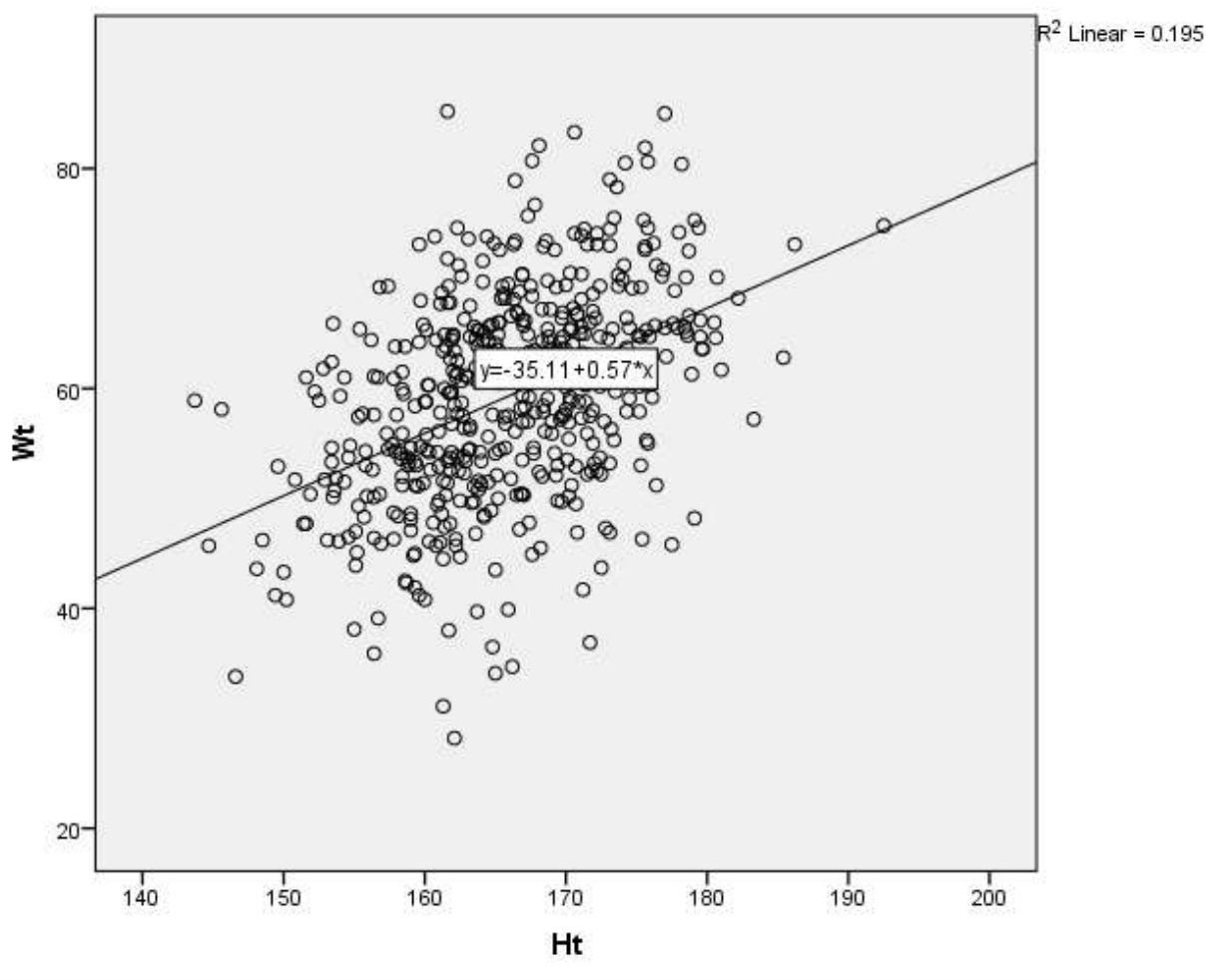


1. Scatterplot of htwt\_Chicago for 500 females



According to the scatterplot, 19.5% of the variance in weight can by explained by height.

