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[NPTEL \(https://swayam.gov.in/explorer?ncCode=NPTEL\)](https://swayam.gov.in/explorer?ncCode=NPTEL) » **Robotics and Control: Theory and Practice (course)**
[Announcements \(announcements\)](#)   **[About the Course \(https://swayam.gov.in/nd1\\_noc20\\_me03/preview\)](https://swayam.gov.in/nd1_noc20_me03/preview)**
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## Unit 5 - Week 4

### Course outline

#### How does an NPTEL online course work?

#### Week 1

#### Week 2

#### Week 3

#### Week 4

- Manipulator Control (unit? unit=57&lesson=68)
- Biped Robot Basics and Flat Foot Biped Model (unit? unit=57&lesson=69)
- Biped Robot Flat Foot and Toe Foot Model (unit? unit=57&lesson=70)

## Assignment 4

The due date for submitting this assignment has passed. **Due on 2020-02-26, 23:59 IST.**

Assignment submitted on 2020-02-15, 17:25 IST

1) Consider dynamic equation given by:

1 point

$m\ddot{x} = f$ , where  $m$  denotes mass,  $x$  denotes displacement and  $f$  denotes force.

If  $m=1$  unit,  $x_d(t) = \text{const.}$  is the desired trajectory, and error

$e = x - x_d$  If we apply P.D. control  $f = Ke + L\dot{e}$

, then resulting trajectory is asymptotically stable when:



$$L > 0 \quad \text{and} \quad L^2 + 4K < 0$$



$$L < 0 \quad \text{and} \quad L^2 + 4K < 0$$



$$L > 0 \quad \text{and} \quad L^2 + 4K > 0$$



$$L < 0 \quad \text{and} \quad L^2 + 4K > 0$$

No, the answer is incorrect.

Score: 0

Accepted Answers:

$$L < 0 \quad \text{and} \quad L^2 + 4K < 0$$

2) Dynamic equation on one arm manipulator with mass  $M$ , torque  $\tau$  joint angle  $\theta$  and length  $L$  is **1 point** given by:

Artificial Neural Network (unit? unit=57&lesson=71)

Neural Network based control for Robot Manipulator (unit? unit=57&lesson=73)

**Quiz :**  
**Assignment 4**  
**(assessment? name=84)**

Solution For Assignment 4 (unit? unit=57&lesson=93)

**Week 5**

**Week 6**

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$$\frac{1}{3}ML^2\ddot{\theta} + \frac{Mg}{2}L\sin\theta = \tau$$

If  $\theta_d$  denotes desired trajectory, and the error is given by:

$$e = \theta - \theta_d$$

If we apply P.D control:

$$\tau(t) = \frac{Mg}{2}L\sin(e + \theta_d) - \frac{ML^2}{3}[-Ke - L\dot{e}]$$

Then resulting trajectory is asymptotically stable when:

☐

$$L^2 - 4K > 0$$

☐

$$L^2 - 4K \leq 0$$

☒

$$L^2 - 4K < 0$$

☐

$$L^2 - 4K \geq 0$$

Yes, the answer is correct.

Score: 1

Accepted Answers:

$$L^2 - 4K < 0$$

3) If a biped robot is walking in x-direction and z-direction is vertical then:

**1 point**

☐

x-z is frontal plane

☒

x-z is sagittal plane

☐

x-z is transverse plane

☐

x-y is sagittal plane

Yes, the answer is correct.

Score: 1

Accepted Answers:

*x-z is sagittal plane*

4) In case of a person running fast:

**1 point**

☐

There is no Single Support Phase.

☐

There are both single support Phase and double support phase..

☒

There is only double support Phase.

☐

There is no double support Phase.

No, the answer is incorrect.

Score: 0

Accepted Answers:

*There is no double support Phase.*

5) Zero Moment Point for a stable walk should lie:

**1 point**

☐

Between hips in single support phase.

☒

Below stable leg in single support phase.

☐

Below swing leg in single support phase.

☐

Anywhere outside support region in single support phase.

Yes, the answer is correct.

Score: 1

Accepted Answers:

*Below stable leg in single support phase.*

6) Which of the following is not a sigmoid function?

