Exercise - 13A

1. Draw a line segment AB of length 7 cm. Using ruler and compasses, find a point P on AB such that $\frac{AP}{AB} = \frac{3}{5}$.

Sol:

Steps of Construction:

Step 1: Draw a line segment AB = 7 cm

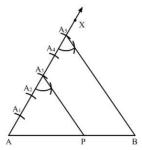
Step 2: Draw a ray AX, making an acute angle $\angle BAX$.

Step 3: Along AX, mark 5 points (greater of 3 and 5) A_1, A_2, A_3, A_4 and A_5 such that

$$AA_1 = A_1A_2 = A_2A_3 = A_3A_4 = A_4A_5$$

Step 4: Join A_5B .

Step 5: From A_3 , draw A_3P parallel to A_5B (draw an angle equal to $\angle AA_5B$), meeting AB in P.



Here, P is the point on AB such that $\frac{AP}{PB} = \frac{3}{2}$ or $\frac{AP}{AB} = \frac{3}{5}$.

2. Draw a line segment of length 7.6 cm and divide it in the ratio 5:8. Measure the two parts. **Sol:**

Steps of Construction:

Step 1: Draw a line segment AB = 7.6 cm

Step 2: Draw a ray AX, making an acute angle $\angle BAX$.

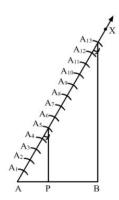
Step 3: Along AX, mark (5+8=)13 points $A_1, A_2, A_3, A_4, A_5, A_6, A_7, A_8, A_9, A_{10}, A_{11}, A_{12}$ and

 A_{13} such that

$$AA_1 = A_1A_2 = A_2A_3 = A_3A_4 = A_4A_5 = A_6A_7 = A_8A_9 = A_9A_{10} = A_{10}A_{11} = A_{11}A_{12} - A_{12}A_{13}.$$

Step 4: Join $A_{13}B$.

Step 5: From A_5 , draw A_5P parallel to $A_{13}B$ (draw an angle equal to $\angle AA_{13}B$), meeting AB in P.



Here, P is the point on AB which divides it in the ratio 5:8.

:. Length of $AP = 2.9 \ cm$ (Approx)

Length of $BP = 4.7 \ cm \text{ (Approx)}$

3. Construct a $\triangle PQR$, in which PQ = 6 cm, QR = 7 cm and PR =- 8 cm. Then, construct another triangle whose sides are $\frac{4}{5}$ times the corresponding sides of $\triangle PQR$

Sol:

Steps of Construction

Step 1: Draw a line segment QR = 7 cm.

Step 2: With Q as center and radius 6 cm, draw an arc.

Step 3: With R as center and radius 8cm, draw an arc cutting the previous arc at P

Step 4: Join PQ and PR. Thus, ΔPQR is the required triangle.

Step 5: Below QR, draw an acute angle $\angle RQX$.

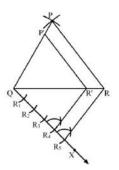
Step 6: Along OX, mark five points R_1, R_2, R_3, R_4 and R_5 such that

$$QR_1 = R_1R_2 = R_2R_3 = R_3R_4 = R_4R_5.$$

Step 7: Join RR₅.

Step 8: From R_4 , draw $R_4R' || RR_5$ meeting QR at R'.

Step 9: From R', draw $P'R' \parallel PR$ meeting PQ in P'.



Here, $\Delta P'QR'$ is the required triangle, each of whose sides are $\frac{4}{5}$ times the corresponding sides of ΔPQR .

4. Construct a triangle with sides 5 cm, 6 cm, and 7 cm and then another triangle whose sides are $\frac{7}{5}$ of the corresponding sides of the first triangle.

Sol:

Steps of Construction:

Step 1: Draw a line segment BC = 4cm.

Step 2: With B as center, draw an angle of 90°.

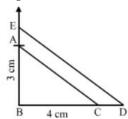
Step 3: With B as center and radius equal to 3 cm, cut an arc at the right angle and name it A.

Step 4: Join AB and AC.

Thus, \triangle ABC is obtained.

