

CT 215-1

Computer Organization

&

Assembly Language

Contents

1. Introduction

Basic concepts , machine language, numbering systems ,Hardware organization IBM PC , element of an assembly language program.

2. Assembly language fundamentals

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4. Flow control instruction
5. Logic shift and rotate instructions
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9. The string instructions
10. Text Display and Keyboard programming
11. Macros

12. BIOS and DOS interrupts

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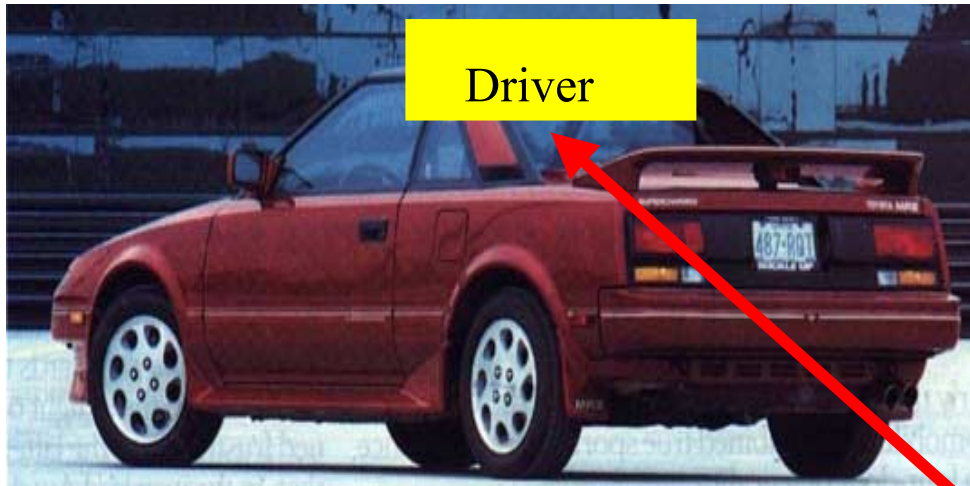
14. Advanced Arithmetic

Computer Organization

Computer organization refers to the operational units and their interconnections that realized the architectural specifications. Examples of architectural attributes include the instruction set, the number of bits used to represent various data type(e,g, numbers and character) , I/O mechanisms, and techniques for addressing mode Organizational attributes include those hardware details transparent to the programmer, such as control signals , interfaces between the computer and peripherals and the memory technology used.

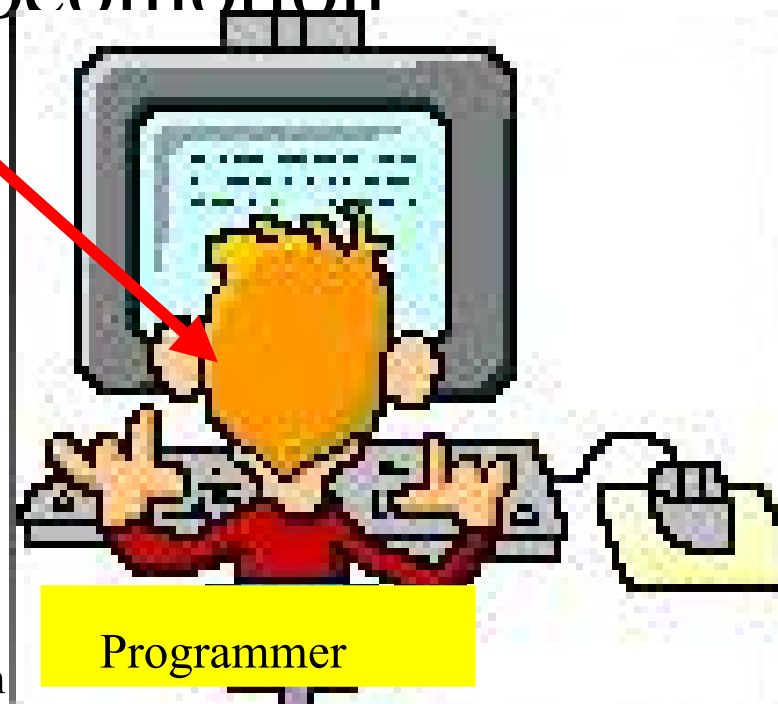
Assembly Language is a programming language with one to one correspondence between its statements and a computer's machine language . There is no single assembly language because there is no single type of computer CPU. Each assembly language is directly influenced by a computer's machine instruction set and hardware architecture..

Computer: A machine



Example 1: An automobile augments our power of locomotion

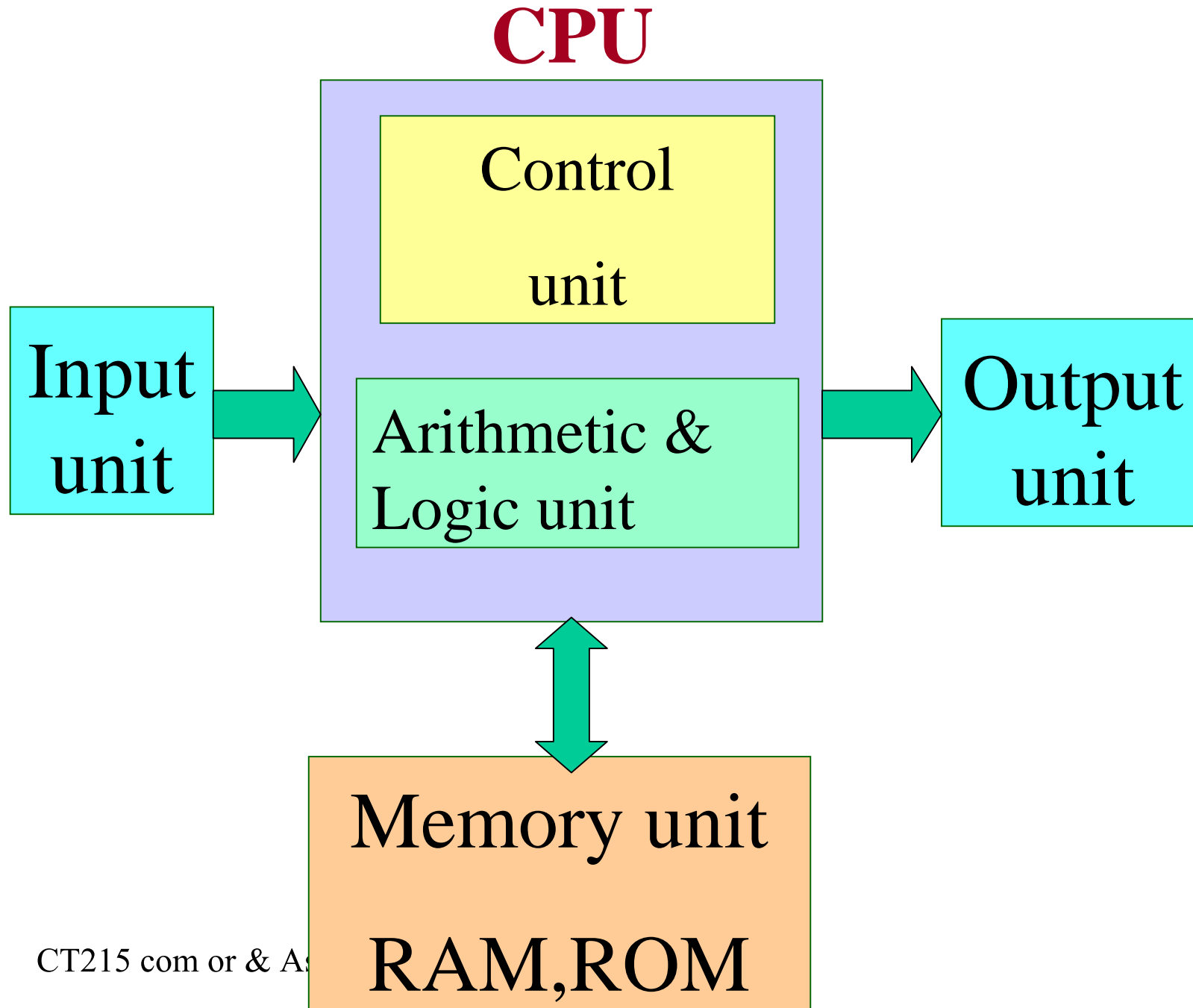
A computer is a device capable of solving problems according to designed program. It simply augments our power of storage and speed of calculation.



