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## Outline

Introduction

### Correctness of Software

• Program Verification (sound, incomplete, infinite inputs)

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### Correctness of Software

- Program Verification (sound, incomplete, infinite inputs)
- Program Testing<sup>1</sup> (unsound, complete, finite inputs)

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### Correctness of Software

- Program Verification (sound, incomplete, infinite inputs)
- Program Testing<sup>1</sup> (unsound, complete, finite inputs)
- Symbolic Execution (sound, complete, infinite inputs)

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#### Analyse this

What inputs cause this program to violate the assertion?

```
int main() {
  input(a,b,c,d);
  if (a <= b) {
    c++;
  }
  else {
    d++;
    if (c == 2*d)
        assert(a > d)
  }
}
```

#### Analyze this

OK, let's answer this!

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A customer buys 5 hot dogs and 5 bags of potato chips for \$12.50. Another customer buys 3 hot dogs and 4 bags of potato chips for \$8.25. Find the cost of each item.<sup>a</sup>

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OK, let's answer this!

A customer buys 5 hot dogs and 5 bags of potato chips for \$12.50. Another customer buys 3 hot dogs and 4 bags of potato chips for \$8.25. Find the cost of each item.<sup>a</sup>

==

Use symbols to represent unknowns!

==

 $<sup>^{</sup>a}{\rm https://www.wyzant.com/resources/answers/107505/fond\_the\_cost\_of\_each\_item}$ 

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Execute a program with symbolic inputs!

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VariableName	SymbolicName
а	$\alpha 0$
b	$\alpha 1$
С	$\alpha 2$
d	$\alpha 3$

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#### Analyze the Path Condition

## Bounded Model Checking v/s Symbolic Execution

#### ВМС

$$\phi_k = STEP(X_0, X_1) \land STEP(X_1, X_2) \cdots \land STEP(X_{k-1}, X_k)$$

SE

$$\phi_k = STEP(X_0, X_1) \land STEP(X_1, X_2) \cdots \land STEP(X_{k-1}, X_k)$$

## Bounded Model Checking v/s Symbolic Execution

#### **BMC**

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... but on a single path!

SE can be seen as performing BMC on each path in isolation.

## Gaining Coverage

How to explore multiple (potentially, all) paths:

• **Concolic execution** Concrete execution on random input, collect constraints, edit constraints, solve for new path

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How to explore multiple (potentially, all) paths:

- **Concolic execution** Concrete execution on random input, collect constraints, edit constraints, solve for new path
- EGT (Execution generated testing) Symbolically execute, fork at branches

```
int main(){
  input(a,b,c,d);
  symbolic(a,b,c,d);
  if ( a <= b){
     c++;
     if ( c <= d)
        printf("Hi\n");
  }
  else {
     d++;
     if ( c*c == d)
        printf("Bye\n");
  }
}</pre>
```

```
int main(){
  input(a,b,c,d);
  symbolic(a,b,c,d);
  if ( a <= b){
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}</pre>
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VariableName	SymbolicName
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#### Covering behaviors

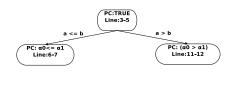
Fork at each branch if both sides are feasible (use an SMT solver)

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int main() {
  input(a,b,c,d);
  symbolic(a,b,c,d);
  — if ( a <= b) {
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    if ( c <= d)
        printf("Hi\n");
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  else {
    d++;
    if ( c*c == d)
        printf("Bye\n");
  }
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```

PC:TRUE Line:3-5

#### Covering behaviors

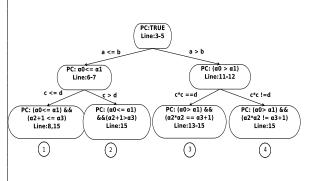
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#### Generating test

Solve the path condition (PC) to synthesize testcases

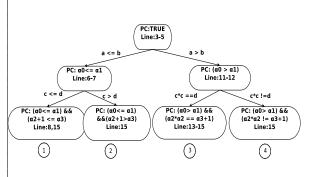
```
int main ( ) {
int main(){
 input(a,b,c,d);
 symbolic (a,b,c,d);
 if (a \le b)
    c++;
     if (c \ll d)
       printf("Hi\n");
 else
    d++:
     if ( c*c == d)
    printf("Bye\n");
```



#### Generating test

#### Solve the path condition (PC) to synthesize testcases

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int main ( ) {
int main(){
 input(a,b,c,d);
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 if (a \le b)
    c++;
     if (c \ll d)
       printf("Hi\n");
 else
    d++:
     if ( c*c == d)
    printf("Bye\n");
```



Path	PC	Assignment
1	$(\alpha_0 \le \alpha_1) \land (\alpha_2 + 1 \le \alpha_3)$	(0,1,2,3)
2	$(\alpha_0 \le \alpha_1) \land (\alpha_2 + 1 > \alpha_3)$	(0,1,4,3)
3	$(\alpha_0 > \alpha_1) \wedge (\alpha_2 * \alpha_2 == \alpha_3 + 1)$	(1,0,2,3)

## **Concolic Testing**

- Run program on a random input
- Collect the path condition as the program executes
- Modify the path condition when program terminates
- Solve modified path condition to generate new input for the next run of the program

## Handling real-world programs

- external function calls
- vector instructions
- system calls
- floating-point instructions
- non-linear arithmetic ...