Step 5: Extend BC to D, such that $BD = \frac{7}{5}BC = 75(4)cm = 5.6cm$.

Step 6: Draw $DE \parallel CA$, cutting AB produced to E.



Thus, $\triangle EBD$ is the required triangle, each of whose sides is $\frac{7}{5}$ the corresponding sides of $\triangle ABC$.

5. Construct a $\triangle ABC$ with BC = 7 cm, $\angle B = 60^{\circ}$ and AB = 6 cm. Construct another triangle whose sides are $\frac{3}{4}$ times the corresponding sides of $\triangle ABC$

Sol:

Steps of Construction

Step 1: Draw a line segment BC = 7cm.

Step 2: At B, draw $\angle XBC = 60^{\circ}$.

Step 3: With B as center and radius 6 cm, draw an arc cutting the ray BX at A.

Step 4: Join AC. Thus, $\triangle ABC$ is the required triangle.

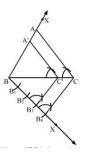
Step 5: Below BC, draw an acute angle $\angle YBC$.

Step 6: Along BY, mark four points B_1 , B_2 , B_3 and B_4 such that $BB_1 = B_1B_2 = B_2B_3 = B_3B_4$.

Step 7: Join CB_4 .

Step 8: From B_3 , draw $B_3C' \parallel CB_4$ meeting BC at C''.

Step 9: From C', Draw $A'C' \parallel AC$ meeting AB in A'.



Here. $\Delta A'BC'$ is the required triangle whose sides are $\frac{3}{4}$ times the corresponding sides of ΔABC .

6. Construct a $\triangle ABC$ in which AB = 6 cm, $\angle A = 30^{\circ}$ and $\angle AB = 60^{\circ}$. Construct another $\triangle AB'C'$ similar to $\triangle ABC$ with base AB' = 8 cm.

Sol:

Steps of Construction

Step 1: Draw a line segment AB = 6cm.

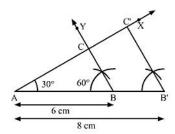
Step 2: At A, draw $\angle XAB = 30^{\circ}$.

Step 3: At B, draw $\angle YBA = 60^{\circ}$. Suppose AX and BY intersect at C.

Thus, $\triangle ABC$ is the required triangle.

Step 4: Produce AB to B' such that AB' = 8cm.

Step 5: From B', draw $B'C' \parallel BC$ meeting AX at C'.



Here. AB'C' is the required triangle similar to $\triangle ABC$.

7. Construct a $\triangle ABC$ in which BC = 8 cm, $\angle B = 45^{\circ}$ and $\angle C = 60^{\circ}$. Construct another triangle similar to $\triangle ABC$ such that its sides are $\frac{3}{5}$ of the corresponding sides of $\triangle ABC$.

Sol:

Steps of Construction

Step 1: Draw a line segment BC = 8cm.

Step 2: At B, draw $\angle XBC = 45^{\circ}$.

Step 3: At C, draw $\angle YCB = 60^{\circ}$. Suppose BX and CY intersect at A.

Thus, $\triangle ABC$ is the required triangle

Step 4: Below BC, draw an acute angle $\angle ZBC$.

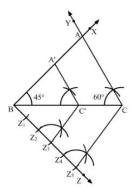
Step 5: Along BZ, mark five points Z_1, Z_2, Z_3, Z_4 and Z_5 such that

$$BZ_1 = Z_1Z_2 = Z_2Z_3 = Z_3Z_4 = Z_4Z_5$$

Step 6: Join CZ_5 .

Step 7: From Z_3 , draw $Z_3C' \parallel CZ_5$ meeting BC at C'.

Step 8: From C', draw $A'C' \parallel AC$ meeting AB in A'.



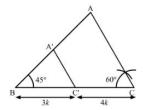
Here, $\Delta A'BC'$ is the required triangle whose sides are $\frac{3}{5}$ of the corresponding sides of ΔABC .

