# Online Appendix to Hide the Cookie Jar: Nudging Towards Healthy Eating

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#### A Data Details

This Appendix provides further details on our data.

For each day, there are six spreadsheets. Three correspond to the cookie section, and three to the pizza section. Within each section, there is one spreadsheet per service: breakfast, lunch and dinner. We discard all data on breakfast, because there is hardly any pizza served on breakfast.

In addition to these, it is common that the spreadsheets contain annotations. These annotations correct the original information, and range from the item number, to the forecast made. One by one, we correct for each of these annotations.

We eliminate datapoints with non-consistencies. The first non-consistency includes observations with negative consumption, that is, when the amount "forecasted" is less than the amount "left". These include 13 observations. The second one is an observation that includes 2,000 portions of cookies, which is prepared for a special event. This number is excessive, given a mean of 162 with a standard deviation of 110, and all other observations are below 1,000.<sup>1</sup>

#### A.1 Names of cookies

COOKIE, VEGAN MERINGUE COOKIE, SNICKERDOODLE\* COOKIE DOUBLE CHOCOLATE' HALL ASSORTED DANISH' SMORGASBORD, ICE CREAM COOKIE, VEGAN GINGERSNAP CHEF'S WHOOPIE PIES CP GERMAN CHOCOLATE CAKE CP GERMAN CHOCOLATE CAKE
PUDDING, WARM BROWNIE
HOLLOWAY SHORTCAKE, STRAWBERRY
CAKE, HALL TRES LECHE
CAKE, CP TURTLE BAR
CAKE, HALL NUTELLA
BIE CHOCOLATE CREAM PIE. CHOCOLATE CREAM BAR, CHOCOLATE MACAROON\* CHEF CHOICE BREAD PUDDING BAR, CPMAGIC COOKIE'
CAKE, CARROT APPLE BAR, LEMON RASP CRUMB APPLE DIP BAR\* PIE, STRAWBERRY CHOC MINT WHOOPIE PIE CAKE, NUTELLA CAKE, HALL CHOC RASP CONFETTI CAKE, SALTED CARAMEL BAR, PEANUT SCOTCHEROO\* CAKE, HOLLOWAY CARROT PIE, BURBERRY PIE CHOCOLATE CREAM COOKIE BUILDR BAR PIE, PUMPKIN CAKE, HOLL ANGEL FOOD WITH STRAW\* BAR, CRANBERRY CRUNCH\* BARK, WHT CHOCOLATE NUT\* FF LEMON BLUEBERRY BREAD PUDDING

BROWNIE, PLAIN BAR, CP CREAM CHEESE COOKIE, OATMEAL RAISIN\* CAKE, BOSTON CREAM PIE BARS, ASSORTED HALL\* COOKIE, CHOCO CRANBERRY OAT\* COOKIE, VEGAN CRAN OATMEAL\* CAKE, HALL DECADENCE CHOC BROWNIE, HOLL CHOC MINT PICNIC WHOOPIE PIE BAR, CARAMEL APPLE CHEESECAKE BROWNIE, BLONDIE-CP\*BAR, HOLL FRUITED RICE\* BAR, HOLL FRUITED RICE'
COOKIE, VEGAN CH MERINGUE\*
CAKE, CP CONFETTI
CAKE, CP RED VELVET
PIE, LEMON MERINGUE PIE, BLUEBERRY CAKE ROLL, PUMPKIN CAKE, DIRT
BAR, CP MAGIC COOKIE\*
BAR, WHT CHOCOLATE NUT\*
CAKE, TRES LECHE BAR, HOLLOWAY PUMPKIN\* BAR, HOLLOWAY FUMFRIN CAKE, HALL RED VELVET 96 CT BAR, MAGIC COOKIE HC\* COFFEECAKE, SOUR CREAM CAKE, HOLL TURTLE BAR SHEET PIE, STRAWBERRY / RHUBARB PIE, HI APPLE BAR, LEMON CHEESECAKE BAR\* BAR, TWIX-CP\* BROWNIE, HOT CHOC MINT\* CHEF' CHOICE CAKE PUDDING, CLASSIC BREAD

