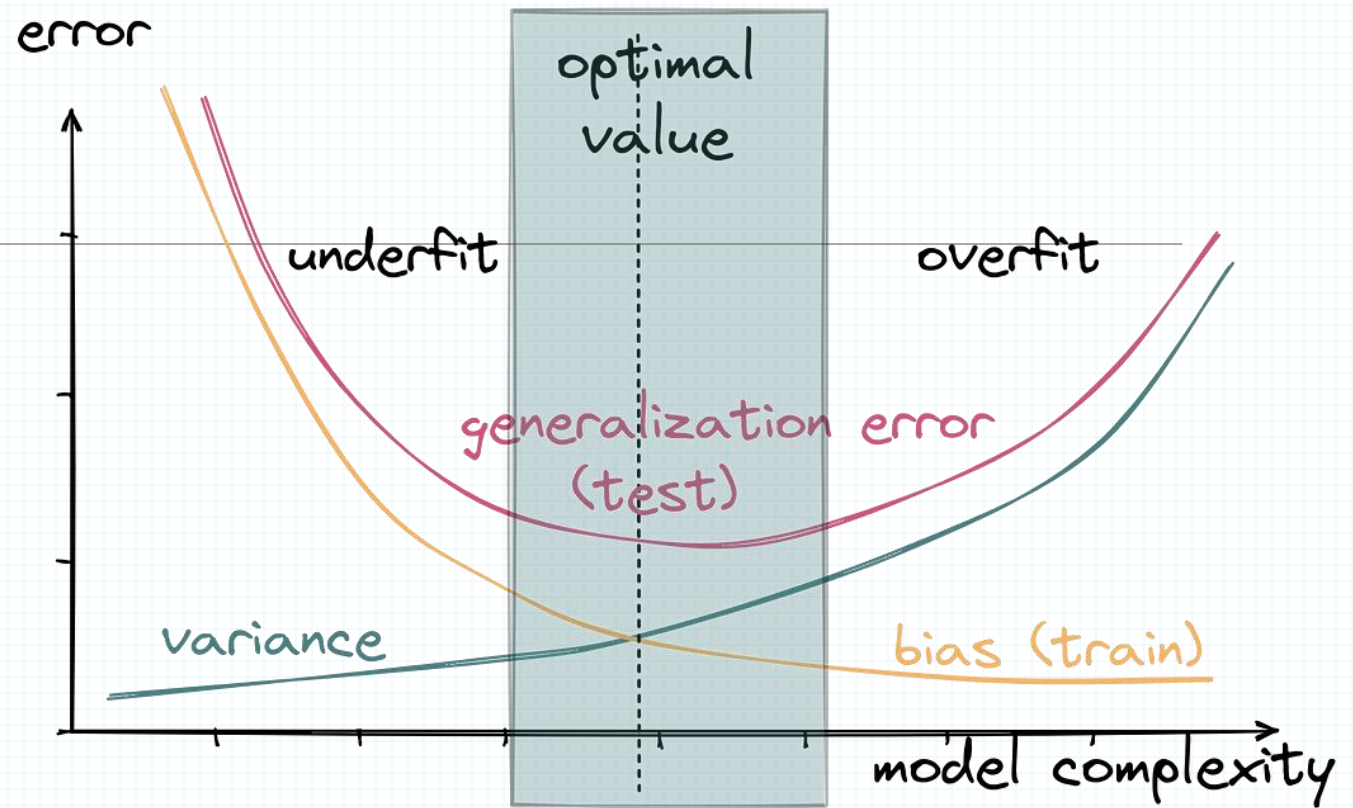
- Variance refers to **the changes in the model** when using different portions of the training data set.
- Simply stated, variance is the **variability in the model prediction**
- Different samples of training data yield different model fits



# Bias-Variance Trade off

What does tons of training data do for us in terms of bias-variance trade off?

- ✓ Doesn't affect bias
- ✓ Reduces variance
- ✓ Allows more complex model to be used [shift of optimal complexity to the right]



# Bias-Variance Trade off

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Training set Error	1%	15%	15%	0.5%
Testing set Error	11%	16%	30%	1%
Bias				
Variance				

DOG vs. CAT

# Bias-Variance Trade off

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Training set Error	1%	15%	15%	0.5%
Testing set Error	11%	16%	30%	1%
Bias	Low	High	High	Low
Variance	High	Low	High	Low

DOG vs. CAT

$\text{Error} = \text{Irreducible Error} + \text{Bias} + \text{Variance}$

# Solutions!

- **High Bias:**

- Bigger Network?
- Train Longer?

- **High Variance:**

- More Data
- Regularization.

$$Err(x) = E \left[ (Y - \hat{f}(x))^2 \right]$$

$$Err(x) = \left( E[\hat{f}(x)] - f(x) \right)^2 + E \left[ \left( \hat{f}(x) - E[\hat{f}(x)] \right)^2 \right] + \sigma_e^2$$

$$Err(x) = \text{Bias}^2 + \text{Variance} + \text{Irreducible Error}$$