Correlation of the two variables

```
CORRELATIONS
/VARIABLES=ht wt
/PRINT=TWOTAIL NOSIG
/MISSING=PAIRWISE.
```

GGraph
Correlations

Correlations			
		ht	wt
ht	Pearson Correlation	1	.441**
	Sig. (2-tailed)		.000
	N	500	500
wt	Pearson Correlation	.441**	1

Sig. (2-tailed)	.000	
N	500	500

\*\*. Correlation is significant at the 0.01 level (2-tailed).

Yes, it makes sense to go for a regression line for the data. This is because as per the scatterplot, there looks like a linear dependency among the two variables of height and weight. Also, as per the correlation table, the correlation between the two variables is significant (equivalent to .000). To further accurately estimate the relationship between height and weight, we use regression.

### 2. Regression Model

```
REGRESSION
/MISSING LISTWISE
/STATISTICS COEFF OUTS R ANOVA
/CRITERIA=PIN(.05) POUT(.10)
/NOORIGIN
/DEPENDENT wt
/METHOD=ENTER ht.
```

### Regression

Variables Entered/Removed<sup>a</sup>

Model	Variables Entered	Variables Removed	Method
1	ht <sup>b</sup>	.	Enter

- a. Dependent Variable: wt
- b. All requested variables entered.

Model Summary

Model	R	R Square	Adjusted R Square	Std. Error of the Estimate
1	.441 <sup>a</sup>	.195	.193	8.5411

- a. Predictors: (Constant), ht

ANOVA<sup>a</sup>

Model		Sum of Squares	df	Mean Square	F	Sig.
1	Regression	8778.792	1	8778.792	120.340	.000 <sup>b</sup>
	Residual	36328.974	498	72.950		

Total	45107.767	499			
-------	-----------	-----	--	--	--

- a. Dependent Variable: wt
- b. Predictors: (Constant), ht

Coefficients <sup>a</sup>					
Model	Unstandardized Coefficients		Standardized Coefficients	t	Sig.
	B	Std. Error	Beta		
1 (Constant)	-35.106	8.614		-4.075	.000
ht	.569	.052	.441	10.970	.000

- a. Dependent Variable: wt

DESCRIPTIVES VARIABLES=ht wt  
/STATISTICS=MEAN STDDEV VARIANCE MIN MAX.

Sensitivity of Height on Weight

So,  $y = a + bx + e$   
 $y = -35.106 + 0.569x + e$

Estimate of Slope: The slope of 0.569 means that for each increase of 1 unit X (Education), we predict the average of Y (Income) to increase by an estimate of 0.569

Estimate of Intercept: Theoretically, If independent variable (height)= 0, then the dependent variable (weight) is equal to -35.106

3. Descriptives

Descriptive Statistics						
	N	Minimum	Maximum	Mean	Std. Deviation	Variance
ht	500	143.7	192.5	165.908	7.3714	54.337
wt	500	28.2	85.2	59.297	9.5077	90.396
Valid N (listwise)	500					

Estimate of sigma square or variance =  $\frac{SSE}{n - 2} = \frac{36328.974}{498} = 72.94$

The **t**-value measures the size of the difference relative to the variation in the sample data  
The p value for the t-distribution is 0.000 which is statistically significant. This means that the variation of weight (Dependent variable) can be explained by the variation of height (Independent variable)

4. Regression

```
REGRESSION
/MISSING LISTWISE
/STATISTICS COEFF OUTS R ANOVA
/CRITERIA=PIN(.05) POUT(.10)
/NOORIGIN
/DEPENDENT wt
/METHOD=ENTER ht
/SCATTERPLOT=(*ZRESID ,*ZPRED).
```

Variables Entered/Removed<sup>a</sup>

Model	Variables Entered	Variables Removed	Method
1	ht <sup>b</sup>	.	Enter

- a. Dependent Variable: wt
- b. All requested variables entered.