CRISP, APPLE CHEF'S CHOICE CAKE COOKIE, VEGAN LEMON\*
COOKIE, VEGAN SUGAR\*
COOKIE, PEANUT BUTTER\* CAKE, CP CARROT COOKIE, CHOCOLATE CHIP\* BAR, RICE KRISPIE CAKE, HOLL ANGEL FOOD W/ STRAW COOKIE, SUGAR\* COOKIES AND CREAM BAR PIE, CHOCOLATE PEANUT BUTTER COOKIE BUILDER BAR\* HOLLOWAY BLUEBERRY COBBLER CANNOLI, HOLLOWAY MINI'S STILLING CHEESE CAKE CAKE, HALL SALTED CARAMEL COOKIE, VEGAN CHOC MERINGUE\* CUPCAKE, DECORATING STILL\* LH, APPLE CRISP BROWNIE, BLONIE-CP BROWNIE, BLONDE-CP\* COOKIE, COCONUT MACAROON\* CAHE, HOLL TURTLE BAR SHEET BROWNIE, BLONDE\* BAR, CHOC RASPBERRY CAKE, WHITE RUSSIAN BAR, CRANBERRY ALMOND\* CANOLI, HOLLOWAY MINI BAR, CONGO\* CAKE, HALL OREO 96CT CHEF'S CHOICE BREAD PUDDING COOKIE, HALL ASSORTED\* CUPCAKES, DECORATING STYLE\* STRAWBERRY CHEESECAKE WELLNESS FRUIT BAR DELI\*

Table A.1: Names of cookie types. \* These cookies were considered easy to take away, that is, "take-awayables".

## A.2 Names of pizzas

<sup>&</sup>lt;sup>1</sup>Leaving the observations in the analysis yields very similar results.

IMPINGER VEGGIE PIZZA
IMPINGER CHEESE PIZZA
IMPINGER BUFFALO CHICKEN PIZZA
IMPINGER MARGHERITA PIZZA
IMPINGER MARGHERITA PIZZA
IMPINGER CINNAMON STICKS
IMPINGER CHICKEN PESTO PIZZA
IMPINGER MEATZA-MEATZA PIZZA
IMPINGER SAUSAGE PIZZA
IMPINGER SHRIMP SCAMPIE PIZZA
PIZZA, HARVEST WHITE CLAM LH
BREADS AND SPREADS
WH CHOC DIPT PRETZELS
SOUTWEST VEGAN PIZZA
HOLLOWAY BACON/TOMATO PIZZA
IMPINGER BREAD STICK
FLORENTINE PIZZA
IMPINGER OVEREASY PIZZA
IMPINGER OVEREASY PIZZA
IMPINGER CUCCHINI BREAD
ROTISSERIE JERKED CHICKEN
IMPINGER CINNAMON BREAD
BACON CHICKEN RANCH
CHEESY BREAD
WILDCAT PIZZA
IMPINGER CHHESE PIZZA
IMPINGER CHHESE PIZZA
BAKED SHELLS & CAULIFLOWER
WELLNESS STEAMED BROCCOLI FLOR
WELLNESS STEAMED BROCCOLI FLOR
WELLNESS STEAMED BROCCOLI FLOR
WELLNESS STEAMED BROCCOLI FLOR

IMPINGER BACON/TOMATO PIZZA
IMPINGER PEPPERONI PIZZA
IMPINGER MARGHERITA
STROMBOLI, CHICKEN BROCCOLI
IMPINGER BBQ CHICKEN PIZZA
IMPINGER HAWAIIAN PIZZA
IMPINGER HAWAIIAN PIZZA
IMPINGER HAWAIIAN PIZZA
IMPINGER TACO PIZZA
IMPINGER TACO PIZZA
HARVEST VEGETABLE PIZZA
LH, FOUR CHEESE PIZZA
HOLLOWAY NICK'S WHITE
CHICKEN & BROC ALFREDO PIZZA
BALSAMIC-BLUE FLATBREAD
IMPINGER PIZZA
OVEREASY BRKFAST PIZZA
IMPINGER BUFFALO PIZZA
FOCACCIA
TEMPURA CHICKEN BITE
IMPINGER MEAT STROMBOLI
IMPINGER CHIKPESTO/BUFFALO PIZZA
PEPERRONI MOZARELLA
HOLLOWAY CHEESE PIZZA
HOLLOWAY CHEESE PIZZA
HOLLOWAY CHEESE PIZZA
BIZZA, STEAK AND CHEESE
BRUSCHETTA FLATBREAD
WELLNESS SALAD, TUSCAN CAESAR
WELLNESS FRIED RICE
ROASTED VEGETABLE STROBOLI