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- floating-point instructions
- non-linear arithmetic ...

Concretization and Virtualization

```
int main ( ) {
  read ( x );
  if ( x > 0) {
    y = foo (x);
    if ( y > 150)
        print ("less");
  if ( y > 250)
        assert (0);
  if ( y != a )
        assert (0);
  if ( y < 0)
        assert (0);
}</pre>
```

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int main ( ) {
  read ( x ) ;
  if ( x > 0) {
    y = foo (x);
    if ( y > 150)
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```

#### Possible solutions

```
int main ( ) {
  read ( x );
  if ( x > 0) {
    y = foo (x);
    if ( y > 150)
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        assert (0);
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        assert (0);
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  }
}</pre>
```

#### Possible solutions

Overapprox

$$y \leftarrow *$$

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int main ( ) {
  read ( x );
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}</pre>
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#### Possible solutions

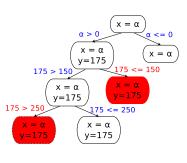
Overapprox

$$y \leftarrow *$$

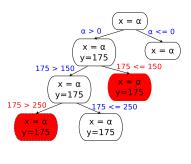
• Underapprox (concretization)  $y \leftarrow 0$ 

```
int main ( ) {
  read ( x );
  if ( x > 0) {
    y = foo(x);
    if ( y > 150)
        print("less");
    if ( y > 250)
        assert (0);
    if ( y != x )
        assert (0);
    if ( y < 0)
        assert (0);
}</pre>
```

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int main ( ) {
  read ( x );
  if ( x > 0){
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    if ( y > 150)
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```



```
int main ( ) {
  read ( x );
  if ( x > 0){
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    if ( y > 150)
        print("less");
    if ( y > 250)
        assert (0);
    if ( y != x )
        assert (0);
    if ( y < 0)
        assert (0);
}</pre>
```



Loss in coverage! (unsound)

```
int main ( ) {
  read(x);
  if ( x >= 0) {
    y = abs(x);
    if (x > 100)
        if ( y != x )
            assert (0);
    }
}
```

```
x = \alpha
                              \alpha >= 0
                                                        \alpha < 0
                               x = \alpha
                                                         x = \alpha
                               y=0
                                             \alpha <= 100
               \alpha > 100
                                           x = \alpha
                   x = \alpha
                                            y=0
                    y=0
\alpha > 100 \& \&
                                 \alpha > 100 \& \&
                                \alpha == 0
\alpha != 0
                             x = \alpha
     x = \alpha
      v=0
                              y=0
```

```
int main ( ) {
  read(x);
  if (x >= 0) {
      → y = abs(x);
      if (x > 100)
      if (y!= x)
            assert (0);
    }
}
```

```
\alpha >= 0
                                                       \alpha < 0
                              x = \alpha
                                                        x = \alpha
                               y=0
                                             \alpha <= 100
               \alpha > 100
                                           x = \alpha
                                           y=0
                    y=0
\alpha > 100 \& \&
                                \alpha > 100 \& \&
                                \alpha == 0
\alpha != 0
      y=0
                             y=0
```

False positive! (incompleteness—in a testing tool?)

```
\begin{array}{c} \alpha >= 0 \\ x = \alpha \\ y = 0 \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha \\ y = 0 \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha \\ y = 0 \\ x = \alpha \\ x = \alpha
```

False positive! (incompleteness—in a testing tool?) Is it a bug? (no, a conscious design decision)

```
int main () {
  read ( x );
  if ( x >= 0) {
    y = abs(x);
  if (x > 100)
    if ( y != x )
    assert (0);
  }
}
```

```
x = \alpha
                             \alpha >= 0
                                                      \alpha < 0
                             x = \alpha
                                                       x = \alpha
                              y=0
                                           \alpha <= 100
              \alpha > 100
                   x = \alpha
                                          x = \alpha
                   y=0
                                          y=0
                               α >100 &&
\alpha > 100 \& \&
                               \alpha == 0
\alpha != 0
     x = \alpha
                            x = \alpha
     v=0
                            y=0
```

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int main () {
  read (x);
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    if (y!= x)
    assert (0);
}
```

