## Mining Massive Datasets

Lecture 8

Artur Andrzejak

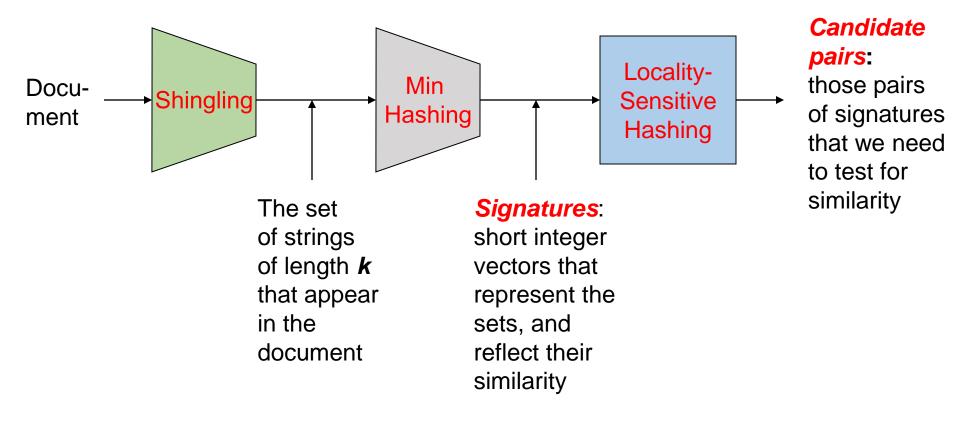
http://pvs.ifi.uni-heidelberg.de



#### **Note on Slides**

A substantial part of these slides come (either verbatim or in a modified form) from the book Mining of Massive Datasets by Jure Leskovec, Anand Rajaraman, Jeff Ullman (Stanford University). For more information, see the website accompanying the book: <a href="http://www.mmds.org">http://www.mmds.org</a>.

#### Recall



## MinHashing

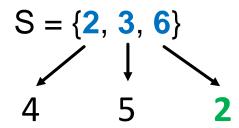
Finishing ...

### MinHash: Repetition

Def.: Let h be a hash function that maps the members of S to <u>distinct</u> integers, then for any set S define MinHash<sub>h</sub>(S) = h<sub>min</sub>(S) to be the <u>minimum value of h(x)</u>

#### Example:

- Assume S = {2, 3, 6} and
- h(2) = 4, h(3) = 5, h(6) = 2
- $h_{min}(S) = 2$



## Min-Hashing: Other Interpretation

- We represent each set as a Boolean vector C (here: S = {2, 3, 6})
- Assume that a hash function h is given by a (random) permutation
   π of the rows of the Boolean vector
  - h fulfills: "... maps the members of S to distinct integers"
- Then MinHash<sub>h</sub>(S) is the index of the first row of the permuted column C with value 1
- $\blacksquare$  => Again,  $\mathbf{h}_{\pi, \min}(S) = 2$

Row perm.

$$\pi(1)=3$$

0

4

5

$$\pi(2)=4$$

$$\pi(3)=5$$

$$\pi(4)=6$$

$$\pi(5)=1$$

$$\pi(6)=2$$

1

<u>2</u>

2

<u>4</u>

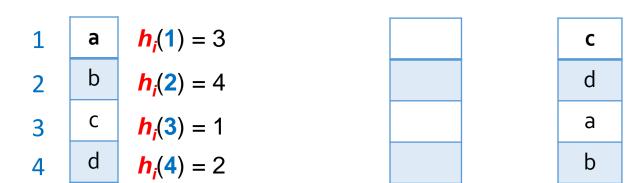
<u>5</u>

6

-

#### Implementation /1

- Permuting rows even once is very expensive
- Approximate permutation by a <u>hash function</u> h<sub>i</sub>
  - $h_i(x) = [((a \cdot x + b) \mod p) \mod N] + 1$
  - a, b: random integers;
     p: a prime (p > N); N: #rows in the matrix
  - h<sub>i</sub> is possibly not injective, but errors are rare => OK
- Pick about K = 100 such hash functions  $h_i$



### Implementation /2

Pick about K = 100 such hash functions  $h_i$ 

```
Intuition: for fixed C and h_i, find the smallest value h_i(r) over all rows r with C(r) = 1
```