IMPINGER CHEESY BREAD
IMPINGER CHEESEBURGER PIZZA
IMPINGER CHEF'S CHOICE PIZZA
CHEF'S CHOICE PIZZA
IMPINGER STROMBOLI, STEAK & CH
CHEF'S CHOICE BREAD
IMPINGER BBQ STROMBOLI
IMPINGER CHICKEN BACON RANCH P
LH, BBQ VENISON PIZZA
LH, CHOCOLATE EXPLOSION
IMPINGER BBQ JALAPENO CHICKEN
MEATBALL PIZZA
IMPINGER THANKSGIVING PIZZA
CINNAMON STICKS
SAUSAGE RICOTTA STROMBOLI
HOLL VEGGIE BREAKFAST PIZZA
IMPINGER MONKEY BREAD
IMPINGER HARVEST VEGETABLE PIZZA
CORNBREAD
SE, LOBSTER PIZZA
MONSTER LOADED PIZZA
CHEF' CHOICE PIZZA
IMPINGER SROMBOLI, STEAK
IMPINGER PEPPERJACK CHEESY BREAD
CAFE RUSSIA
BAKED ZITI RICOTTA & PESTO
WELLNESS GRILLED CHICKE
WELLNESS BEEF STEW
WELLNESS SALAD, CUCUMBER TOMATO
IMPINGER PIZZA WILDCAT LOADED

Table A.2: Names of pizza types.

## **B** Additional Regression Estimates

This section reports additional regressions that we mention in the paper that are used as robustness.

Tables B.1 and B.2 show the results of the linear regression model and the negative binomial model. In all cases, the sign of our estimates are the same as in our baseline model. Also as in the baseline model, all these estimates are significant at the 1% level.

	(1)	(2)	(3)	(4)	(2)	(9)	(7)	(8)	(6)	(10)
$d_{2018} d_{cookie}$	-23.2843 (8.8174)	-23.2843 -28.0353 (8.8174) (7.1985)	-28.2541 (7.2757)	-28.8140 -27.7913 (7.2291)	-27.7913 (7.2222)	-27.9751 (7.1941)	-27.7886 (7.0907)	-27.8487 (7.1099)	-26.2147 (7.2208)	-28.5440 (7.0095)
Product FE	×	>	>	`	>	`	>	`	`	`
Fall FE	×	×	`	`	`	`	`>	`	`	`
Weekend	×	×	×	`>	×	×	×	×	×	×
Weekday FE	×	×	×	×	`	`	`>	`	`	`
Service FE	×	×	×	×	×	`>	`>	`>	`	`
Trend	×	×	×	×	×	×	`>	`>	`	`
Finals Week	×	×	×	×	×	×	×	`>	`	`
Options	×	×	×	×	×	×	×	×	>	×
			Robust sta	Robust standard errors in parentheses	rs in paren	theses.				

Table B.1: Linear Regression Results

	(1)	(2)	(3)	(4)	(2)	(9)	(2)	(8)	(6)	(10)
$d_{2018}d_{cookie}$	-0.1329 $(0.0481)$	-0.1534 $(0.0253)$	-0.1548 $(0.0253)$	-0.1600 $(0.0251)$	-0.1528 $(0.0249)$	-0.1530 $(0.0247)$	-0.1477 $(0.0248)$	-0.1481 $(0.0248)$	-0.1390 $(0.0248)$	-0.1949 (0.0294)
Product FE Fall FE Weekend Weekday FE Service FE Trend Finals Week	****	<b>\</b>	<b>&gt;&gt;</b> ×××××	<b>&gt;&gt;&gt;</b>	<b>\\</b> \\\	<b>``</b>	<b>\\</b> \\\\	>>×>>>	\\\\\\\	>>×>>>
Options	×	×	×	×	×	×	×	×	`>	×