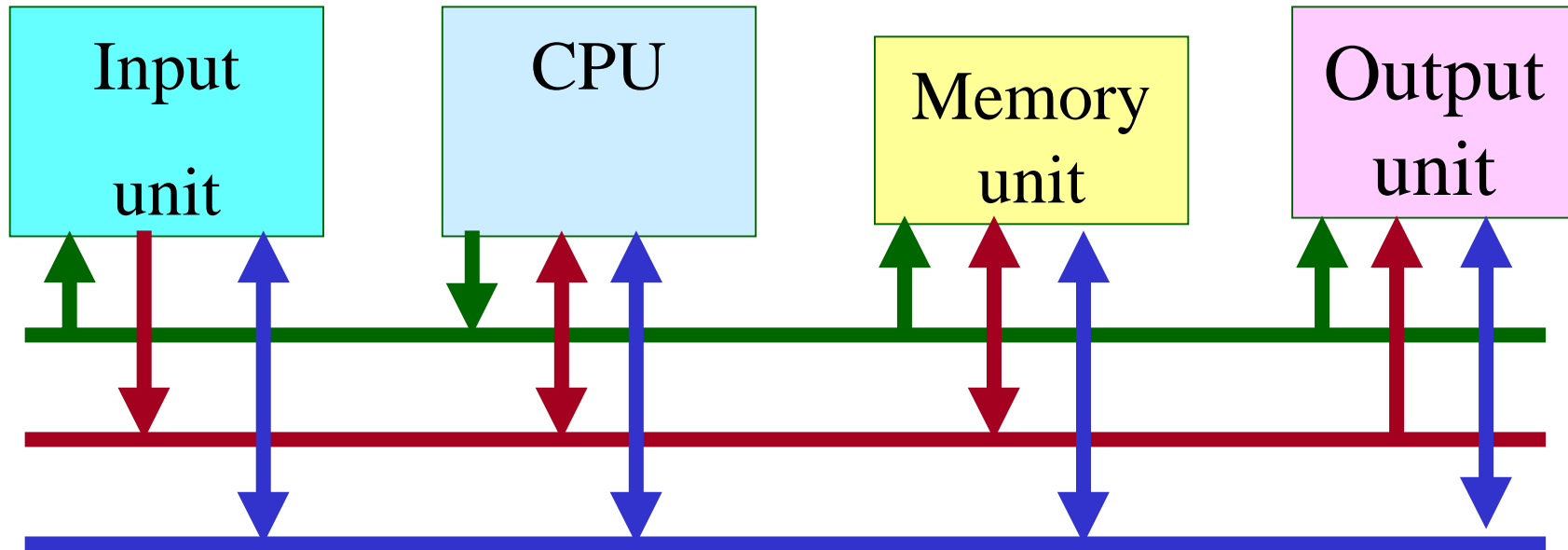
Basic Parts of a Computer

The five basic parts are:

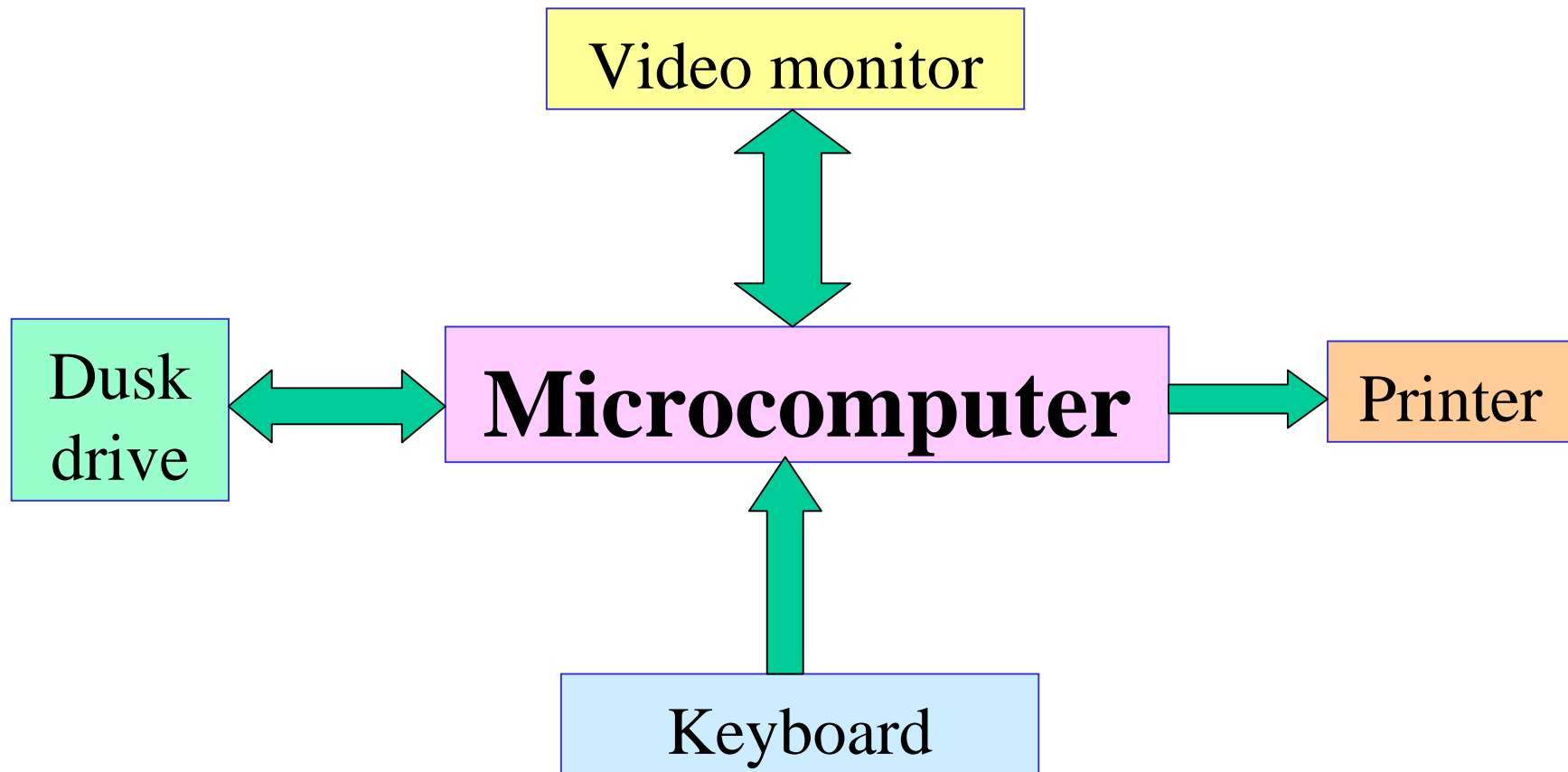
- The arithmetic & logic unit. (ALU)
- The control unit.
- The memory unit.
- The input unit.
- The Output unit.



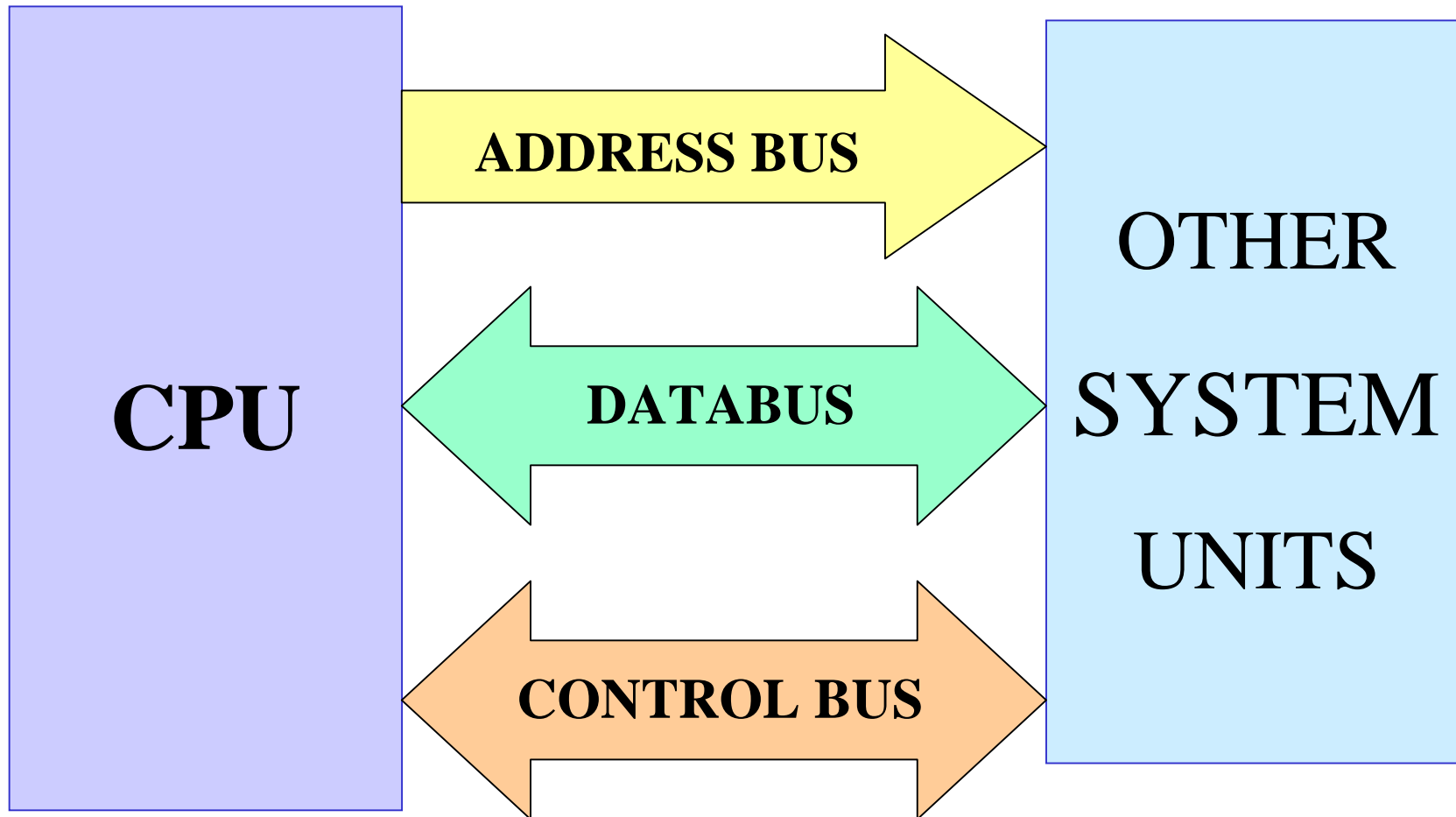
The Bus structure of a computer



A Typical Microcomputer system



THE **CPU** INTERFACE AND COMMUNICATIONS



Various components of a computer

Headphone
(Output)

