

# Exploiting Spatiotemporal User Behaviours for User Linkage

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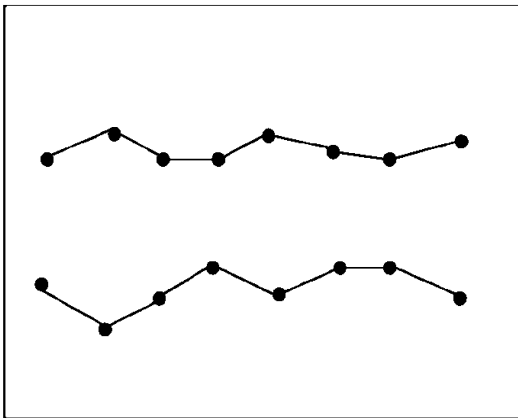
# Outline

- Introduction
- Problem Statement
- Feature Extraction
- Similarity Measure
- Experiments
- Conclusion

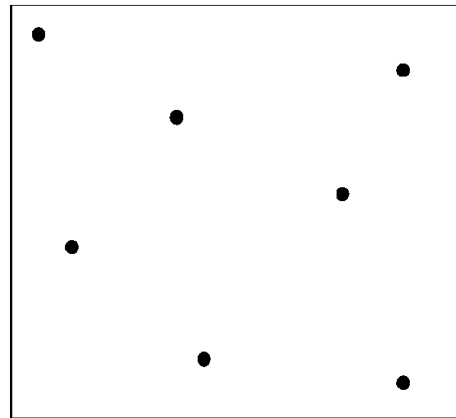


# Introduction

- The proliferation of GPS-enabled devices and mobile techniques has led to the emergence of large amount of spatiotemporal information.
  - **Trajectory data**: adjacent points of a trajectory are sampled in a short time period.
  - Discrete **check-in data** in social network: the time between two check-ins is usually large.



Trajectory



Discrete check-in record



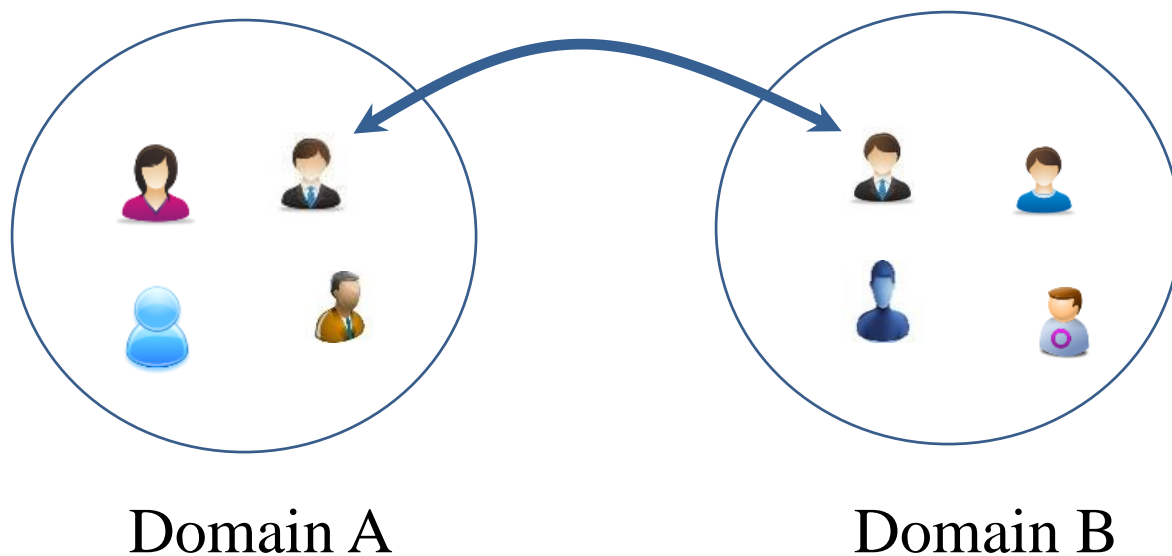
# Introduction

- Spatiotemporal data based studies:
  - Route planning in road networks
  - Activity trajectory recommendation
  - Understand human mobility pattern
  - ... ..
  - Cross-domain user linkage with spatiotemporal data [1]
  - [1] C. Riederer, Y. Kim, A. Chaintreau, N. Korula, and S. Lattanzi. Linking users across domains with location data: Theory and validation. In WWW, 2016, pp. 707–719.



