# Challenges in forecasting peak electricity demand

Part 1

**Rob J Hyndman** 

Challenges in forecasting peak electricity demand

#### **Outline**

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- 2 The model
- **3** Forecasts
- 4 Challenges and extensions
- **5** References

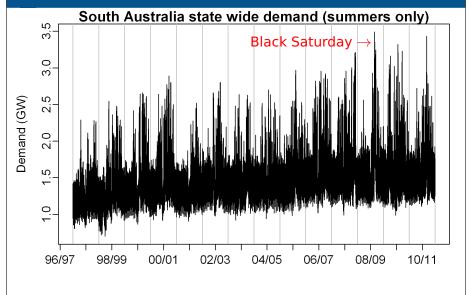
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# The problem

- We want to forecast the peak electricity demand in a half-hour period in twenty years time.
- We have fifteen years of half-hourly electricity data, temperature data and some economic and demographic data.
- The location is South Australia: home to the most volatile electricity demand in the world.

**Sounds impossible?** 



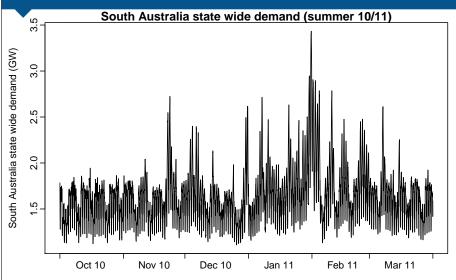


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The problem

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### South Australian demand data

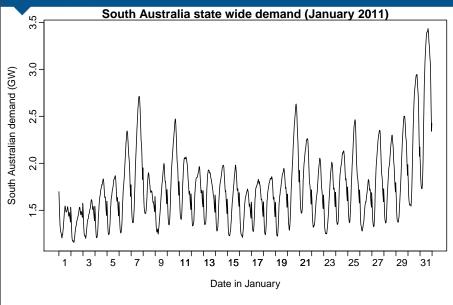


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The problem

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### South Australian demand data



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The problem

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### **Predictors**

- calendar effects
- prevailing and recent weather conditions
- climate changes
- economic and demographic changes
- changing technology

#### **Modelling framework**

- Semi-parametric additive models with correlated errors.
- Each half-hour period modelled separately for each season.
- Variables selected to provide best out-of-sample predictions using cross-validation on each summer.

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The model

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#### **Monash Electricity Forecasting Model**

$$y_t = \bar{y}_i \times y_t^*$$

- $y_t$  denotes per capita demand (minus offset) at time t (measured in half-hourly intervals);
- $\bar{y}_i$  is the average demand for year i where t is in year i.
- $y_t^*$  is the standardized demand for time t.

 $\log(y_t) = \log(\bar{y}_i) + \log(y_t^*)$ 

 $\log(\bar{y}_i) = f(\mathsf{GSP}, \mathsf{price}, \mathsf{HDD}, \mathsf{CDD}) + \varepsilon_i$ 

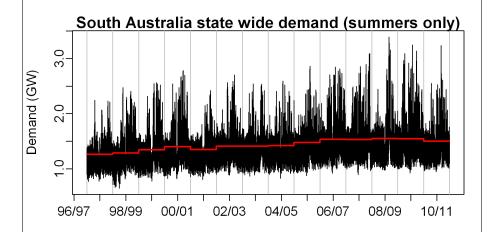
 $log(y_t^*) = f(calendar effects, temperatures) + e_t$ 

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The model

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#### **Monash Electricity Forecasting Model**



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The mode

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### **Annual model**

 $\log(y_t) = \log(\bar{y}_i) + \log(y_t^*)$ 

 $\log(\bar{y}_i) = f(\mathsf{GSP}, \mathsf{price}, \mathsf{HDD}, \mathsf{CDD}) + \varepsilon_i$ 

 $log(y_t^*) = f(calendar effects, temperatures) + e_t$ 

$$\log(\bar{y}_i) = \log(\bar{y}_{i-1}) + \sum_{j} c_j(z_{j,i} - z_{j,i-1}) + \varepsilon_i$$

- First differences modelled to avoid non-stationary variables.
- Predictors: Per-capita GSP, Price, Summer CDD, Winter HDD.

$$z_{ extsf{CDD}} = \sum_{ extsf{summer}} extsf{max}(0, ar{T} - 18.5)$$
  $ar{T} = ext{daily mean}$ 

