## Lab 7: Plotting Tools

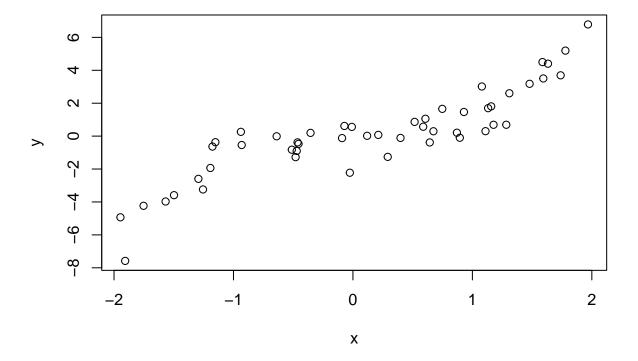
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This week's agenda: getting familiar with basic plotting tools; understanding the way layers work; recalling basic text manipulations; producing histograms and overlaid histograms; heatmaps.

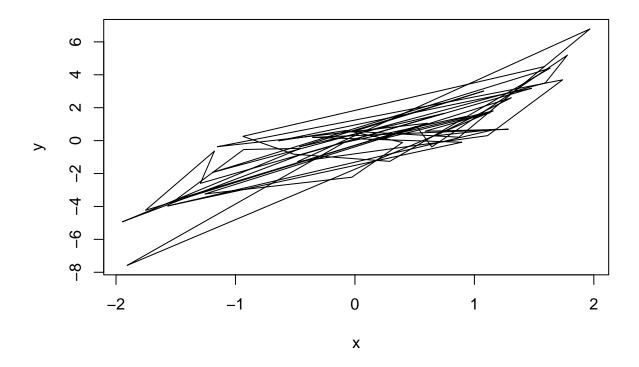
#### Q1. Plot basics

• 1a. Below is some code that is very similar to that from the lecture, but with one key difference. Explain: why does the plot() result with with type="p" look normal, but the plot() result with type="l" look abnormal, having crossing lines? Then modify the code below (hint: modify the definition of x), so that the lines on the second plot do not cross.

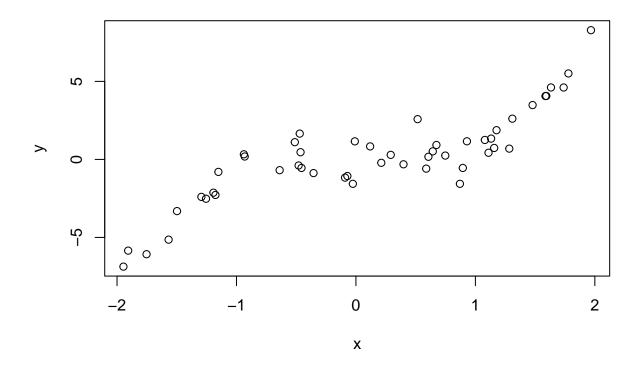
```
n = 50
set.seed(0)
x = runif(n, min=-2, max=2)
y = x^3 + rnorm(n)
plot(x, y, type="p")
```



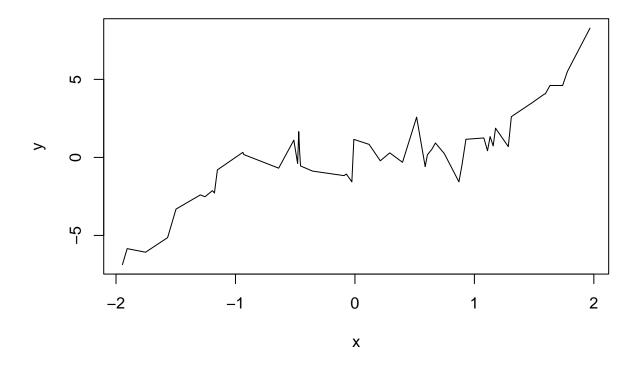
```
plot(x, y, type="l")
```



```
n = 50
set.seed(0)
x = sort(runif(n, min=-2, max=2))
y = x^3 + rnorm(n)
plot(x, y, type="p")
```



plot(x, y, type="1")

