

To run, *Type in data file name in Alpha register, then press
 \boxed{XEQ} \boxed{ALPHA} \boxed{CGX} \boxed{ALPHA}

* Number of pts you can store is $\frac{1}{2} \times$ length of file
 (e.g. a file sized with 50 regs holds 25 pts.)
 Pt. numbering starts at 0 (zero).

Menu

EA	LN	RS	LS
A	B	D	E

EA \Rightarrow enter & assign
 LN \Rightarrow lines
 RS \Rightarrow radial stakeout
 LS \Rightarrow list

Entering Bearings:

Type in

Bearing \boxed{ENTER}
 Quad $\boxed{R/S}$

Quad codes are

1 = NE
 2 = SE
 3 = SW
 4 = NW
 5 = NA

(Once an azimuth has been entered, the computer will always display azimuths until a bearing is entered, and vice-versa)

Sideshots: Press \boxed{B} to toggle between "sideshot" & "normal" mode. You are in sideshot mode when the little "0" is on the display.

- 1) when you exit the lines routine, SS mode is turned off.
- 2) when you restart at a new point, SS mode is turned off
- 3) In sideshot mode, curves are not computed.
- 4) when you execute a radial stakeout, SS mode is turned on.
- 5) You may sideshot intersections.

Curves: To traverse curves, enter the radius point as a negative number. (Notice the little "3" comes on). Traverse or inverse to the radius point, enter the P.D.C. then give either the Δ or length. (If the curve turns left, Δ and L are negative values.)

Errors: If you make a serious mistake, or see a message like "DATA ERROR", press \boxed{E} to reset the computer and return to the menu.

Abbreviations:

ST PT starting point
 B1 bearing 1
 B2 bearing 2
 D1 distance 1
 D2 distance 2
 CC counterclockwise
 SH short

NE northeast
 NW northwest
 SE southeast
 SW southwest
 AZ azimuth
 D distance
 PT point

N northing
 E easting
 Δ delta
 L length
 OC PT occupied point
 DP destination point

Registers

00 Current Pt #
 01 Current N
 02 Current E
 03 Brg 1
 04 Brg 2
 05 Dist 1
 06 Dist 2
 07 Next Pt #
 08 Dest Pt #
 09 Ref Az
 10 Ref Dist

Flags

00 Sideshot
 01 Intersection Leg 1
 02 Intersection Leg 2
 03 Curve
 04 List or Stakeout loop
 05 Lines Routine
 06 Short B-D or CC D-D
 07 -
 08 -
 09 Display Azimuth
 21 Printer on
 22 Numeric entry
 27 User mode

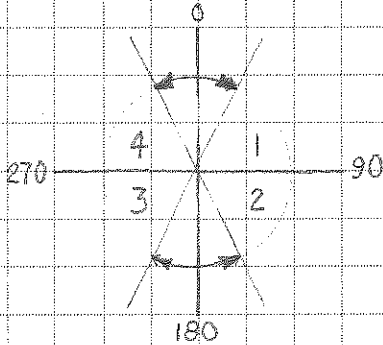
Keyboard

A Enter & Assign
 B Lines
 D Radial Stakeout
 E List
 b Sideshot/Normal mode toggle
 e Error Reset

Local Labels

10 Lines Routine
 11 B1 unknown
 12 B1 known, D1 unknown
 13 B1 known, D1 unknown, B2 unknown
 50 Traverse
 80 Store
 20 Inverse
 40 Display
 09 Compute Azimuth
 04 Q = NW
 02 Q = SE
 03 Q = SW
 01 Q = NE
 05 Q = NA
 08 Set Data Pointer
 06 Intersection Setup
 90 Curve
 14 Radial Brg out
 07 List / Stakeout loop

Formulas



Brg \rightarrow Az :

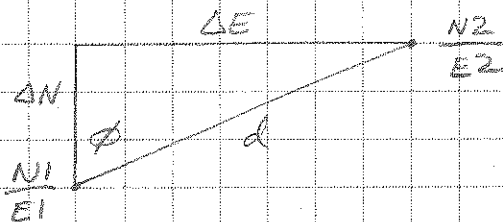
Q1 : $Az = Brg$
 Q2 : $Az = 180 - Brg$
 Q3 : $Az = 180 + Brg$
 Q4 : $Az = 360 - Brg$

Az \rightarrow Brg : $Brg = |\sin^{-1}(\sin Az)|$

Quad code :

North	$\cos(Az) = +$	}	NE	$\cos +, \sin +$
South	$\cos(Az) = -$		SE	$\cos -, \sin +$
West	$\sin(Az) = -$		SW	$\cos -, \sin -$
East	$\sin(Az) = +$		NW	$\cos +, \sin -$

Traverse, Inverse



ϕ = Azimuth from 1 to 2

$\Delta N = d \cos \phi$
 $\Delta E = d \sin \phi$
 $d = \sqrt{\Delta N^2 + \Delta E^2}$
 $\tan \phi = \Delta E / \Delta N$