8. To construct a triangle similar to $\triangle ABC$ in which BC = 4.5 cm, $\angle B = 45^{\circ}$ and $\angle C = 60^{\circ}$, using a scale factor of $\frac{3}{7}$, BC will be divided in the ratio

Answer: (a) 3:4

Sol:

To construct a triangle similar to $\triangle ABC$ in which $BC = 4.5 \, cm$, $\angle B = 45^{\circ}$ and $\angle C = 60^{\circ}$, using a scale factor of $\frac{3}{7}$, BC will be divided in the ratio 3:4.



Here, $\triangle ABC \sim \triangle A'BC'$

BC': C'C = 3:4

or BC': BC = 3:7

Hence, the correct answer is option A.

9. Construct an isosceles triangles whose base is 8 cm and altitude 4 cm and then another triangle whose sides are $1\frac{1}{2}$ times the corresponding sides of the isosceles triangle.

Sol:

Steps of Construction

Step 1: Draw a line segment BC = 8cm.

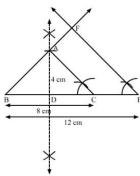
Step 2: Draw the perpendicular bisector XY of BC, cutting BC at D.

Step 3: With D as center and radius 4 cm, draw an arc cutting XY at A.

Step 4: Join AB and AC. Thus, an isosceles $\triangle ABC$ whose base is 8 cm and altitude 4 cm is obtained.

Step 5: Extend BC to E such that $BE = \frac{3}{2}BC = \frac{3}{2} \times 8cm = 12cm$.

Step 6: Draw $EF \parallel CA$, cutting BA produced in F.



Here, $\triangle BEF$ is the required triangle similar to $\triangle ABC$ such that each side of $\triangle BEF$ is $1\frac{1}{2}$ (or $\frac{3}{2}$) times the corresponding side of $\triangle ABC$.

10. Draw a right triangle in which the sides (other than hypotenuse) are of lengths 4 cm and 3 cm. Then, construct another triangle whose sides are $\frac{5}{3}$ times the corresponding sides of the given triangle.

Sol:

Steps of Construction

Step 1: Draw a line segment BC = 3cm.

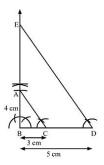
Step 2: At B, draw $\angle XBC = 90^{\circ}$.

Step 3: With B as center and radius 4 cm, draw an arc cutting BX at A.

Step 4: Join AC. Thus, a right $\triangle ABC$ is obtained.

Step 5: Extend BC to D such that $BD = \frac{5}{3}BC = \frac{5}{3} \times 3cm = 5cm$.

Step 6: Draw $DE \parallel CA$, cutting BX in E.



Here. $\triangle BDE$ is the required triangle similar to $\triangle ABC$ such that each side of $\triangle BDE$ is $\frac{5}{3}$ times the corresponding side of $\triangle ABC$.

Exercise – 13B

1. Draw a circle of radius 3 cm. Form a point P, 7 cm away from the centre of the circle, draw two tangents to the circle. Also, measure the lengths of the tangents.

Sol:

Steps of Construction

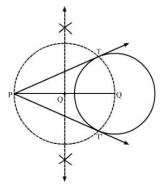
Step 1: Draw a circle with O as center and radius 3 cm.

Step 2: Mark a point P outside the circle such that OP = 7 cm.

Step 3: Join *OP*. Draw the perpendicular bisector *XY* of *OP*. cutting *OP* at *Q*.

Step 4: Draw a circle with Q as center and radius PQ (or OQ), to intersect the given circle at the points T and T.

Step 5: Join PT and PT'.



Here, PT and PT' are the required tangents.

$$PT = PT' = 6.3 cm \text{ (Approx)}$$

2. Draw two tangents to a circle of radius 3.5 cm form a point P at a distance of 6.2 cm form its centre.

Sol:

Steps of Construction

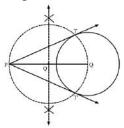
Step 1: Draw a circle with O as center and radius 3.5 cm.

Step 2: Mark a point P outside the circle such that $OP = 6.2 \, cm$.

Step 3: Join *OP*. Draw the perpendicular bisector *XY* of *OP*, cutting *OP* at *Q*.