Model Summary<sup>b</sup>

Model	R	R Square	Adjusted R Square	Std. Error of the Estimate
1	.441 <sup>a</sup>	.195	.193	8.5411

- a. Predictors: (Constant), ht
- b. Dependent Variable: wt

ANOVA<sup>a</sup>

Model		Sum of Squares	df	Mean Square	F	Sig.
1	Regression	8778.792	1	8778.792	120.340	.000 <sup>b</sup>
	Residual	36328.974	498	72.950		
	Total	45107.767	499			

- a. Dependent Variable: wt
- b. Predictors: (Constant), ht

Coefficients<sup>a</sup>

Model	Unstandardized Coefficients		Standardized Coefficients	t	Sig.
	B	Std. Error	Beta		
1 (Constant)	-35.106	8.614		-4.075	.000
ht	.569	.052	.441	10.970	.000

- a. Dependent Variable: wt

F ratio is 120.340. This value is high. This implies that the variation among group means is more than you would expect to see by chance.

p-value for the F test = .000 (<5%) which is statistically significant.

Numerical Relationship between F and t-value:  $F = t^2$  (t squared). Yes, the two test have the same p value of 0.000. This is because the relationship between the two variables is highly statistically significant. Hence, the p value is so low for both the test nearly approximating to zero.

