

R Data Analysis Course – Week 6

Regressions and Correlation



Statistical Analysis

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Dian Fossey Gorilla Fund

Common waxbill, Fossey Fund Campus, 2025

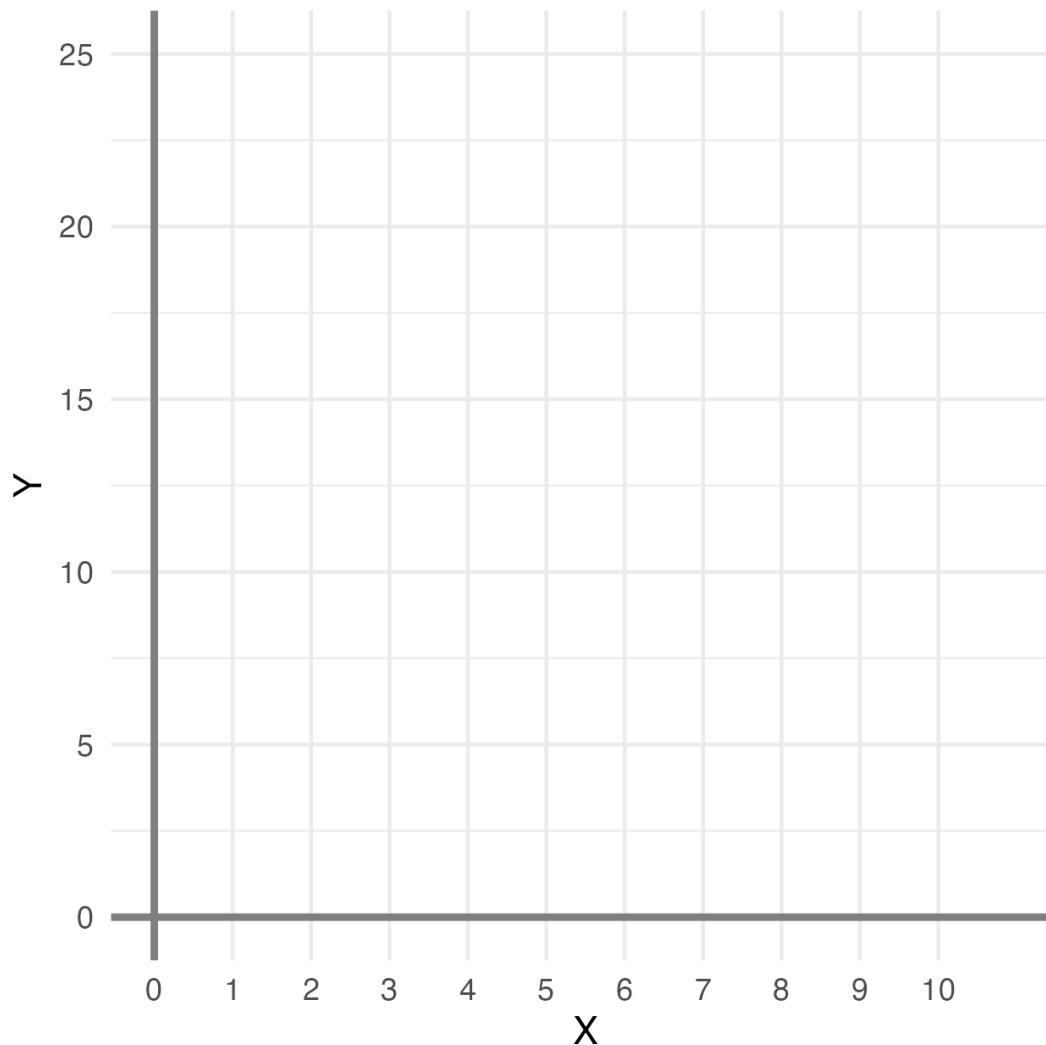
Resources to reinforce your understanding

The Google Drive folder includes:

- Every week: a **complete .Rmd file** with detailed in-line explanations and example code from the lecture
- General: an updated “**Functions Learned So Far**” reference sheet

Every week: I offer help sessions: extra support with your code, project setup, or any course concepts

What is a linear regression?