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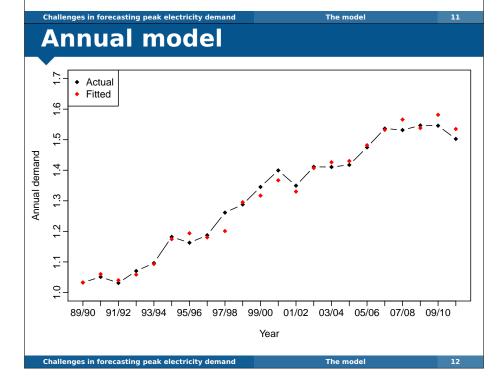
The model

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### **Annual model**

Variable	Coefficient	Std. Error	t value	P value
$\Delta$ gsp.pc	2.02	5.05	0.38	0.711
Δprice	-1.67	0.68	-2.46	0.026
$\Delta$ scdd	1.11	0.25	4.49	0.000
$\Delta$ whdd	2.07	0.33	0.63	0.537

- GSP needed to stay in the model to allow scenario forecasting.
- All other variables led to improved  $AIC_C$ .



### **Monash Electricity Forecasting Model**

 $\log(y_t) = \log(\bar{y}_i) + \log(y_t^*)$ 

 $\log(\bar{y}_i) = f(\mathsf{GSP}, \mathsf{price}, \mathsf{HDD}, \mathsf{CDD}) + \varepsilon_i$ 

 $log(y_t^*) = f(calendar effects, temperatures) + e_t$ 

#### **Calendar effects**

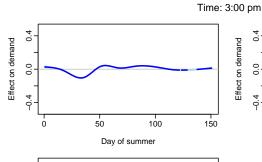
- "Time of summer" effect (a regression spline)
- Day of week factor (7 levels)
- Public holiday factor (4 levels)
- New Year's Eve factor (2 levels)

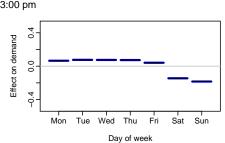
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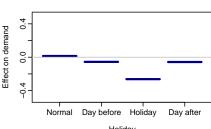
The model

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## Fitted results (Summer 3pm)







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The model

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#### **Monash Electricity Forecasting Model**

 $\log(y_t) = \log(\bar{y}_i) + \log(y_t^*)$ 

 $\log(\bar{y}_i) = f(\mathsf{GSP}, \mathsf{price}, \mathsf{HDD}, \mathsf{CDD}) + \varepsilon_i$ 

 $\log(y_t^*) = f(\text{calendar effects}, \text{temperatures}) + e_t$ 

### **Temperature effects**

- Ave temp across two sites, plus lags for previous 3 hours and previous 3 days.
- Temp difference between two sites, plus lags for previous 3 hours and previous 3 days.
- Max ave temp in past 24 hours.
- Min ave temp in past 24 hours.
- Ave temp in past seven days.

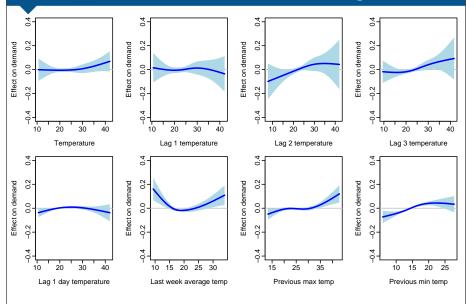
Each function is smooth & estimated using regression splines

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The mode

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# Fitted results (Summer 3pm)



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The model

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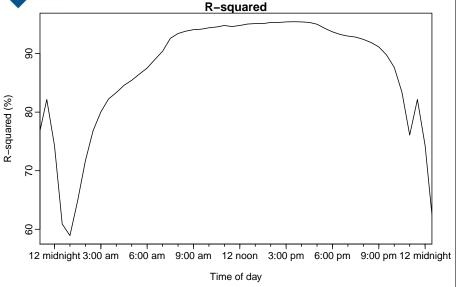
### **Half-hourly models**

 $\log(y_t^*) = f(\text{calendar effects}, \text{temperatures}) + e_t$ 

- Separate model for each half-hour.
- Same predictors used for all models.
- Predictors chosen by cross-validation on summer of 2007/2008 and 2009/2010.
- Each model is fitted to the data twice, first excluding the summer of 2009/2010 and then excluding the summer of 2010/2011. The average out-of-sample MSE is calculated from the omitted data for the time periods 12noon–8.30pm.
- Gradient boosting used to reduce variance.