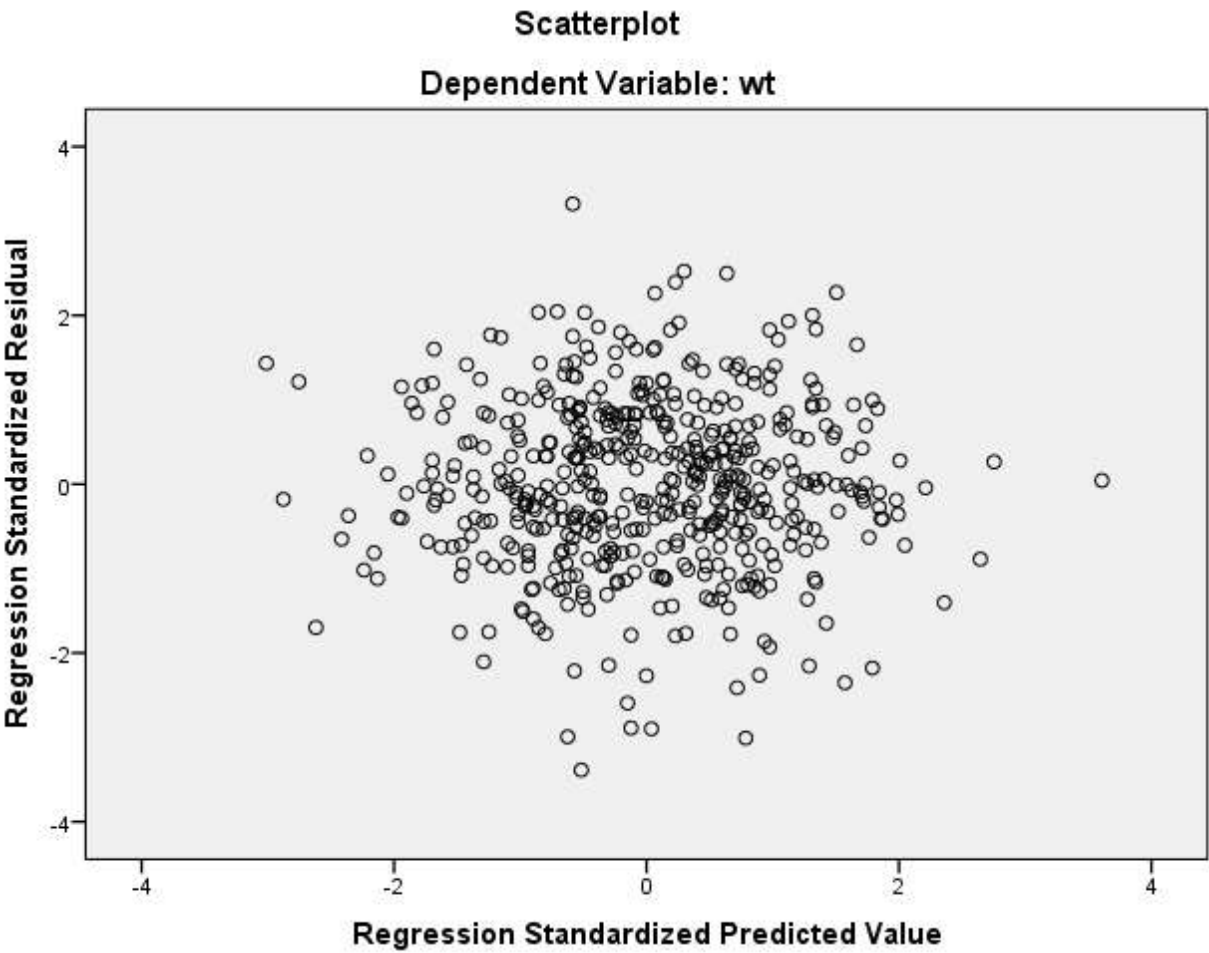
5. Residual Plot

Residuals Statistics<sup>a</sup>

	Minimum	Maximum	Mean	Std. Deviation	N
Predicted Value	46.661	74.428	59.297	4.1944	500
Residual	-28.9305	28.3540	.0000	8.5325	500
Std. Predicted Value	-3.013	3.607	.000	1.000	500
Std. Residual	-3.387	3.320	.000	.999	500

- a. Dependent Variable: wt

Charts



Conclusion: When points are randomly dispersed across the horizontal axis, then a linear regression model is appropriate.

**QQ Plots**

```
PLOT
/VARIABLES=ht wt
/NOLOG
/NOSTANDARDIZE
/TYPE=Q-Q
/FRACTION=BLOM
/TIES=MEAN
/DIST=NORMAL.
```