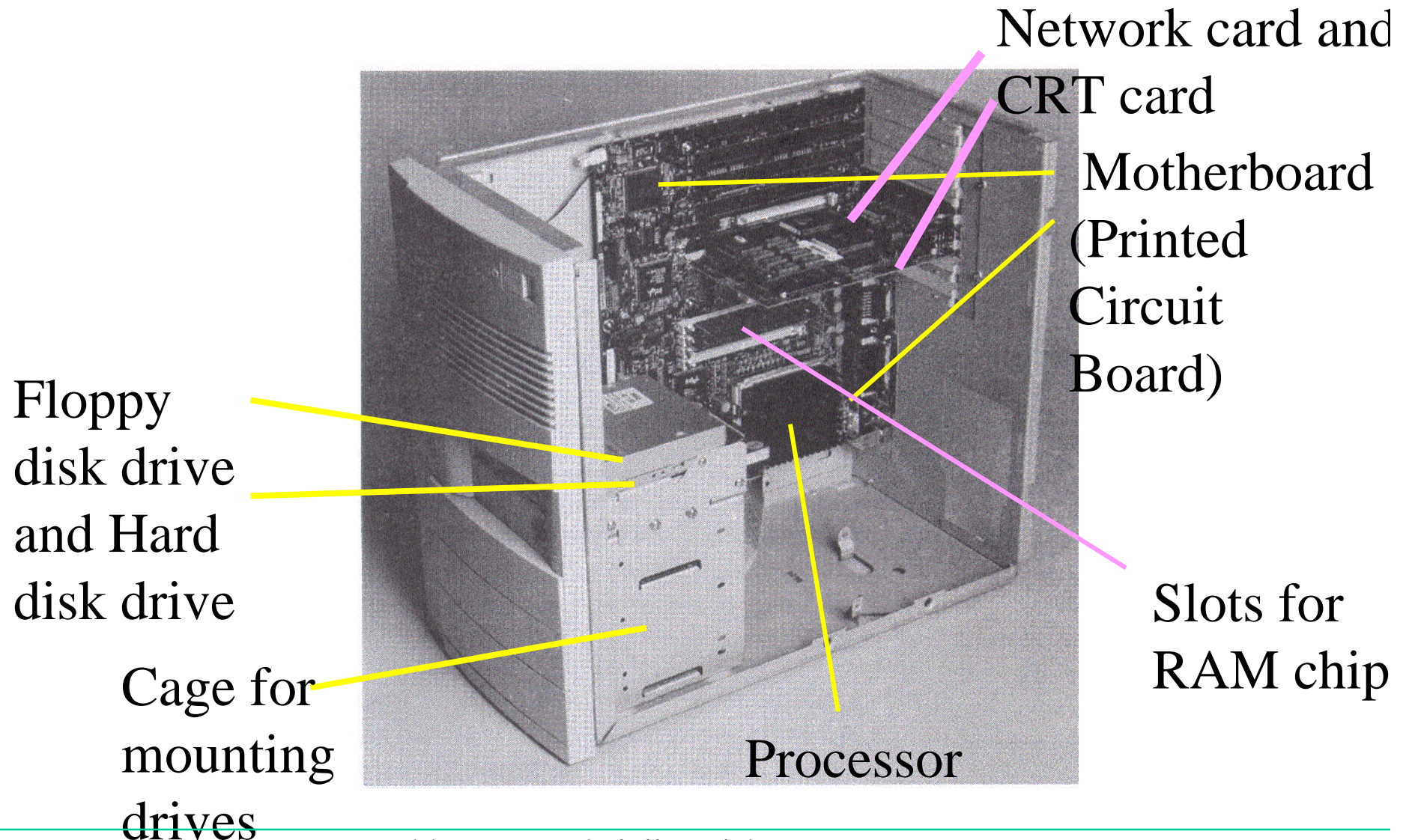
Monitor
(Output)

Hardware
box (has
processor,
memory,
buses
etc.)

Mouse and Keyboard (Input)

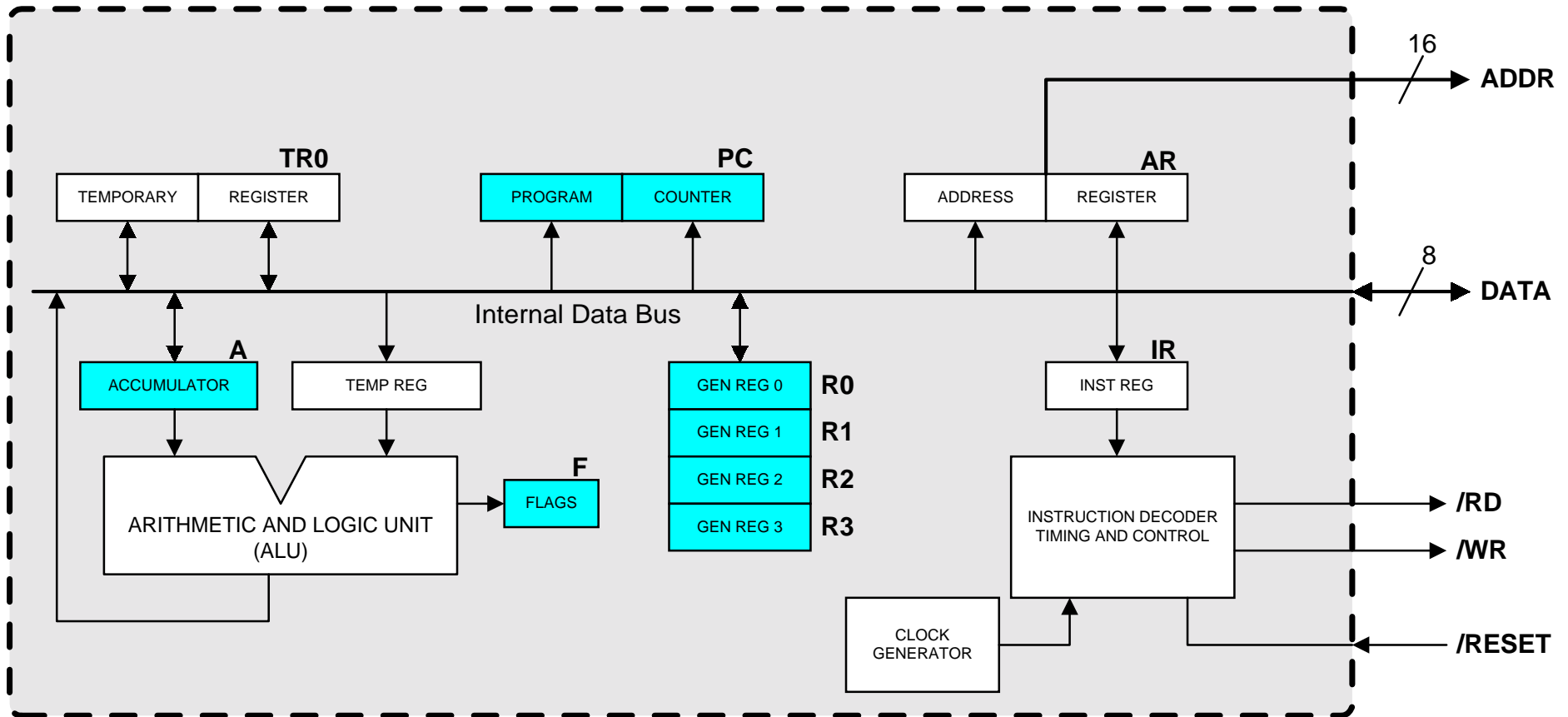


Where are the components in my Computer?