```
x = \alpha
                             \alpha >= 0
                                                      \alpha < 0
                             x = \alpha
                              y=0
                                           \alpha <= 100
              \alpha > 100
                   x = \alpha
                                          x = \alpha
                   y=0
                                          y=0
                               α >100 &&
\alpha > 100 \& \&
                               \alpha == 0
\alpha != 0
     x = \alpha
                            x = \alpha
      v=0
                            y=0
```

Reproducibility (of tests)?

### Question

Can we regain **soundness**, **completeness** and **reproducibility** lost due to concretizations?

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Pandey, Kotcharlakota and Roy. Deferred concretization in symbolic execution via fuzzing. ISSTA 2019.

# Modeling heap memory

```
int main ( ) {
  read(x);
  a = malloc(100);
  clear(a);
  a[x] = 5
  assert(a[x] != a[2*x - 2]);
}
```

### Modeling heap memory

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```
int main ( ) {
                                   int main ( ) {
  read(x);
                                      read(x);
                               18
  a = malloc(100);
                                     a = Ha:
  clear(a);
                               20
                                     for (int i=0; i<100; i++) write (Ha, i, 0);
  a[x] = 5
                                      write (Ha, \times, 5);
  assert(a[x] != a[2*x - 2]) 22
                                      assert (read (Ha, x) != read (Ha, 2*x - 2));
}
                               24
```

== Use

Use the array theory to model H

\_\_\_

### Array theory

#### **Axioms**

- $\forall a \ \forall i \ \forall v \ (read(write(a, i, v), i) = v)$
- $\forall a \ \forall i \ \forall j \ \forall v \ (i \neq j \rightarrow read(write(a, i, v), j) = read(a, j))$
- $\forall a \ \forall b \ ((\forall i \ (read(a,i) = read(b,i))) \rightarrow a = b)$

#### Virtualization

 $S2E^2$  enables symbolic execution for binaries running in a virtualized environment (QEMU), enabling whole system verification.

• Test-case generation (path coverage)

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- Program repair [Nguyen et al., ICSE 2013; Mechtaev et al. ICSE 2016]
- Bucketing tests [Pham et al., FASE 2017]
- Debugging [Verma et al. FSE 2017, Verma et al. CGO 2020]
- Synthesis [Pandey et al. FSE 2018]

#### Objective

Given a informal specification as a set of tests, can we identify which expressions are ikely to be buggy?

```
int main ( ) {
  read(x, y, z);
  t1 = (x >= y);
  t2 = (y >= z);
  t3 = (z >= x);

if (t3 && t2) max = z;
  if (t1 && !t3) max = x;
  if (t2 && !t1) max = y;

output(max);
}
```

```
int main ( ) {
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```

What is the bug?

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output(max);
}
```

What is the bug?

How to fix the bug?

```
int main ( ) {
  read(x, y, z);
  t1 = (x >= y);
  t2 = (y >= z);
  t3 = (z >= x);

if (t3 && t2) max = z; // bug
  if (t1 && !t3) max = x;
  if (t2 && !t1) max = y;

output(max);
}
```

```
int main ( ) {
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if (t3 && t2) max = z; // bug
  if (t1 && !t3) max = x;
  if (t2 && !t1) max = y;

  output(max);
}
```

Test	Input	Output	Status
l1	8, 2, 4	8	Pass
12	1, 2, 4	0	Fail
13	7, 5, 4	7	Pass
14	2, 5, 1	5	Pass

#### Define scope of debugging

 $\mathsf{E} = \mathsf{All} \ \mathsf{expressions} \ \mathsf{(and} \ \mathsf{subexpressions)} \ \mathsf{within} \ \mathsf{a} \ \mathsf{user-specified} \ \mathsf{scope}.$ 

Expressions at distinct program locations are different expressions.

#### Define scope of debugging

E = All expressions (and subexpressions) within a user-specified scope. Expressions at distinct program locations are different expressions.

#### Test for angelic values on failing tests

 $\forall e \in E : AngelicTest(P, I, e) = \exists \alpha. Test(P[\alpha/e], I)$ 

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$$\forall e \in E : AngelicTest(P, I, e) = \exists \alpha. Test(P[\alpha/e], I)$$

#### Check for regressions on passing tests

$$\forall e \in E : FlexTest(P, I, e) = \exists \alpha . (Test(P[\alpha/e], I) \land \alpha \neq Eval(P, I, e))$$

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#### Check for regressions on passing tests

$$\forall e \in E : FlexTest(P, I, e) = \exists \alpha . (Test(P[\alpha/e], I) \land \alpha \neq Eval(P, I, e))$$

#### Collect suspicious expressions

$$\{e \mid e \in E \land AngelicTest(P, I_f, e) \land \forall i \in [i..k].FlexTest(P, I_{p_i}, e)\}$$