# Introduction

- Cross-domain user linkage: link the same user across different domains

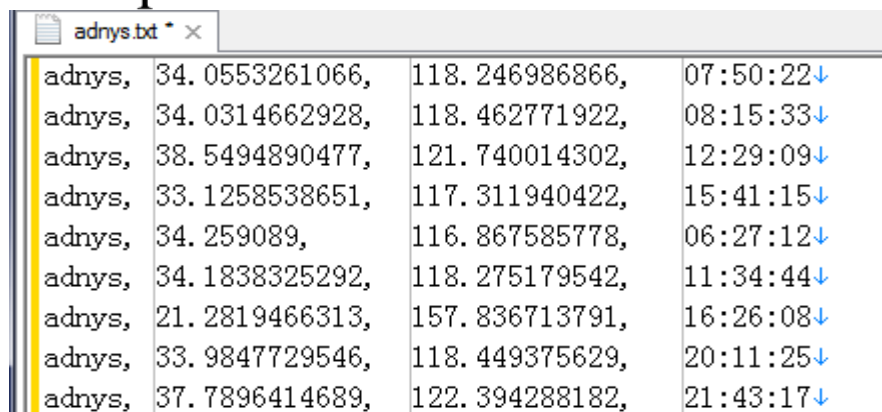


- Example: Facebook---Twitter



# Problem Statement

- Spatiotemporal record
  - A spatiotemporal record on both trajectory data and check-in data is defined as:  $d = (u, lat, lng, t)$
  - $u$ : the unique id of a user
  - $lat$ : latitude of the record
  - $lng$ : longitude of the record
  - $t$ : timestamp of the record
- Example

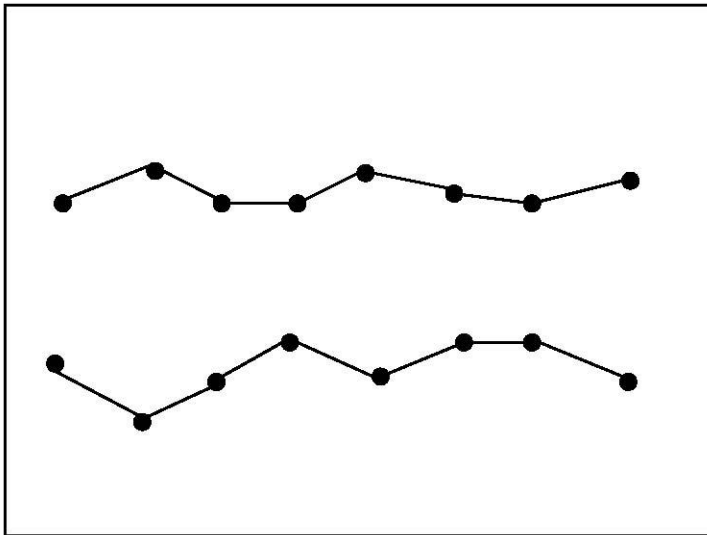


adnys,	34.0553261066,	118.246986866,	07:50:22↓
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adnys,	38.5494890477,	121.740014302,	12:29:09↓
adnys,	33.1258538651,	117.311940422,	15:41:15↓
adnys,	34.259089,	116.867585778,	06:27:12↓
adnys,	34.1838325292,	118.275179542,	11:34:44↓
adnys,	21.2819466313,	157.836713791,	16:26:08↓
adnys,	33.9847729546,	118.449375629,	20:11:25↓
adnys,	37.7896414689,	122.394288182,	21:43:17↓



# Problem Statement

- Two kinds of important data
  - Check-in data, which can be used to extract features directly.
  - Trajectory data, which needs preprocessing before extracting features.



Trajectory



# Problem Statement

- **Stay point [2]:** a stay point  $s$  stands for a geographic region where a user stayed over a certain time interval.
  - Given a trajectory  $\tau = (p_1, p_2, \dots, p_n)$ , if there exists a group of consecutive points  $P = (p_i, p_{i+1}, \dots, p_j)$  of  $\tau$  such that  $\forall i < k \leq j$ ,  $Distance(p_i, p_k) \leq \delta_d$  and  $|p_j.t - p_k.t| \geq \delta_d$  then we have a stay point  $s$  in the form of

$$(s.lat, s.lng) = \left( \frac{\sum_{k=i}^j p_k.lat}{|P|}, \frac{\sum_{k=i}^j p_k.lng}{|P|} \right)$$

- [2] Y. Zheng, L. Zhang, X. Xie, and W. Y. Ma. Mining interesting locations and travel sequences from GPS trajectories. In WWW, 2009, pp. 791-800.



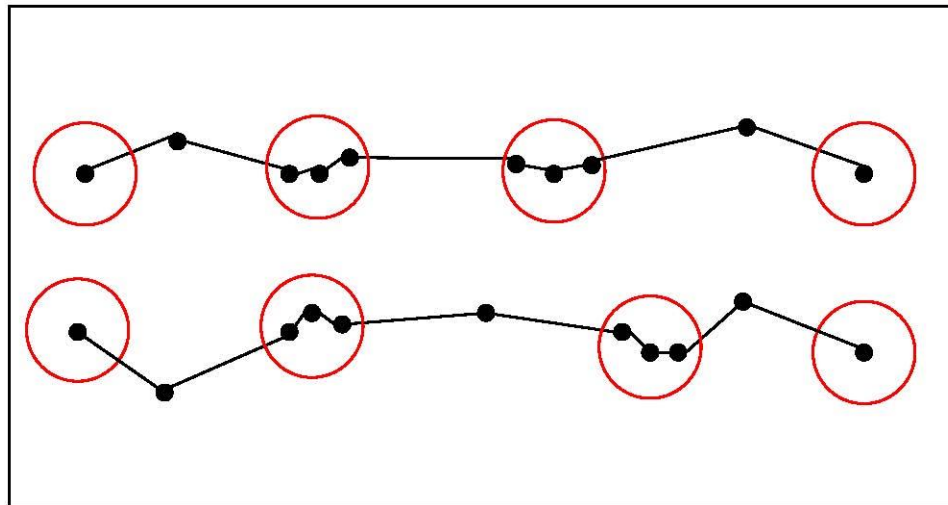


# Problem Statement

- Stay region candidate point

- Given a trajectory  $\tau = (p_1, p_2, \dots, p_n)$ , the start point  $p_1$ , the end point  $p_n$ , each point of  $P$  is defined as stay region candidate point, denoted as  $r_c$ .