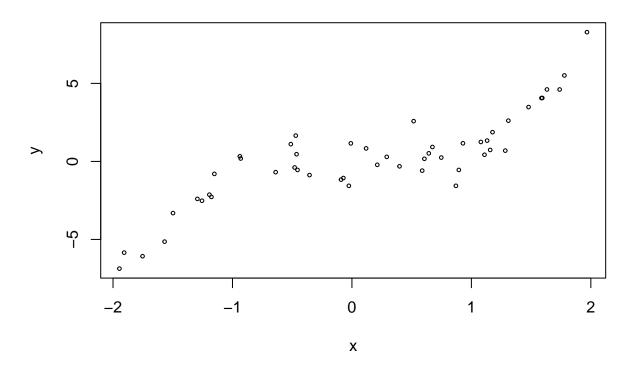


The plot with "type=l" looks abnormal because the x-values appear out of order, so the line jumps all over the domain. We can remedy this by either sorting the x-values or using a meshgrid to generate a spanning set.

• 1b. The cex argument can used to shrink or expand the size of the points that are drawn. Its default value is 1 (no shrinking or expansion). Values between 0 and 1 will shrink points, and values larger than 1 will expand points. Plot y versus x, first with cex equal to 0.5 and then 2 (so, two separate plots). Give titles "Shrunken points", and "Expanded points", to the plots, respectively.

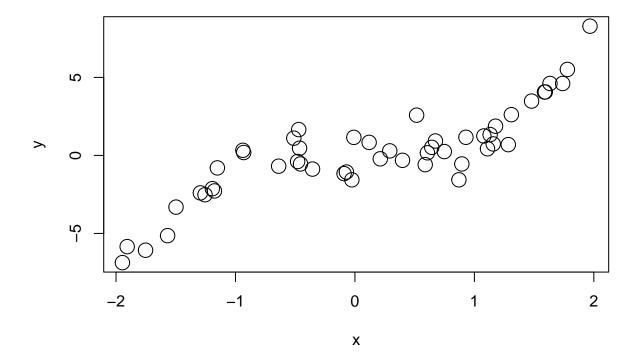
```
plot(x, y, cex = 0.5, main = "Shrunken Points")
```

# **Shrunken Points**



plot(x, y, cex = 2.0, main = "Expanded Points")

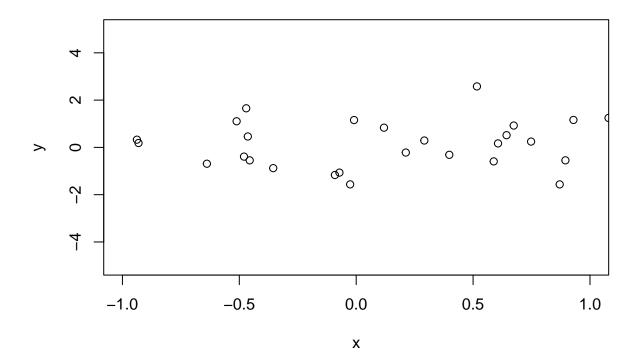
## **Expanded Points**



• 1c. The xlim and ylim arguments can be used to change the limits on the x-axis and y-axis, respectively. Each argument takes a vector of length 2, as in xlim = c(-1, 0), to set the x limit to be from -1 to 0. Plot y versus x, with the x limit set to be from -1 to 1, and the y limit set to be from -5 to 5. Assign x and y labels "Trimmed x" and "Trimmed y", respectively.

plot(x, y, xlim = c(-1, 1), ylim = c(-5, 5), main = "Trimmed Points")