### Angelic non-determinism

```
int main ( ) {
  read(x, y, z);
  t1 = (x >= y);
  t2 = (y >= z);
  t3 = (z >= x)

if (*) max = z; // angelic
  if (t1 && !t3) max = x;
  if (t2 && !t1) max = y;

output(max);
}
```

### Angelic non-determinism

```
int main () {
  read(x, y, z);
  t1 = (x >= y);
  t2 = (y >= z);
  t3 = (z >= x)

  if (*) max = z; // angelic
  if (t1 && !t3) max = x;
  if (t2 && !t1) max = y;

  output(max);
}
```

- Say, E =  $\{t1, t2, t3, !t1, !t2, !t3, t1 \&\& !t3, t2 \&\& !t1, t3 \&\& t2\}$
- For e = (t3 && t2), value 1 passes test
- There exist alternate values for e (i.e. for (t3 && t2)), different than the original values, that still passes all passing tests
- So, e = (t3 && t2) is identified as a suspicious expression

#### Ideal check

Given a suspicious expression e and a test I, does Test(P[e'/e], I) hold for an alternate expression e'?

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Given a suspicious expression e and a test I, does Test(P[e'/e], I) hold for an alternate expression e'?

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#### Approximate check

Given a suspicious expression e and a test I, does Test(P[w'/e], I), hold for an alternate *value* w',  $w \neq w'$ , where w is the value for the expression e when P is run on I?

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#### Approximate check

Given a suspicious expression e and a test I, does Test(P[w'/e], I), hold for an alternate value w',  $w \neq w'$ , where w is the value for the expression e when P is run on I?

Do we lose anything?

```
int main ( ) {
  read(x, y, z);
  t1 = (x >= y);
  t2 = (y >= z);
  t3 = (z >= x);

if (t1 && !t3) max = x;
  if (t2 && !t1) max = y;
  if (t3 && t2) max = z; // bug

output(max);
}
```

```
int main ( ) {
  read(x, y, z);
  t1 = (x >= y);
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if (t1 && !t3) max = x;
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  if (t3 && t2) max = z; // bug

output(max);
}
```

 A non-zero value of expression (t3 && t2) breaks other passing tests, violating FlexText!

```
int main ( ) {
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- A non-zero value of expression (t3 && t2) breaks other passing tests, violating FlexText!
- So, we may lose on some suspicious expressions.

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  if (t3 && t2) max = z; // bug

  output(max);
}
```

- A non-zero value of expression (t3 && t2) breaks other passing tests, violating FlexText!
- So, we may lose on some suspicious expressions.
- But in this case, there is another repair expression, t2 at the last condition<sup>a</sup>, that passes FlexTest

<sup>&</sup>lt;sup>a</sup>recall that all expressions at distinct lines are different

# How to realize angelic non-determinism using Symbolic Execution: AngelicTest and FlexTest

```
int main ( ) {
  read(x, y, z);
  t1 = (x >= y);
  t2 = (y >= z);
  t3 = (z >= x)

if (a = symbolic()) //(t3 && t2)
  max = z;
  assume(a != (t3 && t2))
  if (t1 && !t3) max = x;
  if (t2 && !t1) max = y;

  output(max);
  assume(max == expected_max);
}
```

# How to realize angelic non-determinism using Symbolic Execution: AngelicTest and FlexTest

- AngelicTest: Run program on concrete inputs, fresh symbolic variable for candidate expression, output assumed to be expected output.
- FlexTest: Run program on concrete inputs, fresh symbolic variable for candidates, assume that the symbolic variable takes a different value than actual expression, output assumed to be expected output.

#### Discussion

- Only works on 1-fixable programs
- Evaluated on JTOPAS, an open-source Java library for parsing arbitrary text, with 10 seeded faults; could identify 4 of them.

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int main ( ) {
  read(x, y, z);
  t1 = (x >= y);
  t2 = (y >= z);
  t3 = (z >= x);

//(t3 && t2)
  if f(x, y, z, t1, t2, t2)
      max = z;
  if (t1 && !t3) max = x;
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  output(max);
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- Synthesize the correct expression according to the semantics.

#### **SemFix**

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  read(x, y, z);
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if (a = symbolic()) max = z; //
  bug
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(t3 && !t2) synthesized!

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  - The angelic forest is independent of the size of the program, and only depends on the domain of candidate repair expressions.
- The synthesis procedure can be seen as synthesizing higher-order functions (symbolic execution and the angelic forest, however, allow you to skip this complexity and allows synthesis with values only)

### **Concluding Remarks**

- In terms of industrial adoption, symbolic execution is perhaps one of the most successful outcomes from PL and SE research.
- Engines like SAGE and KLEE are quite mature, and are being used routinely in industry and academia.

Acknowledgements: Some of the slides are from the ISSTA 2019 talk of my student, Awanish Pandey.