

1. Consider the simple two-spring system shown in the figure 1. The springs are assumed to be linearly elastic and the loads $p_1 = 5N$ and $p_2 = 5N$ are constant. This is a geometrically nonlinear problem because the resistance to the load is a function of the deformed position. The original length of the two springs are $l_1 = 10cm$ and $l_2 = 10cm$, and the two spring constants are $k_1 = 8N/cm$ and $k_2 = 1N/cm$

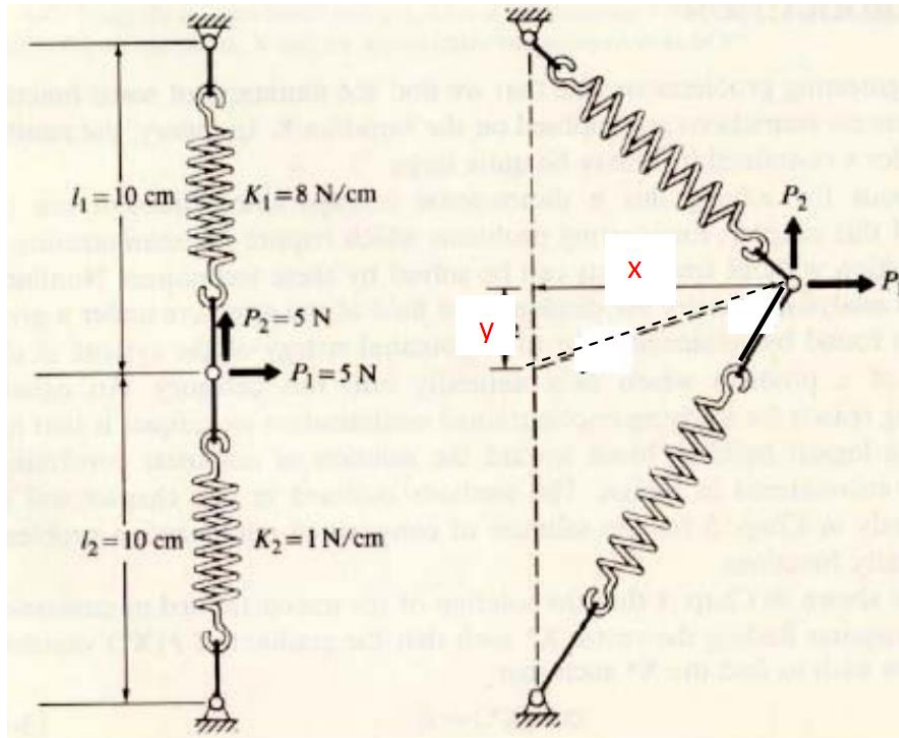


Figure 1

$$E(x, y) = \frac{1}{2}k_1 \left(\sqrt{x^2 + (l_1 - y)^2} - l_1 \right)^2 + \frac{1}{2}k_2 \left(\sqrt{x^2 + (l_2 - y)^2} - l_2 \right)^2 - p_1x - p_2y$$

Write a program that determines the equilibrium position by minimizing the total energy, using the univariate search. In your univariate search start your search in the x direction by using golden section search. Run your multi-dimensional optimization until you get the best minimum 4-digits precision of Energy value.

To show that your program is properly implemented, your program must generate:

- (1) a text file, output.txt, that contains your student ID number and the numerical results showing the convergence process. It should have 7 columns showing numerical results
 - a. running number of iterations of univariate search
 - b. final number of iterations of your golden section search
 - c. last error approximation result of your golden section search
 - d. X coordinate result of current iteration of univariate search
 - e. Y coordinate result of current iteration of univariate search
 - f. Energy value result of current iteration of univariate search
 - g. current approximation result of your univariate search

What to hand in:

- Source code files and header files
- Executable file (if needs to run on the teacher computer)
- A text file (output.txt)