Table B.2: Negative Binomial Regression Results

	Weekend	Dinner	Finals
	Interaction	Interaction	Interaction
$d_{2018}d_{cookie}$	-0.1575	-0.1972	-0.1701
	(0.0424)	(0.0396)	(0.0419)
$d_{2018}d_{cookie}Weekend$	-0.0362		
	(0.0346)		
$d_{2018}d_{cookie}Dinner$		0.0546	
		(0.0406)	
$d_{2018}d_{cookie}Finals$		,	0.0349
			(0.0438)
Product FE	✓	✓	✓
Fall FE	✓	✓	✓
Weekday FE	X	✓	✓
Service FE	✓	X	✓
Trend	✓	✓	✓
Finals Week	✓	✓	X

Robust standard errors in parentheses.

Table B.3: Adding different interaction terms in our model. Column 1 introduces a weekend interaction with cookies, column 2 interacts dinner with cookies, and column 3 interacts finals with cookies.

Table B.3 introduces interaction terms in our baseline model to focus on the lack of significant results in some of our sub-samples. More precisely, when focusing on dinner services and finals, we found no significant effects of the re-location. One possible explanation for this is the low number of observations. In the baseline estimations, the number of observations is 3,573. This drops to 547 on weekends, 1,281 during dinner, and 418 in Finals.

As an alternative to identify potential effects during dinner and finals, we use all our sample and include an interaction term between the variable of interest and a dummy equal to 0 in Fall 2017 and 1 otherwise along with the dummy variable which is equal to 1 for cookies.

Column 1 introduces an interaction between a dummy variable that is equal to one for "weekend". Column 2 shows an interaction for dinner. Column 3 proceeds similarly with finals. The results are not significant. Thus, this provides evidence that the lack of significance in our earlier results is not related to the limited number of observations.

## C Pre and post re-location trends during dinner

This section shows the analysis of the trend in cookie and pizza consumption before and after the re-location during dinner, complementing the lunch analysis in the paper. Notice that our main results conclude that there is no significant change in the consumption of cookies relative to pizza during dinner. This section shows that the pre- and post- trends during dinner behave very differently than those during lunch.

Figure C.1 shows that in the Fall of 2017 there was a relative reduction in the consumption of cookies during dinner relative to pizza. The lines show the behavior of the trend subtracting the mean, so it is centered around zero. Extending this behavior to semesters after the re-location would conclude that at least part of the decline in cookie consumption after Spring 2018 was for reasons other than the re-location.

Figure C.2 adds to the pre-trend the behavior following the relocation. The lines are the trend minus the mean before the re-location, so that only the lines before the re-location are

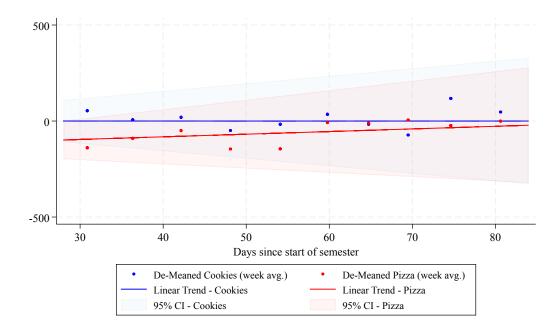


Figure C.1: De-meaned dinner trends and actual consumption of cookies and pizza before the re-location during dinner.

centered around zero. There is a drop in both cookie and pizza consumption, and the drop is larger in cookies, consistent with the nudging effects of the re-location. However, the post-trend in cookie consumption is increasing relative to the post-trend in pizza consumption, which may suggest that, during dinner, the nudge is short lived. We, unfortunately, can not analyze this finding further as we lack the necessary data.

Figure C.3 aggregates the behavior for lunch and dinner to study the pre-trend behavior. Once again, the pre-trends look very similar.

The aggregate behavior including lunch and dinner after the relocation is a combination of the behavior in lunch, where cookies drop more than pizza, with dinner, where the drop in pizza is gradual. Figure C.4 shows the change in trends around the re-location aggregating lunch and dinner.