Intel Microprocessor on IBM PC

Simple MP Architecture



สถาปัตยกรรมของ 8088

	Internal Bus	External Bus	Memory
MP	16	16	1 MB
MP 8088	16	8	1 MB
MP 80286	16	16	16 MB
MP 80386DX	32	32	4 GB
MP 80386 SX	16	24	16 MB
MP 80486 DX	32	32	4 GB
Pentium	32/64	32/64	4 GB

Microprocessor 8 bit

1972 บริษัทอินเทล ได้ผลิตจำหน่ายออกสู่ตลาดคือ **8008** มีหน่วยความจำขนาดเวิร์ดละ 8 บิตความจุ 16 กิโลไบต์ มีคำสั่งทั้งหมด 48 คำสั่ง

1974 ได้ผลิต **8080** เป็น 8 บิตรุ่นใหม่ มีความจุ 64 กิโลไบต์ทำงานเร็วกว่า 8008 มากกว่า 10 เท่า มีคำสั่ง 78 คำสั่ง

1977 ได้ผลิต **8085** มีความเร็วกว่า 8080 โดยการรวมเอาส่วนควบคุมและส่วนกำเนิดสัญญาณนาฬิกาไว้ในชิพเดียวกันและเป็นที่ยอมรับใช้ ผลิตชิพชนิดนี้ขายได้มากกว่า 1 ร้อยล้านชิพ

Microprocessor 16 bit

1978: บริษัทอินเทล ได้ผลิต **8086** และปีต่อมาได้ผลิต **8088** ไมโครโปรเซสเซอร์ทั้งสองมีขนาด 16 บิต สามารถอ้างอิงหน่วยความจำได้ถึง 1 MB

1982: **80286** เป็นการพัฒนามาจาก 8086 สามารถอ้างอิงแอดเดรสได้ 16 MB ความเร็วจาก 8 เมกกะเฮิรตซ์ เป็น 16 เมกกะเฮิรตซ์

Microprocessor 32 bit

1985: บริษัทอินเทล ได้ผลิตไมโครโปรเซสเซอร์ 32 บิต คือ **80386**

1986: **80486** มีความเร็ว 33 เมกกะเฮิรตซ์ มีความจุหน่วยความจำ 4 GB

1993: Pentium Microprocessor : เป็นไมโครโปรเซสเซอร์ ขนาด 32/64 บิต ปัจจุบันได้พัฒนาจาก **Pentium I , II , III** , เป็นที่นิยมใช้งานในปัจจุบันและยังมี ไมโครโปรเซสเซอร์ที่ทำงานร่วมกันได้ (Compatible) อีกหลายบริษัท

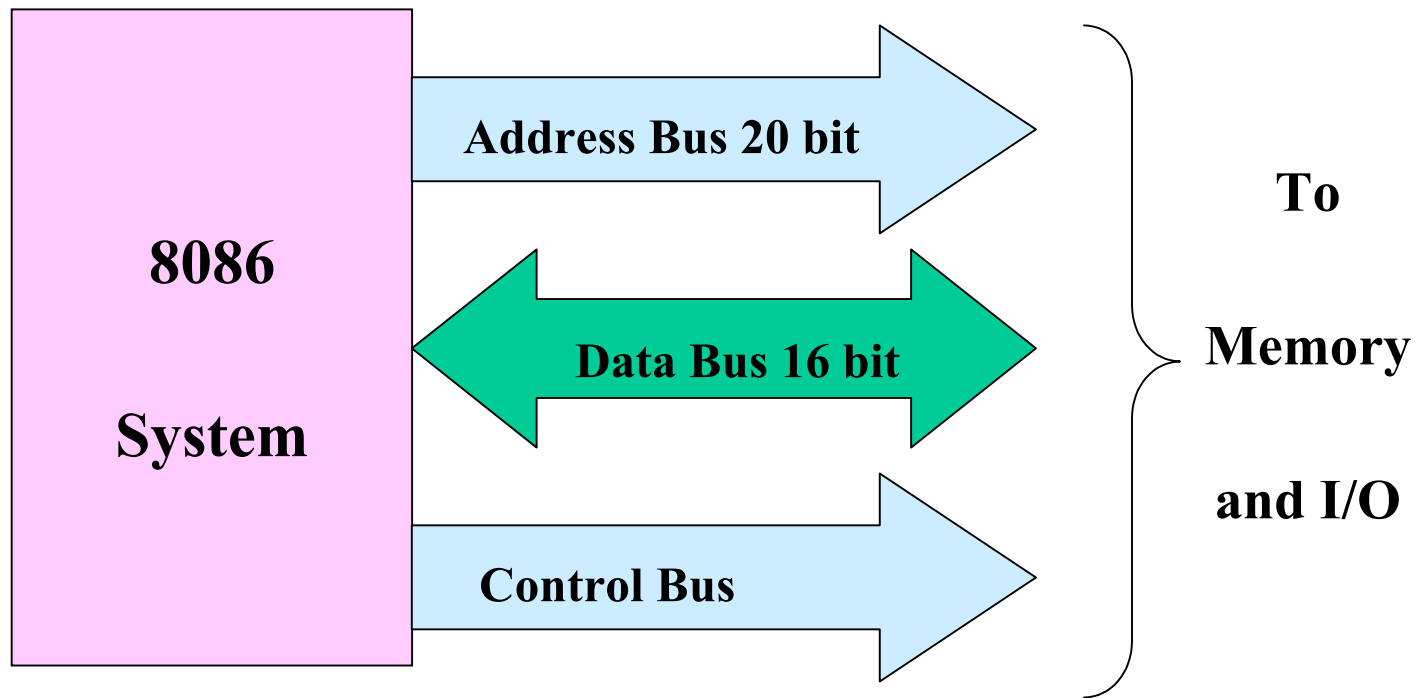
2000: Pentium 4 Processor based PCs
can create professional quality movies ;deliver
TV-like video via communicate with real time
video and voice; quick encode music for MP3
players and run multimedia applications

2001 : Intel Xeon Processor

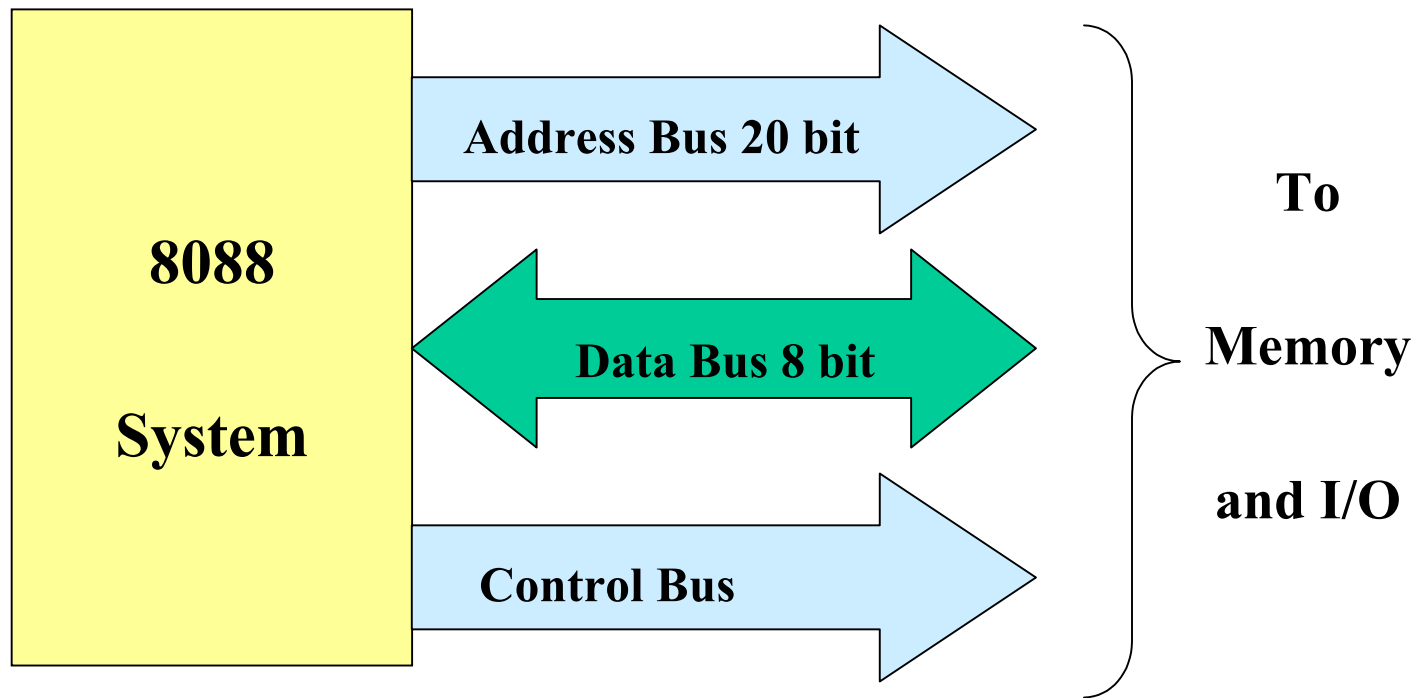
2002 : Intel Itanium Processor

designed for high end ,enterprise servers
and workstations was built new
architecture (parallel instruction design)

