

## **Chinese remainder theorem**

# A Python3 program to demonstrate  
# working of Chinese remainder Theorem

```
# k is size of num[] and rem[].
# Returns the smallest number x
# such that:
# x % num[0] = rem[0],
# x % num[1] = rem[1],
# .....
# x % num[k-2] = rem[k-1]
# Assumption: Numbers in num[]
# are pairwise coprime (gcd for
# every pair is 1)
def findMinX(num, rem, k):
    x = 1; # Initialize result

    # As per the Chinese remainder
    # theorem, this loop will
    # always break.
    while(True):

        # Check if remainder of
        # x % num[j] is rem[j]
        # or not (for all j from
        # 0 to k-1)
        j = 0;
        while(j < k):
            if (x % num[j] != rem[j]):
                break;
            j += 1;

        # If all remainders
        # matched, we found x
        if (j == k):
            return x;

        # Else try next number
        x += 1;

# Driver Code
num = [3, 4, 5];
rem = [2, 3, 1];
k = len(num);
print("x is", findMinX(num, rem, k));

# This code is contributed by mits
```

## **Extended euclidean**

basic

# Python3 program to demonstrate Basic Euclidean Algorithm

# Function to return gcd of a and b

```
def gcd(a, b):  
    if a == 0:  
        return b  
  
    return gcd(b % a, a)
```

# Driver code

```
if __name__ == "__main__":  
    a = 10  
    b = 15  
    print("gcd(", a, ",", b, ") = ", gcd(a, b))
```

```
a = 35  
b = 10  
print("gcd(", a, ",", b, ") = ", gcd(a, b))
```

```
a = 31  
b = 2  
print("gcd(", a, ",", b, ") = ", gcd(a, b))
```

# Code Contributed By Mohit Gupta\_OMG <(0\_o)>

Extended

# Python program to demonstrate working of extended  
# Euclidean Algorithm

# function for extended Euclidean Algorithm

```
def gcdExtended(a, b):  
  
    # Base Case  
    if a == 0:  
        return b, 0, 1  
  
    gcd, x1, y1 = gcdExtended(b % a, a)  
  
    # Update x and y using results of recursive  
    # call  
    x = y1 - (b//a) * x1
```

```
y = x1

return gcd, x, y
```

```
# Driver code
a, b = 35, 15
g, x, y = gcdExtended(a, b)
print("gcd(", a, ",", b, ") = ", g)
```

## **RSA**

```
# Python for RSA asymmetric cryptographic algorithm.
# For demonstration, values are
# relatively small compared to practical application
import math
```

```
def gcd(a, h):
    temp = 0
    while(1):
        temp = a % h
        if (temp == 0):
            return h
        a = h
        h = temp
```

```
p = 3
q = 7
n = p*q
e = 2
phi = (p-1)*(q-1)
```

```
while (e < phi):

    # e must be co-prime to phi and
    # smaller than phi.
    if(gcd(e, phi) == 1):
        break
    else:
        e = e+1
```

```
# Private key (d stands for decrypt)
# choosing d such that it satisfies
#  $d * e = 1 + k * \text{totient}$ 
```

```

k = 2
d = (1 + (k*phi))/e

# Message to be encrypted
msg = 12.0

print("Message data = ", msg)

# Encryption c = (msg ^ e) % n
c = pow(msg, e)
c = math.fmod(c, n)
print("Encrypted data = ", c)

# Decryption m = (c ^ d) % n
m = pow(c, d)
m = math.fmod(m, n)
print("Original Message Sent = ", m)

# This code is contributed by Pranay Arora.

```

### **Diffie Hellman**

```

from random import randint

if __name__ == '__main__':

    # Both the persons will be agreed upon the
    # public keys G and P
    # A prime number P is taken
    P = 23

    # A primitive root for P, G is taken
    G = 9

    print('The Value of P is :%d'%(P))
    print('The Value of G is :%d'%(G))

    # Alice will choose the private key a
    a = 4
    print('The Private Key a for Alice is :%d'%(a))

    # gets the generated key
    x = int(pow(G,a,P))

```

```

# Bob will choose the private key b
b = 3
print('The Private Key b for Bob is :%d'%(b))

# gets the generated key
y = int(pow(G,b,P))

# Secret key for Alice
ka = int(pow(y,a,P))

# Secret key for Bob
kb = int(pow(x,b,P))

print('Secret key for the Alice is : %d'%(ka))
print('Secret Key for the Bob is : %d'%(kb))

```

## **Sha**

```

# Python 3 code to demonstrate
# SHA hash algorithms.

```

```

import hashlib

```

```

# initializing string
str = "GeeksforGeeks"

```

```

# encoding GeeksforGeeks using encode()
# then sending to SHA256()
result = hashlib.sha256(str.encode())

```

```

# printing the equivalent hexadecimal value.
print("The hexadecimal equivalent of SHA256 is : ")
print(result.hexdigest())

```

```

print ("\r")

```

```

# initializing string
str = "GeeksforGeeks"

```

```

# encoding GeeksforGeeks using encode()
# then sending to SHA384()
result = hashlib.sha384(str.encode())

```

```

# printing the equivalent hexadecimal value.
print("The hexadecimal equivalent of SHA384 is : ")
print(result.hexdigest())

```

```
print ("\r")

# initializing string
str = "GeeksforGeeks"

# encoding GeeksforGeeks using encode()
# then sending to SHA224()
result = hashlib.sha224(str.encode())

# printing the equivalent hexadecimal value.
print("The hexadecimal equivalent of SHA224 is : ")
print(result.hexdigest())
```

```
print ("\r")

# initializing string
str = "GeeksforGeeks"

# encoding GeeksforGeeks using encode()
# then sending to SHA512()
result = hashlib.sha512(str.encode())

# printing the equivalent hexadecimal value.
print("The hexadecimal equivalent of SHA512 is : ")
print(result.hexdigest())
```

```
print ("\r")

# initializing string
str = "GeeksforGeeks"

# encoding GeeksforGeeks using encode()
# then sending to SHA1()
result = hashlib.sha1(str.encode())

# printing the equivalent hexadecimal value.
print("The hexadecimal equivalent of SHA1 is : ")
print(result.hexdigest())
```

## **Md5**

```
# Python 3 code to demonstrate the
# working of MD5 (string - hexadecimal)

import hashlib
```

```
# initializing string
str2hash = "GeeksforGeeks"

# encoding GeeksforGeeks using encode()
# then sending to md5()
result = hashlib.md5(str2hash.encode())

# printing the equivalent hexadecimal value.
print("The hexadecimal equivalent of hash is : ", end = "")
print(result.hexdigest())
```