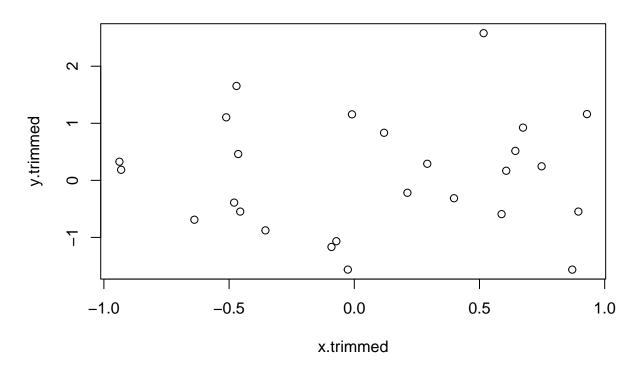
# **Trimmed Points**



• 1d. Again plot y versus x, only showing points whose x values are between -1 and 1. But this time, define x.trimmed to be the subset of x between -1 and 1, and define y.trimmed to be the corresponding subset of y. Then plot y.trimmed versus x.trimmed without setting xlim and ylim: now you should see that the y limit is (automatically) set as "tight" as possible. Hint: use logical indexing to define x.trimmed, y.trimmed.

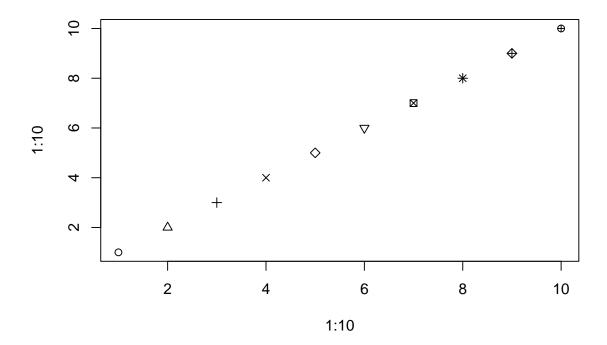
```
x.trimmed \leftarrow x[x \leftarrow 1 & x \rightarrow -1]
y.trimmed \leftarrow y[x \leftarrow 1 & x \rightarrow -1]
plot(x.trimmed, y.trimmed, main = "Trimmed")
```

# **Trimmed**



• 1e. The pch argument, recall, controls the point type in the display. In the lecture examples, we set it to a single number. But it can also be a vector of numbers, with one entry per point in the plot. So, e.g.,

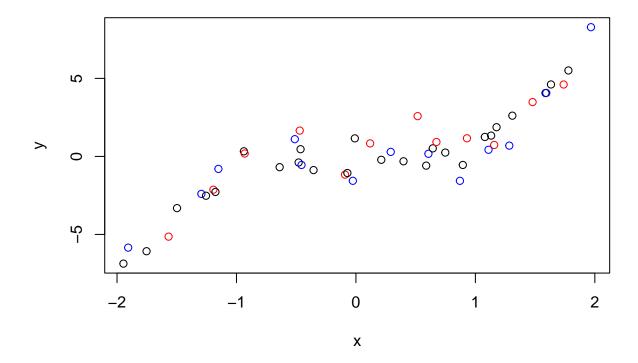
plot(1:10, 1:10, pch=1:10)



displays the first 10 point types. If pch is a vector whose length is shorter than the total number of points to be plotted, then its entries are recycled, as appropriate. Plot y versus x, with the point type alternating in between an empty circle and a filled circle.