#### **One-pass implementation:**

- For each column C and hash-function h<sub>i</sub> prepare a "slot" (variable) sig(C)[i] for the min-hash value
- Initialize all  $sig(C)[i] = \infty$
- Scan rows looking for 1s
  - If row q has 1 in column C, then for each  $h_i$  (i=1..100):
    - If  $h_i(q) < sig(C)[i]$ , then  $sig(C)[i] \leftarrow h_i(q)$

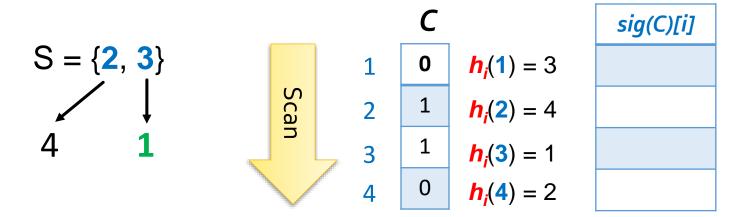
### Implementation /3

For fixed C and h<sub>i</sub>:

Find the smallest value  $h_i(r)$  over all rows r with C(r) = 1Scan rows looking for 1s

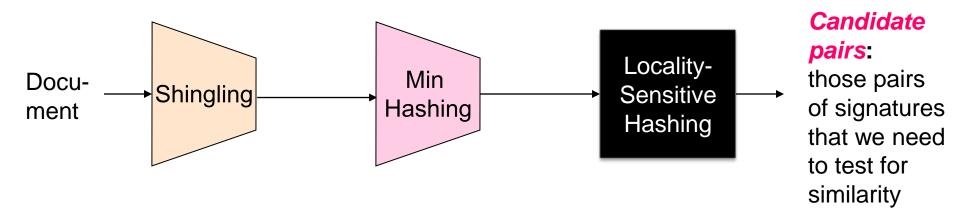
- If row q has 1 in column C, then for each  $h_i$ :
  - If  $h_i(q) < sig(C)[i]$ , then  $sig(C)[i] \leftarrow h_i(q)$

Example: fixed  $\boldsymbol{C}$  and  $\boldsymbol{h}_i$ 



sig(C)[i]
$\infty$
4
1
1

## Locality Sensitive Hashing



#### Step 3: Locality-Sensitive Hashing: Focus on pairs of signatures likely to be from similar documents

#### LSH: First Cut

2	1	4	1
1	2	1	2
2	1	2	1

- Goal: Find documents with Jaccard similarity at least s (for some similarity threshold, e.g., s=0.8)
- LSH General idea: Use a function f(x,y) that tells whether x and y is a candidate pair: a pair of elements whose similarity must be evaluated

#### For Min-Hash matrices:

- Hash columns of signature matrix M to many buckets
- Each pair of documents that hashes into the same bucket is a candidate pair

#### Candidates from Min-Hash

```
2 1 4 1
1 2 1 2
2 1 2 1
```

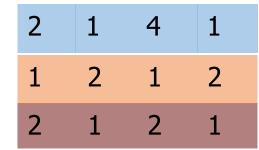
- Pick a similarity threshold s (0 < s < 1)</p>
- Columns x and y of M are a candidate pair if their signatures agree on at least fraction s of their rows:
  - M(i, x) = M(i, y) for at least frac. s values of i
  - We expect documents x and y to have the same (Jaccard) similarity as their signatures

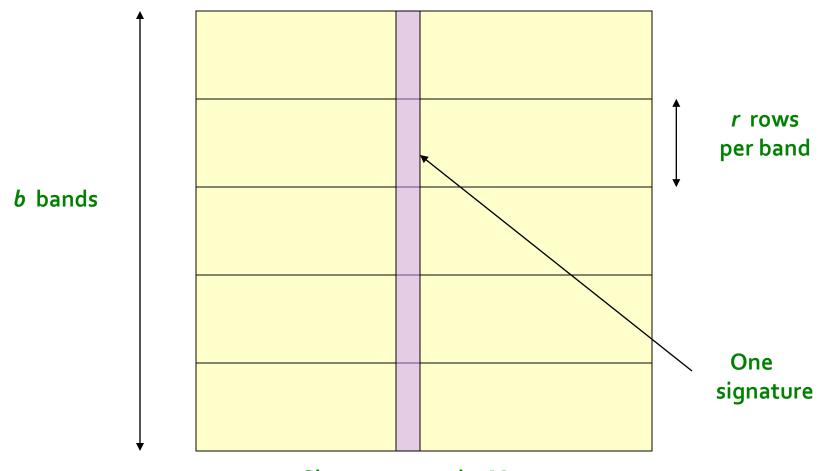
#### LSH for Min-Hash

2	1	4	1
1	2	1	2
2	1	2	1

- Big idea: Hash columns of signature matrix M several times
- Arrange that (only) similar columns are likely to hash to the same bucket, with high probability
- Candidate pairs are those that hash to the same bucket