- Example



Trajectory



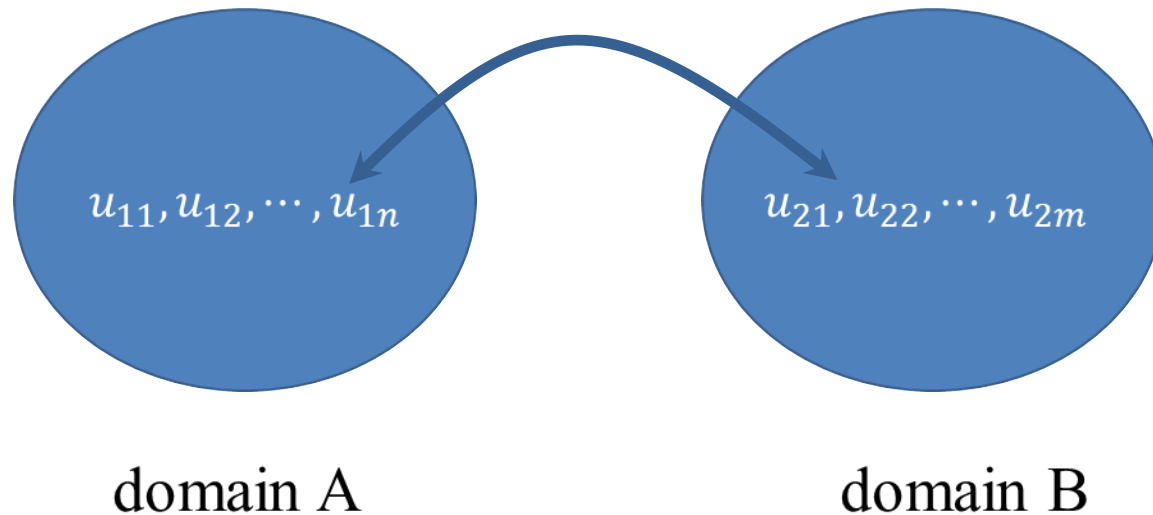
# Problem Statement

- Semantics behind the check-ins and stay region candidate points:
  - Shopping mall
  - Home region
  - Work region
  - Bus station
  - ... ..



# Problem Statement

- Formulation: Given user sets  $U_1 = \{u_{11}, u_{12}, \dots, u_{1n}\}$  and  $U_2 = \{u_{21}, u_{22}, \dots, u_{2m}\}$ , where each user is associated with a set of spatiotemporal records, we aim at finding linked user pairs across these two domains.



# User Linkage

- Extract features
- Measure user similarity



# Feature Extraction

- Features
  - Stay region distribution
  - Global time distribution
  - Local time distribution



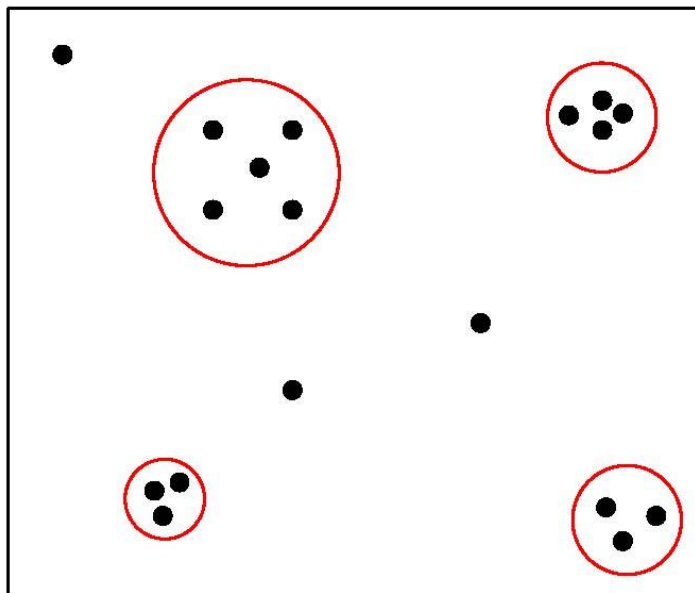
# Feature Extraction

- Stay region distribution [3]
  - $p = \sum_j \chi(d_{r_c^i, r_c^j} - d_c), \begin{cases} \chi(x) = 1, & \text{if } x < 0 \\ \chi(x) = 0, & \text{otherwise} \end{cases}$
  - $\delta = \begin{cases} \min_{p_{r_c^j} > p_{r_c^i}} (d_{r_c^i, r_c^j}), & \text{if } p_{r_c^j} > p_{r_c^i} \\ \max_j (d_{r_c^i, r_c^j}), & \text{otherwise} \end{cases}$
  - [3] A. Rodriguez and A. Laio. Clustering by fast search and find of density peaks. Science, vol. 344, no. 6191, pp. 1492-1496, 2014.