• 1f. The col argument, recall, controls the color the points in the display. It operates similar to pch, in the sense that it can be a vector, and if the length of this vector is shorter than the total number of points, then it is recycled appropriately. Plot y versus x, and repeat the following pattern for the displayed points: a black empty circle, a blue filled circle, a black empty circle, a red filled circle.

```
plot(x, y, col = c("black", "blue", "black", "red"))
```



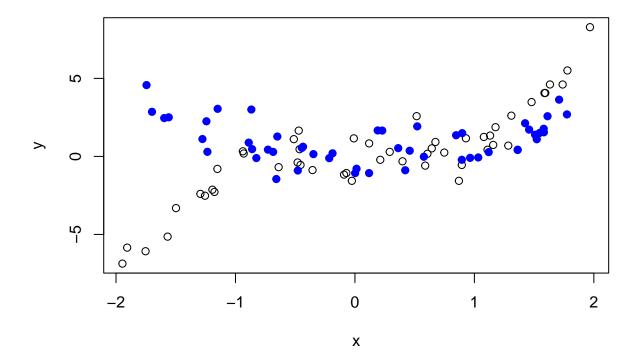
### Q2. Adding to plots

• 2a. Produce a scatter plot of y versus x, and set the title and axes labels as you see fit. Then overlay on top a scatter plot of y2 versus x2, using the points() function, where x2 and y2 are as defined below. In the call to points(), set the pch and col arguments appropriately so that the overlaid points are drawn as filled blue circles.

```
x2 = sort(runif(n, min=-2, max=2))
y2 = x^2 + rnorm(n)

plot(x, y, main = "Test Data", xlab = "x", ylab = "y")
points(x2, y2, col = "blue", pch = 19)
```

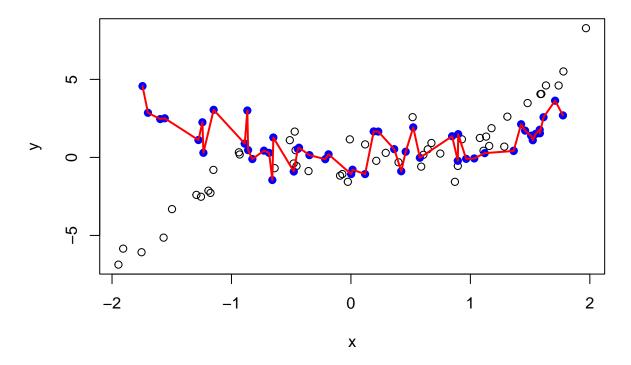
### **Test Data**



• 2b. Starting with your solution code from the last question, overlay a line plot of y2 versus x2 on top of the plot (which contains empty black circles of y versus x, and filled blue circles of y2 versus x2), using the lines() function. In the call to lines(), set the col and lwd arguments so that the line is drawn in red, with twice the normal thickness. Look carefully at your resulting plot. Does the red line pass overtop of or underneath the blue filled circles? What do you conclude about the way R layers these additions to your plot?

```
plot(x, y, main = "Test Data")
points(x2, y2, col="blue", pch = 19)
lines(x2, y2, col="red", lwd = 2)
```

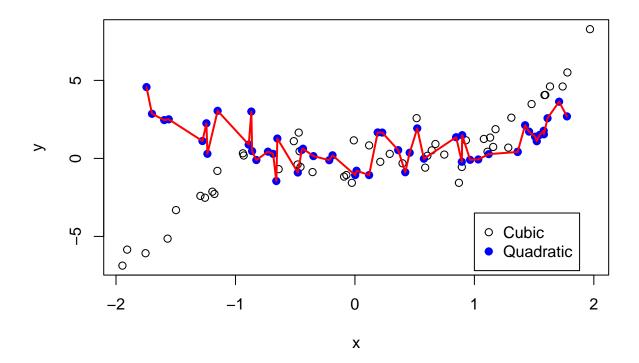
#### **Test Data**



The new red line passes over the top of the blue circles, so R probably plots in the order in which the functions are called.