#### Partition *M* into *b* Bands



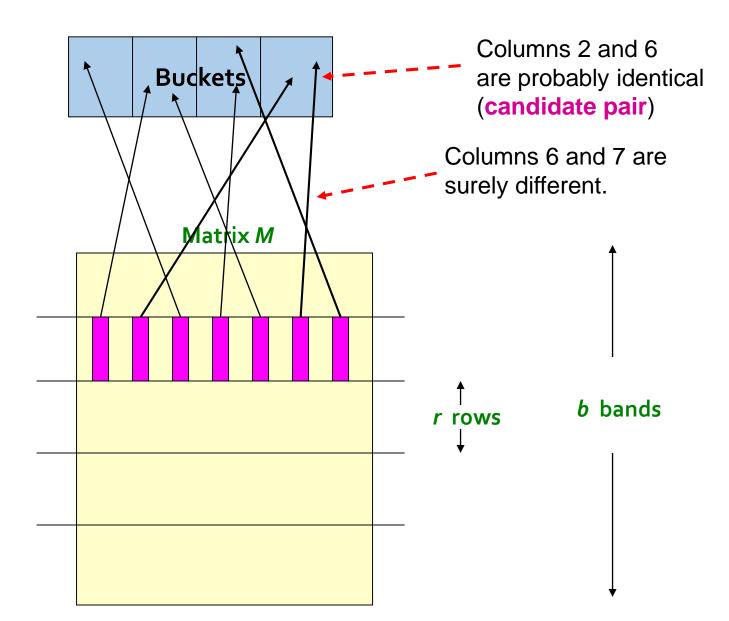


Signature matrix *M* 

#### Partition M into Bands

- Divide matrix M into b bands of r rows
- For each band, hash its portion of each column to a hash table with k buckets
  - Make k as large as possible
- Candidate column pairs are those that hash to the same bucket for ≥ 1 band
- Tune b and r to catch most similar pairs, but few non-similar pairs

## Hashing Bands



## Simplifying Assumption

- There are enough buckets that columns are unlikely to hash to the same bucket unless they are identical in a particular band
- Hereafter, we assume that "same bucket" means "identical in that band"
- Assumption needed only to simplify analysis, not for correctness of algorithm

## Example of Bands

2	1	4	1
1	2	1	2
2	1	2	1

#### **Assume the following case:**

- Suppose 100,000 columns of *M* (100k docs)
- Signatures of 100 integers (rows)
- Therefore, signatures take 40Mb
- Choose b = 20 bands of r = 5 integers/band
- **Goal:** Find pairs of documents that are at least s = 0.8 similar

## C<sub>1</sub>, C<sub>2</sub> are 80% Similar

2	1	4	1
1	2	1	2
2	1	2	1

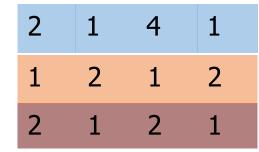
- Find pairs of  $\geq$  s=0.8 similarity, set **b**=20, **r**=5
- **Assume:**  $sim(C_1, C_2) = 0.8$ 
  - Since sim(C<sub>1</sub>, C<sub>2</sub>) ≥ s, we want C<sub>1</sub>, C<sub>2</sub> to be a candidate pair: We want them to hash to at least 1 common bucket (at least one band is identical)
- Probability  $C_1$ ,  $C_2$  identical in one particular band:  $(0.8)^5 = 0.328$
- Probability  $C_1$ ,  $C_2$  are **not** similar in all of the 20 bands:  $(1-0.328)^{20} = 0.00035$ 
  - i.e., about 1/3000th of the 80%-similar column pairs are false negatives (we miss them)
  - We would find 99.965% pairs of truly similar documents