## D Verifying that the Consumption of Cookies Drops After Fall 2017

This section studies the behavior of cookies directly, to understand whether the consumption after the re-location drops. We start by estimating the following linear equation using all our sample:

$$y_{kt} = \beta_0 + \beta_1 * d_{2018_t} + \beta_2 * trend_t + \beta_3 * d_{2018_t} * trend_t + \beta_4 * Z_k + \alpha_k + \varepsilon_{kt}$$
 (1)

where  $y_{kt}$  is the consumption of good k at time t, and k denotes types of cookies.  $d_{2018}$  is equal to one for observations after Fall 2017, and equal to 0 otherwise.  $Z_k$  contains our controls, and trend is the time trend. Table D.4 shows that the estimate for  $\beta_1$  is negative and significant, implying that the consumption of cookies drops by about 27 portions a day after the re-location.

Next we compare the consumption of cookies near the time of re-location. We interpret this similarly to a regression discontinuity design, albeit many problems that prevents us from formally doing so. In particular, there are two important problems with the interpretation of regression discontinuity. First and foremost, the end of the semester is followed by a break of

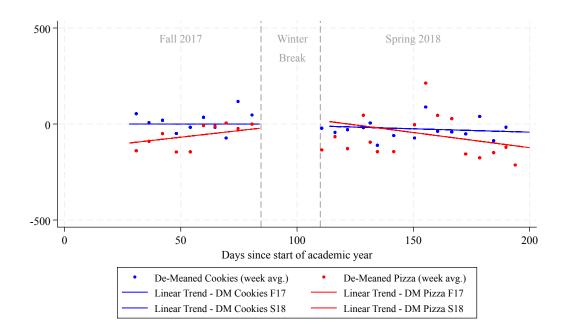


Figure C.2: Difference in de-meaned dinner trends before and after the re-location.

almost two months, time used by the dining hall to re-organize, and the next observations come from the following semester. Second, there are many differences across semesters that renders the analysis less informative, such as a change in the number of diners, which we cannot control for. As such, this exercise is illustrative, and is not interpreted as part of our main results.

Since global linear estimators maybe misleading as they may incorrectly perceive non-linearity as a break point, we follow the non-parametric estimation strategy presented by Hahn et al. (2001), which boils down to a weighted least squares regression local to the relocation date. As such, we estimate a linear regression via weighted least squares, using data points within  $\pm$  30, 60, and 75 days around the time of location change. We weight the observations via triangular kernel, putting less weights to observations closer to the bounds set above and more weights to the observations close to the change. As can be seen on Table D.4, in all of the set cut offs, we see a negative and significant estimate, i.e., a decrease in consumption of cookies

We also estimate a log-linear model, to quantify the changes in percentages. We again find negative and significant effects, slightly higher in magnitude compared to the relative results we reported in comparison to pizza.

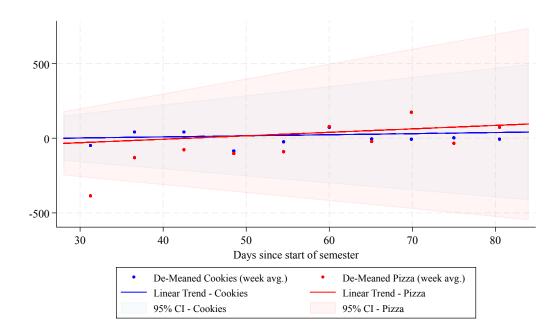


Figure C.3: De-meaned trends and actual consumption of cookies and pizza before the re-location during lunch and dinner.

## E Complete Regression Output for the Baseline Model

Table E.5 reports the estimates for all the controls used in our main regression.

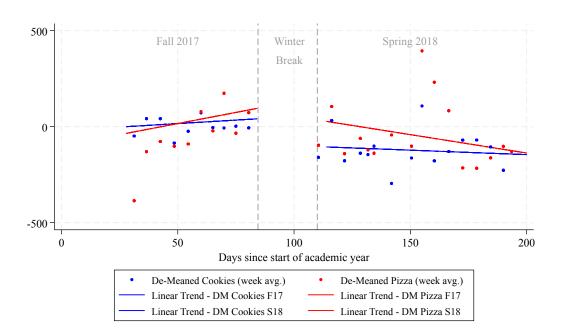


Figure C.4: Difference in de-meaned lunch and dinner trends before and after the re-location.