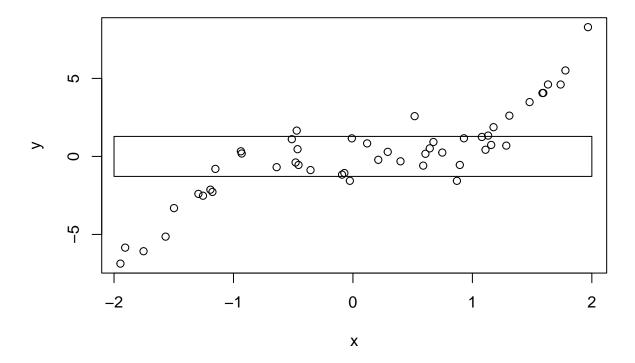
• 2c. Starting with your solution code from the last question, add a legend to the bottom right corner of the the plot using legend(). The legend should display the text: "Cubic" and "Quadratic", with corresponding symbols: an empty black circle and a filled blue circle, respectively. Hint: it will help to look at the documentation for legend().

### **Test Data**



• 2d. Produce a plot of y versus x, but with a gray rectangle displayed underneath the points, which runs has a lower left corner at c(-2, qnorm(0.1)), and an upper right corner at c(2, qnorm(0.9)). Hint: use rect() and consult its documentation. Also, remember how layers work; call plot(), with type="n" or col="white" in order to refrain from drawing any points in the first place, then call rect(), then call points().

```
plot(x, y, col="white")
rect(-2, qnorm(0.1), 2, qnorm(0.9))
points(x, y)
```



#### Fastest 100m sprint times

Below, we read in two data sets of the 1000 fastest times ever recorded for the 100m sprint, in men's and women's track., as seen in previous labs.

```
sprint.m.df = read.table(
  file="http://www.stat.cmu.edu/~ryantibs/statcomp/data/sprint.m.txt",
  sep="\t", quote="", header=TRUE)

sprint.w.df = read.table(
  file="http://www.stat.cmu.edu/~ryantibs/statcomp/data/sprint.w.txt",
  sep="\t", quote="", header=TRUE)
```

## Q3. Text manipulations, and layered plots

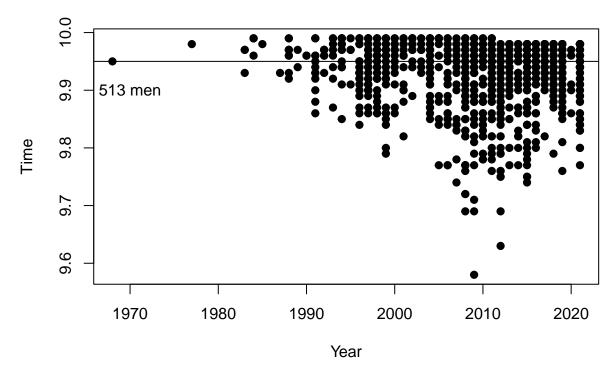
• 3a. Define sprint.m.times to be the first 4 characters of the Time column of sprint.m.df, and sprint.m.years to be the last 4 characters of the Date column of sprint.m.df. Hint: use substr(). Convert both to numeric vectors, and print the first 10 entries of each.

```
## [1] 9.58 9.63 9.69 9.69 9.69 9.71 9.72 9.72 9.74 9.74
```

```
sprint.m.years[1:10]
```

- ## [1] 2009 2012 2008 2009 2012 2009 2008 2008 2007 2015
  - 3b. Plot sprint.m.times versus sprint.m.years. For the point type, use small, filled black circles. Label the x-axis "Year" and the y-axis "Time (seconds)". Title the plot "Fastest men's 100m sprint times". Using abline(), draw a dashed blue horizontal line at 9.95 seconds. Using text(), draw below this line, in text on the plot, the string "N men", replacing "N" here by the number of men who have run under 9.95 seconds. Your code should programmatically determine the correct number here, and use paste() to form the string. Comment on what you see visually, as per the sprint times across the years. What does the trend look like for the fastest time in any given year?

