

# Hidden Candidates

From [sudokuwiki.org](http://sudokuwiki.org), the puzzle solver's site

2		
	3	6
5		7

## Hidden Pairs

Looking for **Hidden Pairs** is a great way to open up the board. This approach can remove a cluster of candidates from two cells and leave behind simple pairs which are the building blocks of more complex elimination strategies.

Looking at the top of this moderate puzzle, we see that 6 and 7 have been found in the first two boxes. Along with the 6 and 7 in column 7, this pins the placement of 6 and 7 in the third box to **A8** and **A9**. It still appears that there are a great number of other candidates in **A8** and **A9**, which is true up to a point. However, these extra candidates 'hide' the true values for these cells. We have deduced that 6 and 7 must go in **A8** and **A9** and therefore we can clear off all the alternatives. This doesn't mean we know which way round the 6 and 7 will go, but we can make 6 and 7 a Naked Pair in those cells and see where it leads us.

	1	2	3	4	5	6	7	8	9
A	1 2 5 8	1 2 3 8	2 3	1 2 9	1 2 3 5 9	5 9	4 5 8 9	2 3 4 5 6 7 9	3 4 5 6 7 9
B	9	1 2 3 8	4	6	1 2 3 5	7	5 8	2 3 5	3 5
C	2 5	7	6	8	2 3 5 9	4	1	2 3 5 9	3 5 9
D	3	2 4 6	9	7	2 4 5 6	1	4 5	8	4 5 6
E	7	2 4 6	8	2 9	2 4 5 6 9	5 6 9	3	4 5 6 9	1
F	4 6	5	1	3	4 6 9	8	7	4 6 9	2
G	4 8	3 4 8 9	7	5	8 9	2	6	1	3 4 9
H	1 6	1 6 9	5	4	1 6 7 9	3	2	7 9	8
J	1 2 4 6 8	1 2 3 4 6 8 9	2 3	1 9	1 6 7 8 9	6 9	4 5 9	3 4 5 7 9	3 4 5 7 9

Hidden Pair example : [From the Start](#)

This is a more interesting and complex set of Hidden Pairs. Three occur simultaneously. In the blue rectangle, [2,4] form a Pair on **D3** and **E3**, clearing off 3, 5, 6 and 7. The red cells indicate two Hidden Pairs based on [3,7], which form a neat corner of three cells. [3,7] is unique to two cells in row E and two cells in column 7. The yellow highlighted cells can be removed.

	1	2	3	4	5	6	7	8	9
A	7	2	5 6	4	1 9	8	1 5 6 9	3	1 6 9
B	5 6 9	8	3 5 6	1 3 5	1 2 9	2 5	1 5 6 9	4	7
C	4	5 9	1	5 3	7	6	8	5 9	2
D	8	1	2 4 5 6	7	3	9	5 6	2 5 6	4 6
E	6 9	7 9	3 7	8	5	1	3 6 9	2 6 9	4 6 9
F	5 9	5 7 9	3 7	2	6	4	1 3 7	8	1 9
G	2	5 7	9	6	8	5 7	4	1	3
H	3	4	5 7	1 5	1 2 7	2 5 7	6 9	6 9	8
J	1	6	8	9	4	3	2	7	5

Three Hidden Pairs : [Load Example](#) or : [From the Start](#)

## Hidden Triples

We can extend [Hidden Pairs](#) to [Hidden Triples](#) or even [Hidden Quads](#). A Triple will consist of three pairs of numbers lying in three cells in the same row, column or box, such as [4,8,9], [4,8,9] and [4,8,9]. However, in just the same manner as [Naked Triples](#), we don't need exactly three pairs of numbers in three cells for the rules to apply. Only that **in total** there are three numbers remaining in three cells, so [4,8], [4,9] and [8,9] is equally valid. Hidden Triples will be disguised by other candidates on those cells, so we have to prise them out by ensuring the Triple applies to at least one unit.

This tough puzzle has two Hidden Triples: the first, marked in red, is in row A. Cell [A4](#) contains [2,5,6], [A7](#) has [2,6] and cell [A9](#) contains [2,5]. These three cells are the last remaining cells in row A which can contain 2, 5 and 6, so those numbers must go in those cells. Therefore we can remove the other candidates.

Now that we've removed those candidates from the red cells, we can see in column 9 that [4,7,8] is unique to cells [B9](#), [C9](#) and [F9](#). By the same logic we can clear off other candidates in those cells.

