

3.1.2) output signal for $\omega_c = .29 (2\pi)$ is

A) $y[n] = 1.58 (.46\pi n + .78\pi)$

This signal is attenuated by .1392 factor and is shifted around 1.5 ticks of the clock.

B) Because the phase slope is $\phi - 4\pi$

\Rightarrow actual phase $\phi / .46\pi = 7 \Rightarrow \boxed{N_0 = 7}$

C) Amplitude is .217

3.2 a) $S_p = ||H(e^{j\omega})| - 1| \Rightarrow \omega_p = .2207\pi$

b) $\omega_s = .2793\pi$

c) $\omega_p = .14844\pi$

d) $\omega_s = .35156\pi$

e) for Rectangular filters yes

for Hann filters yes

3.3

a) Rect $.0586\pi = \Delta\omega$
Hann $.2227\pi = \Delta\omega$

B) This is true. Refers to Part A as the Rect. filter has more ripples

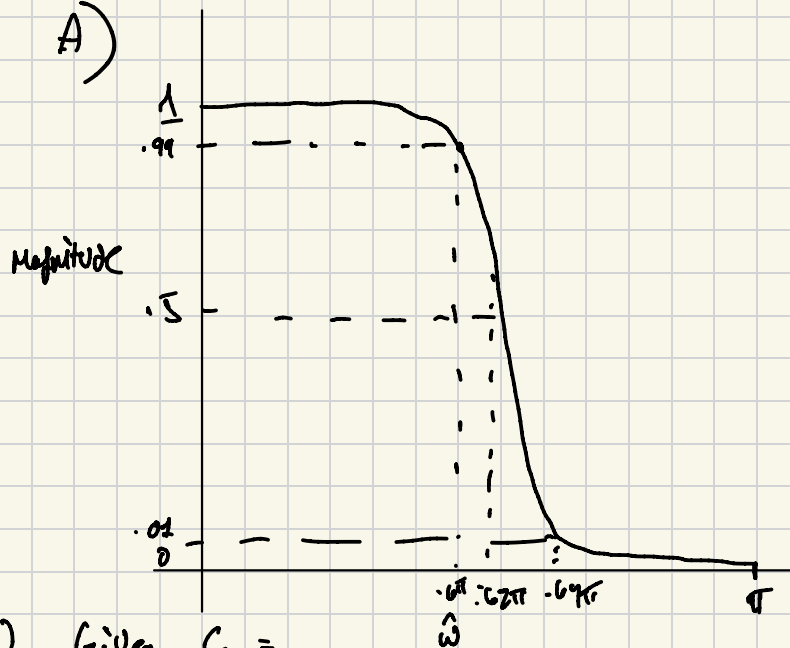
C) $\omega_p = .44922\pi$ $\Delta\omega = .0996\pi$
 $\omega_s = .54883\pi$

D) When the order doubles $\Rightarrow \Delta\omega \propto \sim 2x$

$\Delta\omega_1(30) \approx \Delta\omega_2(60)$

$C = 5.9766$

3.4 A)



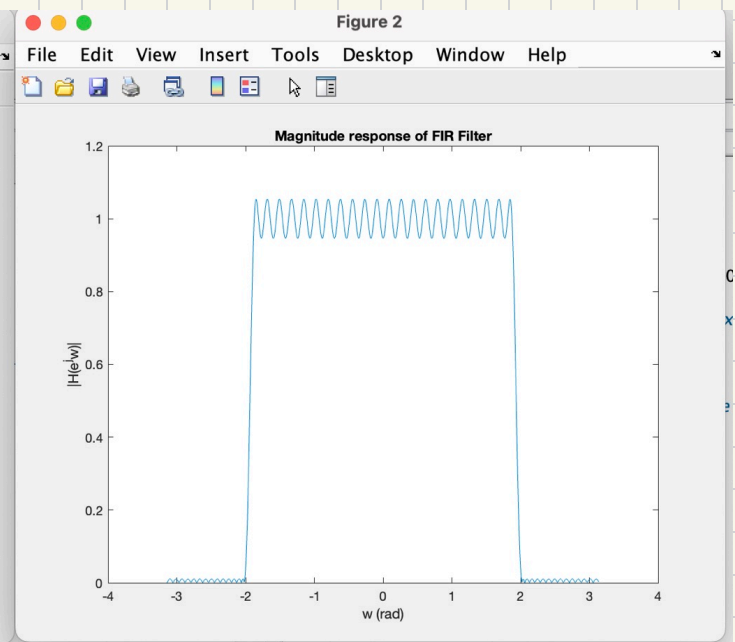
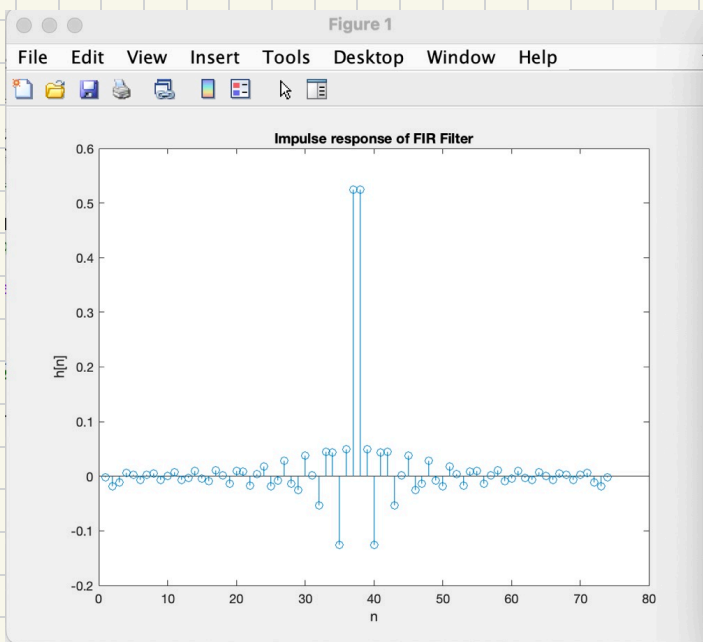
B) Given $C = 5.9766$
 $\Delta\omega = .04 = \frac{C}{L}$