## C<sub>1</sub>, C<sub>2</sub> are 30% Similar

2	1	4	1
1	2	1	2
2	1	2	1

- Find pairs of  $\geq$  s=0.8 similarity, set **b**=20, **r**=5
- **Assume:**  $sim(C_1, C_2) = 0.3$ 
  - Since sim(C<sub>1</sub>, C<sub>2</sub>) < s we want C<sub>1</sub>, C<sub>2</sub> to hash to NO common buckets (all bands should be different)
- Probability  $C_1$ ,  $C_2$  identical in one particular band:  $(0.3)^5 = 0.00243$
- Probability  $C_1$ ,  $C_2$  identical in at least 1 of 20 bands:  $1 (1 0.00243)^{20} = 0.0474$ 
  - In other words, approximately 4.74% pairs of docs with similarity 0.3% end up becoming candidate pairs
    - They are false positives since we will have to examine them (they are candidate pairs) but then it will turn out their similarity is below threshold s

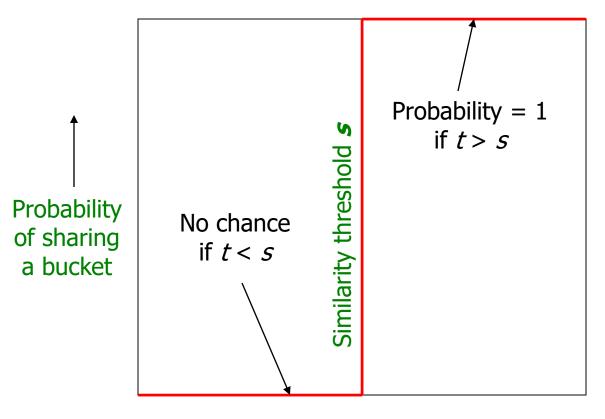
#### LSH Involves a Tradeoff



#### Pick:

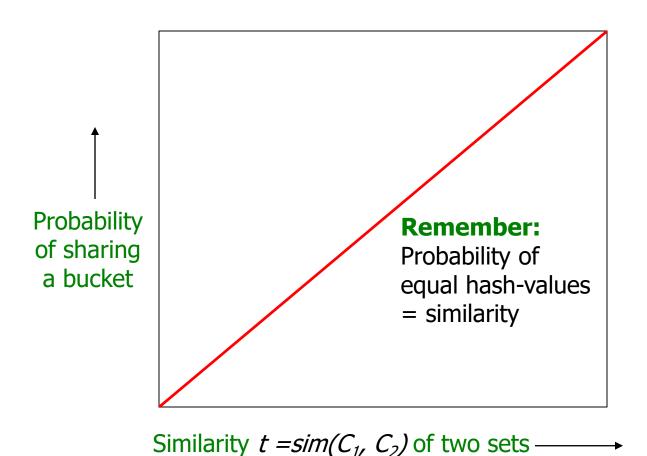
- The number of Min-Hashes (rows of M)
- The number of bands b, and
- The number of rows r per band to balance false positives/negatives
- Example: If we had only 15 bands of 5 rows, the number of false positives would go down, but the number of false negatives would go up

## Analysis of LSH – What We Want



Similarity  $t = sim(C_1, C_2)$  of two sets ———

#### What 1 Band of 1 Row Gives You

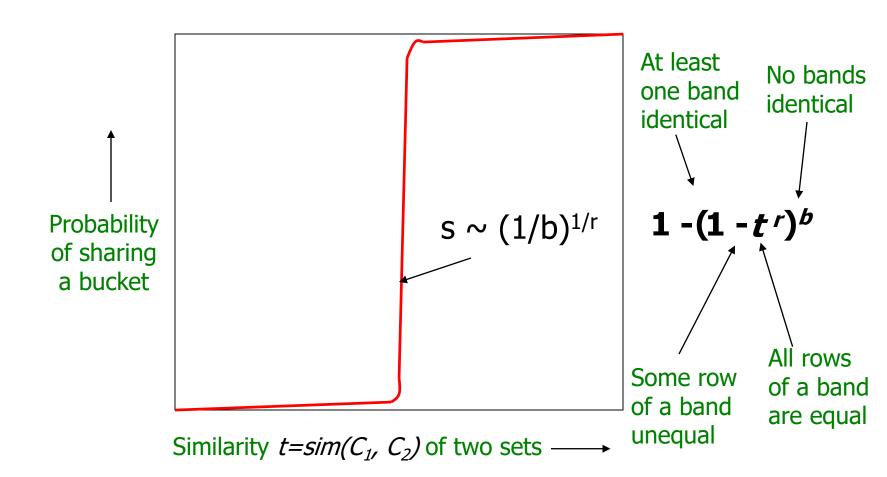


23

#### b bands, r rows/band

- Columns C<sub>1</sub> and C<sub>2</sub> have similarity t
- Pick any band (r rows)
  - Prob. that all rows in band equal = t'
  - Prob. that some row in band unequal = 1 t'
- Prob. that no band identical =  $(1 t^r)^b$
- Prob. that at least 1 band identical =  $1 (1 t^r)^b$