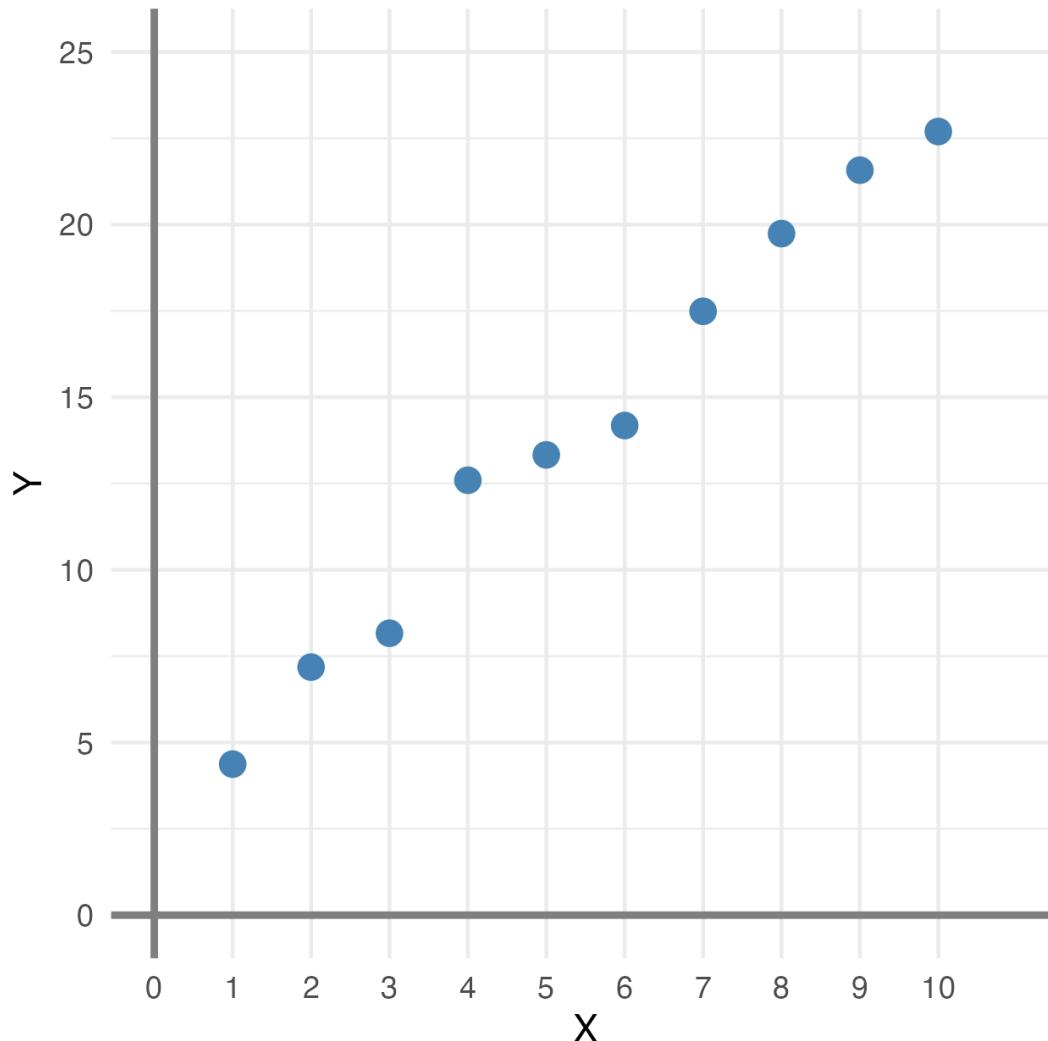


Data

X	Y
9	21.575781
1	4.373546
6	14.179532
7	17.487429
5	13.329508
2	7.183643
3	8.164371
8	19.738325
10	22.694612
4	12.595281

What is a linear regression?