**PPlot**

Model Description		
Model Name		MOD_1
Series or Sequence	1	ht
	2	wt
Transformation		None
Non-Seasonal Differencing		0

Seasonal Differencing		0
Length of Seasonal Period	No periodicity	
Standardization	Not applied	
	Type	Normal
Distribution	Location	estimated
	Scale	estimated
Fractional Rank Estimation Method	Blom's	
Rank Assigned to Ties	Mean rank of tied values	

Applying the model specifications from MOD\_1

Case Processing Summary

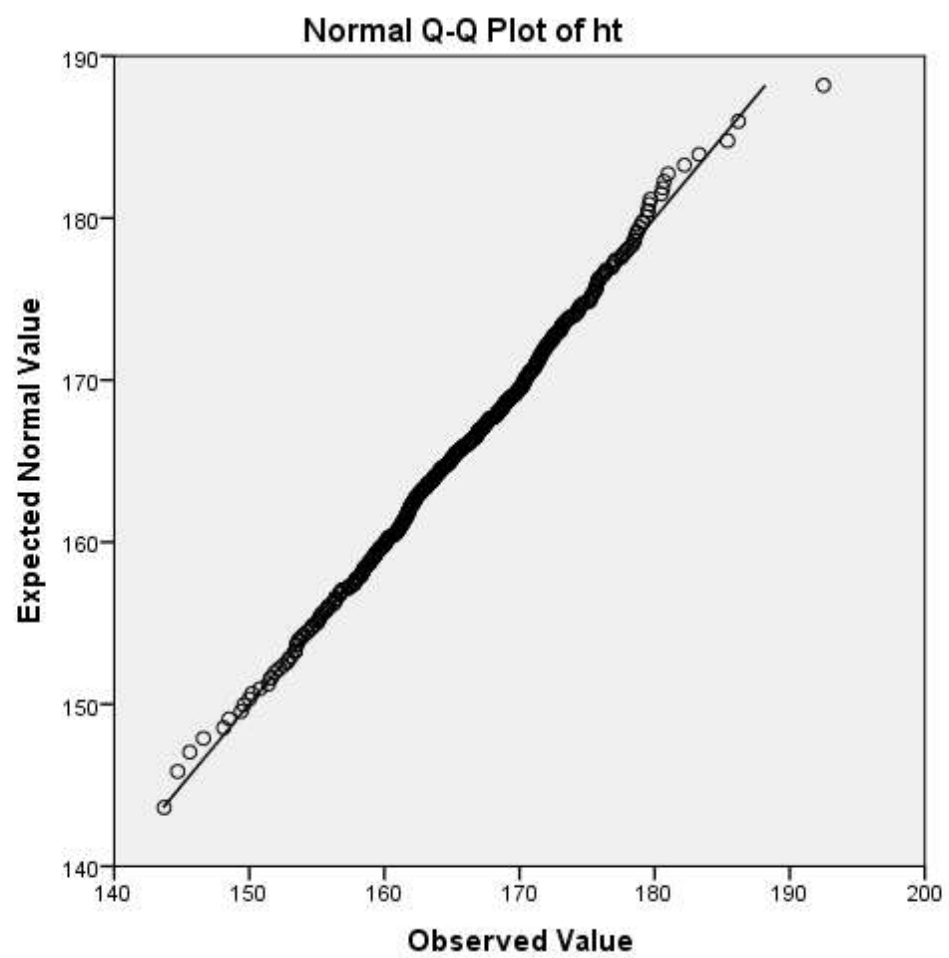
		ht	wt
Series or Sequence Length		500	500
Number of Missing	User-Missing	0	0
Values in the Plot	System-Missing	0	0

