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%%%%%%%%%%%%%%%%
% CODE CHALLENGE 4 - Linear Least-Squares Fit
% The purpose of this program is to calculate the equation of the best
% line for a data set using linear least-squares fitting.
% To complete the challenge, finish the code below to:
% 1) load data from csv file
% 2) find linear best fit coefficients and associated uncertainty
% 3) plot the original data along with the best fit line
% 4) add errorbars for fit uncertainty to this plot from the data and
from
   the linear regression parameters
% NOTE: DO NOT change any variable names already present in the code.
% Upload your team's script to Gradescope when complete.
% NAME YOUR FILE AS Challenge4_Sec{section number}_Group{group}
breakout #}.m
% ***Section numbers are 1 or 2***
% EX File Name: Challenge4_Sec1_Group15.m
% STUDENT TEAMMATES
% 1) Zak Reichenbach
% 2) Ella Mumolo
% 3) Bart Kubiak
% 4) Anna Z Miecznik
% 5) Andrew Miller
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Housekeeping (Please don't "clear all" or "clearvars", it makes grading difficult)

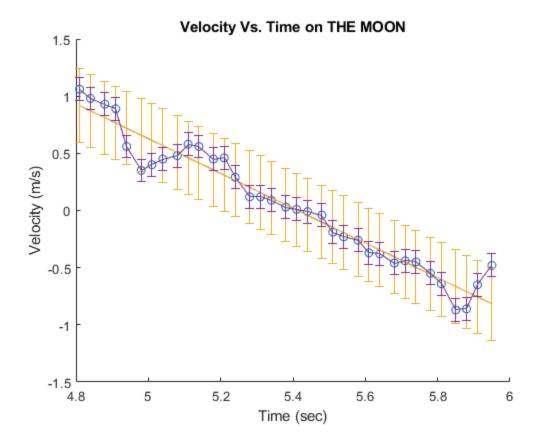
Load and extract the time and velocity vectors from the data

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% %% Calculations
% % Find number of data points in the vectors
N = length(v);
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% % Find linear best fit coefficients A and B
% % Create H matrix
H = [t,ones(length(v),1)];
% % Create y matrix
y = v;
Sigma y = 0.1;
% % Create W matrix (hint: type <help diag> in command line)
W = eye(length(y)).* (1/Sigma_y^2);
% % Solve for P matrix
P = (H' * W *H)^{-1};
% % Solve for x_hat matrix and extract A and B parameters
x_{hat} = ((H' * H)^{-1}) * H' * y;
 A = x_hat(2);
B = x_hat(1);
% % extract uncertainty in A and uncertainty in B from P matrix
A error = sqrt(P(1,1));
B_{error} = sqrt(P(2,2));
% %% Display acceleration with associated uncertainty and the intial
velocity with associated uncertainty
% % Make sure to use and display with CORRECT SIG FIGS
% %% Find predicted velocity values using your linear fit equation
 v predicted = A + B.*t;
v_{Mars} = A + (-3.72076).*t;
 v Moon = A + (-1.625).*t;
 v_{Mercury} = A + (-3.7).*t;
 v_Uranus = A + (-8.87).*t;
x values = H(:,1);
% %% Ploting and Error Calculations
% % On the same plot, do the following:
% % 1. plot the velocity data vs time as a scatter plot
scatter (x values,y)
hold on
% % 2. plot predicted velocity vs time as a line
plot(x_values,v_predicted)
% % 3. title your plot so that it indicates what celestial body this
data
       simulates
title('Velocity Vs. Time on THE MOON')
xlabel('Time (sec)')
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ylabel('Velocity (m/s)')
% % 4. Add measured velocity error bars and predicted velocity error
응 응
      the plot (hint - this will involve error propagation
calculations
v_{err} = ones(35,1).* Sigma_y;
v_predicted_error = ones(35,1).* (A_error + B_error);
errorbar(x_values,v_predicted,v_predicted_error)
errorbar(x_values,v,v_err)
fprintf('Our acceleration is %.2f and our uncertainty is %.2f.
\n',B,B error);
fprintf('Our initial velocity is %.2f and our uncertainty is %.2f
 n', v predicted(1), v predicted error(1))
% % % % CLASS CODE FROM PROF. JACKSON
% % % % % % % % deviation = y - (A + B.*x)
% % % % % % % % Sigma_y = sqrt()1/length(y)-length(X_hat))) *
sum(Deviation * Deviation)
% % % % % % % delta_y (1:length(y)) = Sigma_y;
% % % % % %
% % % % % % % Diagonal = ./ (delta y .* delta y);
% % % % % % % W = diag(Diagonal);
8 8 8 8 8 8 8
% % % % % % % Error Covariance matrix
% % % % % % % P = (H' * W *H)^-1;
% % % % % % % Uncertainty in Parameter A
% % % % % % % % Sigma_A = sqrt(P(1,1));
8 8 8 8 8 8 8
% % % % % %
% % % % % % % % X_hat_1 = ((H' * W * H)^{-1}) *H' * W * y;
8 8 8 8 8 8 8
% % % % % % % % y_fit = A +B.*x;
% % % % % %
% % % % % % Next two lines do the same thing
% % % % % % % % Y_0 = A + B + 0; (Intercept of y)
8 8 8 8
% % % % % %% y_0_new = [1 0 ] * X_hat;
% % % % % subset of H to look at the projection we are makeing
(x=0)
% % % % % % % Sigma_Y0 = sqrt([1 0] * P * [1;0]);
8 8 8 8
T\&V uncertainty = 0.1 (W = 1/sigma y^2)
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Warning: Table variable names were modified to make them valid MATLAB identifiers. The original names are saved in the VariableDescriptions property.

Our acceleration is -1.52 and our uncertainty is 0.27. Our initial velocity is 0.92 and our uncertainty is 0.32



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