Microprocessor 8086



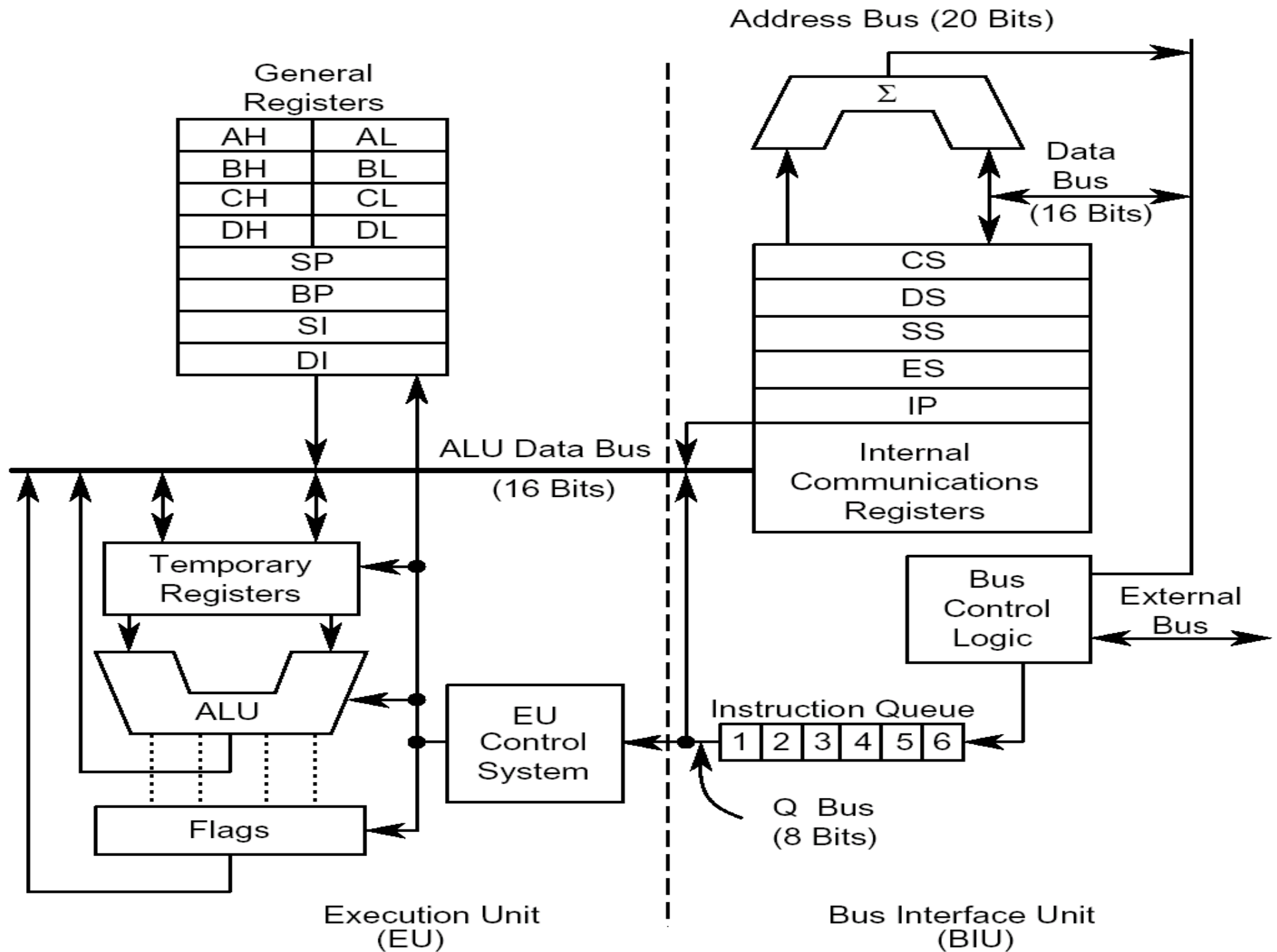
Microprocessor 8088



Organization of the IBM PC

Programming Model

การเขียนโปรแกรมจำเป็นต้องทำความเข้าใจถึง โครงสร้างทางคอมพิวเตอร์ (Computer Organization) ว่าโครงสร้างประเภทใดที่นักเขียนโปรแกรมมองเห็นในคอมพิวเตอร์ที่เราต้องการศึกษาการทำงานของชุดคำสั่ง IBM PC ได้แบ่งโครงสร้างของรีจิสเตอร์ออกเป็น 3 กลุ่ม ได้แก่ รีจิสเตอร์ใช้งานทั่วไป รีจิสเตอร์ที่เป็นพอยเตอร์และอินเดกซ์ รีจิสเตอร์เซกเมนต์ นอกจากนี้แล้วยังมี แพลกรีจิสเตอร์เพื่อแสดงสถานะการทำงานของซีพียู



EU

Data Registers

Data	Accumulator	AX	AH	AL
	Base	BX	BH	BL
	Count	CX	CH	CL
	Data	DX	DH	DL

Pointer & Index Registers

Pointer & Index	Stack Pointer	SP
	Base Pointer	BP
	Source Index	SI
	Destination Index	DI

Flags Registers

Flags	F
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BIU

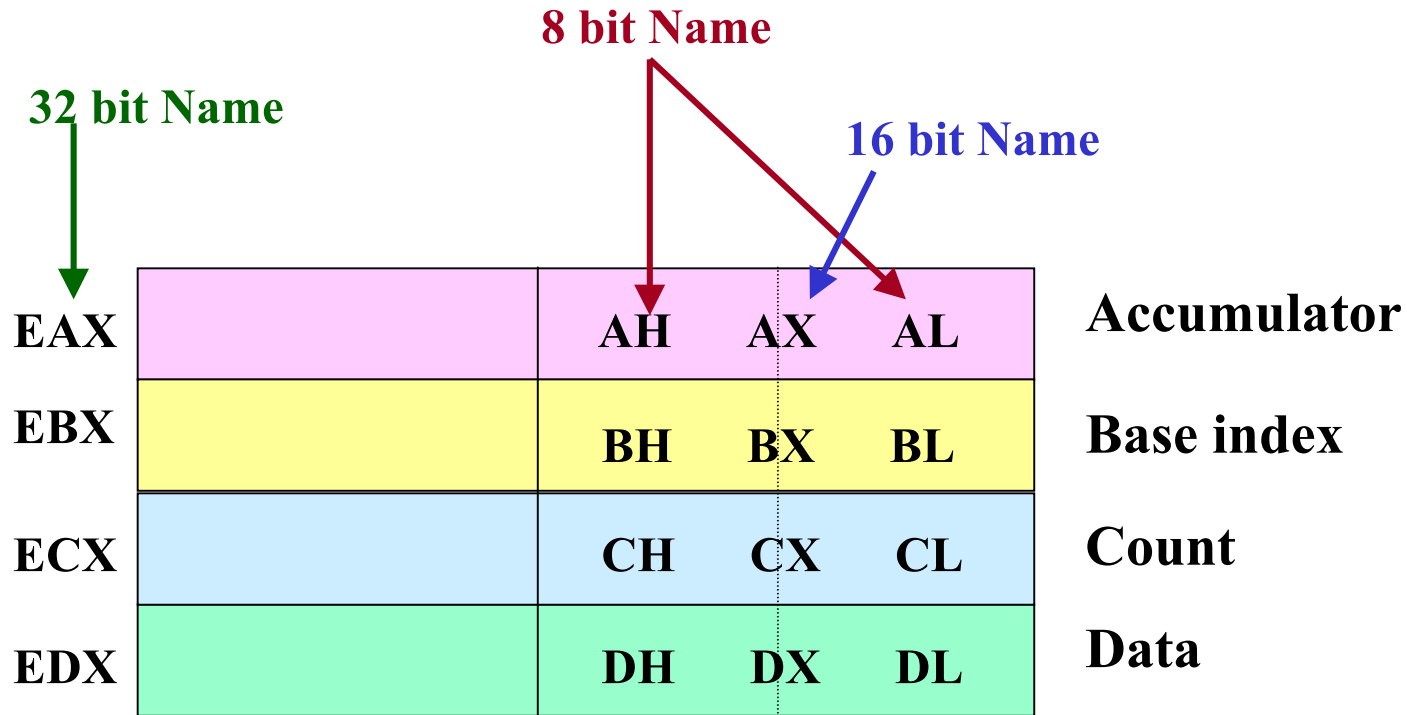
Segment Registers

CS	Code
DS	Data
ES	Extra
SS	Stack

Instruction Pointer

IP

General purpose registers



General Purpose Registers

Registers :

- Data register
- Address register
- Status register
- Index register
- Segment register

ESP		SP	Stack pointer
EBP		BP	Base pointer
EDI		DI	Destination index
ESI		SI	Source index
EIP		IP	Instruction pointer
FLAGS		FLAGS	FLAGS

Base & Index Registers

CS	CODE
DS	DATA
ES	EXTRA
SS	STACK
FS	
GS	

Note : 1. No special names are driven to the FS and GS registers.

