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# A Python3 program to demonstrate
# working of Chinese remainder Theorem

# k is size of num[] and rem[].
# Returns the smallest number x
# such that:
# x % num[0] = rem[0],
# x % num[1] = rem[1],
# .....
# x % num[k-2] = rem[k-1]
# Assumption: Numbers in num[]
# are pairwise coprime (gcd for
# every pair is 1)
def findMinX(num, rem, k):
    x = 1; # Initialize result

    # As per the Chinese remainder
    # theorem, this loop will
    # always break.
    while(True):

        # Check if remainder of
        # x % num[j] is rem[j]
        # or not (for all j from
        # 0 to k-1)
        j = 0;
        while(j < k):
            if (x % num[j] != rem[j]):
                break;
            j += 1;

        # If all remainders
        # matched, we found x
        if (j == k):
            return x;

        # Else try next number
        x += 1;

# Driver Code
num = [3, 4, 5];
rem = [2, 3, 1];
k = len(num);
print("x is", findMinX(num, rem, k));

# This code is contributed by mits

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// C program to demonstrate working of extended
// Euclidean Algorithm
#include <stdio.h>

// C function for extended Euclidean Algorithm
int gcdExtended(int a, int b, int *x, int *y)
{
    // Base Case
    if (a == 0)
    {
        *x = 0;
        *y = 1;
        return b;
    }

    int x1, y1; // To store results of recursive call
    int gcd = gcdExtended(b%a, a, &x1, &y1);

    // Update x and y using results of recursive
    // call
    *x = y1 - (b/a) * x1;
    *y = x1;

    return gcd;
}

// Driver Program
int main()
{
    int x, y;
    int a = 35, b = 15;
    int g = gcdExtended(a, b, &x, &y);
    printf("gcd(%d, %d) = %d", a, b, g);
    return 0;
}

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# Python program to demonstrate working of extended
# Euclidean Algorithm
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# function for extended Euclidean Algorithm
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```
def gcdExtended(a, b):
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```
    # Base Case
```

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    if a == 0:
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        return b, 0, 1
```

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    gcd, x1, y1 = gcdExtended(b % a, a)
```

```
    # Update x and y using results of recursive
```

```
    # call
```

```
    x = y1 - (b//a) * x1
```

```
    y = x1
```

```
    return gcd, x, y
```

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# Driver code
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```
a, b = 35, 15
```

```
g, x, y = gcdExtended(a, b)
```

```
print("gcd(", a, ",", b, ") = ", g)
```

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# Python for RSA asymmetric cryptographic algorithm.
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# For demonstration, values are
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```
# relatively small compared to practical application
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```
import math
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```
def gcd(a, h):
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    temp = 0
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    while(1):
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```
        temp = a % h
```

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        if (temp == 0):
```

```
            return h
```

```
        a = h
```

```
        h = temp
```

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p = 3
q = 7
n = p*q
e = 2
phi = (p-1)*(q-1)

while (e < phi):

    # e must be co-prime to phi and
    # smaller than phi.
    if(gcd(e, phi) == 1):
        break
    else:
        e = e+1

# Private key (d stands for decrypt)
# choosing d such that it satisfies
# d*e = 1 + k * totient

k = 2
d = (1 + (k*phi))/e

# Message to be encrypted
msg = 12.0

print("Message data = ", msg)

# Encryption c = (msg ^ e) % n
c = pow(msg, e)
c = math.fmod(c, n)
print("Encrypted data = ", c)

# Decryption m = (c ^ d) % n
m = pow(c, d)
m = math.fmod(m, n)
print("Original Message Sent = ", m)

# This code is contributed by Pranay Arora.

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// C program for RSA asymmetric cryptographic
// algorithm. For demonstration values are
// relatively small compared to practical
// application
#include<stdio.h>
#include<math.h>

// Returns gcd of a and b
int gcd(int a, int h)
{
    int temp;
    while (1)
    {
        temp = a%h;
        if (temp == 0)
            return h;
        a = h;
        h = temp;
    }
}

// Code to demonstrate RSA algorithm
int main()
{
    // Two random prime numbers
    double p = 3;
    double q = 7;

    // First part of public key:
    double n = p*q;

    // Finding other part of public key.
    // e stands for encrypt
    double e = 2;
    double phi = (p-1)*(q-1);
    while (e < phi)
    {
        // e must be co-prime to phi and
        // smaller than phi.
        if (gcd(e, phi)==1)
            break;
        else
            e++;
    }

    // Private key (d stands for decrypt)
    // choosing d such that it satisfies
    //  $d \cdot e = 1 + k \cdot \text{totient}$ 

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```
int k = 2; // A constant value
double d = (1 + (k*phi))/e;

// Message to be encrypted
double msg = 20;

printf("Message data = %lf", msg);

// Encryption  $c = (msg^e) \% n$ 
double c = pow(msg, e);
c = fmod(c, n);
printf("\nEncrypted data = %lf", c);

// Decryption  $m = (c^d) \% n$ 
double m = pow(c, d);
m = fmod(m, n);
printf("\nOriginal Message Sent = %lf", m);

return 0;
}
// This code is contributed by Akash Sharan.
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