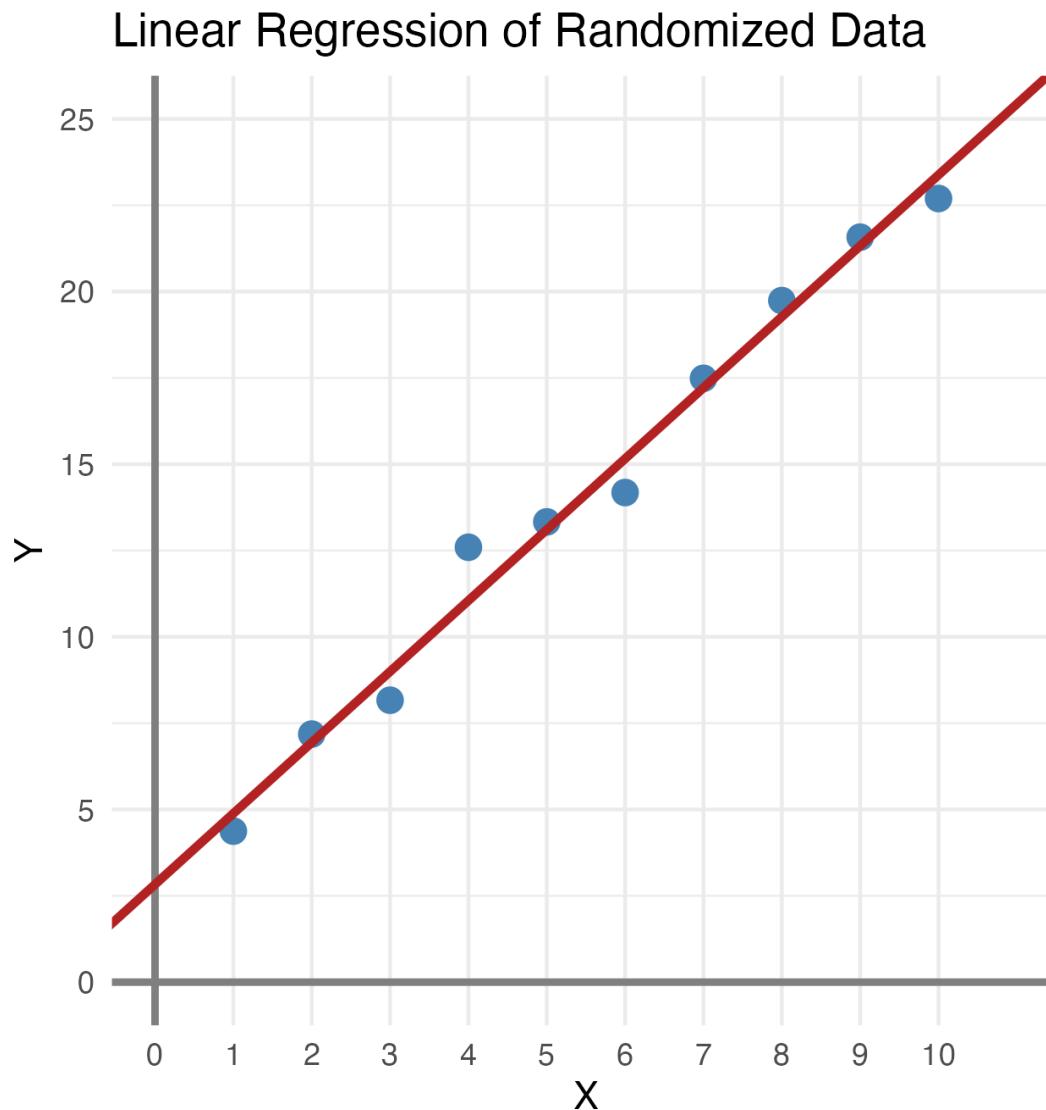
Points only = *scatterplot*



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Linear Regressions

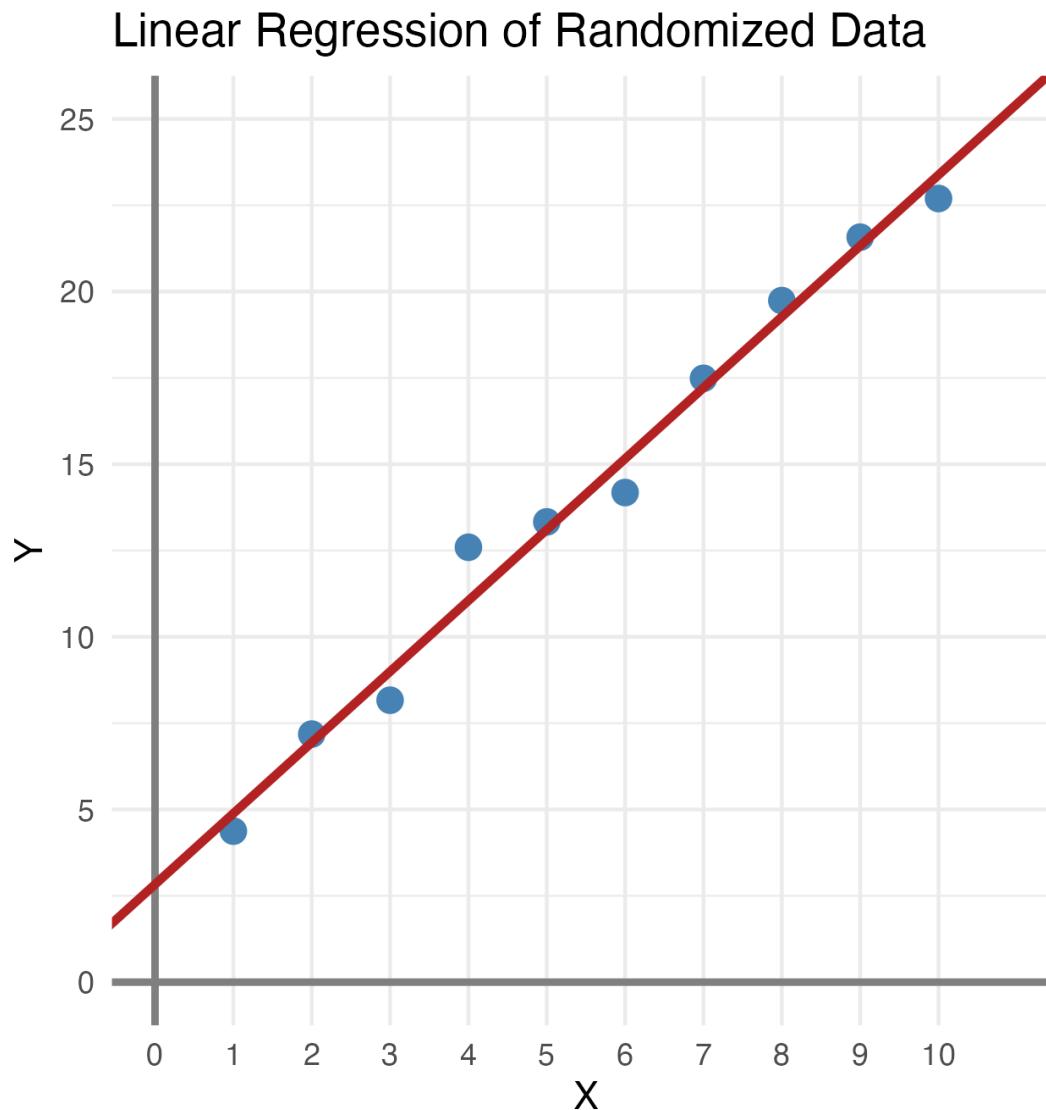
- A method for **quantifying relationships** between two continuous variables