#### What b Bands of r Rows Gives You



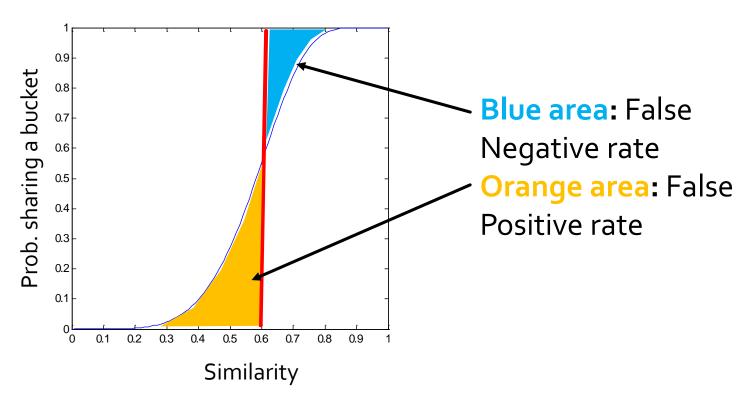
## Example: b = 20; r = 5

- Similarity threshold s
- Prob. that at least 1 band is identical:

S	1-(1-s <sup>r</sup> ) <sup>b</sup>
.2	.006
.3	.047
.4	.186
.5	.470
.6	.802
.7	.975
.8	.9996

### Picking *r* and *b*: The S-curve

- Picking r and b to get the best S-curve
  - 50 hash-functions (r=5, b=10)



## LSH Summary

- Tune M, b, r to get almost all pairs with similar signatures, but eliminate most pairs that do not have similar signatures
- Check in main memory that candidate pairs really do have similar signatures
- Optional: In another pass through data, check that the remaining candidate pairs really represent similar documents

### Summary: 3 Steps

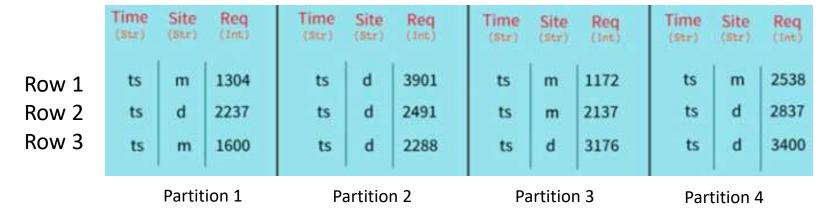
- Shingling: Convert documents to sets
  - We used hashing to assign each shingle an ID
- Min-Hashing: Convert large sets to short signatures, while preserving similarity
  - We used similarity preserving hashing to generate signatures with property  $Pr[h_{\pi}(C_1) = h_{\pi}(C_2)] = sim(C_1, C_2)$
  - We used hashing to get around generating random permutations
- Locality-Sensitive Hashing: Focus on pairs of signatures likely to be from similar documents
  - We used hashing to find **candidate pairs** of similarity  $\geq$  **s**

# Spark: DataFrames and Datasets

Repetition

## DataFrames in Spark

- DataFrames (DF) are tables with named and typed data columns
  - Similar to a dataframe in R, or Pandas (Python), or tables in DBMS/SQL
  - Impose a structure and schema on data
- Example



#### DataFrames from RDDs

```
// Read file with rows: <name, age>
filePath = "/home/immd-user/spark-2 .../examples/src/main/resources/people.txt"
parts = sc.textFile(filePath).map( lambda line: line.split(",") )
// Each row should become a tuple (name, age)
peopleRDD = parts.map( lambda p: (p[0], p[1].strip() )
from pyspark.sql import SparkSession
spark = SparkSession.builder.appName("Exmpl").getOrCreate()
schema = StructType( [
              StructField ("name", StringType(), True),
              StructField ( "age", StringType(), True) ] )
dfPeople = spark.createDataFrame (peopleRDD, schema)
print ( dfPeople.take(5) )
```