Segment Register

CT

EAX		AH AX AL	Accumulator
EBX		BH BX BL	Base index
ECX		CH CX CL	Count
EDX		DH DX DL	Data
ESP		SP	Stack pointer
EBP		BP	Base pointer
EDI		DI	Destination index
ESI		SI	Source index
EIP		IP	Instruction pointer
FLAGS		FLAGS	FLAGS

EU

8086 Microprocessor

There are two main components

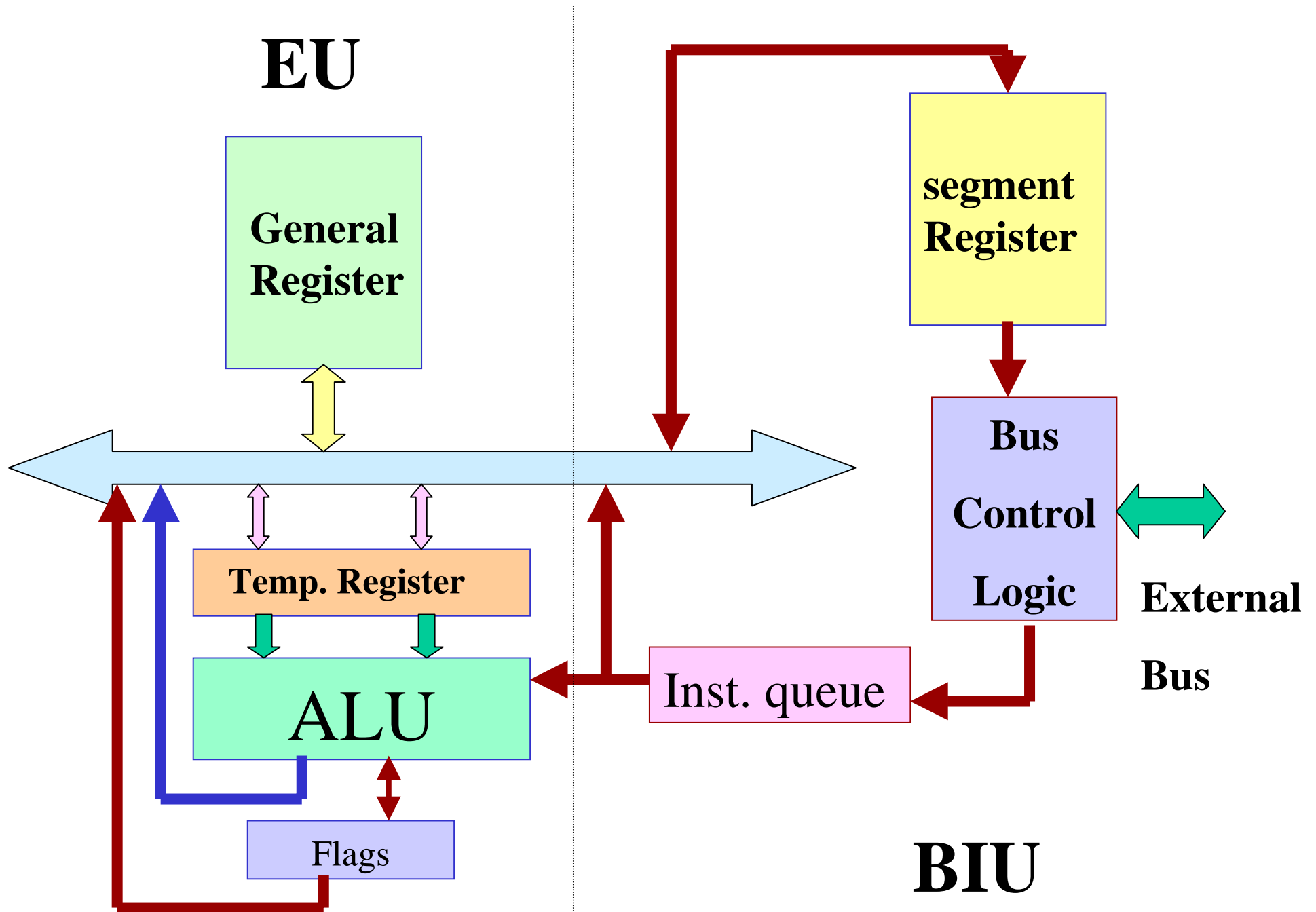
- The Execution unit
- The Bus interface unit

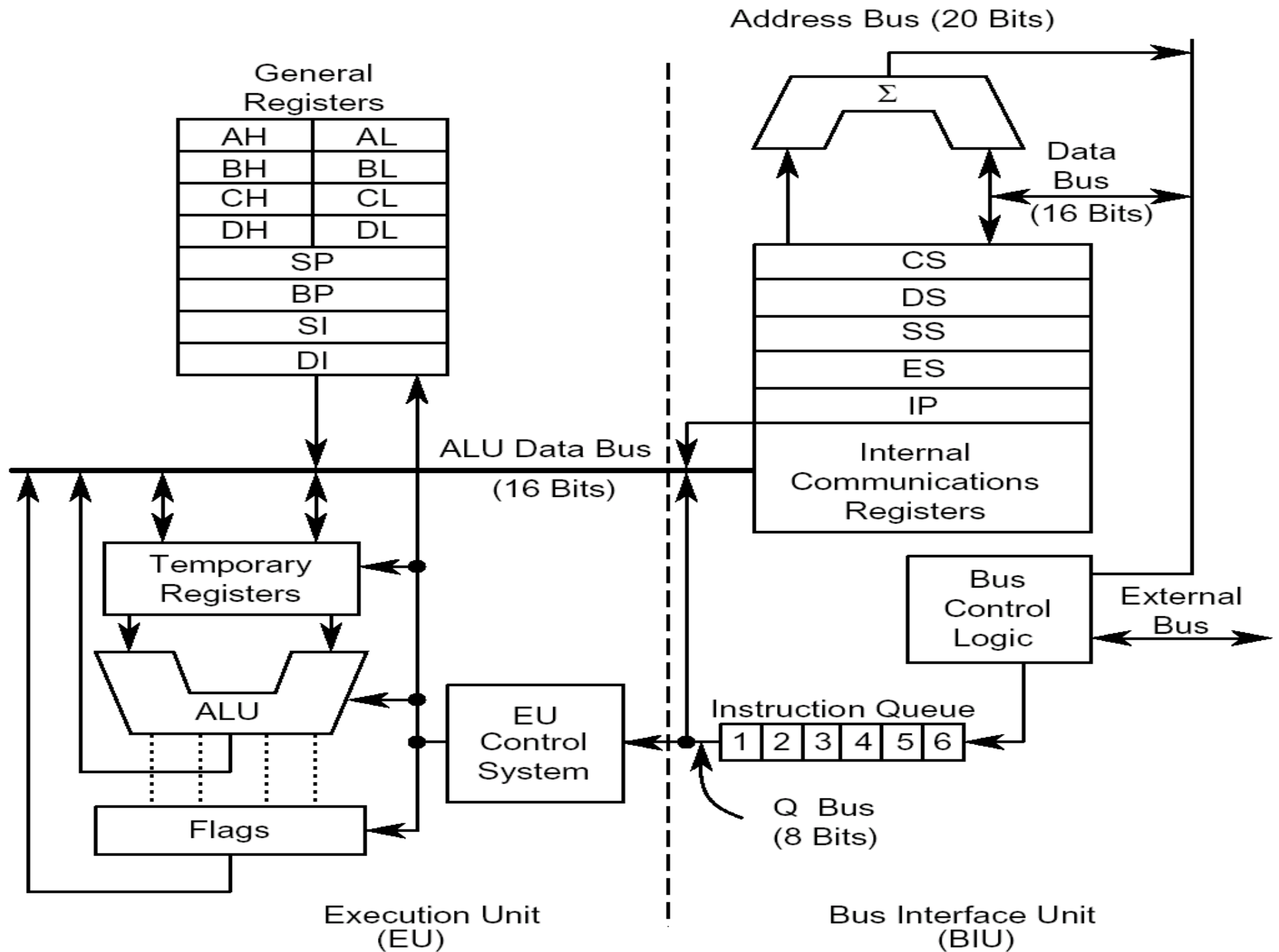
The Execution unit (EU) is to execute instructions. It contains a circuit called the arithmetic and logic unit (ALU) . The ALU can perform arithmetic (+ , - , * , /) and logic (AND , OR , NOT) The data for operations are stored in circuit called Registers A register is like a memory location except that we normally refer to it by a name rather than a number. The EU has eight registers for storing data; their names are AX , BX , CX , DX , SI , DI , BP ,SP and FLAGS register

Bus interface Unit (BIU)

Bus interface unit (BIU) facilitates communication between the EU and memory or I/O circuits. It is responsible for transmitting address, data, and control signals on the buses. Its registers are named CS, DS, ES, SS, IP; they hold addresses of memory locations. The IP contains the address of the next instruction to be executed by the EU.

The EU and The BIU are connected by an internal bus. And they work together. While the EU is executing an instruction, the BIU fetches up to six bytes of the next instruction and places them in the instruction queue. This operation is called *Instruction prefetch*. The purpose is to speed up the processor .





I/O Ports : I/O devices connected to the computer through I/O circuits. Each of these circuits contains several register called ***I/O Ports*** .Some are used for data while others are used control commands. Like memory locations , the I/O ports have address and are connected to the bus system. These address are known as I/O address and can only be use in input or output instructions.

Serial and Parallel Ports:

The data transfer between an I/O port and an I/O devices can be 1 bit at a time (serial) or 8 bit or 16 bit at a time (parallel). A parallel port requires more wiring connections, while serial port tends to slower . Slow devices , like the keyboard, always connect to a serial port, and fast devices , like the disk drive , always connect to a parallel port. But some devices like the printer , can connect to either a serial or a parallel port.

Instruction Execution :

To understand how the CPU operates, let's look at how an instruction is executed. First of all, a machine instruction has two parts: an **opcode** and **Operands**. The opcode specifies the type of operation and operands are often given as memory address to the data to be operated on. The CPU goes through the following steps to execute a machine instruction. (**Fetch-Execute cycle**)

Fetch:

1. Fetch an instruction from memory
2. Decode the instruction to determine the operation
3. Fetch data from memory necessary.