$\frac{5.9766}{.04} = 149.4150$

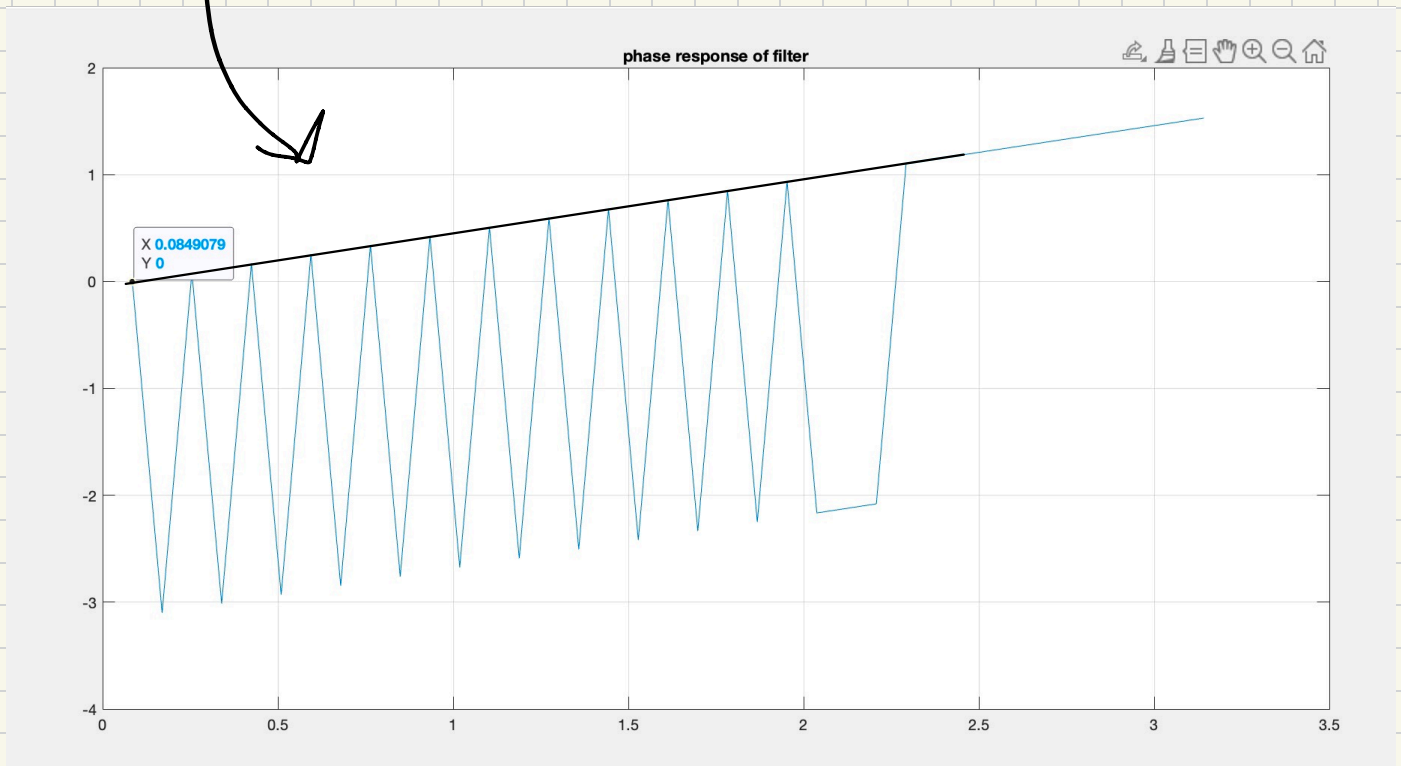
C) $\omega_{co} = .62\pi$

3.5) A) $2\pi \frac{f_c}{f_s}$

Let $f_s = 10000 \text{ Hz}$
 $f_D = 3000 \text{ Hz}$
 $f_s = 3200 \text{ Hz}$



e) slope = .4865



f)