Step 4: Draw a circle with Q as center and radius PQ (or 0Q), to intersect the given circle at the points T and T'.

Step 5: Join PT and PT'.



Here, PT and PT' are the required tangents.

3. Draw a circle of radius 3.5 cm. Take two points A and B on one of its extended diameter, each at a distance of 5 cm from its center. Draw tangents to the circle from each of these points A and B.

Sol:

Steps of Construction

Step 1: Draw a circle with center O and radius 3.5 cm.

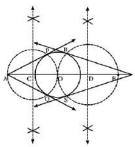
Step 2: Extends its diameter on both sides and mark two points A and B on it such that OA = OB = 5 cm.

Step 3: Draw the perpendicular bisectors of *OA* and *OB*. Let *C* and *D* be the mid-points of *OA* and *OB*, respectively.

Step 4: Draw a circle with C as center and radius OC (or AC), to intersect the circle with center O, at the points P and Q.

Step 5: Draw another circle with D as center and radius OD (or BD), to intersect the circle with center O at the points R and S.

Step 6: Join AP and AQ, Also, join BR and BS.



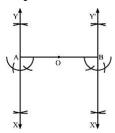
Here, AP and AQ are the tangents to the circle from A, Also, BR and BS are the tangents to the circle from B.

4. Draw a circle with center O and radius 4 cm. Draw any diameter AB of this circle.

Construct tangents to the circle at each of the two end points of the diameter AB.

Sol:

- Step 1: Draw a circle with center *O* and radius 4 cm.
- Step 2: Draw any diameter *AOB* of the circle.
- Step 3: At A, draw $\angle OAX = 90^{\circ}$. Produce XA = Y.
- Step 4: At B, draw $\angle OBX' = 90^{\circ}$. Produce X'B to Y'.



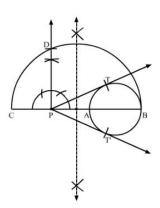
Here, XAY and X'BY' are the tangents to the circle at the end points of the diameter AB.

5. Draw a circle with the help of a bangle. Take any point P outside the circle. Construct the pair of tangents form the point P to the circle

Sol:

Steps of Construction

- Step 1: Draw a circle with the help of a bangle.
- Step 2: Mark a point *P* outside the circle.
- Step 3: Through *P*. draw a secant *PAB* to intersect the circle at *A* and *B*.
- Step 4: Produce AP to C such that PA = PC.
- Step 5: Draw a semicircle with *CB* as diameter.
- Step 6: Draw $PD \perp BC$, intersecting the semicircle at D.
- Step 7: With P as center and PD as radius, draw arcs to intersect the circle at T and T'.
- Step 8: Join PT and PT'S.



Here, PT and PT' are the required pair of tangents.

6. Draw a line segment AB of length 8 cm. Taking A as centre, draw a circle of radius 4 cm and taking B as centre, draw another circle of radius 3 cm. Construct tangents to each circle form the centre of the other circle.

Sol:

Steps of Construction

Step 1: Draw a line segment AB = 8 cm.

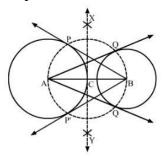
Step 2: With A as center and radius 4 cm, draw a circle.

Step 3: With B as center and radius 3 cm, draw another circle.

Step 4: Draw the perpendicular bisector XY of AB, cuffing AB at C.

Step 5: With *C* as center and radius *AC* (or *BC*), draw a circle intersecting the circle with center A at P and P': and the circle with center B at Q and Q'.

Step 6: Join BP and BP' Also, join AQ and AQ'.



Here. AQ and AQ' are the tangents from A to the circle with center B. Also, BP and BP' are the tangents from B to the circle with center A.

7. Draw a circle of radius 4.2. Draw a pair of tangents to this circle inclined to each other at an angle of 45°

Sol:

Steps of Construction:

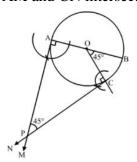
Step 1: Draw a circle with center O and radius = 4.2 cm.

Step 2: Draw any diameter AOB of this circle.

Step 3: Construct $\angle BOC = 45^{\circ}$, such that the radius OC meets the circle at C.