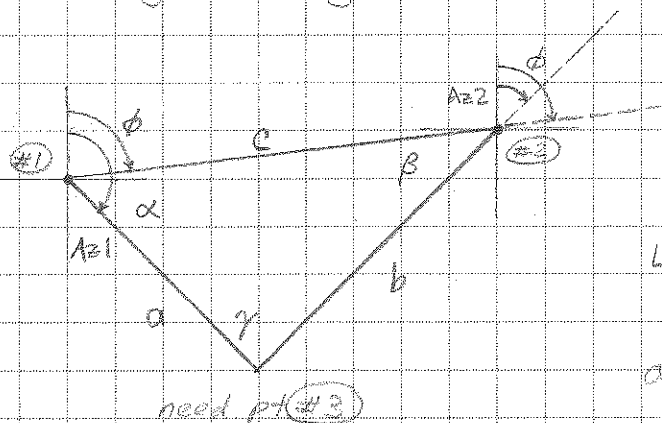
USE HP-41C P-R and R-P functions



Traverse : $N2 = N1 + \Delta N$
 $E2 = E1 + \Delta E$

Inverse : $\Delta N = N2 - N1$
 $\Delta E = E2 - E1$

Bearing-Bearing:



$$\phi = \text{ref Az} \quad c = \text{ref dist.}$$

$$\alpha = \text{Az1} - \phi$$

$$\beta = \phi - \text{Az2}$$

$$\gamma = 180 - \alpha + \beta$$

$$\text{Law of sines: } \frac{a}{\sin \beta} = \frac{c}{\sin \gamma}$$

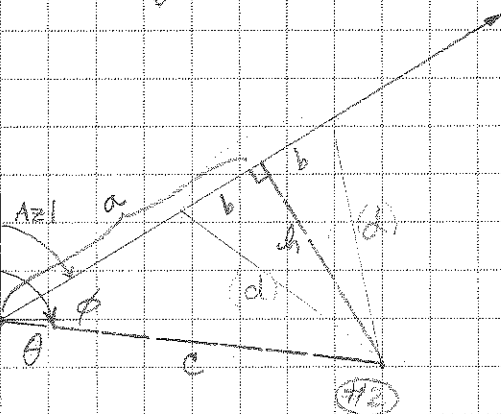
$$a = \frac{c \sin \beta}{\sin \gamma}$$

$$\text{since } \sin(180 - \theta) = \sin \theta$$

$$a = \frac{c \sin \beta}{\sin(\alpha + \beta)} = \frac{c \sin(\phi - \text{Az2})}{\sin(\text{Az1} - \phi + \phi - \text{Az2})} = \frac{c \sin(\phi - \text{Az2})}{\sin(\text{Az1} - \text{Az2})}$$

Note: You can specify Brg1 & Brg2
 "forward" or "backward" since
 $\sin(180 - \theta) = \sin \theta$

Bearing-Distance:



$$\theta = \text{ref Az} \quad c = \text{ref dist.}$$

$$d = \text{known second distance}$$

$$\phi = \theta - \text{Az1}$$

$$a = c \cos \phi$$

$$h = c \sin \phi$$

$$b = \sqrt{d^2 - h^2}$$

for long solution use $a + b$ (CF 06)
 " short " " $a - b$ (SF 06)

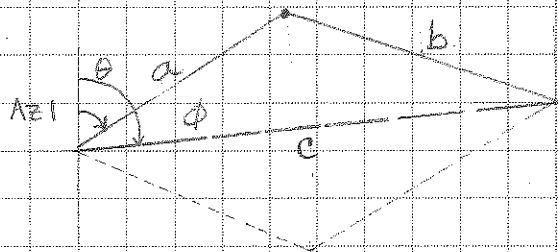
Note: ϕ can be specified as either $\theta - \text{Az1}$ or $\text{Az1} - \theta$ since
 the sign of ϕ is unimportant

$$\text{since } a = c \cos \phi = c \cos(-\phi)$$

$$\text{and } h^2 = (c \sin \phi)^2 = (-c \sin(-\phi))^2$$

Also, the sign of d is unimportant since
 it is only used as $d^2 = -d^2$

Distance-Distance:



θ = ref azimuth c = ref distance
 a = known first distance
 b = known second distance

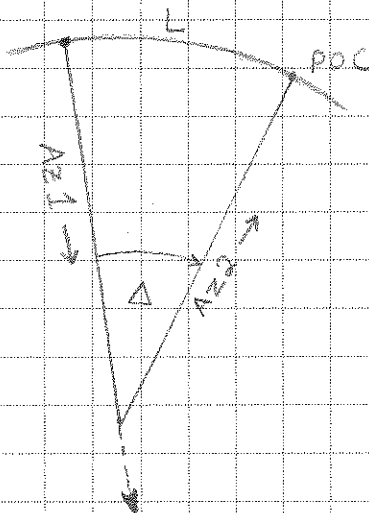
Law of cosines:

$$b^2 = a^2 + c^2 - 2ac \cos \phi$$

$$\phi = \cos^{-1} \left(\frac{a^2 + c^2 - b^2}{2ac} \right)$$

for clockwise soln (CF 06) use $AZ1 = \theta - \phi$
 " counterclockwise " (SF 06) " $AZ1 = \phi - \theta$

Curves:



$$AZ2 = \Delta + (AZ1 + 180)$$

$$L = \Delta_{rad} \cdot r$$

$$\Delta_{rad} = \frac{L}{r}$$

For curves turning to the left
 Δ or L is specified as a negative value