# Feature Extraction

- Example



# Feature Extraction

- Region weight calculation.
  - In real life, many people tend to visit popular areas, such as the downtown of a city, a large bus station, and a popular cinema. Obviously, the importance of the extracted stay regions are diverse.
  - Highlight the individual region.
  - Lighten the popular region.





# Feature Extraction

- Region weight calculation.

(a) User Region

User	Region
$u_1$	$(R_1^1, \dots, R_1^l)$
$u_2$	$(R_2^1, \dots, R_2^k)$
$\dots$	$\dots$
$u_n$	$(R_n^1, \dots, R_n^m)$

(b) Region Weight

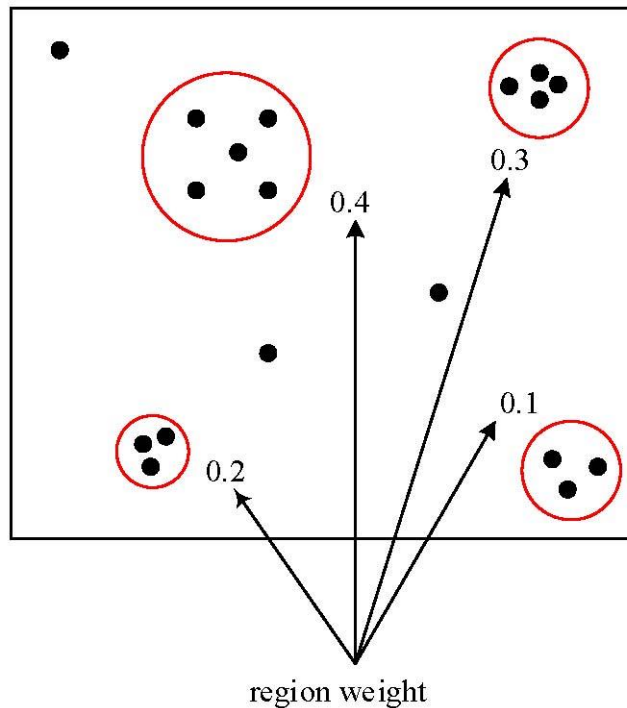
Weight
$\{\omega(R_1^1), \dots, \omega(R_1^l)\}$
$\{(\omega(R_2^1), \dots, \omega(R_2^k))\}$
$\dots$
$\{\omega(R_n^1), \dots, \omega(R_n^m)\}$

$$\omega(R_1^i) = \frac{\frac{N}{1 + \sum S(R_1^i, R_o)}}{\sum \frac{N}{1 + \sum S(R_1^i, R_o)}}$$



# Feature Extraction

- Example



- **Note:** the points outside the region are omitted.



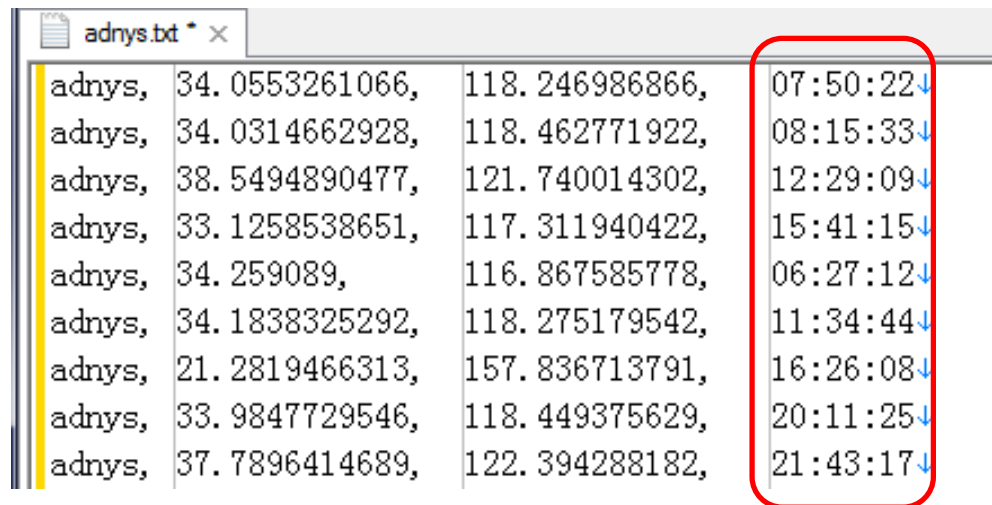
# Feature Extraction

- Spatiotemporal features
  - Stay region distribution
  - Global time distribution
  - Local time distribution



# Feature Extraction

- Global time distribution
  - We extract the temporal features from the global perspective, where the stay region factor is omitted.
  - Given a set of stay region candidate points  $(r_c^1, r_c^2, \dots, r_c^n)$  of a user  $u$ , the Expectation Maximization (EM) algorithm is used to find optimal parameters with timestamp set  $(r_c^1.t, r_c^2.t, \dots, r_c^n.t)$ .
- Example



adnys,	34.0553261066,	118.246986866,	07:50:22↓
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adnys,	37.7896414689,	122.394288182,	21:43:17↓



# Feature Extraction

- Global time distribution
  - E-step: the probability of the sample  $r_c^i.t$  generated by the cluster  $(\mu_k, \Sigma_k)$  is:

$$\gamma_{ik} = \frac{\alpha_k N(r_c^i.t | \mu_k, \Sigma_k)}{\sum_{j=1}^K \alpha_k N(r_c^i.t | \mu_j, \Sigma_k)}$$