### SQL: More User-Friendly

#### Standard DF API:

```
# Select people older than 25
dfPeople.filter(dfPeople['age'] > 25).show()
    # |age|name|
    # | 30|Andy|
```

#### Same result with **SQL**:

```
# Register the DataFrame as a SQL temporary view dfPeople.createOrReplaceTempView("people")
```

```
sqlDF = spark.sql("SELECT * FROM people where age > 25")
sqlDF.show()
```

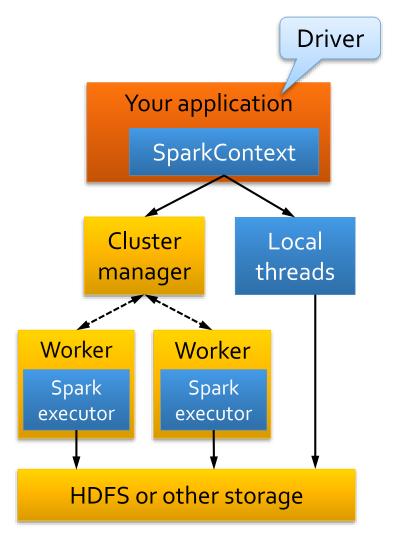
#### Video

- Coursera: Big Data Integration and Processing
  - https://www.coursera.org/learn/big-data-integration-processing/home/info
  - Week 5: Programming in Spark
  - Video: Hands-on: Data Processing in Spark => Exploring SparkSQL and Spark DataFrames
    - Link:
    - <u>https://www.coursera.org/learn/big-data-integration-processing/lecture/aHc8E/exploring-sparksql-and-spark-dataframes</u>

## **Spark: Execution Details**

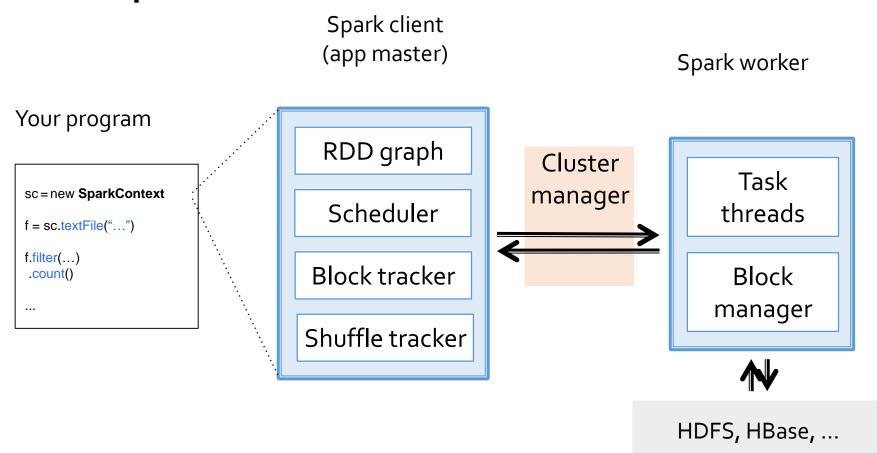
## Software Components

- Spark runs as a library in your program
- Runs tasks locally / on cluster\*
  - Standalone, YARN, Mesos
  - See Cluster Mode Overview\*
- Accesses storage systems via Hadoop API
  - Can use HBase, HDFS, S3, ...



\*=http://spark.apache.org/docs/latest/cluster-overview.html

#### Components



For more info see video "Introduction to AmpLab Spark Internals" (<a href="https://www.youtube.com/watch?v=49Hr5xZyTEA">https://www.youtube.com/watch?v=49Hr5xZyTEA</a>) and read slides <a href="http://files.meetup.com/3138542/dev-meetup-dec-2012.pptx">http://files.meetup.com/3138542/dev-meetup-dec-2012.pptx</a>