$$Y = a + bX$$

- **a** = intercept (predicted Y when X = 0)
- **b** = slope (change in Y for each 1-unit change in X)

Regression line: a straight line that best represents the data, positioned so that the points are, on average, as close to the line as possible.

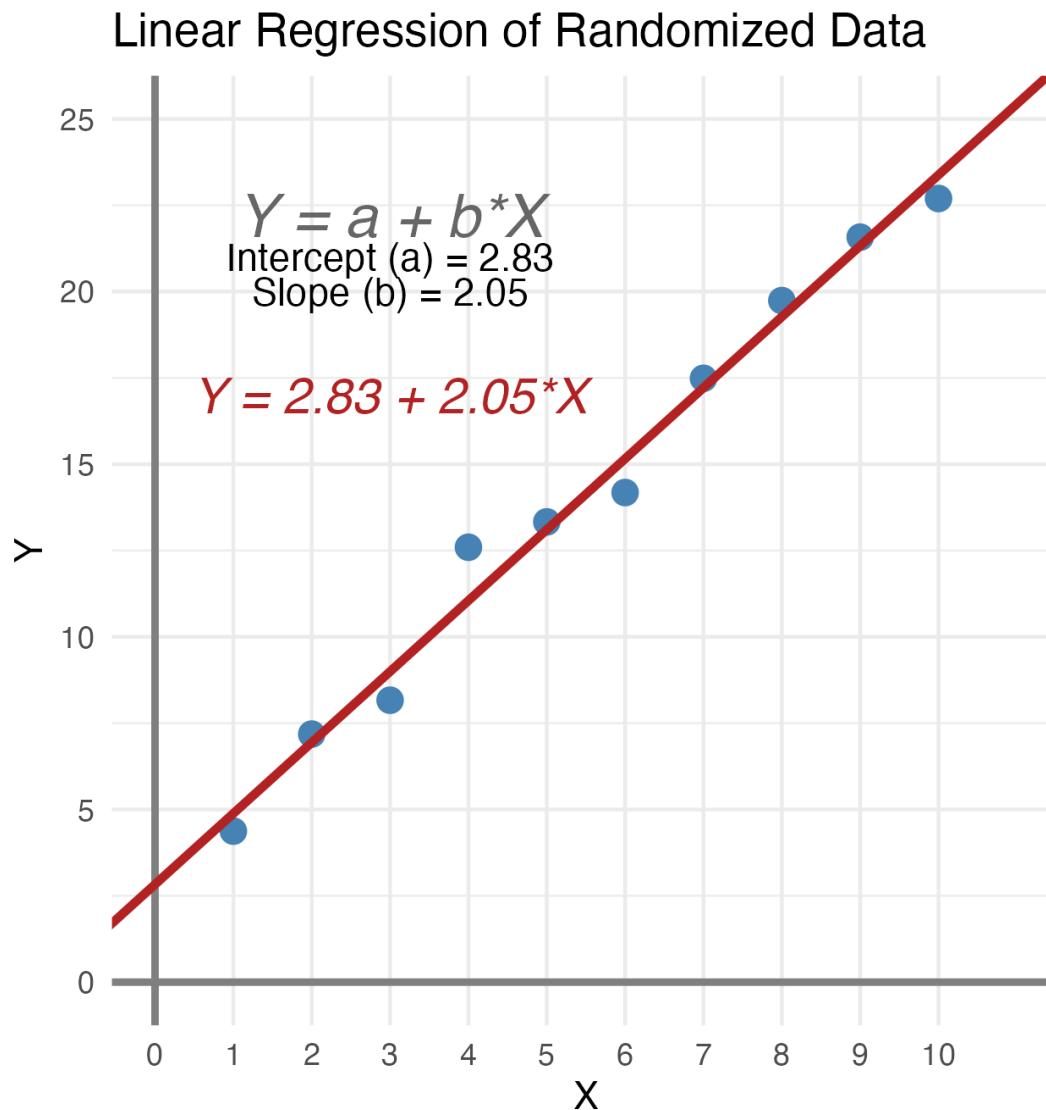
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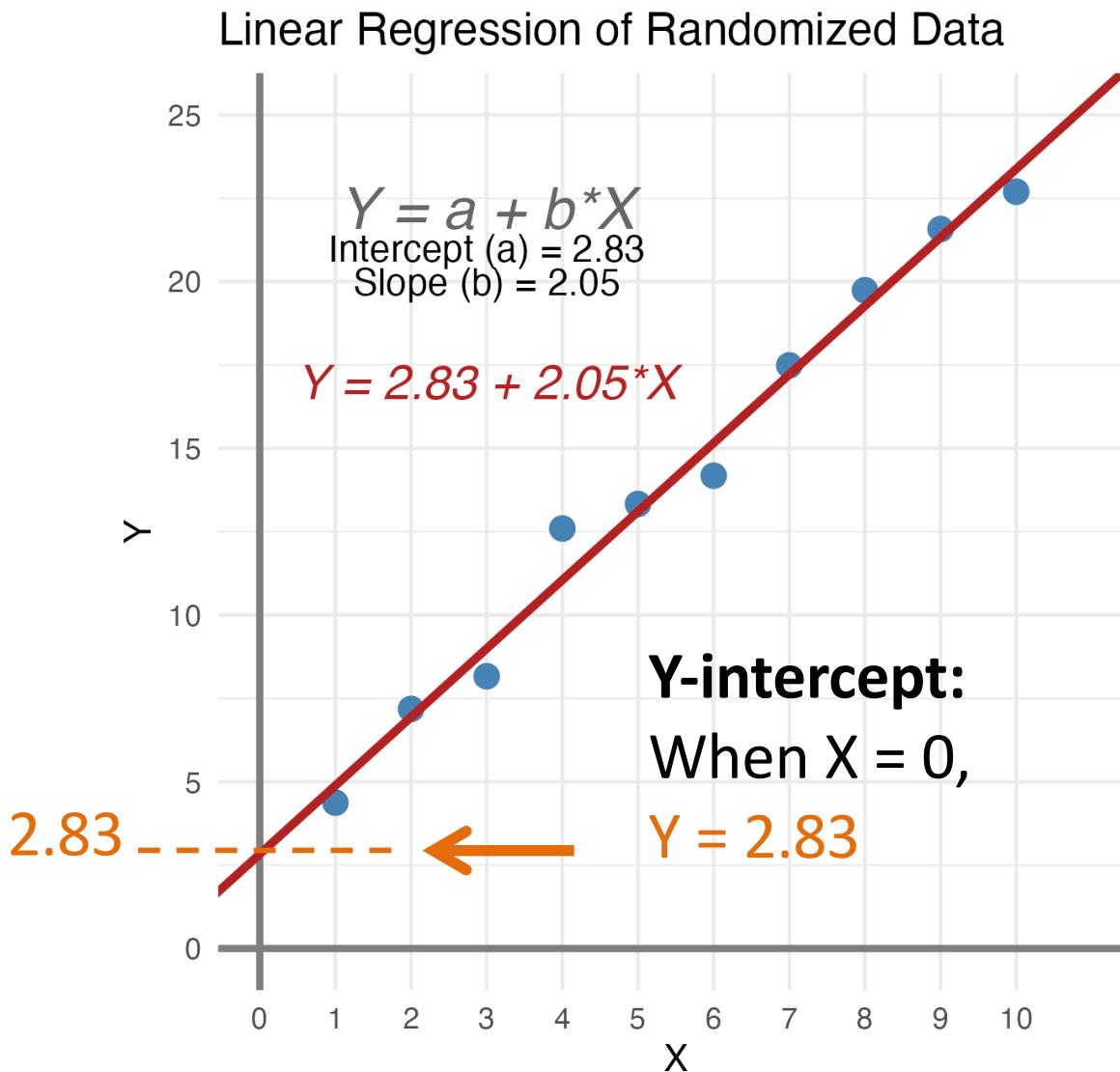
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Regression Statistics

lm(data, y ~ x)