Cookie Consumption	log(Cookie Consumption)
-27.3062	-0.1723
(12.3274)	(0.0791)
-54.3000	-0.2468
(22.35)	(0.1329)
-51.2600	-0.2410
(17.44)	(0.1122)
-47.9400	-0.2231
(16.10)	(0.1020)
	-27.3062 ( 12.3274) -54.3000 (22.35) -51.2600 (17.44) -47.9400

Robust standard errors are reported in parentheses. All models have product, semester, weekday, final week, and service fixed effects. Results are obtained via triangular kernel.

Table D.4: Comparing Cookies before and after the change

	(4)	(0)	(0)	(1)	(1	(0)	į	(0)	(0)	(0,0)
	(1)	(5)	(3)	(4)	(2)	(9)	(7)	$(\infty)$	(6)	(10)
$d_{2018}$	0.0400	0.0526	0.0814	0.0783	0.0797	0.0789	0.0783	0.0789	0.0764	0.0812
	(0.0240)	(0.0300)	(0.0342)	(0.0357)	(0.0359)	(0.0364)	(0.0364)	(0.0364)	(0.0365)	(0.0395)
$d_{cookie}$	0.1828	1	1	1	1	1	1	1	1	ı
	(0.0414)	<u>-</u>	<u>-</u>	<u>-</u>	<u>-</u>	<u>-</u>	<u>-</u>	<u>-</u>	<u>-</u>	<u> </u>
$d_{2018}d_{cookie}$	-0.1329	-0.1564	-0.1578	-0.1602	-0.1542	-0.1551	-0.1540	-0.1543	-0.1435	-0.1587
	(0.0491)	(0.0364)	(0.0370)	(0.0369)	(0.0378)	(0.0378)	(0.0374)	(0.0375)	(0.0385)	(0.0435)
Fall			0.0484	0.0449	0.0506	0.0500	0.0480	0.0492	0.0593	0.0531
,			(0.0187)	(0.0191)	(0.0184)	(0.0185)	(0.0186)	(0.0188)	(0.0202)	(0.0201)
Tuesday					0.0096	0.0204	0.0205	0.0200	0.0244	0.0200
Wednesdan					(0.0335)	(0.0345)	(0.0345) $0.0155$	(0.0344) $0.0154$	(0.0338)	(0.0344) $0.0152$
					(0.0282)	(0.0296)	(0.0297)	(0.0297)	(0.0295)	(0.0298)
Thursday					-0.0510	-0.0422	-0.0416	-0.0419	-0.0372	-0.0421
					(0.0441)	(0.0500)	(0.0501)	(0.0500)	(0.0498)	(0.0500)
Friday					-0.2377	-0.2020	-0.2021	-0.2022	-0.1844	-0.2022
					(0.0751)	(0.0727)	(0.0727)	(0.0726)	(0.0697)	(0.0726)
sunday					-0.2022	-0.1934	-0.1943	-0.1940	-0.2044	-0.1939
					(0.0743)	(0.0761)	(0.0764)	(0.0765)	(0.0752)	(0.0765)
Dinner						0.1360	0.1358	0.1358	0.1899	0.1358
						(0.0334)	(0.0334)	(0.0334)	(0.0473)	(0.0334)
Trend							0.0013	0.0000	0.0003	0.0000
ć							(0.0008)	(0.0010)	(0.0010)	(0.0010)
$Trend^2$							-0.0000	-0.0000	-0.0000	-0.0000
							(0.0000)	(0.0000)	(0.0000)	(0.0000)
FinalWeek								-0.0202	-0.0232	-0.0202
								(0.0246)	(0.0234)	(0.0246)
$Falld_{cookie}$										-0.0077
										(0.0360)
Weekend				-0.1527						
,				(0.0560)						
Products									0.0211 $(0.0088)$	
Product FE	×	`	×	×	×	×	×	×	<b>×</b>	×
			Robinst sta	Robust standard errors in parentheses	rs in paren	theses				

Robust standard errors in parentheses.