Step4: Draw $AM \perp AB$ and $CN \perp OC$.

AM and CN intersect at P.



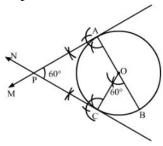
Thus, PA and PC are the required tangents to the given circle inclined at an angle of 45°.

8. Write the steps of construction for drawing a pair of tangents to a circle of radius 3 cm, which are inclined to each other at an angle of 60° .

Sol:

Steps of Construction

- Step 1: Draw a circle with center O and radius 3c m.
- Step 2: Draw any diameter *AOB* of the circle.
- Step 3: Construct $\angle BOC = 60^{\circ}$ such that radius OC cuts the circle at C.
- Step 4: Draw $AM \perp AB$ and $CN \perp OC$. Suppose AM and CN intersect each other at P.



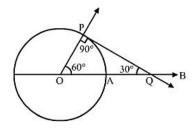
Here, AP and CP are the pair of tangents to the circle inclined to each other at an angle of 60°.

9. Draw a circle of radius 32 cm. Draw a tangent to the circle making an angle 30° with a line passing through the centre.

Sol:

Steps Of construction:

- Step 1: Draw a circle with center O and radius 3 cm.
- Step 2: Draw radius OA and produce it to B.
- Step 3: Make $\angle AOP = 60^{\circ}$
- Step 4: Draw $PQ \perp OP$, meeting OB at Q.
- Step 5: Then, PQ is the desired tangent, such that $\angle OQP = 30^{\circ}$



10. Construct a tangent to a circle of radius 4 cm form a point on the concentric circle of radius 6 cm and measure its length. Also, verify the measurement by actual calculation.

Sol:

Steps of Construction

- Step 1: Mark a point *O* on the paper
- Step 2: With O as center and radii 4cm and 6cm, draw two concentric circles.

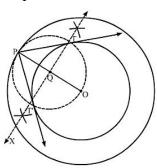
Step 3: Mark a point P on the outer circle.

Step 4: Join OP.

Step 5: Draw the perpendicular bisector XY of OP, cutting OP at Q.

Step 6: Draw a circle with Q as center and radius OQ (or PQ), to intersect the inner circle in points T and T'.

Step 7: Join PT and PT'.



Here, PT and PT' are the required tangents.

PT = PT' 4.5 cm (Approx)

Verification by actual calculation

Join OT to form a right Δ OTP (Radius is perpendicular to the tangent at the point of contact)

In right $\triangle OTP$,

$$OP^2 = OT^2 + PT^2$$
 (Pythagoras Theorem)

$$\Rightarrow PT = \sqrt{OP^2 - OT^2}$$

$$\Rightarrow PT = \sqrt{6^2 - 4^2} = \sqrt{36 - 16} = \sqrt{20} \approx 4.5 \text{ cm}$$
($OP = 6 \text{ cm and } OT = 4 \text{ cm}$)

Exercise - Formative Assessment

11. Draw a line segment AB of length 5.4 cm. Divide it into six equal parts. Write the steps of construction.

Sol:

Steps of Construction:

Step 1: Draw a line segment $AB = 5.4 \, cm$.

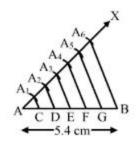
Step 2: Draw a ray AX, making an acute angle, $\angle BAX$.

Step 3: Jong AX, mark 6 points A_1, A_2, A_3, A_4, A_5 such that,

$$AA_1 = A_1A_2 = A_2A_3 = A_3A_4 = A_4A_5 = A_5A_6$$
.

Step 4: Join A_6B .

Step 5: Draw A_1C A_2D , A_3D , A_4F and A_5A_6 .



Thus, AB is divided into six equal parts.

12. Draw a line segment AB of length 6.5 cm and divided it in the ratio 4 : 7. Measure each of the two parts.

Sol:

Steps of Construction:

Step 1: Draw a line segment $AB = 6.5 \, cm$.

Step 2: Draw a ray AX, making an acute angle $\angle BAX$.