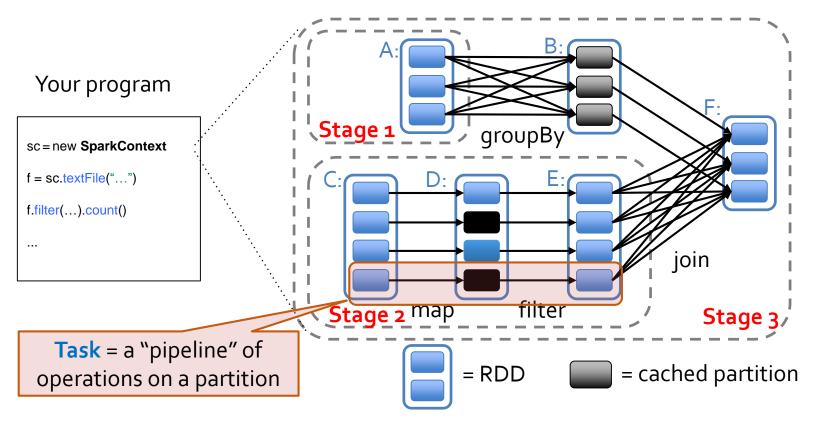
From: Parallel Programming with Spark, Matei Zaharia, AmpCamp 2013

### Example Job

### Operator DAG

The operator DAG (Directed Acyclic Graph) captures
RDD dependencies

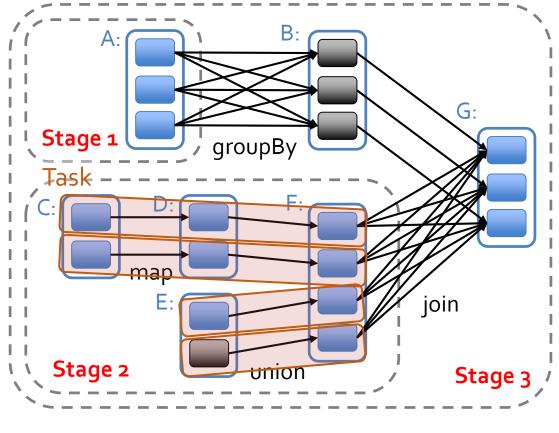
Stage: explained later



From: Parallel Programming with Spark, Matei Zaharia, AmpCamp 2013

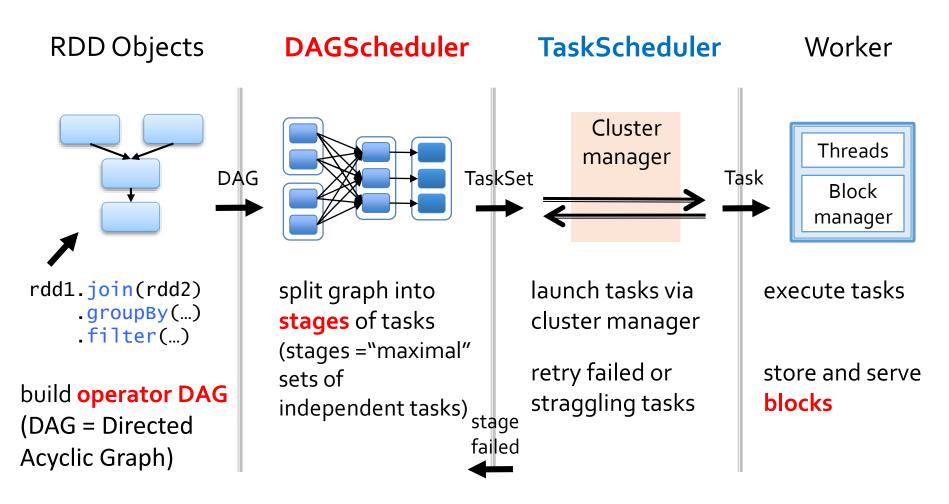
## Stages

- A set of independent tasks, as large as possible
- Stage boundaries are only at <u>input RDDs</u> or <u>"shuffle" operations</u> (like groupBy\*, join, ...)



= previously computed partition

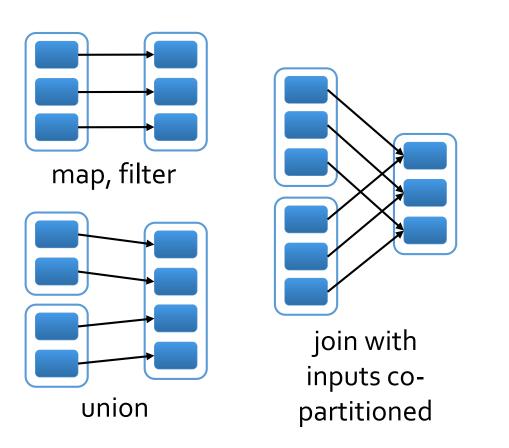
# Scheduling Process



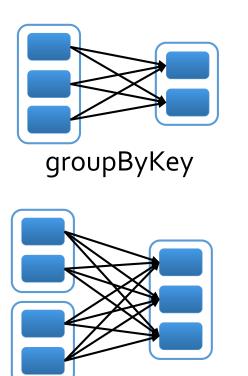
From: Introduction to Spark Internals, Matei Zaharia, Meetup Dec 2012