#### Fastest men's 100m sprint times

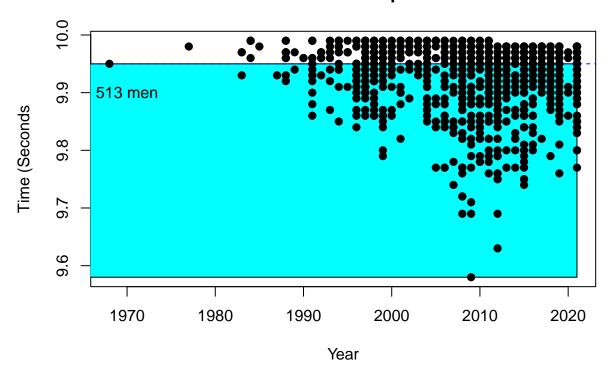


It is difficult to judge the average trend from this graph, but it appears that the fastest time linearly decreased until about 2010 and then stopped.

• 3c. Reproduce the previous plot, but this time, draw a light blue rectangle underneath all of the points below the 9.95 second mark. The rectangle should span the entire region of the plot below the horizontal line at y = 9.95. And not only the points of sprint times, but the blue dashed line, and the text "N men" (with "N" replaced by the appropriate number) should appear on top of the rectangle. Hint: use rect() and layering as appropriate.

```
rect(1964, 9.58, 2021, 9.95, col="cyan")
abline(h = 9.95, col="blue", lty = 2)
points(sprint.m.years, sprint.m.times, pch = 19)
text(paste(length(sprint.m.times[sprint.m.times<9.95]), "men"), x = 1970, y = 9.9)</pre>
```

#### Fastest men's 100m sprint times

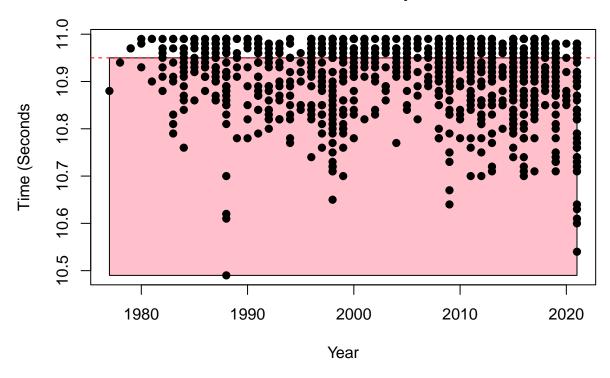


• 3d. Repeat Q3a but for the women's sprint data, with one critical difference—to form the vector of times, take the first 5 characters of the Time column—and arrive at vectors sprint.w.times and sprint.w.years. Then repeat Q3c for this data, but with the 9.95 second cutoff being replaced by 10.95 seconds, the rectangle colored pink, and the dashed line colored red. Comment on the differences between this plot for the women and your plot for the men, from Q4c. In particular, is there any apparent difference in the trend for the fastest sprint time in any given year?

```
## [1] 10.49 10.54 10.60 10.61 10.61 10.62 10.63 10.64 10.64 10.65

sprint.w.years[1:10]
```

### Fastest women's 100m sprint times



For the women's data, it appears the times are also linearly decreasing over time. However, the fastest times for women were mainly set in 1988 before the trend had really taken hold.

### Q4. More text manipulations, and histograms

• 4a. Extract the birth years of the sprinters from the data frame sprint.m.df. To do so, define a character vector sprint.m.byears to contain the last 2 characters of the Birthdate column of sprint.m.df. Then convert sprint.m.byears into a numeric vector, add 1900 to each entry, and redefine sprint.m.byears to be the result. Repeat the same, but for the women's data, arriving at a vector called sprint.w.byears.

```
sprint.m.bdates <- sprint.m.df$Birthdate
sprint.m.byears <- substr(sprint.m.bdates, nchar(sprint.m.bdates) - 1, nchar(sprint.m.bdates))
sprint.m.byears <- as.numeric(sprint.m.byears)
sprint.m.byears <- (sprint.m.byears + 1900)

sprint.w.bdates <- sprint.w.df$Birthdate
sprint.w.byears <- substr(sprint.w.bdates, nchar(sprint.w.bdates) - 1, nchar(sprint.w.bdates))
sprint.w.byears <- as.numeric(sprint.w.byears)
sprint.w.byears <- (sprint.w.byears + 1900)</pre>
```