The cases are unweighted.

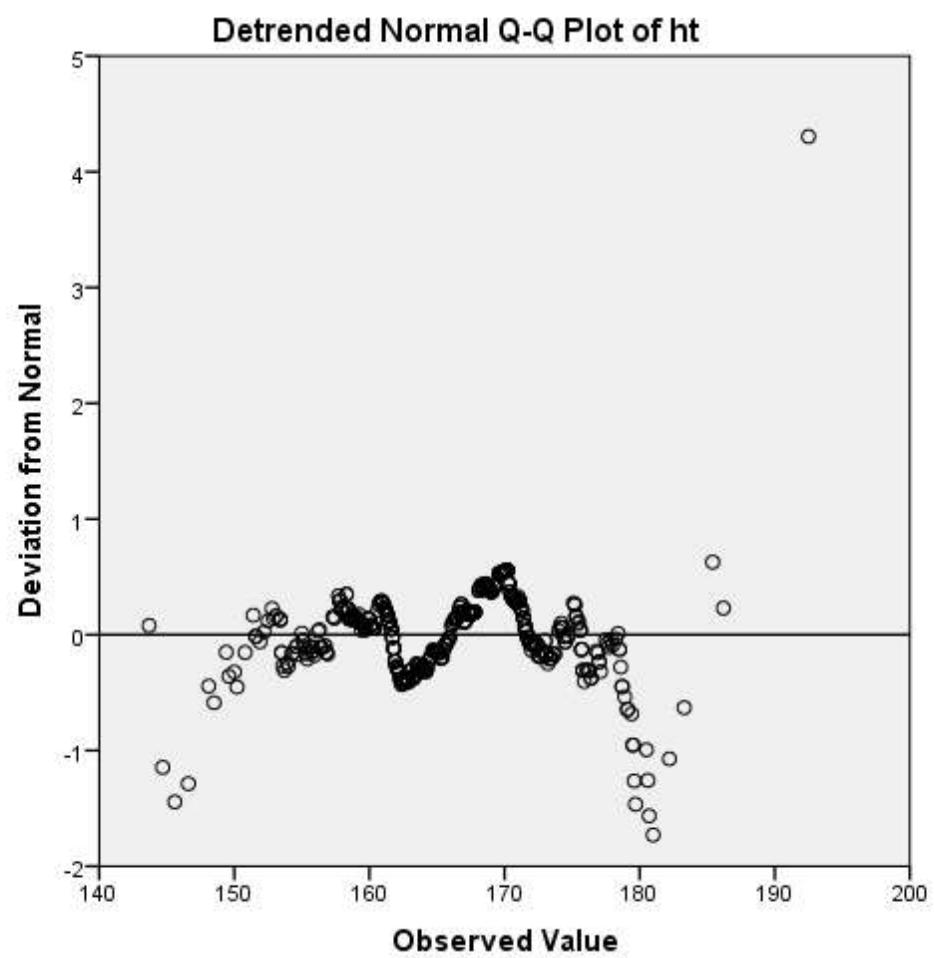
Estimated Distribution Parameters

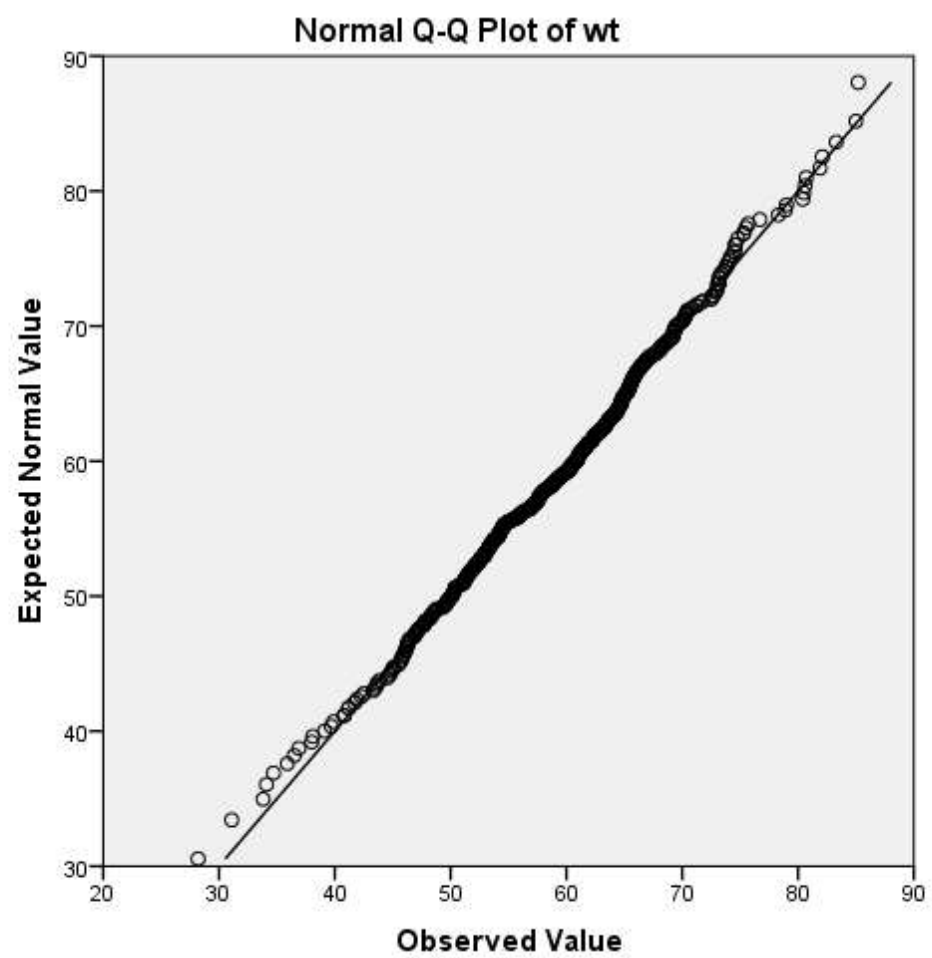
		ht	wt
Normal Distribution	Location	165.908	59.297
	Scale	7.3714	9.5077