## Dependency Types in DAG

"Narrow" dependencies:



"Wide" (shuffle) deps:



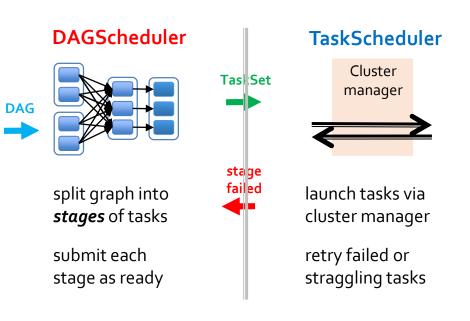
join with inputs not co-partitioned

#### DAG Scheduler vs. Task Scheduler

- DAG Scheduler "higher level"
  - Builds stages of task objects (by code + preferred location)
  - Submits them to TaskScheduler as ready
  - Resubmits failed stages if outputs are lost

#### TaskScheduler

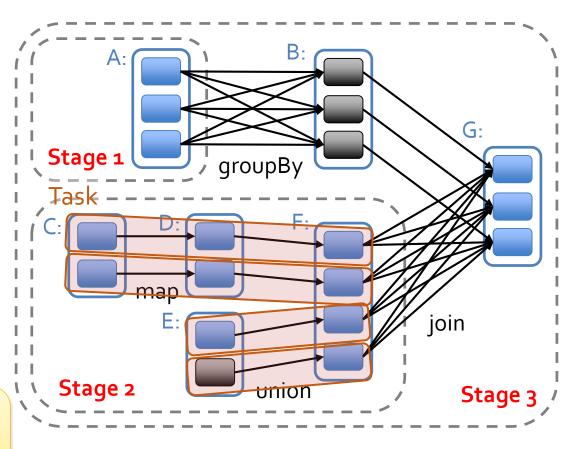
- "Lower level" similar to Hadoop master
- Given a set of tasks, runs it and reports results
- Exploits data locality
- Local / cluster implementation



# Scheduler Optimizations

- Pipelines narrow ops. within a stage
- Picks join
   algorithms based
   on partitioning
   (minimize shuffles)
- Reuses previously cached data

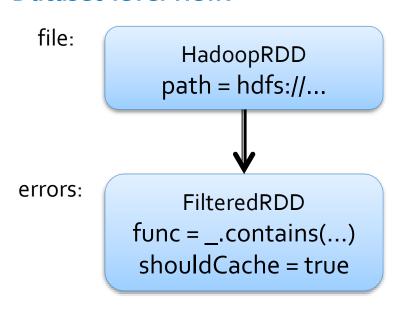
In MapReduce, each M-R phase is "individual" => Less optimization!



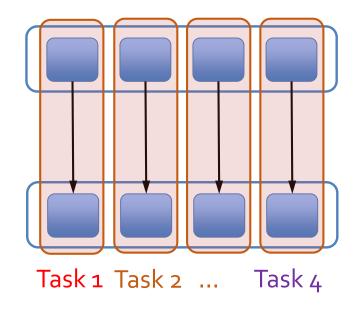


## RDD Graph

#### **Dataset-level view:**



#### Partition-level view:



- Partition: a subset of RDD, usually corresponding to a block of HDFS (or other file system)
- Task: a "pipeline" of operations on a single partition

#### **RDD** Interface

- Set of <u>partitions</u> ("splits")
- List of <u>dependencies</u> on parent RDDs
- Function to compute a partition given parents
- Optional preferred locations
- Optional partitioning info (Partitioner)

#### Captures all current Spark operations!

From: Parallel Programming with Spark, Matei Zaharia, AmpCamp 2013

### Example: HadoopRDD

- partitions = one per HDFS block
- dependencies = none
- compute(partition) = read corresponding block
- preferredLocations(part) = HDFS block location
- partitioner = none

### Example: JoinedRDD

- partitions = one per reduce task
- dependencies = "shuffle" on each parent
- compute(partition) = read and join shuffled data
- preferredLocations(part) = none
- partitioner = HashPartitioner(numTasks)



# Thank you.

Questions?