(The solver will not choose the second example as Naked Triples get there first)

	1	2	3	4	5	6	7	8	9
A	4 7 8 9	4 8 9	4 7	2 4 5 6 7 8	4 7 8	1	2 4 6 9	3	2 4 5 7 8 9
B	2	3	1	4 5 6 7 8	9	5 7 8	4 6	5 6	4 5 7 8
C	4 7 8 9	6	5	2 4 7 8	4 7 8	3	1	2 8 9	2 4 7 8 9
D	6	7	8	9	2	4	3	1 5	1 5
E	1	2 4 9	3	7 8	5	7 8	2 4 9	2 9	6
F	4 5 9	2 4 5 9	2 4	1	3	6	7	2 8 9	2 4 8 9
G	4 8	1 2 4 8	9	3	6	2 8	5	7	1 2
H	5 7	2 5	6	2 5 7	1	9	8	4	3
J	3	1 2 4 5 8	2 4 7	2 4 5 7 8	4 7 8	2 5 7 8	2 6 9	1 6	1 2 9

Two Hidden Triples : [Load Example](#) or : [From the Start](#)

# Hidden Quads

Here is the one example of a [Hidden Quad](#) I found in a set of 18,000 Sudoku puzzles. Four numbers [3/4/5/7] on four cells are hidden by just two 6s in column 7. Barely qualifies as 'hidden', but it is legitimate. Note how none of the cells need to have all four numbers, as long as only four cells contain all four numbers and are intermingled.

Hidden Quads almost always only occur in rows, columns and boxes where there are no clues or solved cells, so you can be forgiven for skipping them outside those circumstances.

	1	2	3	4	5	6	7	8	9
A	6	5	1 3 9	1 3	8	7	1 9	2	4
B	2 7 8	2 8	1 3 7 8	6	4	9	1 8	5	3 7
C	 8 9	4	3 7 8	1 3	2	5	1 6 8	3 7	6 9
D	5	7	2 9	4	3	8	2 9	6	1
E	2 4 8 9	2 6 8 9	4 6 8	5	7 6	1	3 4 7	4 7	2 9
F	3	1	4 6	9	7 6	2	4 7	8	5
G	2 4 7	2 6 4 5 7		8	9	4 6	3 5 6 7	1	2 3 7
H	4 7 8 9	6 8 9	5 7 8	2	1	3	4 5 6 7	4 7	6 7
J	1	3	2 4 6	7	5	4 6	2 6	9	8

Hidden Quad : [Load Example](#) or : [From the Start](#)

Klaus Brenner in Germany has found a number of excellent Hidden Quads, and I include one here to show they do exist.

The Hidden Quad is {1,4,6,9} in Box 5 and exists only in the four cells [D4,D6,F4,F6]. Therefore other candidates (red text on yellow background) can be removed.

This very special puzzle also produces a perfectly formed [Empty Rectangle](#) later on.

	1	2	3	4	5	6	7	8	9
A	9	<sup>3</sup> 7	1	5	2 8	2 8	<sup>3</sup> 7	4	6
B	4	2	5	<sup>3</sup> 7 6	9	<sup>3</sup> 7 6	<sup>3</sup> 7	8	1
C	8	6	<sup>3</sup> 7	<sup>3</sup> 4 7	1	<sup>3</sup> 4 7	5 9	2	5 9
D	5	<sup>3</sup> 4 7 8	2	<sup>1</sup> 4 7 8 9 <sup>3</sup> 6	<sup>3</sup> 7 8	<sup>3</sup> 4 7 8 9 <sup>3</sup> 6	1 9	<sup>3</sup> 7	8 9
E	<sup>3</sup> 7	1	9	2 3 7 8	2 3 5 7 8	2 3 5 7 8	4	6	5 8
F	6	<sup>3</sup> 4 7 8	<sup>3</sup> 4 7 8	<sup>1</sup> 4 7 8 9 <sup>3</sup> 6	<sup>3</sup> 5 7 8	<sup>3</sup> 4 5 7 8 9 <sup>3</sup> 6	1 5 9	<sup>3</sup> 7	2
G	1	9	6	<sup>7</sup> 8	4	<sup>7</sup> 8	2	5	3
H	2	<sup>3</sup> 4 5	<sup>3</sup> 4	<sup>3</sup> 9	6	<sup>3</sup> 5 9	8	1	7
J	<sup>3</sup> 7	<sup>3</sup> 5 7 8	<sup>3</sup> 7 8	2 3	2 3 5	1	6	9	4

Hidden Quad : [Load Example](#) or : [From the Start](#)

We don't consider higher orders of Hidden candidates because there are only 9 cells in a unit. So if we were to suppose a "Hidden Quin" with five candidates there would automatically be a complimentary Hidden Quad since  $5 + 4 = 9$ . Same point arises with Naked sets. It may be viable to look for such beasts in 12x12 or 16x16 Sudokus.

Go back to [Naked Candidates](#) Continue to [Intersection Removal](#)

2		
	3	6
5		7