“given X, what is Y?”

Model outputs:

- **Coefficients** → slope and intercept
- **Standard errors** → uncertainty around estimates
- **p-values** → are relationships statistically significant?
- **R²** → how much of Y's variation is explained by X
 - i.e., a “goodness of fit” statistic

```
model <- lm(y ~ x, data = my_dataset)    "given x, what is y?"  
summary(model)
```

```
Call:  
lm(formula = y ~ x, data = my_data)  
  
Residuals:  
      Min       1Q   Median       3Q      Max  
-0.9800 -0.6410  0.2338  0.2678  1.5452  
  
Coefficients:  
              Estimate Std. Error t value    Pr(>|t|)  
(Intercept) 2.83118   0.55270   5.122    0.000904 ***  
x            2.05473   0.08908  23.067 0.0000000132 ***  
---  
Signif. codes:  0 ‘***’ 0.001 ‘**’ 0.01 ‘*’ 0.05 ‘.’ 0.1 ‘ ’ 1  
  
Residual standard error: 0.8091 on 8 degrees of freedom  
Multiple R-squared:  0.9852,    Adjusted R-squared:  0.9833  
F-statistic: 532.1 on 1 and 8 DF,  p-value: 0.00000001324
```

```
model <- lm(y ~ x, data = my_dataset) "given x, what is y?"  
summary(model)
```

Our model, evaluated as $Y = \textcolor{brown}{a} + \textcolor{teal}{b}X$

```
Call:  
lm(formula = y ~ x, data = my_data)
```

Residuals:

Min	1Q	Median	3Q	Max
-0.9800	-0.6410	0.2338	0.2678	1.5452

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	2.83118	0.55270	5.122	0.000904 ***
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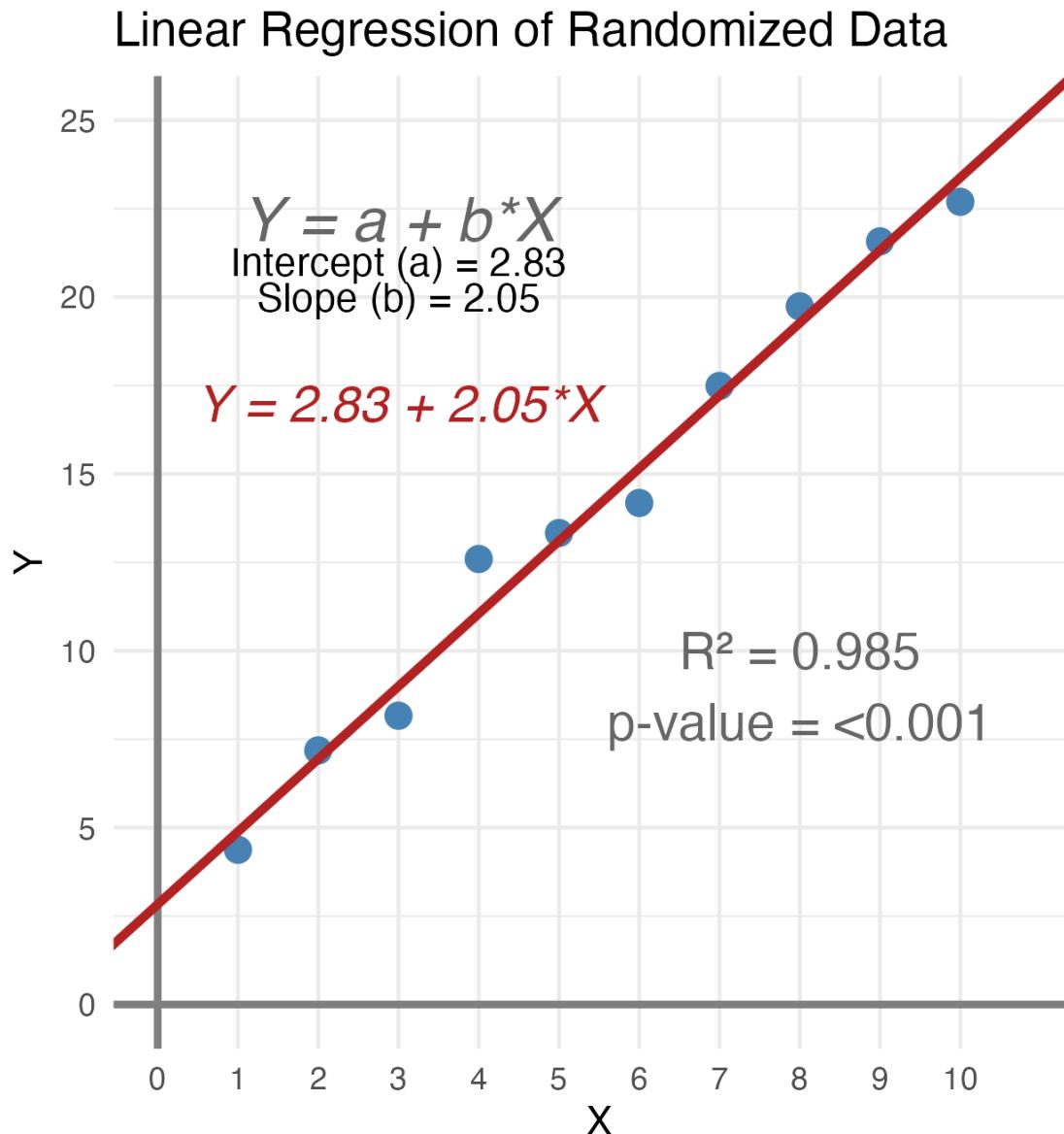
F-statistic: 532.1 on 1 and 8 DF, p-value: 0.00000001324