- M-step: the maximum likelihood method is used to update model parameters as follows:

$$\alpha_k = \frac{1}{n} \sum_{i=1}^n \gamma_{ik}$$
$$\mu_k = \frac{\sum_{i=1}^n \gamma_{ik} r_c^i.t}{\sum_{i=1}^n \gamma_{ik}}$$

$$\Sigma_k = \frac{\sum_{i=1}^n \gamma_{ik} (r_c^i.t - \mu_k)^2}{\sum_{i=1}^n \gamma_{ik}}$$



# Feature Extraction

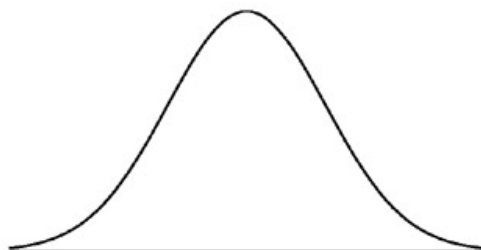
- Global time distribution

(a) Time Cluster

User	Time Cluster
$u_1$	$(T_1^1, \dots, T_1^l)$
$u_2$	$(T_2^1, \dots, T_2^k)$
$\dots$	$\dots$
$u_n$	$(T_n^1, \dots, T_n^m)$

(b) Time Cluster Weight

Weight
$\{\omega(T_1^1), \dots, \omega(T_1^l)\}$
$\{(\omega(T_2^1), \dots, \omega(T_2^k))\}$
$\dots$
$\{\omega(T_n^1), \dots, \omega(T_n^m)\}$



$$\omega(T_1^i) = \frac{\frac{N}{1 + \sum S(T_1^i, T_o)}}{\sum \frac{N}{1 + \sum S(T_1^i, T_o)}}$$

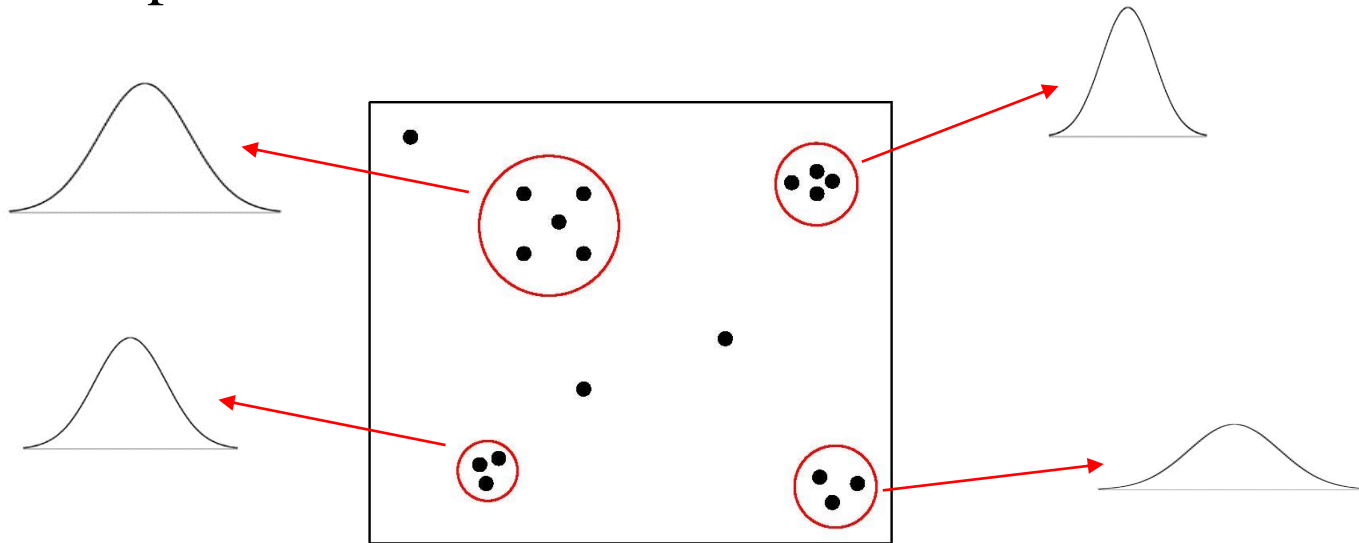
# Feature Extraction

- Spatiotemporal features
  - Stay region distribution
  - Global time distribution
  - Local time distribution



# Feature Extraction

- Local time distribution
  - We use the same method to extract time clusters and calculate corresponding weights **in each stay region**.
- Example





# User Linkage

- Extract feature
- Measure similarity



# Similarity Measure

- Stay region similarity
  - Assume the **stay regions** of  $u_1$  and  $u_2$  are:  
 $\{(R_1^1, \omega(R_1^1)), (R_1^2, \omega(R_1^2)), \dots, (R_1^m, \omega(R_1^m))\}$   
 $\{(R_2^1, \omega(R_2^1)), (R_2^2, \omega(R_2^2)), \dots, (R_2^n, \omega(R_2^n))\}$
  - The **stay region similarity**  $S(u_1, u_2)_r$  is defined as:  
$$S(u_1, u_2)_r = \sum_{i=1}^m \sum_{j=1}^n S(R_1^i, R_2^j) \omega(R_1^i) \omega(R_2^j)$$