• 4b. What are the ranges of birth years you computed in the last part, for the men's and women's data? Do you see any problems with this? You should! Fix the errant entries in sprint.m.byears and sprint.w.byears using simple indexing and arithmetic. Hint: none of these athletes were born before 1921.

```
max(sprint.m.byears) - min(sprint.m.byears)

## [1] 99

max(sprint.w.byears) - min(sprint.w.byears)

## [1] 99

sprint.m.bdates <- sprint.m.df$Birthdate

sprint.m.byears <- substr(sprint.m.bdates, nchar(sprint.m.bdates) - 1, nchar(sprint.m.bdates))

sprint.m.byears <- as.numeric(sprint.m.byears)

sprint.m.byears[sprint.m.byears >= 22] <- sprint.m.byears[sprint.m.byears >= 21] + 1900

sprint.w.bdates <- sprint.w.byears < 21] <- sprint.m.byears[sprint.m.byears < 21] +2000

sprint.w.bdates <- sprint.w.df$Birthdate

sprint.w.byears <- substr(sprint.w.bdates, nchar(sprint.w.bdates) - 1, nchar(sprint.w.bdates))

sprint.w.byears <- as.numeric(sprint.w.byears)

sprint.w.byears[sprint.w.byears >= 22] <- sprint.w.byears[sprint.w.byears >= 21] + 1900

sprint.w.byears[sprint.w.byears < 21] <- sprint.w.byears[sprint.w.byears < 21] +2000</pre>
```

• 4c. Now that you have fixed their birthdates, create a vector sprint.m.ages containing the age (in years) of each male sprinter when their sprint time was recorded. Do the same for the female sprinters, resulting in sprint.w.ages. Hint: use sprint.m.years and sprint.w.years.

```
sprint.m.ages <- sprint.m.years - sprint.m.byears
sprint.w.ages <- sprint.w.years - sprint.w.byears</pre>
```

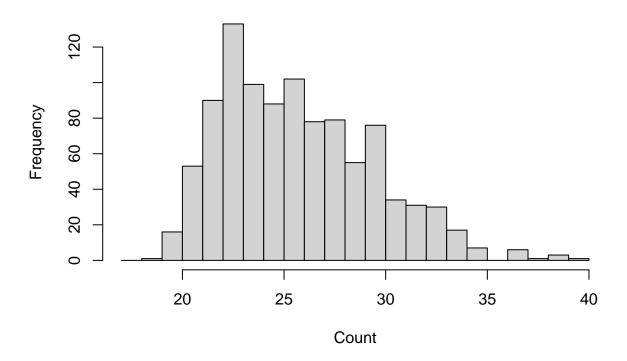
• 4d. Using one of the apply functions, compute the average sprint time for each age in sprint.m.ages, calling the result time.m.avg.by.age. Similarly, compute the analogous quantity for the women, calling the result time.w.avg.by.age. Are there any ages for which the men's average time is faster than 9.9 seconds, and if so, which ones? Are there any ages for which the women's average time is faster than 10.9 seconds, and if so, which ones?

```
time.m.avg.by.age <- tapply(as.numeric(sprint.m.df$Time), sprint.m.ages, mean, na.rm = TRUE)
## Warning in tapply(as.numeric(sprint.m.df$Time), sprint.m.ages, mean, na.rm =
## TRUE): NAs introduced by coercion
time.w.avg.by.age <- tapply(as.numeric(sprint.w.df$Time), sprint.w.ages, mean, na.rm = TRUE)
## Warning in tapply(as.numeric(sprint.w.df$Time), sprint.w.ages, mean, na.rm =
## TRUE): NAs introduced by coercion
time.m.avg.by.age[time.m.avg.by.age < 9.9]</pre>
##
         33
## 9.887667
time.w.avg.by.age[time.w.avg.by.age < 10.9]
##
         29
                                     37
                  33
                           35
## 10.87494 10.88217 10.81000 10.88600
```

Men's average times are faster than 9.9 seconds for 33 year olds. Women's average times are faster than 10.9 seconds for 29, 33, 35, and 37 year olds.