Regression
coefficients
(Intercept) = $\textcolor{brown}{a}$, x = $\textcolor{teal}{b}$

p-value

Adj. R² - the proportion of variance in Y explained by the predictor (X)

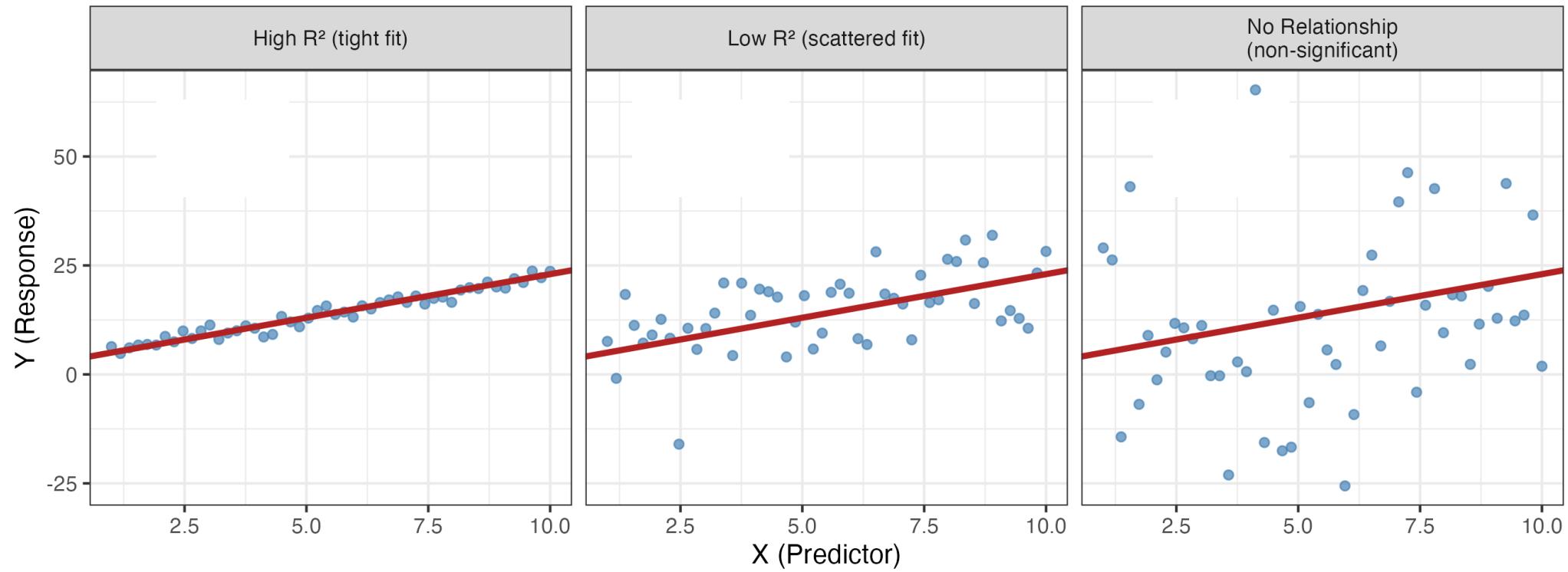
Regression Statistics



When $R^2 = 1$, every point falls exactly on the modeled line

A **p-value** < 0.05 means that X has a statistically significant relationship with Y , and the result is unlikely to be caused by random chance alone