# Similarity Measure

- Global time similarity.
  - Assume the **global time clusters** of  $u_1$  and  $u_2$  are:  
 $\{(T_1^1, \omega(T_1^1)), (T_1^2, \omega(T_1^2)) \cdots, (T_1^k, \omega(T_1^k))\}$   
 $\{(T_2^1, \omega(T_2^1)), (T_2^2, \omega(T_2^2)) \cdots, (T_2^l, \omega(T_2^l))\}$
  - The **global time similarity**  $S(u_1, u_2)_t$  is defined as:  
$$S(u_1, u_2)_t = \sum_{i=1}^k \sum_{j=1}^l S(T_1^i, T_2^j) \omega(T_1^i) \omega(T_2^j)$$



# Similarity Measure

- Local time similarity.
  - Assume the time distribution in a stay region  $(R_1^i, \omega(R_1^i))$  of  $u_1$  is  $\{(T_1^1, \omega(T_1^1)), (T_1^2, \omega(T_1^2)) \cdots, (T_1^k, \omega(T_1^k))\}$ , in a stay region  $(R_2^j, \omega(R_2^j))$  of  $u_2$  is  $\{(T_2^1, \omega(T_2^1)), (T_2^2, \omega(T_2^2)) \cdots, (T_2^l, \omega(T_2^l))\}$ , the local time similarity **in these two regions** is defined as:

$$S(R_1^i, (R_2^j) \omega(R_1^i) \omega(R_2^j) \sum_{i=1}^k \sum_{j=1}^l S(T_1^i, T_2^j) \omega(T_1^i) \omega(T_2^j)$$

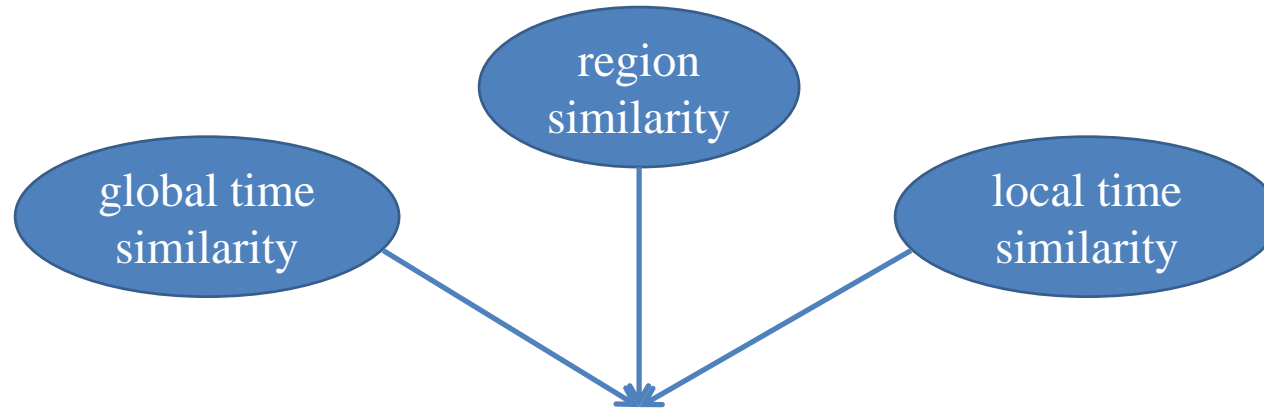
- The **local time similarity** between  $u_1$  and  $u_2$  is defined as:

$$S(u_1, u_2)_{rt} = \sum_{i=1}^m \sum_{j=1}^n (S(R_1^i, R_2^j) \omega(R_1^i) \omega(R_2^j) \sum_{i=1}^k \sum_{j=1}^l S(T_1^i, T_2^j) \omega(T_1^i) \omega(T_2^j))$$



# Similarity Measure

- Finally, the similarity between  $u_1$  and  $u_2$  is defined as:



$$S(u_1, u_2) = S(u_1, u_2)_r + S(u_1, u_2)_t + S(u_1, u_2)_{rt}$$



# Experiments

- Dataset
  - Beijing Walk Trajectories (BJW) -- Beijing Car Trajectories (BJC)
  - Foursquare (FS) -- Twitter (TW)
  - Instagram (IT) -- Twitter (TW)

Dataset	Domain	Users	Trajectories	Locations/Check-ins
BJW-BJC	Walk	182	14337	2190957
	Car	182	5475	925380
FS-TW	Foursquare	282	-	7832
	Twitter	282	-	88820
IT-TW	Instagram	1066	-	283740
	Twitter	1066	-	284051



# Experiments

- Compared methods:
  - **GC**: Each user is denoted by a set of grid cells.
    - Z. Li, B. Ding, J. H. R. Kays, P. Nye. Mining Periodic Behaviors for Moving objects. In KDD, 2010, pp. 1099-1108.
  - **LT**: Each user is presented by a set of bins.
    - C. Riederer, Y. Kim, A. Chaintreau, N. Korula, and S. Lattanzi. Linking users across domains with location data: Theory and validation. In WWW, 2016, pp. 707–719.
  - **STUL-S**: A simplified version of STUL, where the extracted features are directly used to measure the user similarity.
- Our approach:
  - **STUL**