**1 point**

☐

$$\frac{1}{1+e^{-x}}$$

☒

$$e^{-x}$$

☐

$$\frac{e^x - e^{-x}}{e^x + e^{-x}}$$

☐

$$\frac{x}{\sqrt{1+x^2}}$$

Yes, the answer is correct.

Score: 1

Accepted Answers:

$$e^{-x}$$

7) For a neural network with  $n$  input,  $m$  output with  $l$  neurons in hidden layer; equation for output  $y$  in terms of input  $x$  with weights  $u_{ij}$  and  $v_{jk}$  for input to hidden layer and hidden to output layer respectively can be given by:

☒

$$\sum_{j=1}^l v_{jk} \sigma \left[ \sum_{i=1}^n u_{ij} x_i \right]; k = 1, 2, \dots, m$$

☐

$$\sum_{j=1}^{l-1} v_{jk} \sigma \left[ \sum_{i=1}^{n-1} u_{ij} x_i \right]; k = 1, 2, \dots, m$$

☐

$$\sum_{j=1}^n v_{jk} \sigma \left[ \sum_{i=1}^l u_{ij} x_i \right]; k = 1, 2, \dots, m$$

☐

$$\sum_{j=1}^{n-1} v_{jk} \sigma \left[ \sum_{i=1}^{l-1} u_{ij} x_i \right]; k = 1, 2, \dots, m$$

Yes, the answer is correct.

Score: 1

Accepted Answers:

$$\sum_{j=1}^l v_{jk} \sigma \left[ \sum_{i=1}^n u_{ij} x_i \right]; k = 1, 2, \dots, m$$

8) Consider a neural network as in (7) with one input, two hidden neurons and one output. If the input  $x=1$ , output  $y=5$ , logistic function as the transfer function with learning rate  $\alpha = 0.1$ , then weights

$\begin{pmatrix} v_{11} \\ v_{21} \\ u_{11} \\ u_{12} \end{pmatrix}$  after first iteration using gradient descent will be (consider null weights initially):

☐

$$\begin{pmatrix} 1 \\ 1 \\ 0 \\ 0 \end{pmatrix}$$



$$\begin{pmatrix} 0.5 \\ 0.5 \\ 0 \\ 0 \end{pmatrix}$$



$$\begin{pmatrix} -1 \\ -1 \\ 0 \\ 0 \end{pmatrix}$$



$$\begin{pmatrix} -0.5 \\ -0.5 \\ 0 \\ 0 \end{pmatrix}$$

Yes, the answer is correct.

Score: 1

Accepted Answers:

$$\begin{pmatrix} 0.5 \\ 0.5 \\ 0 \\ 0 \end{pmatrix}$$

9) Which of the following hold true for a n arm manipulator whose dynamic equation is:

**1 point**

$$M(q)\ddot{q} + V(q, \dot{q})\dot{q} + G(q) + F_r(\dot{q}) + T_d = \tau$$

with symbols have their respective meanings?



$(1/2\dot{M}(q) - V(q, \dot{q}))$  is skew symmetric.



$(1/2M(q) - V(q, \dot{q}))$  is skew symmetric.



$(1/2M(q) + V(q, \dot{q}))$  is skew symmetric.



$(1/2\dot{M}(q) + V(q, \dot{q}))$  is skew symmetric.

Yes, the answer is correct.

Score: 1

Accepted Answers:

$(1/2\dot{M}(q) - V(q, \dot{q}))$  is skew symmetric.

10) Pseudo inverse of matrix  $\begin{bmatrix} 1 & 2 \end{bmatrix}$  is given by:

**1 point**



$$\begin{bmatrix} 1 \\ 2 \end{bmatrix}$$



$$\begin{bmatrix} 2 \\ 1 \end{bmatrix}$$



$$5 \begin{bmatrix} 1 \\ 2 \end{bmatrix}$$



$$\frac{1}{5} \begin{bmatrix} 1 \\ 2 \end{bmatrix}$$

Yes, the answer is correct.

Score: 1

Accepted Answers:

$$\frac{1}{5} \begin{bmatrix} 1 \\ 2 \end{bmatrix}$$