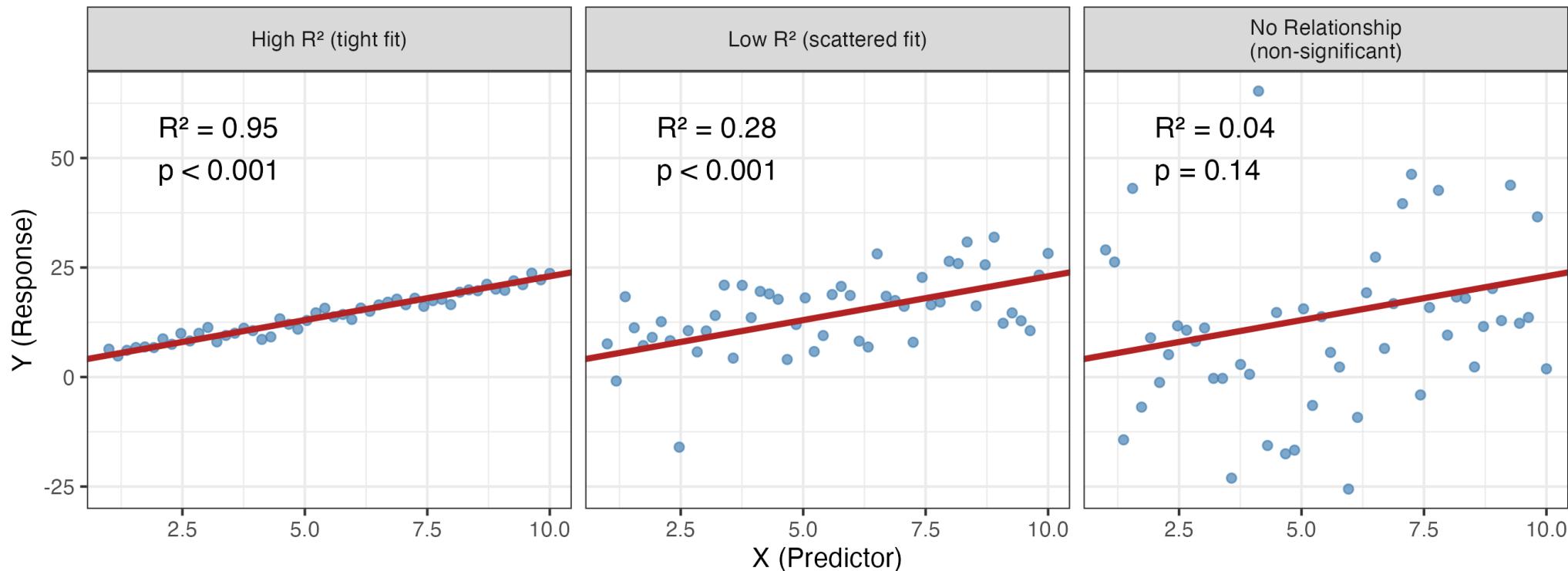
How well do the data fit?



How well do the data fit?

Same Regression Line, Different Levels of Noise

All datasets share $y = 3 + 2x$,
but random noise changes R^2 and significance



**Highly significant,
Very good fit**

**Highly significant,
Slightly weaker fit**

**Not significant,
Poor fit**

Skills Learning

code-along lecture

A scenic landscape photograph featuring a range of mountains shrouded in mist and clouds. In the foreground, the silhouettes of various trees and bushes are visible against a bright sky. A single bird is captured in flight in the center-right area of the frame.

Mount Sabyinyo 2025

Skills Application

Laboratory exercise

Week 6 - Skills Application

Download Skills Application Instructions from [Google Drive folder > Week 6](#)

If you are working on your own dataset:

- Keep working on your *Lastname_Firstname_Data.Rmd*

If you are working on sample dataset:

- create a Markdown file just for this week.
- Name it: *Lastname_Firstname_Week6.Rmd* in `/**Week 6**`

In your new Markdown file: Use code blocks (Ctrl+Alt+i) to load packages, import dataset into the environment, and save data as an object (e.g., `*data <-* `). Then follow **instructions**.