Table E.5: Baseline Regression Estimates - Complete Results

#### $\mathbf{F}$ A Model of Temptation

This section develops a model of temptation to guide our empirical approach, based on Gul & Pesendorfer (2001). Consider an individual that makes decisions in two sub-periods. The first one takes place outside the restaurant, where she sets off to eat healthy. The second period is inside, where tempting unhealthy items change her preferences. This can be represented by the following maximization problem:

$$U(A) = \max_{x \in A} u(x) \quad s.t. \quad v(x) \ge \max_{y \in A} v(y) \tag{2}$$

The utility function U(A) describes a decision maker who chooses to maximize v over a consumption set A but evaluates these choices according to u.

To apply this to our setting, assume there are three types of goods: fish  $(x_f, \text{healthy})$ , cookies  $(x_c, unhealthy)$ , and pizza  $(x_p, unhealthy)$ . In all cases, individuals choose whether to consume one unit or none. There are  $J_t$  individuals in period t. Let the utility functions for individual j be  $u_i(\mathbf{x}) = x_f - (x_c + x_p)$ , where  $\mathbf{x} = (x_f, x_c, x_p)$ .

The utility function v changes based on whether the cookies are in sight or not. Consider the decision process when cookies are in sight. Let  $v_j(\mathbf{x}) = \beta_j(x_c + x_p)$ . The parameter  $\beta_j$ represents how "tempting" food is for individual j: the higher the  $\beta_j$ , the larger the temptation. The solution to problem (2) is

$$x_{jf}^* = x_{jc}^* = x_{jp}^* = 1 \text{ if } \beta_j > 0,$$
  
 $x_{jf}^* = 1, x_{jc}^* = x_{jp}^* = 0 \text{ if } \beta_j \le 0.$ 

When cookies are out of sight,  $v(x) = \beta_j x_p + (\beta_j - I) x_c$ . The solution to problem (2) now depends on the sign of  $\beta_j - I$ , where I > 0 represents the lower temptation introduced by the relocation:

$$\begin{aligned} x_{jf}^* &= x_{jp}^* = x_{jc}^* = 1 \text{ if } \beta_j > I, \\ x_{jf}^* &= x_{jp}^* = 1, x_{jc}^* = 0 \text{ if } 0 < \beta_j < I, \\ x_{jf}^* &= 1, x_{jp}^* = x_{jc}^* = 0 \text{ if } \beta_j < 0. \end{aligned}$$

We are interested in the proportion of people that stop eating cookies because of the relocation. Assuming that the parameters  $\beta_j$  are random draws of a cumulative distribution function  $G(\beta)$ , this proportion is  $\frac{1-G(I)}{1-G(0)}$ . We can measure this by comparing the consumption of cookies and pizza in two periods. Let  $C_t$  denote cookies consumption in period t and define  $P_t$  similarly for Pizza. The ratio of cookies in both periods is  $\frac{C_2}{C_1} = \frac{(1-G(I))J_2}{(1-G(0))J_1}$ . The same ratio for pizza is  $\frac{P_2}{P_1} = \frac{(1-G(0))J_2)}{(1-G(0))J_1)} = \frac{J_2}{J_1}. \text{ Thus } \frac{C_2/C_1}{P_2/P_1} = \frac{1-G(I)}{1-G(0)}.$  Consider the following estimation equation, where  $y_{it}$  is the logarithm of consumption of

good i = C, P at time t = 0, 1:

$$y_{it} = \gamma_0 d_{it} + \gamma_1 c_{it} + \gamma_2 d_{it} c_{it} + \varepsilon_{it}, \tag{3}$$

where  $d_{it}$  is a dummy that equals 1 after the relocation and 0 otherwise, and  $s_{it}$  is 1 if the good is a cookie, 0 otherwise. Then

$$\hat{\gamma}_2 = (y_{C1} - y_{C0}) - (y_{P1} - y_{P0}) = \log\left(\frac{C_1/C_0}{P_1/P_0}\right).$$

This is the basis for the empirical section.

#### References

Gul, F. & Pesendorfer, W. (2001), 'Temptation and self-control', Econometrica 69(6), 1403–1435.

Hahn, J., Todd, P. & van der Klaauw, W. (2001), 'Identification and estimation of treatment effects with a regression-discontinuity design.', Econometrica 69.