Execute:

1. Perform the operation on the data
2. Store the result in memory if needed.

I/O Devices:

- Magnetic disk (Hard disk, Floppy disks)
- Keyboard
- Display monitor
- Printers

Programming Languages:

The operations of computer's hardware are controlled by its software. When the computer is on, it is always in the process of executing instructions. To fully understand the computer's operation, we must also study instructions.

Machine Language :

A CPU can only execute machine language instructions. As we've seen, they are bit strings. The following is a short machine language program for IBM PC.

Machine instruction

Operation

10100001 00000000 00000000

Fetch the content of memory

word 0 and put it in Register AX

00000101 00000100 00000000

Add 4 to AX

10100011 00000000 00000000

Store AX in memory word 0.

Assembly Language :

More convenient language to use is assembly language . In assembly language, we use symbolic names to represent operations, registers, and memory locations. If location 0 is symbolized by A , The preceding program expressed in IBM PC assembly language would look like this:

Assembly Language

Comment

MOVE AX,A ; Fetch content of location A and
 put it in AX

ADD AX,4 ; Add 4 to AX

MOV A,AX ; move content Ax to location A

High Level Languages :

Advantages:

- Closer to natural language , It's easier to convert a natural language algorithm to a high level language program than to an assembly language program.
- An assembly language program generally contains more statements than an equivalent high level language program , so more time is needed to code the assembly language program.

- Because each computer has its own unique assembly language, Assembly language program can be executed on any machine that has a compiler for the language.

Advantage of Assembly languages:

- Assembly language is close to machine language.
- Faster
- Some operation, such as reading or writing to specific memory locations and I/O ports can be done easily
- ASM is necessary for subprograms in high level language.

Basic Features of PC Hardware

Objective

- Information Representation
- PC Computer Hardware Organization

Information Representation

- Size
 - Bits and Bytes
- ASCII Code
- Numerical code
 - Unsigned Binary System
 - Signed and Magnitude System
 - 1's Complement System
 - 2's Complement System
 - Hexadecimal System

Information Representation

Computers use binary number system to store information as 0's and 1's

Bits

- A *bit* is the fundamental unit of computer storage
- A bit can be 0 (off) or 1 (on)
- Related bits are grouped to represent different types of information such as numbers, characters, pictures, sound, instructions

Bytes

Bytes

- A *byte* is a group of 8 bits that is used to represent numbers and characters
- An additional bit is for parity check (error checking for storage/transmission)
- A byte consists of 8 data bits and 1 parity bit
- A standard code for representing numbers and characters is ASCII (American Standard Code for Information Interchange)

Byte Size

Bytes

- How many different combinations of 0's and 1's with 8 bits can form?
- In general, how many different combinations of 0's and 1's with N bits can form?
- How many different characters that a byte (8 bits) can represent?

Related Bytes

- A *nibble* is a half-byte (4-bit) - hex representation
- A *word* is a 2-byte (16-bit) data item
- A *doubleword* is a 4-byte (32-bit) data item
- A *quadword* is an 8-byte (64-bit) data item
- A *paragraph* is a 16-byte (128-bit) area
- A *kilobyte* (KB) is $2^{10} = 1,024$ bytes (K bytes)
- A *megabyte* (MB) is $2^{20} = 1,048,576$? 1 MB
- A *Gigabyte* (GB) is $2^{30} = 1,073,741,824$? 1 GB

Representation Codes

- ASCII code
- Numerical codes
 - Unsigned binary code
 - Signed binary code
 - Hexadecimal notation

ASCII Code

- **ASCII: American Standard Code for Information Interchange.**
- **Used to represent characters and textual information**
- **Each character is represented with 1 byte**
 - **upper and lower case letters: a..z and A..Z**
 - **decimal digits -- 0,1,...,9**
 - **punctuation characters -- ; , . :**
 - **special characters -- \$ & @ / {**
 - **control characters -- carriage return (CR) , line feed (LF), beep**

Examples of ASCII Code

Bit contents (S):

01010011

Bit position:

76543210

S ↔ 83 (binary) , 53 (hex)

Bit contents (8):

00111000

Bit position:

76543210

8 ↔ 56 (binary) , 38 (hex)

ASCII Code in Binary and Hex

Character	Binary	Hex
A	0100 0001	41
D	0100 0100	44
a	0110 0001	61
?	0011 1111	3F
2	0011 0010	32
DEL	0111 1111	7F

Numerical Codes

- Unsigned number system
- Signed and magnitude system
- 1's complement system
- 2's complement system
- Hexadecimal system

Binary Number System

- base 10 -- has ten digits: 0,1,2,3,4,5,6,7,8,9
 - positional notation

$$2401 = 2 \cdot 10^3 + 4 \cdot 10^2 + 0 \cdot 10^1 + 1 \cdot 10^0$$

- base 2 -- has two digits: 0 and 1
 - positional notation

$$\begin{aligned} 1101_2 &= 1 \cdot 2^3 + 1 \cdot 2^2 + 0 \cdot 2^1 + 1 \cdot 2^0 \\ &= 8 + 4 + 0 + 1 = 13 \end{aligned}$$

Binary Positional Notation

If

$$N = b_{n-1}b_{n-2} \dots b_1b_0$$

then

$$N = b_{n-1} \cdot 2^{n-1} + b_{n-2} \cdot 2^{n-2} + \dots + b_0 \cdot 2^0$$

Unsigned Binary Code

Use for representing integers without signed
(natural numbers)

0	0000	8	1000
1	0001	9	1001
2	0010	10	1010
3	0011	11	1011
4	0100	12	1100
5	0101	13	1101
6	0110	14	1110
7	0111	15	1111

Number of Bits Required in Unsigned Binary Code

- What is the range of values that can be represented with *n bits* in the Unsigned Binary Code?

$$[0, 2^n - 1]$$

- How many bits are required to represent a given number N in decimal?

$$\text{Min. Number of Bits} = \log_2(N+1)$$

Unsigned Conversion

- Convert an unsigned binary number to decimal
use positional notation (polynomial expansion)
- Convert a decimal number to unsigned Binary
use successive division by 2

Examples

- Represent 26_{10} in unsigned Binary Code

$$26_{10} = 11010_2$$

- Represent 26_{10} in unsigned Binary Code using 8 bits

$$26_{10} = 00011010_2$$

- Represent $(26)_{10}$ in Unsigned Binary Code using 4 bits -- **not possible**

Signed Binary Codes

These are codes used to represent positive and negative numbers.

- Signed and Magnitude System
- 1's Complement System
- 2's Complement System

Signed and Magnitude

- The most significant (left most) bit represent the sign bit
 - 0 is positive
 - 1 is negative
- The remaining bits represent the magnitude

Examples of Signed & Magnitude

Decimal	5-bit Sign and Magnitude
+5	00101
-5	10101
+13	01101
-13	11101

Signed and Magnitude in 4 bits

0	0000	-0	1000
1	0001	-1	1001
2	0010	-2	1010
3	0011	-3	1011
4	0100	-4	1100
5	0101	-5	1101
6	0110	-6	1110
7	0111	-7	1111

Examples

Decimal	Signed	8-bit Signed
----------------	---------------	---------------------

26_{10}	011010_2	00011010_2
-----------	------------	--------------

-26_{10}	111010_2	10011010_2
------------	------------	--------------

1's Complement System

- Positive numbers:
 - same as in unsigned binary system
 - pad a 0 at the leftmost bit position
- Negative numbers:
 - convert the magnitude to unsigned binary system
 - pad a 0 at the leftmost bit position
 - complement every bit

Examples of 1's Complement

Decimal	5-bit 1's complement
5	00101
-5	11010
13	01101
-13	10010

1's Complement in 4 bits

0	0000	-0	1111
1	0001	-1	1110
2	0010	-2	1101
3	0011	-3	1100
4	0100	-4	1011
5	0101	-5	1010
6	0110	-6	1001
7	0111	-7	1000

Examples

Decimal	Signed	8-bit Signed
----------------	---------------	---------------------

26_{10}	011010_2	00011010_2
-----------	------------	--------------

-26_{10}	100101_2	11100101_2
------------	------------	--------------

2's Complement System

- Positive numbers:
 - same as in unsigned binary system
 - pad a 0 at the leftmost bit position
- Negative numbers:
 - convert the magnitude to unsigned binary system
 - pad a 0 at the leftmost bit position
 - complement every bit
 - add 1 to the complement number

Examples of 2's Complement

Decimal	5-bit 2's complement
5	00101
-5	11011
13	01101
-13	10011

2's Complement in 4 bits

0	0000	-1	1111
1	0001	-2	1110
2	0010	-3	1101
3	0011	-4	1100
4	0100	-5	1011
5	0101	-6	1010
6	0110	-7	1001
7	0111	-8	1000

Examples

Decimal	Signed	8-bit Signed
----------------	---------------	---------------------

26_{10}	011010_2	00011010_2
-----------	------------	--------------

-26_{10}	100110_2	11100110_2
------------	------------	--------------

More Examples

- Represent 65 in 2's complement

$$65 = 0100\ 0001_2$$

- Represent -65 in 2's complement

$$-65 = 1011\ 1111_2$$

Convert 2's Complement to decimal

Positive 2's complement numbers

- convert the same as in unsigned binary

Negative 2's complement numbers

- complement the 2's complement number
- add 1 to the complemented number
- convert the same as in unsigned binary