• 4e. Plot a histogram of sprint.m.ages, with break locations occurring at every age in between 17 and 40. Color the histogram to your liking; label the x-axis, and title the histogram appropriately. What is the mode, i.e., the most common age? Also, describe what you see around the mode: do we see more sprinters who are younger, or older?

### Distribution of men's ages

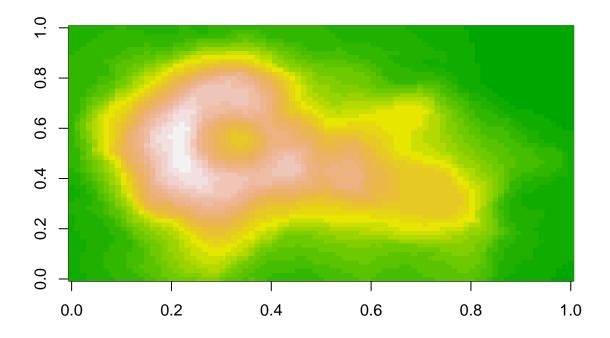


The most common age appears to be 23. The distribution is skewed right, so there are more older runners.

## Q5. Maungawhau volcano and heatmaps (optional)

• Challenge. The volcano object in R is a matrix of dimension 87 x 61. It is a digitized version of a topographic map of the Maungawhau volcano in Auckland, New Zealand. Plot a heatmap of the volcano using image(), with 25 colors from the terrain color palette.

image(volcano, col = terrain.colors(25))

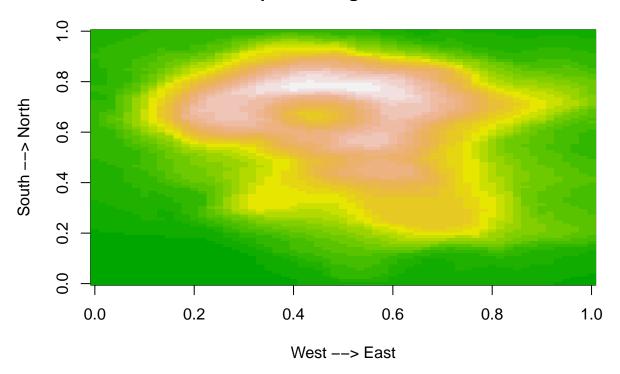


• Challenge. Each row of volcano corresponds to a grid line running east to west. Each column of volcano corresponds to a grid line running south to north. Define a matrix volcano.rev by reversing the order of the rows, as well as the order of the columns, of volcano. Therefore, each row volcano.rev should now correspond to a grid line running west to east, and each column of volcano.rev a grid line running north to south.

```
volcano.rev <- volcano[order(nrow(volcano):1),]
volcano.rev <- volcano[,order(ncol(volcano):1)]</pre>
```

• Challenge. If we printed out the matrix volcano.rev to the console, then the elements would follow proper geographic order: left to right means west to east, and top to bottom means north to south. Now, produce a heatmap of the volcano that follows the same geographic order. Hint: recall that the image() function rotates a matrix 90 degrees counterclockwise before displaying it; and recall the function clockwise90() from the lecture, which you can copy and paste into your code here. Label the x-axis "West -> East", and the y-axis "South -> North". Title the plot "Heatmap of Maungawhau volcano".

# **Heatmap of Maungawhau Volcano**



• Challenge. Reproduce the previous plot, and now draw contour lines on top of the heatmap.

# Heatmap of Maungawhau Volcano