# Experiments

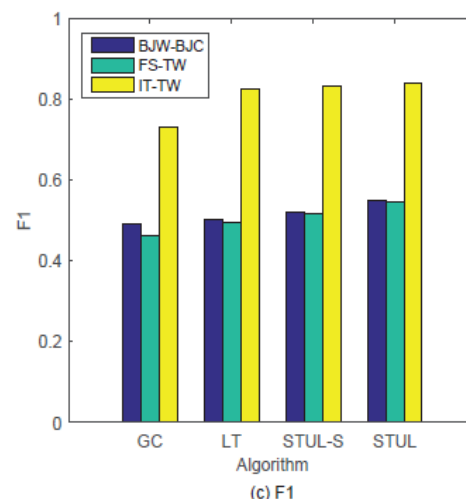
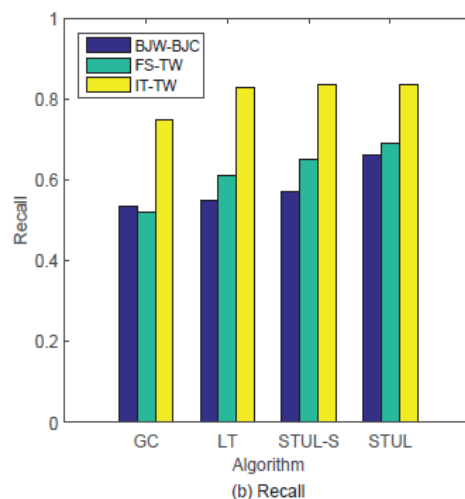
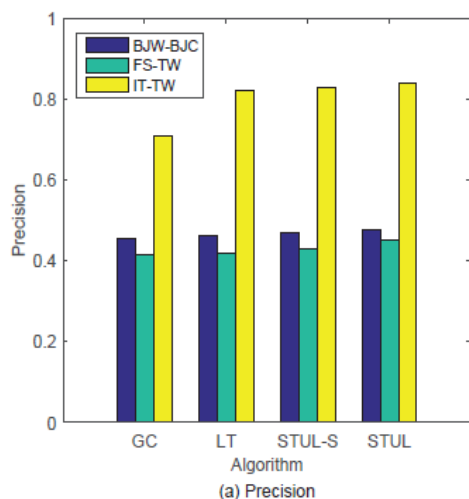
- Evaluation metrics:
  - $precision = \frac{k}{n}$
  - $recall = \frac{k}{m}$
  - $F1 = \frac{2 * Recall * Precision}{Recall + Precision}$





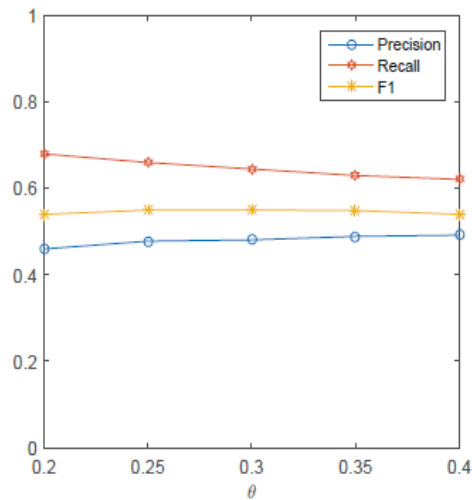
# Experiments

- Performance of the proposed algorithms in different datasets

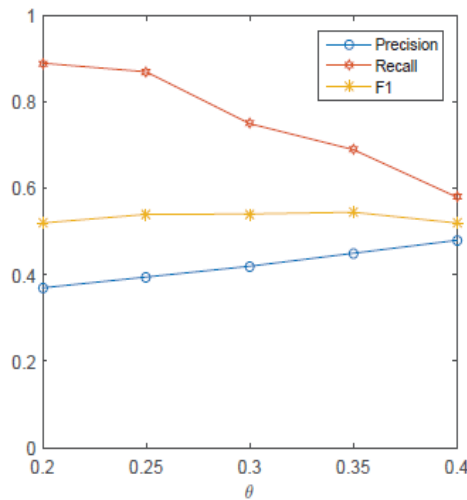


# Experiments

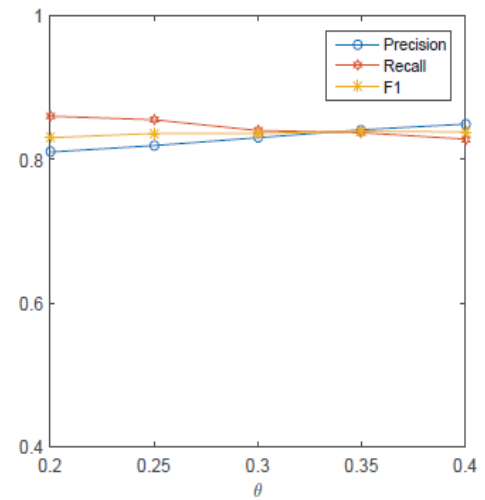
- Performance of STUL w.r.t varied  $\theta$