Examples

2's complement

00101

11011 \rightarrow 00100 + 1

01101

10011 \rightarrow 01100 + 1

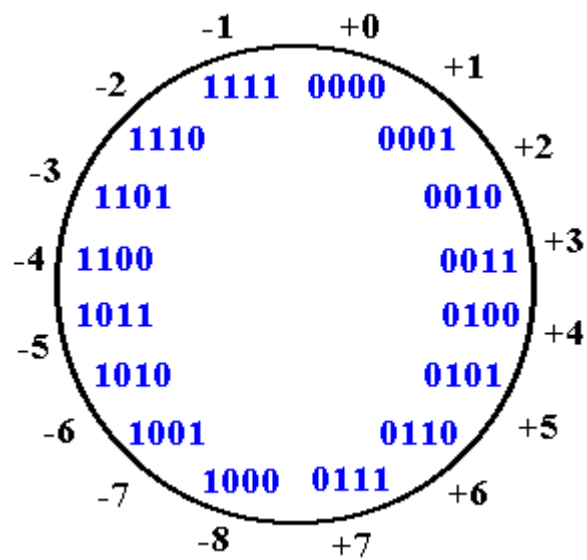
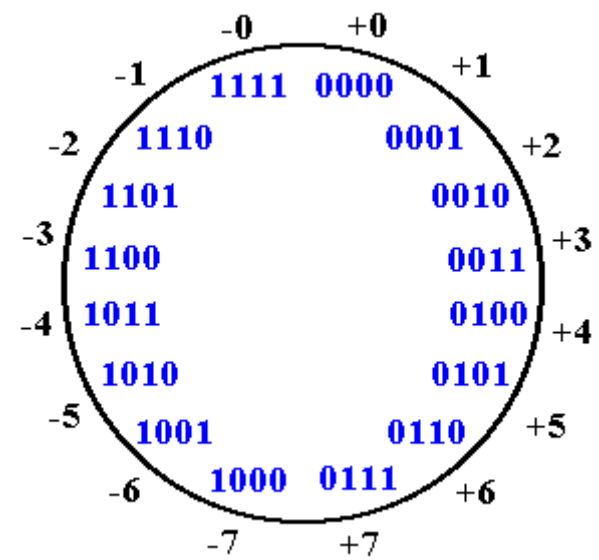
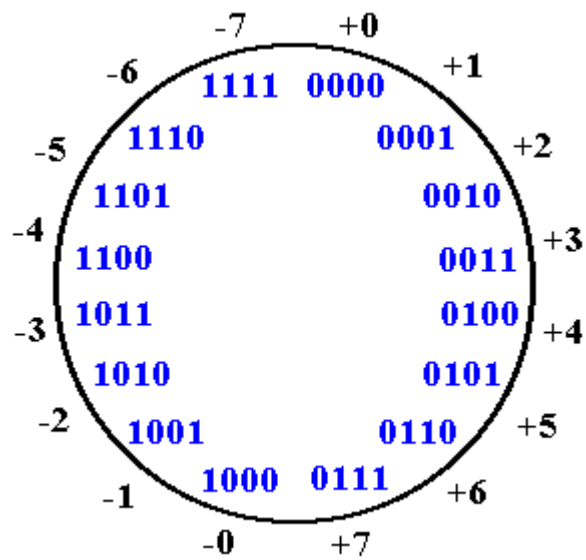
Decimal

4 + 1 = 5

4 + 1 = 5 \rightarrow -5

8 + 4 + 1 = 13

8 + 4 + 1 = 13 \rightarrow -13



Mathematical Formula

- **Formula to convert a decimal number to a 1's complement --**

$$N' = 2^n - N - 1$$

- **Formula to convert a decimal number to a 2's complement --**

$$N' = 2^n - N$$

where N is the binary number representing the decimal with n number of bits

Hexadecimal Notation

- base 16 -- has 16 digits:
0 1 2 3 4 5 6 7 8 9 A B C D E F
- each Hex digit represents a group of 4 bits
(i.e. half of a byte) 0000 to 1111
- use as a shorthand notation for convenient

Convert Binary ↔ Hex

Binary	Hex
1111 0110 b	F6 h
1001 1101 0000 1010 b	9D0A h
1111 0110 1110 0111 b	F6E7 h
1011011 b	5B h

Examples

- ASCII value of character 'D' in Hex

$$D = 0100\ 0100b_{\text{ASCII}} = 44h_{\text{ASCII}}$$

- Represent 37D in 2's complement using Hex.

$$37d = 010\ 0101b_{2's} = 0010\ 0101b_{2's} \\ = 25h_{2's}$$

- Represent -37d in 2's complement using Hex.

$$-37d = 101\ 1011b_{2's} = 1101\ 1011b_{2's} = DBh_{2's}$$

Convert Hex \longleftrightarrow Decimal

- Convert Hex to decimal

- use positional (polynomial expansion) notation

$$\begin{aligned} 3BAh &= 3 * 16^2 + B * 16^1 + A * 16^0 \\ &= 3 * 256 + 11 * 16 + 10 * 1 = 954d \end{aligned}$$

- Convert decimal to Hex

- Use successive divisions by 16

$$\begin{aligned} 359/16 \Rightarrow 22 \text{ R } 7, \quad 22/16 \Rightarrow 1 \text{ R } 6, \quad 1/16 \Rightarrow 0 \text{ R } 1 \\ 359d = 167h \end{aligned}$$

Covert Large Binary to Decimal

Convert 1001 0011 0101 1100_b to decimal

Method 1:

- Use polynomial expansion methods

Method 2:

- Convert number to hex, then convert it to decimal.

$$1001\ 0011\ 0101\ 1100_b = 935Ch$$

$$935Ch = 37724_d$$

Addition and Subtraction in Signed and Magnitude

$$\begin{array}{r} \text{(a)} \quad \begin{array}{r} 5 \\ +2 \\ \hline 7 \end{array} \quad \begin{array}{r} 0101 \\ +0010 \\ \hline 0111 \end{array} \end{array}$$

$$\begin{array}{r} \text{(b)} \quad \begin{array}{r} -5 \\ -2 \\ \hline -7 \end{array} \quad \begin{array}{r} 1101 \\ +1010 \\ \hline 1111 \end{array} \end{array}$$

$$\begin{array}{r} \text{(c)} \quad \begin{array}{r} 5 \\ -2 \\ \hline 3 \end{array} \quad \begin{array}{r} 0101 \\ +1010 \\ \hline 0011 \end{array} \end{array}$$

$$\begin{array}{r} \text{(d)} \quad \begin{array}{r} -5 \\ +2 \\ \hline -3 \end{array} \quad \begin{array}{r} 1101 \\ +0010 \\ \hline 1011 \end{array} \end{array}$$

Addition and Subtraction in 1's Complement

(a)

5	0101
+2	+0010
<hr/>	<hr/>
7	0111

(b)

-5	1010
-2	+1101
<hr/>	<hr/>
-7	1 0111
	1
	<hr/>
	1000

(c)

5	0101
-2	+1101
<hr/>	<hr/>
3	1 0010
	1
	<hr/>
	0011

(d)

-5	1010
+2	+0010
<hr/>	<hr/>
-3	1100

Addition and Subtraction in 2's Complement

(a)

$$\begin{array}{r} 5 \\ +2 \\ \hline 7 \end{array} \quad \begin{array}{r} 0101 \\ +0010 \\ \hline 0111 \end{array}$$

(b)

$$\begin{array}{r} -5 \\ -2 \\ \hline -7 \end{array} \quad \begin{array}{r} 1011 \\ +1110 \\ \hline \textcolor{red}{1} 1001 \end{array}$$

(c)

$$\begin{array}{r} 5 \\ -2 \\ \hline 3 \end{array} \quad \begin{array}{r} 0101 \\ +1110 \\ \hline \textcolor{red}{1} 0011 \end{array}$$

(d)

$$\begin{array}{r} -5 \\ +2 \\ \hline -3 \end{array} \quad \begin{array}{r} 1011 \\ +0010 \\ \hline 1101 \end{array}$$

Theoretical Facts

- Why is the carry out from adding 1's complements added to the sum?
- Why is the carry out from adding 2's complements dropped?

Overflow Conditions

Carry-in ? carry-out

	0111		1000	
5	0101		-5	1011
+3	+0011		-4	+1100
-8	1000		7	10111

Carry-in = carry-out

	0000		1110	
+5	0101		-2	1110
+2	+0010		-6	+1010
7	0111		-8	11000

Addition and Subtraction in Hexadecimal System

Addition

$$\begin{array}{r} (9F1B)_{16} + (4A36)_{16} : \quad 1 \quad 1 \\ \quad \quad \quad + \quad \quad \quad \begin{array}{r} 9F1B \\ 4A36 \\ \hline E951 \end{array} \end{array}$$

Subtraction

$$\begin{array}{r} (9F1B)_{16} - (4A36)_{16} : \quad 16 \\ \quad \quad \quad - \quad \quad \quad \begin{array}{r} 9F1B \\ 4A36 \\ \hline 54E5 \end{array} \end{array}$$