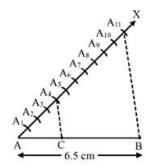
Step 3: Jong AX, mark (4+7)=11 points $A_1, A_2, A_3, A_4, A_5, A_6, A_7, A_8, A_9, A_{10}, A_{11}$ such that

$$AA_1 = A_1A_2 = A_2A_3 = A_3A_4 = A_4A_5 = A_5A_6 = A_6A_7 = A_7A_8 = A_8A_9 = A_9A_{10} = A_{10}A_{11}$$

Step 4: Join $A_{11}B$.

Step 5: From A_4 , draw $A_4C \parallel A_{11}B$, meeting AB at C.

Thus, C is the point on AB, which divides it in the ratio 4:7.



Thus, AC:CB=4:7

From the figure,

$$AC = 2.36 \, cm$$

$$CB = 4.14 \, cm$$

13. Construct a $\triangle ABC$ in which B= 6.5 cm, AB = 4.5 cm and $\angle ABC$ = 60°

Sol:

Steps of Construction:

Step 1: Draw a line segment BC = 6.5 cm.

Step 2: With B as center, draw an angle of 60°.

Step 3: With B as center and radius equal to 4.5 cm, draw an arc, cutting the angle at A

Step 4: Join AB and AC.

Thus, $\triangle ABC$ is obtained.

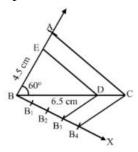
Step 5: Below BC, draw an acute $\angle CBX$.

Step 6: Along BX, mark off four points B_1 , B_2 , B_3 , B_4 such that $BB_1 = B_1B_2 = B_2B_3 = B_3B_4$.

Step 7: Join $B_{A}C$.

Step 8: From B_3 .draw $B_3D \parallel B_4C$, meeting BC at D.

Step 9: From D, draw $DE \parallel CA$, meeting AB at E.



Thus, $\triangle EBD$ is the required triangle, each of whose sides is $\frac{3}{4}$ the corresponding sides of $\triangle ABC$.

14. Construct a $\triangle ABC$ in which BC = 5cm, $\angle C = 60^{\circ}$ and altitude from A equal to 3 cm. Construct a $\triangle ADE$ similar to $\triangle ABC$ such that each side of $\triangle ADE$ is $\frac{3}{2}$ times the corresponding side of

 $\triangle ABC$. Write the steps of construction.

Sol:

Steps of Construction:

Step 1: Draw a line *l*.

Step 2: Draw an angle of 90° at M on l

Step 3: Cut an arc of radius 3 cm on the perpendicular. Mark the point as A

Step 4: With A as center, make an angle of 30° and let it cut *l* at *C*. We get $\angle ACB = 60^{\circ}$.

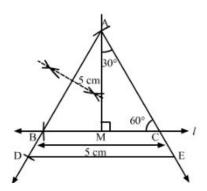
Step 5: Cut an arc of 5 cm from C on l and mark the point as B.

Step 6: Join AB.

Thus, $\triangle ABC$ is obtained

Step 7: Extend AB to D, such that BD = BC.

Step 8: Draw $DE \parallel BC$, cutting AC produced to E.



Then, $\triangle ADE$ is the required triangle, each of whose sides is of the corresponding sides of $\triangle ABC$.

15. Construct an isosceles triangle whose base is 9 cm and altitude 5cm. Construct another triangle whose sides are $\frac{3}{4}$ of the corresponding sides of the first isosceles triangle.

Sol:

Steps of Construction:

Step 1: Draw a line segment BC = 9 cm

Step 2: With B as center, draw an arc each above and below BC.

Step 3: With C as center, draw an arc each above and below BC.

Step 4: Join their points of intersection to obtain the perpendicular bisector of *BC*. Let it intersect BC at D

Step 5: From D, cut an arc of radius 5 cm and mark the point as A

Step 6: Join AB and AC

Thus $\triangle ABC$ is obtained

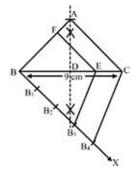
Step 5: Below *BC*. make an acute $\angle CBX$.