Half-hourly models  $x_{48} \ x_{96} \ x_{144} \ x_{192} \ x_{240} \ x_{288} \ d \ d_1 \ d_2 \ d_3 \ d_4 \ d_5 \ d_6 \ d_{48} \ d_{96} \ d_{144} \ d_{192} \ d_{240} \ d_{288} \ x_{144} \ d_{192} \ d_{192}$ 1.034 1.027 1.025 1.025 1.035 1.057 1.076 1.018 1.021 1.037 1.152 1.027 1.056 1.063 1.028 3.523 Challenges in forecasting peak electricity demand



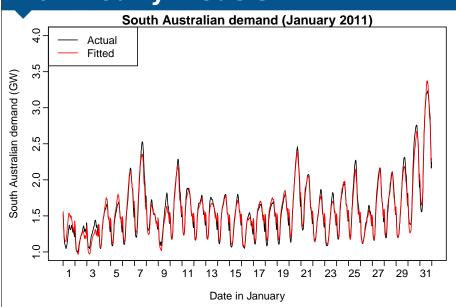


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The model

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# Half-hourly models



# Peak demand forecasting

 $\log(y_t) = \log(\bar{y}_i) + \log(y_t^*)$ 

 $\log(\bar{y}_i) = f(\mathsf{GSP}, \mathsf{price}, \mathsf{HDD}, \mathsf{CDD}) + \varepsilon_i$ 

 $log(y_t^*) = f(calendar effects, temperatures) + e_t$ 

#### Multiple alternative futures created:

- Calendar effects known;
- Future temperatures simulated (taking account of climate change);
- Assumed values for GSP, population and price;
- Residuals simulated

# **Peak demand backcasting**

 $\log(y_t) = \log(\bar{y}_i) + \log(y_t^*)$ 

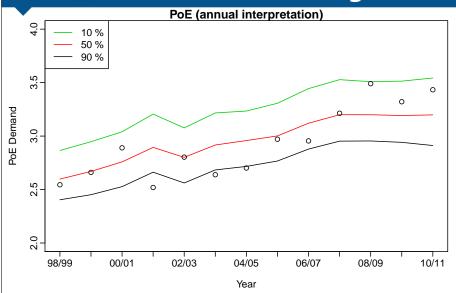
 $\log(\bar{y}_i) = f(\mathsf{GSP}, \mathsf{price}, \mathsf{HDD}, \mathsf{CDD}) + \varepsilon_i$ 

 $log(y_t^*) = f(calendar effects, temperatures) + e_t$ 

#### Multiple alternative pasts created:

- Calendar effects known;
- Past temperatures simulated;
- Actual values for GSP, population and price;
- Residuals simulated



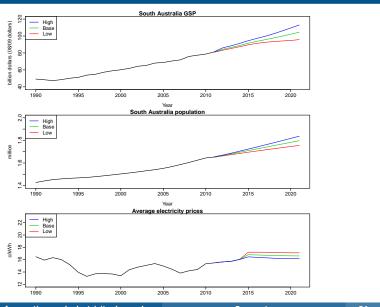


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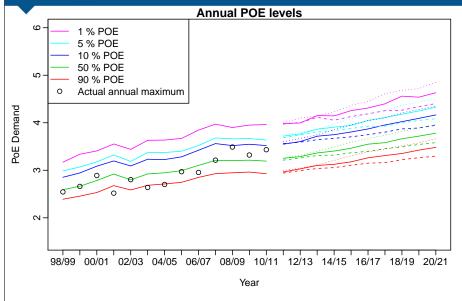
Forecasts

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# Peak demand forecasting



# **Peak demand distribution**



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Forecasts

### **Challenges**

#### **Weakest assumptions**

- Temperature effects independent of day of week.
- Historical demand response to temperature will continue into the future.
- Climate change will have only a small additive increase in temperature levels.

#### **Further improvements**

- We have a separate model for PV generation based on solar radiation and temperatures.
- Our annual model is now quarterly.
- Our quarterly model is adjusted for autocorrelation

**Implementation** ımo INDEPENDENT MARKET OPERATOR Our model is used for long-term forecasting in:

- Victoria's Vision 2030 energy plan;
- all regions of the National Energy Market;
- South Western Interconnected System (WA);
- some local distributors.

It is also used for short-term forecasting comparisons in:

all regions of the National Energy Market. Challenges in forecasting peak electricity demand



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## References

#### **Main papers**

- ➡ Hyndman, R.J. and Fan, S. (2010) "Density forecasting for long-term peak electricity demand", IEEE Transactions on Power Systems, 25(2), 1142–1153.
- ► Fan, S. and Hyndman, R.J. (2012) "Short-term load forecasting based on a semi-parametric additive model".

  IEEE Transactions on Power Systems, 27(1), 134–141.
- Ben Taieb, S. and Hyndman, R.J. (2014) "A gradient boosting approach to the Kaggle load forecasting competition", *International Journal of Forecasting*, **30**(2), 382–394.

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References

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