(a) B/W-BJC



(b) FS-TW

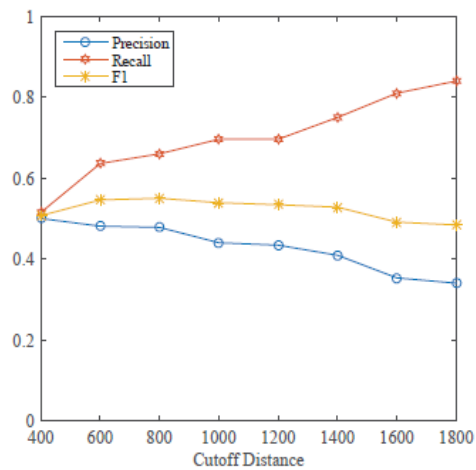


(c) IT-TW

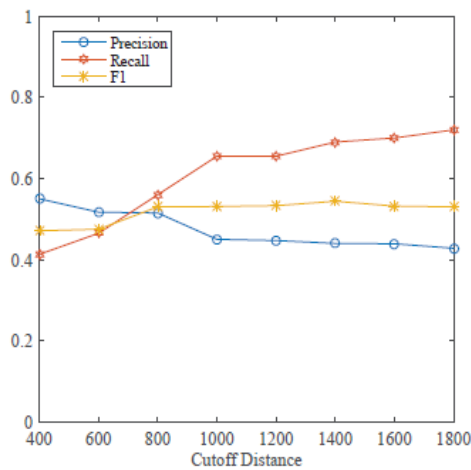


# Experiments

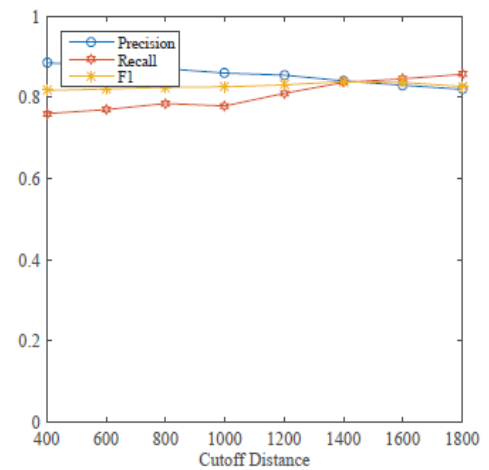
- Performance of STUL w.r.t. varied cutoff distance



(a) B JW-BJC



(b) FS-TW

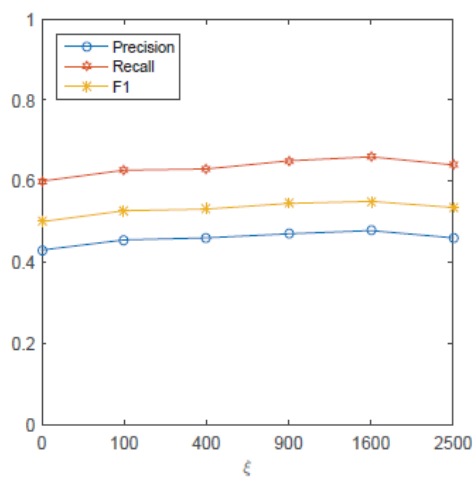


(c) IT-TW

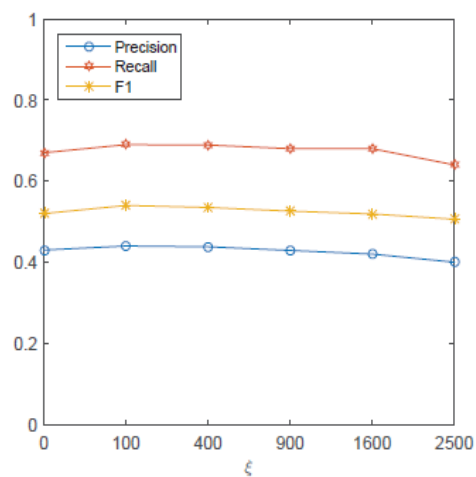


# Experiments

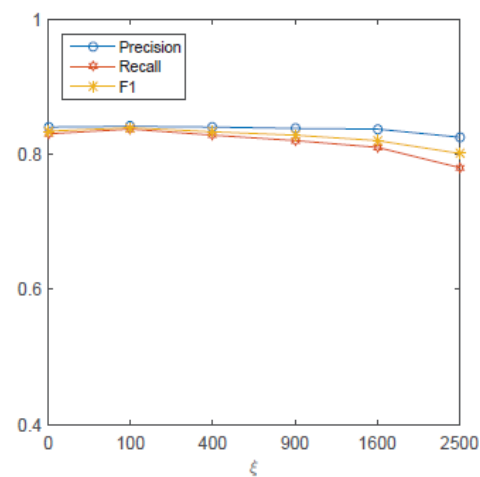
- Performance of STUL w.r.t. varied  $\xi$



(a) B JW-BJC



(b) FS-TW



(c) IT-TW



# Conclusion

- To connect the actually linked users from different domains with spatiotemporal data, we propose the novel model STUL.
  - **From spatial perspective**, a density-based method is developed to extract stay regions that a user will visit repeatedly.
  - **From temporal perspective**, we use GMM to extract the time distribution. Based on these features, we measure the similarity between users. The real-world dataset based experiments demonstrate the high performance of STUL.



*Thank You*  
*Q & A*