Step 6: Along BX, mark off four points B_1, B_2, B_3, B_4 such that $BB_1 = B_1B_2 = B_2B_3 = B_3B_4$

Step 7: Join B_4C .

Step 8: From B_3 .draw $B_2E \parallel B_4C$ meeting BC at E.

Step 9: From E. draw $EF \parallel CA$ meeting AB al F.



Thus, ΔFBE is the required triangle, each of whose sides is $\frac{3}{4}$ the corresponding sides of the first triangle.

16. Draw a $\triangle ABC$, right-angled at B such that AB = 3 cm and BC = 4cm. Now, Construct a triangle similar to $\triangle ABC$, each whose sides is $\frac{7}{5}$ times the corresponding side of $\triangle ABC$.

Sol:

Steps of Construction

Sept 1: Draw a line segment BC = 4cm

Sept 2: With B as center draw an angle of 90°

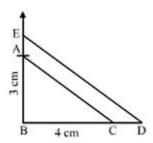
Step 3: With B as center and radius equal to 3cm cat an arc at the night angle and name it A

Step 4: Join AB and AC

Thus, $\triangle ABC$ is obtained

Step 5: Extend BC to D, such that $BD = \frac{7}{5}BC = \frac{7}{5}(4)cm = 5.6cm$

Step 6: Draw $DE \parallel CA$ cutting AB produced to E



Thus, $\triangle EBD$ is the required triangle, each of whose sides is $\frac{7}{5}$ the corresponding sides of $\triangle ABC$.

17. Draw a circle of radius 4.8 cm. Take a point P on it. Without using the centre of the circle, construct a tangent at the point P. Write the steps of construction.

Sol:

Steps of Construction:

Step 1: Draw a circle of radius 4.8 cm.

Step 2: Mark a point P on it.

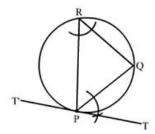
Step 3: Draw any chord PQ.

Step 4: Take a point R on the major arc QP

Step 5: Join PR and RQ.

Step6: Draw $\angle QPT = \angle PRQ$

Step 7: Produce TP to T', as shown in the figure.



TPT is the required tangent.

18. Draw a circle of radius 3.5 cm. Draw a pair of tangents to this circle which are inclined to each other at an angle of 60° . Write the steps of construction.

Sol:

Steps of Construction:

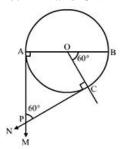
Step 1: Draw a circle with center O and radius = 3.5cm

Step 2: Draw any diameter AOB of this circle

Step 3: Construct $\angle BOC = 60^{\circ}$, such that the radius OC meets the circle at C.

Step 4: Draw $MA \perp AB$ and $NC \perp OC$.

Let AM and CN intersect at P.



Then, PA and PC are the required tangents to the given circle that are inclined at an angle of 60°

19. Draw a circle of radius 4 cm. Draw tangent to the circle making an angle of 60° with a line passing through the centre.

Sol:

Steps of construction

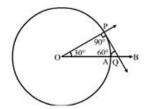
Step 1: Draw a circle with center O and radius 4cm

Step 2: Draw radius OA and produce it to B.

Step 3: Make $\angle AOP = 30^{\circ}$

Step 4: Draw $PQ \perp OP$, meeting OB at Q.

Step 5: Then, PQ is the desired tangent, such that $\angle OQP = 60^{\circ}$



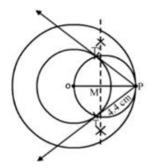
20. Draw two concentric circles of radii 4 cm and 6 cm. Construct a tangent to the smaller circle from a point on the larger circle. Measure the length of this tangent.

Sol:

Step of Construction:

- Step 1: Draw a circle with O as center and radius 6 cm
- Step 2: Draw another circle with O as center and radius 4 cm
- Step2: Mark a point P on the circle with radius 6 cm
- Step 3: Join *OP* and bisect it at *M*.
- Step 4: Draw a circle with *M* as center and radius equal to *MP* to intersect the given circle with radius 4 cm at points T and T'.

Step5: Join PT and PT'.



Thus, PT or PT' the required tangents and measure 4.4 cm each.