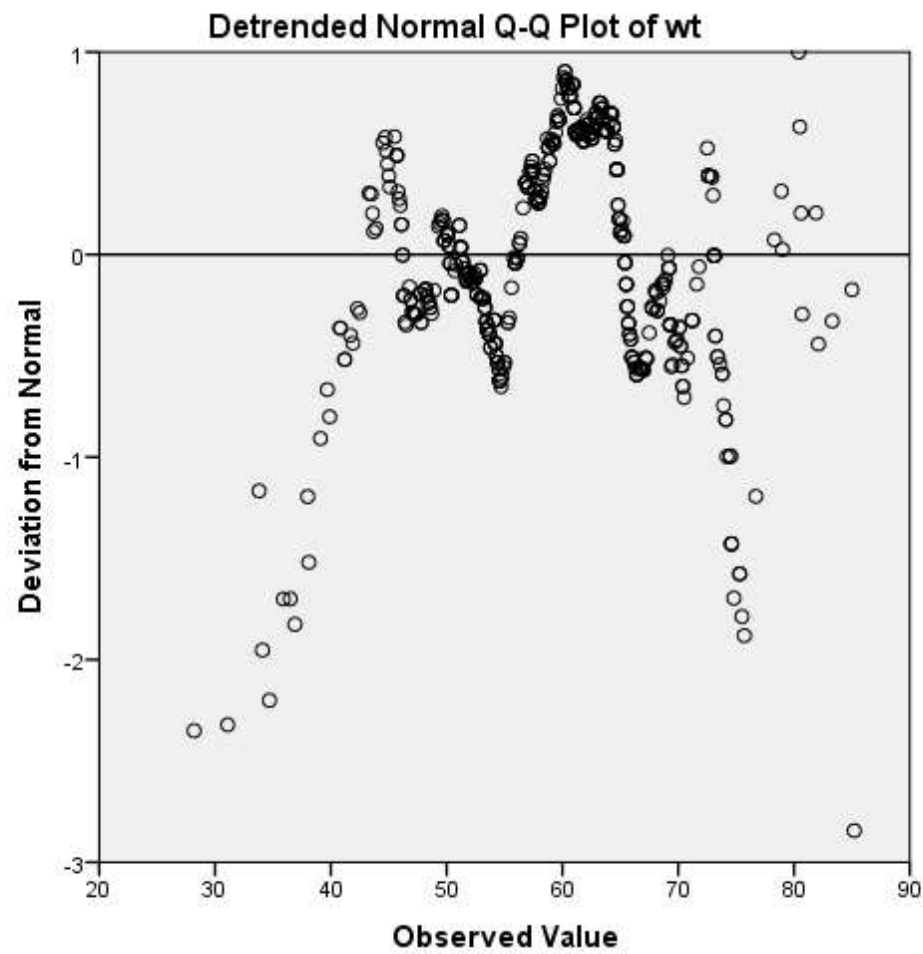
The cases are unweighted.











Conclusion: Normal QQ Plot with light tailed distribution. Linearity of points suggest that data is normally distributed.

6. Beta (B) = 0.569

Beta\* (B\*) = 0.43

$$T(n-2) = \frac{B - B^*}{S.D(B^*)}$$

$$= \frac{0.569 - 0.43}{8.54 * 0.509}$$

P value for t-distribution 1 tail at 0.05 % = 0.0001 (highly significant).

This implies that the sensitivities are statistically different.

7. Regression Output for the htwt\_NY.txt dataset

Model Summary				
Model	R	R Square	Adjusted R Square	Std. Error of the Estimate
1	.409 <sup>a</sup>	.167	.166	8.543

a. Predictors: (Constant), ht

ANOVA <sup>a</sup>						
Model		Sum of Squares	df	Mean Square	F	Sig.
1	Regression	7299.106	1	7299.106	100.014	.000 <sup>b</sup>
	Residual	36344.614	498	72.981		
	Total	43643.720	499			

a. Dependent Variable: wt

b. Predictors: (Constant), ht

Coefficients <sup>a</sup>					
Model	Unstandardized Coefficients		Standardized Coefficients	t	Sig.
	B	Std. Error	Beta		
1 (Constant)	-24.125	8.409		-2.869	.004
ht	.519	.052	.409	10.001	.000

a. Dependent Variable: wt

B = 0.569

B\* = 0.43

T (n-2) = 
$$\frac{B - B^*}{\frac{S.D(B)}{\sqrt{n-2}}}$$
$$\frac{0.569 - 0.43}{8.54(0.569)}$$